

## FIT3152 Mock eExam with brief Answers/Marking Guide

### R Coding (10 Marks)

#### eExam Q1 (4 Marks)

The DunHumby (**DH**) data frame records the **Date** a **Customer** shops at a store, the number of **Days** since their last shopping visit, and amount **Spent** for 20 customers. The first 4 rows are shown below.

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```
> head(DH)
  customer_id visit_date visit_delta visit_spend
      <int>   <chr>         <int>         <dbl>
1         40 04-04-10           NA          44.8
2         40 06-04-10            2          69.7
3         40 19-04-10           13          44.6
4         40 01-05-10           12          30.4
```

The following R code is run:

```
DHY = DH[as.Date(DH$visit_date,"%d-%m-%y") < as.Date("01-01-11", "%d-%m-%y"),]
CustSpend = as.table(by(DHY$visit_spend, DHY$customer_id, sum))
CustSpend = sort(CustSpend, decreasing = TRUE)
CustSpend = head(CustSpend, 12)
CustSpend = as.data.frame(CustSpend)
colnames(CustSpend) = c("customer_id", "amtspend")
DHYZ = DHY[(DHY$customer_id %in% CustSpend$customer_id),]
write.csv(DHYZ, "DHYZ.csv", row.names = FALSE)
g = ggplot(data = DHYZ) + geom_histogram(mapping = aes(x = visit_spend)) +
  facet_wrap(~ customer_id, nrow = 3)
```

Describe the action and output(s) of the R code.

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Extract customer spend data pre 1/1/2011	[1 Mark]
Calculate the amount spent by each customer	[1 Mark]
Find the 12 customers who spent the most	[1 Mark]
Extract the data for the top 12 spending customers	[1 Mark]
Save data as a csv file	[1 Mark]
Draw a histogram of the data for each customer	[1 Mark]
Up to a total of 4 Marks	

## eExam Q2 (6 Marks)

Describe the function performed by each line of code or code fragment.

(a) `DHY = DH[as.Date(DH$visit_date,"%d-%m-%y") < as.Date("01-01-11", "%d-%m-%y"),]`

---

Create a new data frame consisting of observations (sales) earlier than 1/1/2011. [1 Mark]

---

(b) `CustSpend = as.table(by(DHY$visit_spend, DHY$customer_id, sum))`

---

Make a table of the total sales for (by) each customer [1 Mark]

---

(c) `CustSpend = sort(CustSpend, decreasing = TRUE)`

---

Sort the total sales table from highest to lowest [1 Mark]

---

(d) `CustSpend = head(CustSpend, 12)`

---

Keep the top 12 records - the 12 customers who have spent the most [1 Mark]

---

(e) `DHYZ = DHY[(DHY$customer_id %in% CustSpend$customer_id),]`

---

Extract the customer data for the top 12 spending customers from the main data (DHY) data frame [1 Mark]

---

(f) `... + facet_wrap(~ customer_id, nrow = 3)`

---

Draw the individual plots as a grid by wrapping every third column [1 Mark]

---

## Regression (10 Marks)

A subset of the 'diamonds' data set from the R package 'ggplot2' was created. The data set reports price, size(carat) and quality (cut, color and clarity) information as well as specific measurements (x, y and z). The first 6 rows are printed below.

```
> head(dsmall)
      carat      cut color clarity depth table price      x      y      z
46434  0.59 Very Good   H     VVS2  61.1    57  1771  5.39  5.48  3.32
35613  0.30     Good   I      VS1  63.3    59   473  4.20  4.23  2.67
43173  0.42   Premium   F      IF  62.2    56  1389  4.85  4.80  3.00
11200  0.95    Ideal   H      SI1  61.9    56  4958  6.31  6.35  3.92
37189  0.32   Premium   D     VVS1  62.0    60   973  4.40  4.37  2.72
45569  0.52   Premium   E      VS2  60.7    58  1689  5.17  5.21  3.15
```

The least squares regression of  $\log(\text{price})$  on  $\log(\text{size})$  and color is given below. Note that 'log' in this context means 'Log<sub>e</sub>(X)'. Based on this output, answer the following questions.

```
> library(ggplot2)
> set.seed(9999) # Random seed
> dsmall <- diamonds[sample(nrow(diamonds), 1000), ] # sample of 1000 rows
> attach(dsmall)
> contrasts(color) = contr.treatment(7)

> d.fit <- lm(log(price) ~ log(carat) + color)
> d.fit

> summary(d.fit)
```

Call:

```
lm(formula = log(price) ~ log(carat) + color)
```

Residuals:

Min	1Q	Median	3Q	Max
-0.97535	-0.16001	0.01106	0.15500	0.99937

Coefficients:

	Estimate	Std. Error	t value	Pr(> t )
(Intercept)	8.61356	0.02289	376.259	< 2e-16 ***
log(carat)	1.74075	0.01365	127.529	< 2e-16 ***
color2	-0.06717	0.02833	-2.371	0.0179 *
color3	-0.05469	0.02783	-1.965	0.0496 *
color4	-0.07139	0.02770	-2.578	0.0101 *
color5	-0.21255	0.02973	-7.148	1.7e-12 ***
color6	-0.32995	0.03175	-10.393	< 2e-16 ***
color7	-0.50842	0.04563	-11.143	< 2e-16 ***

---

Residual standard error: 0.2393 on 992 degrees of freedom

Multiple R-squared: 0.9446, Adjusted R-squared: 0.9443

F-statistic: 2418 on 7 and 992 DF, p-value: < 2.2e-16

