


Question 1

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A company will be able to obtain a quantity discount on component parts for its four products, X_1 , X_2 , X_3 and X_4 , if it produces beyond certain limits. To get the X_1 discount it must produce more than 50 X_1 's. It must produce more than 60 X_2 's for the X_2 discount, 70 X_3 's for the X_3 discount and 80 X_4 's for the X_4 discount. How many binary variables are required in the formulation of this problem?

- ☐ a. 2
- ☐ b. 8
- ☒ c. 4
- ☐ d. 12

[Clear my choice](#)**Question 2**

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A company is developing its weekly production plan. The company produces two products, A and B, which are processed in two departments. Setting up each batch of A requires \$90 of labour while setting up a batch of B costs \$60. Each unit of A generates a profit of \$30 while a unit of B earns a profit of \$25. The company can sell all the units it produces. The data for the problem are summarized below.

Operation	Hours required by		Hours
	A	B	
Cutting	5	4	92
Welding	4	1	48

The decision variables are defined as:

X_i = the amount of product i produced (where X_1 = Product A, X_2 = Product B)

Y_i = 1 if $X_i > 0$ and 0 if $X_i = 0$


What is the appropriate value for M_2 in the linking constraint for product B?

- ☐ a. 48
- ☐ b. 4
- ☐ c. 1
- ☒ d. 23

[Clear my choice](#)

Question 3

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A company will be able to obtain a quantity discount on component parts for its four products, X_1 , X_2 , X_3 and X_4 , if it produces beyond certain limits. To get the X_1 discount it must produce more than 50 X_1 's. It must produce more than 60 X_2 's for the X_2 discount, 70 X_3 's for the X_3 discount and 80 X_4 's for the X_4 discount. How many decision variables are required in the formulation of this problem?

- ☒ a. 16
- ☐ b. 12
- ☐ c. 4
- ☐ d. 8

[Clear my choice](#)**Question 4**

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A company is developing its weekly production plan. The company produces two products, A and B, which are processed in two departments. Setting up each batch of A requires \$50 of labour while setting up a batch of B costs \$70. Each unit of A generates a profit of \$17 while a unit of B earns a profit of \$21. The company can sell all the units it produces.

The decision variables are defined as:


X_i = the amount of product i produced (where X_1 = Product A, X_2 = Product B)
 Y_i = 1 if $X_i > 0$ and 0 if $X_i = 0$

What is the objective function for this problem?

- ☒ a. MAX: $17 X_1 + 21 X_2 - 50 Y_1 - 70 Y_2$
- ☐ b. MIN: $33 Y_1 + 49 Y_2$
- ☐ c. MIN: $17 X_1 + 21 X_2 - 50 Y_1 - 70 Y_2$
- ☐ d. MAX: $33 X_1 + 49 X_2$

[Clear my choice](#)**Question 5**

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An ILP problem has 6 binary decision variables. How many possible integer solutions are there to this problem?

- ☐ a. 6
- ☒ b. 32
- ☐ c. 12
- ☐ d. 64

[Clear my choice](#)

Question 6

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One approach to solving integer programming problems is to ignore the integrality conditions and solve the problem with continuous decision variables. This is referred to as:

- ☐ a. quickest solution method.
- ☐ b. LP satisficing.
- ☐ c. LP approximation.
- ☒ d. LP relaxation.

[Clear my choice](#)**Question 7**

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For minimization problems, the optimal objective function value to the LP relaxation provides what for the optimal objective function value of the ILP problem?

- ☐ a. A lower bound.
- ☐ b. An alternative optimal solution.
- ☐ c. An additional constraint for the ILP problem.
- ☒ d. An upper bound.

[Clear my choice](#)**Question 8**

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A production company wants to ensure that if Product 2 is produced, production of Product 2 not exceed production of Product 1. Which of the following constraints enforce this condition?

- ☒ a. $X_2 \leq X_1$
- ☐ b. $X_2 \leq M_2 Y_2$, $X_2 \leq Y_2 X_1$
- ☐ c. $X_2 \leq M_2 X_1$
- ☐ d. $X_2 \geq M_2 Y_2$

[Clear my choice](#)