## 1. Graph

### 1. Dijkstra

```
typedef pair<long long, int> p; //가중치, 도착점
const long long INF = 10000000000000;
int V. E. K;
long long v[20001];
vector e[20001];
void init() {
 for (int i = 1; i \le V; i++) {
    v[i] = INF;
void dijkstra(int start) {
 init();
 priority_queue<p, vector<p>, greater > pq;
 v[start] = 0;
 pq.push({ 0, start });
  while (!pq.empty()) {
   long long cost = pq.top().first;
   int des = pq.top().second;
    pq.pop();
   if (v[des] < cost) continue;
    for (int i = 0; i < e[des].size(); i++) {
      int there = e[des][i].second;
      long long next = cost + e[des][i].first;
      if (v[there] > next) {
        v[there] = next;
        pq.push({ next,there });
int main() {
 cin >> V >> E >> K;
 for (int i = 1; i \le E; i++) {
   long long in1, in2, in3;
```

cin >> in1 >> in2 >> in3;

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```
e[in1].push_back({ in3, in2 });
  dijkstra(K);
 for (int i = 1; i \le V; i++) {
   if (v[i] == INF) cout << "INF\n";
   else cout << v[i] << "\n";
2. Floyd-Warshall
const int INF = 1000000000;
int N, M, dist[101][101];
int main() { //Floyd-Warshall로 100개의 도시의 이동 최소 비용 알아내기
 cin >> N >> M;
 for (int i = 1; i \le N; i++) {
   for (int j = 1; j <= N; j++) {
      dist[i][j] = i == j ? 0 : INF;
 for (int i = 1; i \le M; i++) {
   int in1, in2, in3;
   cin >> in1 >> in2 >> in3;
   dist[in1][in2] = min(dist[in1][in2], in3);
 for (int k = 1; k \le N; k++) {
   for (int i = 1; i \le N; i++) {
      for (int j = 1; j <= N; j++) {
        dist[i][j] = min(dist[i][j], dist[i][k] + dist[k][j]);
 for (int i = 1; i \le N; i++) {
   for (int j = 1; j <= N; j++) {
      cout << dist[i][j] << " ";
   cout << "\n";
```

```
3. Minimum Spanning Tree
```

vector<int> edge[32001];

```
typedef tuple<int, int, int> t; //가중치, 시작점, 도착점
int uf[10001];
int N, M, in1, in2, in3;
priority_queue<t, vector<t>, greater<t> > pg;
int find(int a) {
 if (uf[a] == a) return a:
 return uf[a] = find(uf[a]);
void merge(int a, int b) {
 a = find(a);
 b = find(b);
 if (a != b) uf[b] = a;
int main() {
 cin \gg N \gg M:
 for (int i = 0; i < M; i++) {
    cin >> in1 >> in2 >> in3;
    pq.push({ in3,in1,in2 }); //Distance, Start, End
 for (int i = 1; i <= N; i++) uf[i] = i; //Union-Find Initialization
 long long cnt = 0, ans = 0;
  while (!pq.empty()) {
   if (cnt == N - 1) break; //N - 1 connections are enough for a spanning tree
   int st = get<1>(pq.top());
   int se = get<2>(pq.top());
    int cost = get<0>(pq.top());
    pq.pop();
   if (find(st) == find(se)) continue;
   merge(st, se);
    cnt++; ans += cost;
  cout << ans;
4. Topological Sort
int main() {
 int N, M;
 int indegree[32001] = { 0 };
```

```
queue<int> q;
vector<int> res;
cin >> N >> M:
for (int i = 1; i \le M; i++) {
  int in1. in2;
  cin >> in1 >> in2;
  indegree[in2]++;
  edge[in1].push_back(in2);
for (int i = 1; i \le N; i++) {
  if (indegree[i] == 0)q.push(i);
for (int i = 1; i \le N; i++) {
  if (q.empty()) {
    cout << "Cannot Sort\n";
    return 0;
  int cur = q.front();
  q.pop();
  res.push_back(cur);
  for (int next : edge[cur]) {
    if (--indegree[next] == 0)q.push(next);
for (int i = 0; i < res.size(); i++) {
  cout << res[i] << ' ';
```

### 5. Strongly Connected Component

```
const int MAX = 10001:
int V, E;
vector<int> edge[MAX];
int sccCnt: //How many SCCs?
vector<vector<int>> SCC: //Stores Vertices of each SCCs
int dfscnt, dfsn[MAX], sccInd[MAX];
bool finished[MAX];
stack<int> s;
```