```
> contrasts(color)
```

	2	3	4	5	6	7
D	0	0	0	0	0	0
E	1	0	0	0	0	0
F	0	1	0	0	0	0
G	0	0	1	0	0	0
H	0	0	0	1	0	0
I	0	0	0	0	1	0
J	0	0	0	0	0	1

### eExam Q3 (4 Marks)

- (a) Write down the regression equation predicting  $\log(\text{price})$  as a function of size and color.

---

$\log(\text{price}) = 1.74 * \log(\text{carat}) + 8.61 + \text{color}(i)$ ,  
where  $i$  = indicates color (D,E,F,G,H,I,J) [1 Mark]

---

- (b) Explain the different data types present in the variables: **carat** and **color**. What is the effect of this difference on the regression equation?

---

carat is a numerical variable (treated as a number) [1 Mark]  
color is a factor - it is included in the regression equation as a contrast whereby each level is estimated individually. [1 Mark]

---

- (c) What is the predicted price for a diamond of 1 carat of color H?

---

$\log(\text{price}) = 1.74 * \log(\text{carat}) + 8.61 + \text{color}(i)$ ,  
 $\log(\text{price}) = 1.74 * \log(1) + 8.61 - 0.21$ ,  
 $\log(\text{price}) = 1.74 * 0 + 8.61 - 0.21$ ,  
 $\log(\text{price}) = 8.61 - 0.21 = 8.40$   
 $\text{price} = e^{8.40} = \$ 4447.06$  [1 Mark]

---

### eExam Q4 (6 Marks)

- (a) Which colour diamonds can be reliably assumed to have the highest value? Explain your reasoning. How sure can you be?

---

Color D diamonds have the highest value since the coefficient for this factor is 0 and all the others are negative. [1 Mark]  
For surety, use the significance of the regression equation overall (\*\*\*) so better than 0.0001 [1 Mark]

---

- (b) Which colour diamonds have the lowest value? How reliable is the evidence? Explain your reasoning.

---

Color J diamonds have lowest value (coeff = -0.51) [1 Mark]  
Significance better than 0.0001 [1 Mark]

---

- (c) Comment on the reliability of the model as a whole giving reasons.

---

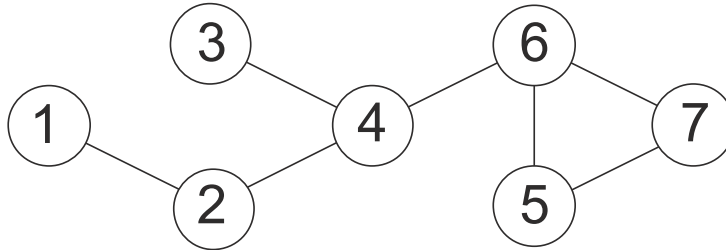
Reliability of model is high overall:  
Multiple R-squared = 0.94,  
p-value very small,  
median residual close to 0. [1 Mark each up to 2 Marks]

---

## Networks (10 Marks)

### eExam Q5 (5 Marks)

The social network of a group of friends (numbered from 1 – 7) is drawn below.



- (a) Calculate the **betweenness centrality** for nodes 1 to 7. [2 Marks]

---

Node(1) betweenness = 0  
Node(2) betweenness = 5  
Node(3) betweenness = 0  
Node(4) betweenness = 11 (1-5, 1-6, 1-7, 2-5, 2-6, 2-7, 3-5, 3-6, 3-7, 1-3, 2-3.)  
Node(5) betweenness = 0  
Node(6) betweenness = 8 (1-5, 1-7, 2-5, 2-7, 3-5, 3-7, 4-5, 4-7.)  
Node(7) betweenness = 0  
[1 Mark] any 4 correct, [1 Mark] all correct.

---

- (b) Calculate the **closeness centrality** for nodes 1 to 7. [2 Marks]

---

Node(1) closeness =  $1/17 = 1/(1 + 2 + 3 + 3 + 4 + 4)$   
Node(2) closeness =  $1/12 = 1/(1 + 1 + 2 + 2 + 3 + 3)$   
Node(3) closeness =  $1/14 = 1/(1 + 2 + 3 + 2 + 3 + 3)$   
Node(4) closeness =  $1/9 = 1/(1 + 1 + 1 + 2 + 2 + 2)$   
Node(5) closeness =  $1/14 = 1/(1 + 1 + 2 + 3 + 3 + 4)$   
Node(6) closeness =  $1/10 = 1/(1 + 1 + 1 + 2 + 2 + 3)$   
Node(7) closeness =  $1/14 = 1/(1 + 1 + 2 + 3 + 3 + 4)$   
[1 Mark] any 4 correct, [1 Mark] all correct.

---

