CS-301 Computer Architecture Assignment 6

Name:	

1. Write a simplified expression for the Boolean function defined by the following Kmap.

YZ	00	01	11	10
00	1	1	1	1
)1		5)	4	1
11	4	1	1	1
10	1	8.		1

$$F(W,X,Y,Z) =$$

2. Create the K-map and then simplify the following Boolean function:

$$F(W,X,Y,Z) = \overline{W}\overline{X}\overline{Y}\overline{Z} + \overline{W}\overline{X}Y\overline{Z} + \overline{W}X\overline{Y}Z + \overline{W}XYZ + \overline{W}XY\overline{Z} + W\overline{X}\overline{Y}\overline{Z} + W\overline{X}Y\overline{Z}$$

VX 00	00	01	11	10
00				
01				
11				
10			8	\$

$$F(W,X,Y,Z) =$$

- 3. Tyrone Shoelace has invested a huge amount of money into the stock market and does not trust just anyone to give him buying and selling information. Before he will buy a certain stock, he must get input from three sources. His first source is Pain Webster, a famous stock broker. His second source is Meg A. Cash, a self-made millionaire in the stock market, and his third source is Madame LaZora, a world-famous psychic. After several months of receiving advice from all three, he has come to the following conclusions:
 - a) Buy if Pain and Meg both say yes and psychic say no.
 - b) Buy if the psychic says yes.
 - c) Don't buy otherwise.

Construct a truth table and find the minimized Boolean function to implement the logic telling Tyrone when to buy.

X	Y	Z	F
0	0	0	
0	0	1	
0	1	0	
0	1	1	
1	0	0	
1	0	1	
1	1	0	
1	1	1	

$$F(W,X,Y,Z) =$$

4. The truth table for a Boolean function is shown below. Write the Boolean function in sum-of-products form.

X	Υ	Ζ	F
0	0	0	1
0	0	1	0
0	1	0	0
0	1	1	1
1	0	0	0
1	0	1	0
1	1	0	1
1	1	1	0

$$F(X,Y,Z) =$$

- 5. Given the Boolean function $F(X,Y,Z) = \bar{X}Y + XY\bar{Z}$.
 - a) Derive an algebraic expression for the complement of F. Express \overline{F} in sum-of-products form.

$$\overline{F}(X,Y,Z) =$$

b) Show that $F\overline{F}=0$ and $F+\overline{F}=1$. Use either truth tables (one is provided below) or identities (in this case, use the space below to show your work).

Χ	Υ	Z	F	\overline{F}	$F\overline{F}$	$F + \overline{F}$
0	0	0				
0	0	1				
0	1	0				
0	1	1				
1	0	0				
1	0	1				
1	1	0				
1	1	1				