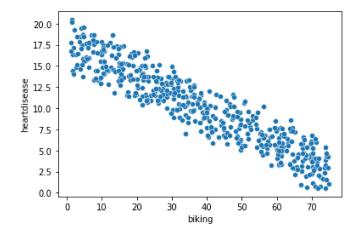
```
In [1]: #Import neccesary Libraries
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
```

## Out[2]:

	SN	biking	smoking	heartdisease
0	1	30.801246	10.896608	11.769423
1	2	65.129215	2.219563	2.854081
2	3	1.959665	17,588331	17.177803
3	4	44.800196	2.802559	6.816647
4	5	69.428454	15.974505	4.062224

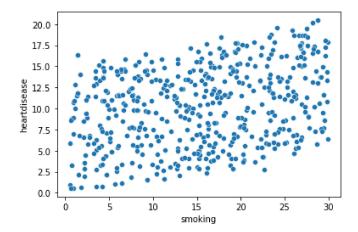
Out[3]: <AxesSubplot:xlabel='biking', ylabel='heartdisease'>



In [4]: #This scatter plot reveals that there is a highly negative #correlation between individuals who bike and the risk of #heart disease. This will reflect on the model by providing #accurate measures of correlation with the subject matter.

```
In [5]:  #scatterplot heart disease vs. smoking.
y = df['heartdisease']
X = df['smoking']
sns.scatterplot(x=X,y=y)
```

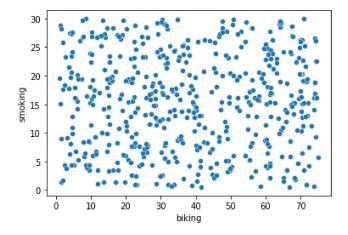
Out[5]: <AxesSubplot:xlabel='smoking', ylabel='heartdisease'>



In [6]: #This scatter plot reveals that there is a weak positive #correlation between individuals who smoke and the risk #of heart disease. This will reflect on the model by prompting #to conduct more analysis between smoking and heart disease #to further collect more information on the complexity within #the correlation

```
In [7]:  #scatterplot smoking vs biking
y = df['smoking']
X = df['biking']
sns.scatterplot(x=X,y=y)
```

Out[7]: <AxesSubplot:xlabel='biking', ylabel='smoking'>



In [8]: #This scatter plot reveals that there is no correlation between #individuals who smoke and the individuals who bike. This will reflect #on the model by reporting that further analysis drawn between biking #and smoking will not be necessary for the remainder of the model.

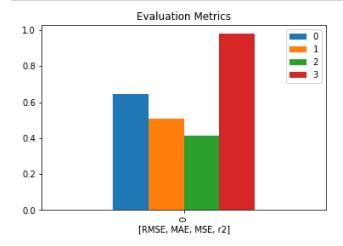
```
In [9]:  

#drop unnecessary columns
            X = df.drop(['heartdisease','SN'],axis=1)
            y = df['heartdisease']
In [10]: ▶ #split data into training and test sets
            from sklearn.model selection import train test split
            X_train, X_test, y_train, y_test = train_test_split(X, y, test_size = 0.3, random_state=15)
In [11]: ▶ #the purpose of splitting is to avoid the issue of over and under fitting
            #so we can train the model by using the training set and apply it to
            #properly evaluate the performance of the model
In [12]: ▶ #Training a linear regression model
            from sklearn.linear_model import LinearRegression
            model = LinearRegression()
            model.fit(X_train,y_train)
   Out[12]: LinearRegression()
In [13]: ▶ #display coefficients of the regression model
            modelCoef = model.coef
            coeff_df = pd.DataFrame(modelCoef,X.columns,columns=['Coefficient'])
            coeff df
   Out[13]:
                     Coefficient
                      -0.200524
               biking
             smoking
                      0.176604
In [14]: ▶ #Calculating the coefficient is a way to define to relationship between
            #predictor variables and the response variables
In [15]: ▶ #The metrics that are going to be computed are the mean absolue error,
            #mean squarred error, R^2 and the root mean square error
test_predictions = model.predict(X_test)
In [17]: ▶ #import metrics and calculate MAE, MSE, and RMSE
            from sklearn.metrics import mean_absolute_error,mean_squared_error
            MAE = mean absolute error(y test, test predictions)
            MSE = mean_squared_error(y_test,test_predictions)
            RMSE = np.sqrt(MSE)
In [18]: ► MAE
   Out[18]: 0.5059659645518587
In [19]: ► MSE
   Out[19]: 0.41549278914354126
```

## Out[20]: 0.6445873014135023

```
In [21]:  #calculate and display r-squared value
    from sklearn.metrics import r2_score
    r2=r2_score(y_test, test_predictions)
    r2
```

## Out[21]: 0.9792389107198726



In [23]: If the root square mean error is .644 which means the model can predict the data accurately because the measure falls between 0.2 and 0.6.

#The r2 is .979 which means this model is reading a high correlation between the independent data and the dependent data..

#The mean absolute error is .505 which means the data is medially the the model is.

#The mean squared error is .415 meaning the model is reliable because the the model is.

#The mean squared error is .415 meaning the model has.

Out[24]: array([16.51119814, 13.86249862, 9.57817036, 5.20558621, 10.81138186])