- (c) Giving reasons based on your results in Parts a and b, which node is most central in the network? [1 Mark]

---

Node(4) is most central [1 Mark] It has the greatest betweenness centrality and closeness centrality [1 Mark]

---

eExam Q6 (3 Marks)

- (a) Calculate the density of the graph. [1 Mark]

---

$$\text{Density} = 2E / (V * (V - 1)) = 2 * 7 / (7 * 6) = 1/3 = 0.333 \text{ [1 Mark]}$$

---

- (b) Calculate the clustering coefficient of the graph. [1 Mark]

---

$$\text{Clt} = 3 * \text{triangles} / \text{conn triples} = 3 * 1 / 9 = 1/3 = 0.333 \text{ [1 Mark]}$$
$$\text{Conn triples} = (124, 243, 246, 346, 467, 465, 675, 756, 567)$$

---

- (c) Calculate the diameter of the graph. [1 Mark]

---

$$\text{Diameter} = 4 \text{ (1 - 2 - 4 - 6 - 7) for example [1 Mark]}$$

---

eExam Q7 (2 Marks)

Write down the adjacency matrix for the network. [2 Marks]

	1	2	3	4	5	6	7
1	0	1	0	0	0	0	0
2	1	0	0	1	0	0	0
3	0	0	0	1	0	0	0
4	0	1	1	0	0	1	0
5	0	0	0	0	0	1	1
6	0	0	0	1	1	0	1
7	0	0	0	0	1	1	0

Correct form [1 Mark], Correct values [1 Mark]

## Naïve Bayes (4 Marks)

### eExam Q8 (3 Marks)

Use the data below and Naïve Bayes classification to predict whether the following test instance will be happy or not.

Test instance: (Age Range = young, Occupation = professor, Gender = F, Happy = ? )

ID	Age Range	Occupation	Gender	Happy
1	Young	Tutor	F	Yes
2	Middle-aged	Professor	F	No
3	Old	Tutor	M	Yes
4	Middle-aged	professor	M	Yes
5	Old	Tutor	F	Yes
6	Young	Lecturer	M	No
7	Middle-aged	lecturer	F	No
8	Old	Tutor	F	No

Test instance: (Age Range = young, Occupation = professor, Gender = F, Happy = ? )

$p(\text{Happy} = \text{yes}) = 0.5$ ,  $p(\text{Happy} = \text{no}) = 0.5$  [1 Mark]

YES		$P(\text{young/yes})$	$P(\text{professor/yes})$	$P(F/\text{yes})$	$P(C_j) \times P(A_1   C_j) \times P(A_2   C_j) \times \dots \times P(A_n   C_j)$
$p(\text{yes})$	0.5	0.250	0.250	0.500	0.016
NO		$P(\text{young/no})$	$P(\text{professor/no})$	$P(F/\text{no})$	$P(C_j) \times P(A_1   C_j) \times P(A_2   C_j) \times \dots \times P(A_n   C_j)$
$p(\text{no})$	0.5	0.250	0.250	0.750	0.023

Correct calculations [1 Mark]

So classify as Happy = No [1 Mark or H]

### eExam Q9 (1 Mark)

Use the complete Naïve Bayes formula to evaluate the confidence of predicting Happy = yes, based on the same attributes as the previous question: (Age Range = young, Occupation = professor, Gender = F).

NUM		$P(\text{young/yes})$	$P(\text{professor/yes})$	$P(F/\text{yes})$	$P(C_j) \times P(A_1   C_j) \times P(A_2   C_j) \times \dots \times P(A_n   C_j)$
$p(\text{yes})$	0.5	0.250	0.250	0.500	0.016
DENOM		$P(\text{young})$	$P(\text{professor})$	$P(F)$	$P(A_1) \times P(A_2) \times \dots \times P(A_n)$
		0.250	0.250	0.625	0.039

So  $p(\text{yes} | \text{attributes}) = 0.016 / 0.039 = 0.40$  [1 Mark or H]

## Visualisation (6 Marks)

### eExam Q10 (6 Marks)

A World Health study is examining how life expectancy varies between men and women in different countries and at different times in history. The table below shows a sample of the data that has been recorded. There are approximately 15,000 records in all.

Country	Year of Birth	Gender	Age at Death
Australia	1818	M	9
Afghanistan	1944	F	40
USA	1846	F	12
