Proving manifolds are hyperbolic

This is a Jupyter notebook, which works similar to a Maple or Mathematica notebook.

```
In [1]: import snappy
You can mix code and text, even with math(s): \int_0^\infty x^{-2} dx
  In [2]: len(snappy.HTLinkExteriors)
 Out[2]: 180510
  In [3]: M = snappy.HTLinkExteriors.random()
 In [4]: M
 Out[4]: L14n11157(0,0)(0,0)
  In [5]: M.volume()
 Out[5]: 18.0675611176150
  In [6]: M.solution_type()
 Out[6]: 'all tetrahedra positively oriented'
  In [7]: M.verify_hyperbolicity()
 Out[7]: (True,
          [-0.0621537131329? + 1.0178073903282?*I,
           0.059774970118? + 0.9788539296551?*I,
           0.638466496795? + 1.441708925408?*I,
           0.2577526846089? + 0.6777228769149?*I,
           0.4689231434336? + 0.5089036951641?*I
           0.662460312241? + 1.314626609150?*I
           0.5818380652715? + 1.0991958451076?*I,
           0.2732769626431? + 0.3330550329362?*I
           0.1249879363912? + 0.6734001962976?*I,
           0.5177383714016? + 0.2092928551311?*I,
           0.3815308239748? + 1.1424738781077?*I
           0.958838864608? + 1.108858231676?*I
           0.6613225634146? + 1.3500175082759?*I
           0.3806174629844? + 0.7043673148659?*I
           0.4366921328557? + 0.4496161851162?*I,
           0.1660936567574? + 0.828126772153?*I
           0.1748238444990? + 0.6968732647716?*I
           0.7228861202326? + 0.4363507298890?*I,
           0.0848890117025? + 0.6343178679268?*I,
           1.037125892189? + 1.633085431964?*I])
  In [8]: M.volume(bits_prec=1000, verified=True)
 Out[8]: 18.067561117614996141140898113333904364621775535584371953802539351396031201179315982332571025
         2436415483973951424?
```