```
dfsn[cur] = ++dfscnt;
 s.push(cur);
 int res = dfsn[cur];
 for (int next : edge[cur]) {
   if (dfsn[next] == 0)res = min(res, makeSCC(next));
   else if (finished[next] == 0) res = min(res, dfsn[next]);
 if (res == dfsn[cur]) {
    vector<int> curSCC:
    while (1) {
      int t = s.top();
      s.pop();
      curSCC.push_back(t);
      finished[t] = true;
      sccInd[t] = sccCnt;
      if (t == cur) break;
    //sort(curSCC.begin(), curSCC.end());
    SCC.push_back(curSCC);
    sccCnt++;
 return res;
int main() {
 cin >> V >> E;
 for (int i = 0; i < E; i++) {
   int in1, in2;
   cin >> in1 >> in2;
   edge[in1].push_back(in2);
 for (int i = 1; i \le V; i++)if (dfsn[i] == 0) makeSCC(i);
 //sort(SCC.begin(), SCC.end());
 //cout << sccCnt << '\n';
 for (auto& curSCC : SCC) {
   for (int cur : curSCC) {
      cout << cur << ' ';
    cout << "\n";
```

#### 6. Maximum Flow

```
const int MAX = 800;
const long long INF = 2100000000;
int c[MAX][MAX], f[MAX][MAX], visited[MAX];
vector<int> edge[MAX];
/*
S에서 T로 가는 증가 경로 구하기(에드몬드 카프)
S : 시작점, T : 도착점
c[a][b] : a에서 b로 흐를 수 있는 최대 양 (Capacity)
f[a][b]: a에서 b로 흐른 실제 양 (Flow)
조건
용량 제한 : f[a][b] <= c[a][b]
유량의 대칭성 : f[a][b] == -f[a][b]
나오는 유량의 합 == 들어오는 유량의 합
*/
int maxFlow(int S, int T);
int bfs(int S, int T);
int maxFlow(int S, int T) {
 int result = 0;
 while (1) {
   int flow = bfs(S, T);
   if (!flow)break;
   result += flow:
 return result;
int bfs(int S, int T) {
 memset(visited, -1, sizeof(visited));
 queue<int> q;
 q.push(S);
  while (!q.empty()) {
   int cur = q.front();
   q.pop();
   for (int next : edge[cur]) { //방문했는지, 용량이 남아 있는지 체크
     if (c[cur][next] - f[cur][next] <= 0)continue;
     if (visited[next] != -1)continue;
     q.push(next);
     visited[next] = cur; //cur->next 경로 기억
     if (next == T)break; //도착했을 경우 종료
```

```
if (visited[T] == -1)return 0;
 int flow = INF:
 for (int i = T; i != S; i = visited[i]) { //최소 유량 탐색
   flow = min(flow, c[visited[i]][i] - f[visited[i]][i]);
 for (int i = T; i != S; i = visited[i]) { //최소 유량 추가
   f[visited[i]][i] += flow;
   f[i][visited[i]] -= flow;
 return flow;
int main() {
 int N; cin >> N;
 for (int i = 0; i < N; i++) {
   int in1, in2, in3;
   cin >> in1 >> in2 >> in3;
   c[in1][in2] += in3;
   c[in2][in1] += in3;
   edge[in1].push_back(in2);
   edge[in2].push_back(in1);
 int S, T; cin >> S >> T;
 cout << maxFlow(S, T);</pre>
7. Bipartite Matching
const int MAX = 1001;
int N, M, A[MAX], B[MAX]; //A[i], B[i] : 각 정점이 매칭된 반대편 정점 인덱스
vector<int> edge[MAX];
bool visited[MAX];
//A그룹의 정점 a를 매칭시키는 데 성공하면 1 반환
//반대편이 매칭되지 않았으면 매칭시키고,
//이미 매칭되어 있다면 원래 매칭된 정점을 다른 정점과 매칭시킨다.
bool dfs(int a) {
 visited[a] = 1;
 for (int b : edge[a]) {
   if (B[b] == -1 || !visited[B[b]] && dfs(B[b])) {
     A[a] = b;
```

```
B[b] = a;
     return 1;
 return 0;
int main() {
 cin >> N >> M;
 for (int i = 1; i \le N; i++) {
   int cnt;
   cin >> cnt;
   while (cnt--) {
     int in;
     cin >> in;
     edge[i].push_back(in);
 int match = 0;
 fill(A + 1, A + MAX - 1, -1);
 fill(B + 1, B + MAX - 1, -1);
 for (int i = 1; i \le N; i++) {
   if (A[i] == -1) {
     fill(visited + 1, visited + MAX - 1, 0);
     if (dfs(i))match++;
 cout << match;
8. Lowest Common Ancestor
const int MAX = 100000;
const int MAXDEP = 18;//more than log(2, 100000)
int N, M, dep[MAX];
int par[MAX][MAXDEP];//par[i][k] : i의 2^k번째 부모
vector<int> edge[MAX];
void makeTree(int cur) {
 for (int next : edge[cur]) {
   if (dep[next] == -1) {
     par[next][0] = cur;
     dep[next] = dep[cur] + 1;
```