India	1926	F	6
China	1860	F	32
India	1868	M	54
Australia	1900	F	37
China	1875	F	75
England	1807	M	15
France	1933	M	52
Egypt	1836	M	19
USA	1906	M	58

Using one of the graphic types from the Visualization Zoo (see formulae and references for a list of types) suggest a suitable graphic to help the researcher display as many variables as clearly as possible.

Explain your decision. Which graph elements correspond to the variables you want to display?

Appropriate main graphic by name	[1 Mark]
For example scatter plot or heat map. Accept another type with justification.	
Mapping of variables to graphic (Country)	[1 Mark]
Age at death and other vars are grouped by country using colour or position or labels. Other mapping with justification.	
Mapping of variables to graphic (Year of birth)	[1 Mark]
Year of birth is position or panel. Other mapping with justification.	
Mapping of variables to graphic (Gender)	[1 Mark]
Panel, position or colour. Other mapping with justification.	
Mapping of variables to graphic (Age at death)	[1 Mark]
Size, colour or position. Other mapping with justification.	
Data reduction or summary calculation	[1 Mark]
How data is grouped and reduced. Averaging etc.	



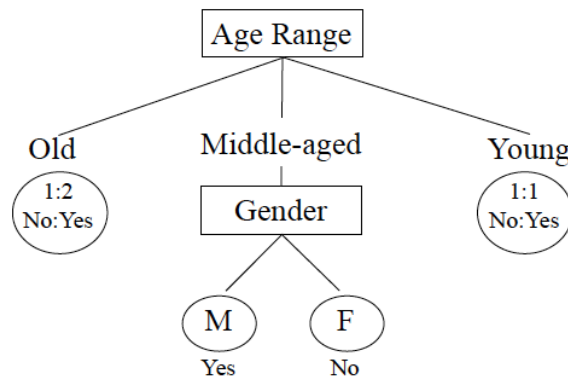
## Decision Trees (10 Marks)

### eExam Q11 (4 Marks)

Eight university staff completed a questionnaire on happiness. The results are given below.

ID	Age Range	Occupation	Gender	Happy
1	Young	Tutor	F	Yes
2	Middle-aged	Professor	F	No
3	Old	Tutor	M	Yes
4	Middle-aged	Professor	M	Yes
5	Old	Tutor	F	Yes
6	Young	Lecturer	M	No
7	Middle-aged	Lecturer	F	No
8	Old	Tutor	F	No

A decision tree was generated from the data.



- (a) Using the decision tree generated from the data provided, assuming a required confidence level greater than 60% to classify as 'Happy', what is the predicted classification for the following instances: Instance 1: (Age Range = Young, Occupation = Professor, Gender = F, Happy = ? ). Instance 2: (Age Range = Old, Occupation = Professor, Gender = F, Happy = ? )

---

**Instance 1: Happy = No, because confidence for Happy = Yes is 50%, which is less than required confidence level. [1 Mark] Instance 2: Happy = Yes, because confidence for Happy = Yes is 66.67%, which is greater than required confidence level. [1 Mark]**

---

- (b) Is it possible to generate a 100% accurate decision tree using this data? Explain your answer.

---

**Instances 5 and 8 have identical decision attributes, but belong to different classes (Old, Tutor, F = Yes; Old, tutor, F = No). Therefore a 100% accurate decision tree could not be generated from this data. (Or equivalent) [1 Mark]**

---

- (c) Explain how the concept of entropy is used in some decision tree algorithms.

---

**Information gain is used in the ID3 algorithm to determine which attribute to split on. Information gain calculates the reduction in entropy when splitting on a specific attribute and chooses the attribute which gives the greatest reduction in entropy or greatest information gain. (Or something similar) [1 Mark]**

---

eExam Q12 (6 Marks)

- (a) Do you think entropy was used to generate the decision tree above? Explain your answer.

