Experiment 4:

Implement Gradient Descent Algorithm to find the local minima of a function. For example, find the local minima of the function $y=(x+3)^2$ starting from the point x=2.

```
In [ ]: import numpy as np
        import matplotlib.pyplot as plt
In [ ]: | def f(x):
          return (x+3)**2
        def df(x):
          return 2*x + 6
In [ ]: def gradient_descent(initial_x, learning_rate, num_iterations):
          x = initial x
          x_{history} = [x]
          for i in range(num_iterations):
            gradient = df(x)
            x = x - learning_rate * gradient
            x_history.append(x)
          return x, x_history
In [ ]: | num_iterations = 50
        # Pass num_iterations to the gradient_descent() function
        x, x_history = gradient_descent(initial_x=2, learning_rate=0.1, num_iterati
        print("Local minimum: {:.2f}".format(x))
        # Create a range of x values to plot
        x_{vals} = np.linspace(-1, 5, 100)
In []: \# Plot the function f(x)
        plt.plot(x_vals, f(x_vals))
        # Plot the values of x at each iteration
        plt.plot(x history, f(np.array(x history)), 'rx')
```

```
In [6]: # Label the axes and add a title
    plt.xlabel('x')
    plt.ylabel('f(x)')
    plt.title('Gradient Descent')

# Show the plot
    plt.show()
```

Local minimum: -3.00