---

The Occupation attribute appears more homogeneous in terms of the class attribute Happy than the Age attribute. (Or similar) [1 Mark]  
Therefore, no, entropy was not used. (or similar) [1 Mark]

---

- (b) What is the entropy of “Happy”?

---

50:50 Yes:No = 1 by inspection. [1 Mark]

---

- (c) What is information gain after the first node of the decision tree (Age Range) has been introduced?

---

$$E(2:1) = -\frac{2}{3} \cdot \log_2\left(\frac{2}{3}\right) - \frac{1}{3} \cdot \log_2\left(\frac{1}{3}\right) = 0.9184 \quad [1 \text{ Mark}]$$
$$Gain(S, AgeRange) = E(S) - \left(\frac{3}{8} \cdot 0.9184 + \frac{3}{8} \cdot 0.9184 + \frac{2}{8} \cdot 1.0\right)$$
$$Gain(S, AgeRange) = 1 - (0.9388) = 0.0612 \quad [1 \text{ Mark}]$$

---

- (d) Explain why some decision tree algorithms are referred to as greedy algorithms.

---

Decision tree algorithms always choose the best option to branch on at each step without taking into account future choices. Is never able to back track in order to improve the final solution. [1 Mark]

---

## ROC and Lift (10 Marks)

### eExam Q13 (4 Marks)

The following table shows the outcome of a classification model for customer data. The table lists customers by code and provides the following information: The model confidence of a customer buying/not buying a new product (confidence-buy); whether in fact the customer did or did not buy the product (buy = 1 if the customer purchased the model, buy = 0 if the customer did not buy the model).

customer	confidence-buy	buy-not-buy	20%	80%
			+	+
c1	0.9	1	1	1
c2	0.8	1	1	1
c3	0.7	0	1	0
c4	0.7	1	1	0
c5	0.6	1	1	0
c6	0.5	1	1	0
c7	0.4	0	1	0
c8	0.4	1	1	0
c9	0.2	0	1	0
c10	0.1	0	0	0

- (a) Calculate the **True Positive Rate** and the **False Positive Rate** when a confidence level of 20% is required for a positive classification.

---

**TP = 6, FP = 3, TN = 1, FN = 0. All correct 1 Mark**

**TPR =  $6/(6+0) = 1$ , FPR =  $3/(3+1) = 0.75$ . All correct 1 Mark**

---

- (b) Calculate the True Positive Rate and the False Positive Rate when a confidence level of 80% is required for a positive classification.

---

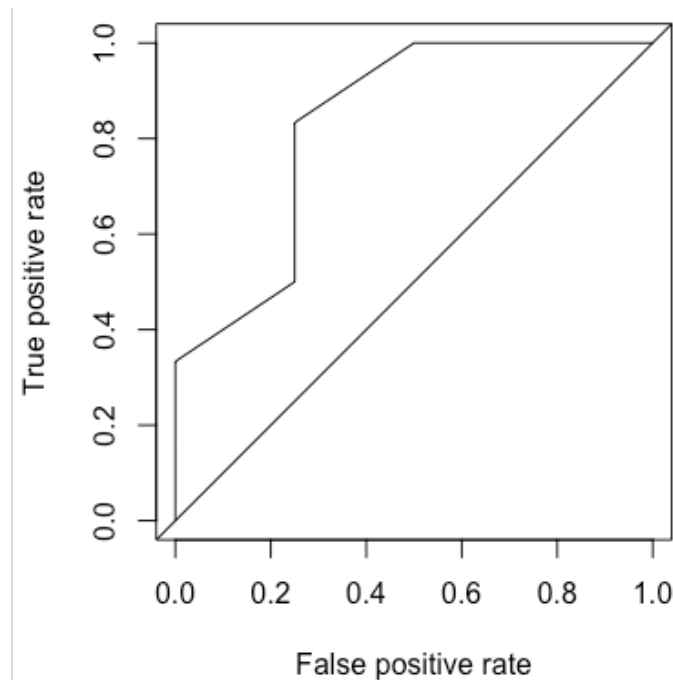
**TP = 2, FP = 0, TN = 4, FN = 4. All correct 1 Mark**

**TPR =  $2/(2+4) = 0.33$ , FPR =  $0/(0+4) = 0$ . All correct 1 Mark**

---

eExam Q14 (2 Marks)

The ROC chart for the previous question is shown below. Comment on the quality of the model overall. Give a single measure of classifier performance.



---

Exact = 0.83 accept 0.7 – 0.9. [1 Mark]

Classifier is good. [1 Mark]

---

eExam Q15 (4 Marks)

- (a) What is the lift value if you target the top 40% of customers that the classifier is most confident of?

---

$P(\text{true}) = 6/10$ , for top 40%  $P(\text{true}) = 3/4$  [1 Mark]

Lift =  $(3/4) / (6/10) = 1.25$  [1 Mark or H]

---

- (b) Explain what the value of lift means in the previous question.

---

Lift is the increase in the response rate over randomly selection [1 Mark] by choosing those you are most confident of. [1 Mark]

---

## Clustering (10 Marks)

### eExam Q16 (4 Marks)

A k-Means clustering algorithm is fitted to the iris data, as shown below.

```
rm(list = ls())
data("iris")
ikfit = kmeans(iris[,1:2], 4, nstart = 10)
ikfit
table(actual = niris$Species, fitted = ikfit$cluster)
```

Based on the R code and output below, answer the following questions.

```
> ikfit
K-means clustering with 4 clusters of sizes 24, 53, 41, 32

Cluster means:
  Sepal.Length Sepal.Width
1    4.766667    2.891667
2    5.924528    2.750943
3    6.880488    3.097561
4    5.187500    3.637500

Within cluster sum of squares by cluster:
[1]  4.451667  8.250566 10.634146  4.630000
(between_SS / total_SS =  78.6 %)
```

```
> table(actual = niris$Species, fitted = ikfit$cluster)
      fitted
actual    1  2  3  4
  setosa   18  0  0 32
versicolor 5 34 11  0
 virginica  1 19 30  0
```

(a) Comment on the quality of the clustering giving at least one quantitative measure. [2 Marks]

---

Clustering quite good since between/total ss = 78.6% [1 Mark]

---

Not a good separation of groups based on sepals. [1 Mark]

---

(b) What actions could be performed to improve the quality of the clustering? [2 Marks]

---

Normalise the data [1 Mark]

---

Increase the number of clusters [1 Mark]

---

Increase the number attributes used [1 Mark]

---

Increase the number of starts [1 Mark up to 2 Marks]

---

### eExam Q17 (2 Marks)

For the previous question, if clustering was used to discriminate between the irises, what would be the accuracy of the model? Explain your reasoning. [2 Marks]

---

Assign each displacement to the cluster having greatest number of members. Assume these are the TPs and then work out accuracy as usual. [1 Mark]

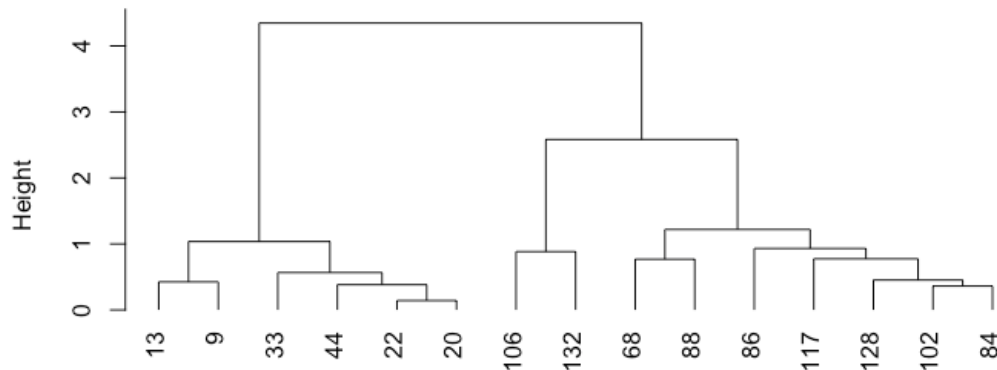
---

For example: assume C1 and C4 are setosa, C2 is versicolor, C3 is virginica. Correct classified = (18 + 34 + 30 + 32)/Total = 150, Accuracy = 0.76. accept any reasonable similar approach. [1 Mark]

---

### eExam Q18 (4 Marks)

15 observations were sampled at random from the Iris data set. The dendrogram resulting from clustering, based on their sepal and petal measurements, is below.



(a) If you wanted just three clusters, which items would be in each cluster? [1 Mark]

---

(13, 9, 33, 44, 22, 20) (106, 132) (68, 88, 86, 117, 128, 102, 84)  
[1 Mark]

---

(b) Based on the dendrogram, comment on the ease or difficulty of distinguishing between the three species of iris based on their sepal and petal measurements. Explain your reasoning with an example from the graph. [2 Marks]

---

Setosa (1-50) easiest to distinguish (cluster 1) [1 Mark]  
Versicolor and virginica (51-150) more mixed (Cluster 3) [1 Mark]

---

(c) What does 'Height' mean in this context. [1 Mark]

---

Height gives the distance between clusters (between centroids pre-cluster and cluster) [1 Mark]

---

## Text Analytics (8 Marks)

### eExam Q19 (2 Marks)

Explain what is meant by the 'bag of words' approach to text mining.

---

Each document in the collection is assumed a set of words and the entire collection of words that is used in the analysis. [1 Mark]  
The semantics or meaning of the text in the documents is not considered in the 'bag of words' approach. [1 Mark]

---

### eExam Q20 (2 Marks)

Apply the five main steps required to pre-process text documents for analysis to the corpus below.  
Write your processed documents in the space provided.

Doc1 = { The church choir sang loudly. }  
Doc2 = { The boys were singing in the church choir. }  
Doc3 = { The boy asked to sing a song. }

---

(church, choir, sing-, loud-)  
(boy, sing-, church, choir) [Tokenise, remove stop words 1 Mark]  
(boy, ask, sing- song). [Stemming and overall format 1 Mark]

---

### eExam Q21 (2 Marks)

Construct the term document frequency matrix for the processed text documents above. [2 Marks].

	ask	boy	choir	church	loud	sing	song
Doc 1	0	0	1	1	1	1	0
Doc 2	0	1	1	1	0	1	0
Doc 3	1	1	0	0	0	1	1

---

Matrix correct format: words = cols, docs = rows [1 Mark]  
Indicators are correct [1 Mark or H]

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### eExam Q22 (2 Marks)

Using the term document frequency matrix, calculate the Cosine Distance between each pair of documents. [2 Marks]

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1 Mark each correct up to 2 marks [2 Marks or H]

$\text{Sim}(D1, D2) = (0*0+0*1+1*1+1*1+1*0+1*1+0*0)/\text{SQRT}(4*4) = 0.75$   
 $\cos^{-1}(0.75) = 41.43 \text{ degrees \#Angular distance}$

$\text{Sim}(D2, D3) = (0*1+1*1+1*0+1*0+0*0+1*1+0*1)/\text{SQRT}(4*4) = 0.5$   
 $\cos^{-1}(0.50) = 60 \text{ degrees \#Angular distance}$

$\text{Sim}(D1, D3) = (0*1+0*1+1*0+1*0+1*0+1*1+0*1)/\text{SQRT}(4*4) = 0.25$   
 $\cos^{-1}(0.25) = 75.56 \text{ degrees \#Angular distance}$

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## Ensemble Methods (7 Marks)

### eExam Q23 (2 Marks)

Describe the main similarities of the three ensemble classifiers (bagging, boosting and random forests) studied.

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Create multiple data sets by resampling or cloning [1 Mark]  
Build multiple classifiers [1 Mark] Combine classifiers (ave or vote) [1 Mark up to a total of 2]

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### eExam Q24 (2 Marks)

How do boosting and random forests differ from bagging?

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Boosting re-weights attributes to favour hard to classify cases. [1 Mark]  
Random Forests varies the attributes used in samples as well. [1 Mark]

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### eExam Q25 (3 Marks)

An artificial neural network (ANN) is to be used to classify whether or not to **Buy** a certain product based on **Popularity**, **Sales** and **Performance**. An extract of the data is below.

ID	Popularity	Sales	Performance	Buy
1	low	330000	0.87	Maybe
2	medium	40000	0.22	No
3	low	50000	NA	Yes
4	high	30000	0	Yes
5	low	100000	0.1	No
6	medium	NA	0.06	No
...	...	...	...	...

(a) How many **input** nodes does the ANN require for this problem? [1 Mark]

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Pop (3) + Sales (1) + Perf (1) = 5 [1 Mark]

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(b) How many **output** nodes does the ANN require for this problem? [1 Mark]

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Buy (3 binary nodes) [1 Mark]

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(c) What pre-processing and data transformations are required before applying the ANN? [1 Mark]

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Popularity needs indicator variables, Normalise, Remove missing values. Any two of 3 [1 Mark]

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## Dirty and Tidy Data (7 Marks)

### eExam Q26 (5 Marks)

The table below is an extract from the list of books in the British Library. Identify the instances of dirty data present, stating the way in which the data is dirty. One mark will be given for each correct instance up to a maximum of 6 marks.

Identifier	Edition Statement	Place of Publication	Date of Publication	Publisher	Title	Author	Contributors
206		London	1879 [1878]	S. Tinsley & Co.	Walter Forbes. [A novel.] By A. A.	A. A.	FORBES, Walter.
216	1	London; Virtue & Y	1868	Virtue & Co.	All for Greed. [A novel. The dedication s	A., A. A.	BLAZE DE BURY, Ma
218		London	1869	Bradbury, Evans & C	Love the Avenger. By the author of a	A., A. A.	BLAZE DE BURY, Ma
472		London	1851	James Darling	Welsh Sketches, chiefly ecclesiastical, to	A., E. S.	Appleyard, Ernest Si
480	A new edition, revis	London	1857	Wertheim & Macint	[The World in which I live, and my place	A., E. S.	BROOME, John Heni
481	Fourth edition, revis	London	1875	William Macintosh	[The World in which I live, and my place	A., E. S.	BROOME, John Heni
519		London	1872	The Author	Lagonells. By the author of Darmayne	A., F. E.	ASHLEY, Florence En
667	2	pp. 40. G. Bryan & Co: Oxford, 1898			The Coming of Spring, and other poems	A., J.   A., J.	ANDREWS, J. - Write
874		London]	1676		A Warning to the inhabitants of England	Rema	ADAMS, Mary.
1143		London	1679		A Satyr against Vertue. (A poem: suppos	A., T.	OLDHAM, John.
1280		Coventry	1802	Printed by J. Turner	An Account of the many and great Loan		CARTE, Samuel.   JAC
1808		Christiania	1859		Erindringer som Bidrag til Norges Histor	AALL, Jacob.	AALL, J. C.   LANGE, C
1905		Firenze	1888		Gli Studi storici in terra d'Otranto ... Fra	AAR, Ermanno - pse	S., L. G. D.   SIMONE,
1929		Amsterdam	1839, 38-54		De Aardbol. Magazijn van hedendaagsc		WITKAMP, Pieter Ha
2836		Savona	1897		Cronache Savonesi dal 1500 al 1570 ...	ABATE, Giovanni Ag	ASSERETO, Giovanni
2854		London	1865	E. Moxon & Co.	See-Saw; a novel ... Edited [or rather, w	ABATI, Francesco.	READE, William Win
2956		Paris	1860-63		Gelliodelise d'une partie de la Haute E	ABBADIE, Antoine T	RADAU, Rodolphe.
2957		Paris	1873		[With eleven maps.]	ABBADIE, Antoine T	RADAU, Rodolphe.
3017	Nueva edicion, anot	Puerto-Rico	1866		[Historia geogra	ABBAD Y LASIERRA,	ACOSTA Y CALBO, Jc
3131		New York	1899	W. Abbott	The Crisis of the Revolution, being the s	ABBATT, William.	ANDRÉL, John - Ma
4598		Hull	1814	The Author	Peace: a lyric poem. [With prefatory ad	ABBOTT, Thomas Ea	WRANGHAM, Franci
4884		London	1820	J. Hatchard & Son	Abdallah; or, The Arabian Martyr: a Chr		BARHAM, Thomas F.
4976	[Another edition.] A	Oxonii	1800	J. Cooke, etc.	[Abdolatiphi Histori		WHITE, Joseph - Can
5382		London	1847, 48 [1846-48]	Punch Office	The Comic History of England ... With ...	A'BECKETT, Gilbert	LEECH, John - Artist
5385	[Another edition.] II	London	[1897?]	Bradbury, Agnew &	[The comic history of England ... With tw	A'BECKETT, Gilbert	LEECH, John - Artist
5389	[Another edition.]	London	[1897?]	Bradbury, Agnew &	[The Comic History of Rome ... Illustrat	A'BECKETT, Gilbert	LEECH, John - Artist
5432		Milano	1893		Signa: opera in tre atti [founded on the	A'BECKETT, Gilbert	MAZZUCATO, Giova
6036		London	1805	C. & R. Baldwin	The Venetian Outlaw, a drama in three		ELLISTON, Robert W
6821		Aberdeen	1837	J. Davidson & Co.	Description of the Coast between Aber		DUNCAN, William -

Most of these are instances of incorrect data, although many records are incomplete also. [1 Mark each up to maximum 5].  
 1 = incorrect/duplicate (has publisher and place in same cell).  
 2 = incorrect/duplicate etc, 3 = incorrect/inaccurate using abbreviation for "Oxford", 4 = incorrect/inaccurate etc.

### eExam Q27 (5 Marks)

The table below shows the English and Maths results for some students in Semester 1 and Semester 2. Rewrite the table as tidy data in the space provided.

Student	English S1	English S2	Maths S1	Maths S2
Alice	80	-	56	78
Billy	-	54	-	55
Carly	6	77	-	13

Student	Semester	English	Maths
Alice	1	80	56
Alice	2	-	78
Billy	1	-	-
Billy	2	54	Etc...

Indexing by semester [1 Mark], Value columns for English and Maths [1 Mark]

## Formulas and references

<p><b>A Tour Through the Visualization Zoo – Summary of Graphic Types</b></p> <p>Time-Series Data</p> <ul style="list-style-type: none"> <li>• Index Charts</li> <li>• Stacked Graphs</li> <li>• Small Multiples</li> <li>• Horizon Graphs</li> </ul> <p>Statistical Distributions</p> <ul style="list-style-type: none"> <li>• Stem-and-Leaf Plots</li> <li>• Q-Q Plots</li> <li>• SPLOM</li> <li>• Parallel Coordinates</li> </ul> <p>Maps</p> <ul style="list-style-type: none"> <li>• Flow Maps</li> <li>• Choropleth Maps</li> <li>• Graduated Symbol Maps</li> <li>• Cartograms</li> </ul> <p>Hierarchies</p> <ul style="list-style-type: none"> <li>• Node-Link diagrams</li> <li>• Adjacency Diagrams</li> <li>• Enclosure Diagrams</li> </ul> <p>Networks</p> <ul style="list-style-type: none"> <li>• Force-Directed Layouts</li> <li>• Arc Diagrams</li> <li>• Matrix Views</li> </ul>	<p><b>Entropy</b></p> <p>If <math>S</math> is an arbitrary collection of examples with a binary class attribute, then:</p> $Entropy(S) = -P_{C1} \log_2(P_{C1}) - P_{C2} \log_2(P_{C2})$ $= -\frac{N_{C1}}{N} \log_2\left(\frac{N_{C1}}{N}\right) - \frac{N_{C2}}{N} \log_2\left(\frac{N_{C2}}{N}\right)$ <p>where <math>C1</math> and <math>C2</math> are the two classes. <math>P_{C1}</math> and <math>P_{C2}</math> are the probability of being in Class 1 or Class 2 respectively. <math>N_{C1}</math> and <math>N_{C2}</math> are the number of examples in each class. <math>N</math> is the total number of examples.</p> <p>Note: <math>\log_2 x = \frac{\log_{10} x}{\log_{10} 2} = \frac{\log_{10} x}{0.301}</math></p> <p><b>Information gain</b></p> <p>The <math>Gain(S, A)</math> of an attribute <math>A</math> relative to a collection of examples, <math>S</math>, with <math>v</math> groups having <math> S_v </math> elements is:</p> $Gain(S, A) = Entropy(S) - \sum_{v \in values(A)} \frac{ S_v }{ S } * Entropy(S_v)$
<p><b>Networking</b></p> <p>Closeness Centrality: <math>C_{CL}(v) = \frac{1}{\sum_{u \in V} dist(u, v)}</math></p> <p>Betweenness Centrality: <math>C_B(v) = \sum_{s \neq t \neq v \in V} \frac{\sigma(s, t v)}{\sigma(s, t)}</math>,</p> <p>where <math>(s, t)</math> is the number of shortest paths between <math>s</math> and <math>t</math>.  <math>(s, t v)</math> is the number of shortest paths between <math>s</math> and <math>t</math> passing through <math>v</math></p> <p>Density: <math>den(g) = \frac{ E_g }{ V_g ( V_g -1)/2}</math>,</p> <p>where <math> E_g </math> is number of edges, <math> V_g </math> is number of vertices</p> <p>Clustering coefficient: <math>clt(g) = \frac{3\tau_\Delta(g)}{\tau_3(g)}</math>,</p> <p>where <math>3\tau_\Delta(g)</math> is number of triangles, <math>\tau_3(g)</math> is number of connected triples</p>	<p><b>Naïve Bayes'</b></p> <p>For events <math>A_1, A_2, \dots, A_n</math> and event <math>C</math>, classification probability is</p> $P(C_j A_1 \cap A_2 \dots \cap A_n) = \frac{P(C_j) \cdot P(A_1 \cap A_2 \dots \cap A_n C_j)}{P(A_1 \cap A_2 \dots \cap A_n)}$ <p>For Bayesian classification, a new point is classified to <math>C_j</math> if <math>P(C_j) * P(A_1 C_j) * P(A_2 C_j) * \dots * P(A_n C_j)</math> is maximised.</p> <p>Naïve Bayes assumes <math>P(A \cap B) = P(A) * P(B)</math> etc.</p> <p><b>Cosine or normalised dot product</b></p> <p>For documents <math>i</math> and <math>j</math> with terms <math>w</math></p> $Sim(D_i, D_j) = \frac{\sum_{t=1}^N w_{it} * w_{jt}}{\sqrt{\sum_{t=1}^N (w_{it})^2 * \sum_{t=1}^N (w_{jt})^2}}$ <p><b>ROC</b></p> $TPR = \frac{TP}{TP + FN}, \quad FPR = \frac{FP}{FP + TN}$