```
makeTree(next);
int main() {
  cin >> N;
 for (int i = 0; i < N - 1; i++) {
    int in1. in2:
    cin >> in1 >> in2;
    in1--; in2--;
    edge[in1].push_back(in2);
    edge[in2].push_back(in1);
  memset(par, -1, sizeof(par));
  fill(dep, dep + N, -1);
  dep[0] = 0;
  makeTree(0);
 for (int j = 0; j < MAXDEP - 1; j++) {
    for (int i = 1; i < N; i++) {
      if (par[i][j] != -1) {
        par[i][j + 1] = par[par[i][j]][j];
  cin >> M;
 for (int i = 0; i < M; i++) {
    int in1, in2;
    cin >> in1 >> in2;
    in1--; in2--;
    if (dep[in1] < dep[in2])swap(in1, in2);
    int dif = dep[in1] - dep[in2];
    for (int j = 0; dif; j++) {
      if (dif \% 2)in1 = par[in1][j];
      dif /= 2;
    if (in1 != in2) {
      for (int j = MAXDEP - 1; j >= 0; j--) {
        if (par[in1][j] != -1 && par[in1][j] != par[in2][j]) {
          in1 = par[in1][j];
          in2 = par[in2][j];
```

```
}
in1 = par[in1][0];
}
cout << in1 + 1 << '\n';
}</pre>
```

### 2. Data Structure

### 1. Segment Tree

```
const long long MAX_SIZE = 1000001;
long long tree[MAX_SIZE * 4]; //tree[N]의 자식은 tree[2*N], tree[2*N+1]
long long N, M, depth, st;
void update(long long ind, long long val) {
 tree[st + ind] = val;
 ind = (ind + 1) / 2;
 for (int i = depth - 1; i >= 1; i--) {
   int cur = pow(2, i - 1) - 1 + ind;
   tree[cur] = tree[cur * 2] + tree[cur * 2 + 1];
   ind = (ind + 1) / 2;
long long query(long long start, long long end) {
 long long ret = 0;
 start += st; end += st;
 while (start <= end) {
   if (start % 2 == 1) ret += tree[start];
   if (end % 2 == 0) ret += tree[end];
   start = (start + 1) / 2;
   end = (end - 1) / 2;
 return ret;
int main() {
 cin >> N;
 //전처리
 depth = 1;
 while (1) {
```

```
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```

```
if (N <= (long long)pow(2, depth - 1))break;
  depth++;
st = (long long)pow(2, depth - 1) - 1;
for (int i = 1; i \le N; i++) {
  cin >> tree[i + st];
for (int i = depth - 1; i >= 1; i--) {
  for (int j = 0; j < pow(2, i - 1); j++) {
    long long ind = pow(2, i - 1) + j;
    tree[ind] = tree[ind * 2] + tree[ind * 2 + 1];
cin >> M;
for (int t = 0; t < M; t++) {
  int in1, in2, in3;
  cin >> in1 >> in2 >> in3;
  if (in1 == 1) {//set in2-nd index to in3
    update(in2, in3);
  else if (in1 == 2) {//perform query for in2 \sim in3}
    cout << query(in2, in3) << '\n';</pre>
```

## String

### 1. KMP

```
string src, tar;
vector<int> fail, KMP;
void getFail(string t) {
  fail.resize(t.length()):
  int j = 0;
  for (int i = 1: i < t.length(): ++i) {
    while (j > 0 && t[i] != t[j]) j = fail[j - 1]:
    if (t[i] == t[j]) fail[i] = ++j;
  }
}
```

```
void getKMP(string s, string t) {
  int sLen = s.length(), tLen = t.length(), j = 0;
  for (int i = 0; i < sLen; ++i) {
    while (j > 0 \&\& s[i] != t[j]) j = fail[j - 1];
    if (s[i] == t[j]) {
      if (j == tLen - 1) {
        KMP.push_back(i - tLen + 1 + 1);
       j = fail[j];
      else j++;
int main() {
  getline(cin, src); getline(cin, tar);
  getFail(tar);
  getKMP(src, tar);
  cout << KMP.size() << "\n";</pre>
 for (int i : KMP) {
    cout << i << " ";
2. Hashing
3. Trie
struct Trie;
typedef pair<char, Trie*> pct;
struct Trie {
  vector<pct> child;
  bool isRet;
  Trie() {
    isRet = false;
 }
  ~Trie() {
    for (pct c : child) delete c.second;
  void insert(const char* key) {
```

int k = \*key;

```
if (k == '\0') {
      isRet = true;
      return;
    for (pct c : child) {
      if (c.first == k) {
        c.second->insert(key + 1);
        return;
    child.push_back(pct(*key, new Trie));
    child.back().second->insert(kev + 1);
  bool demoFunc(const char* key) {
    int k = *kev;
   if (isRet && k == '\0') return true;
    for (pct c : child) {
      if (c.first == k) return c.second->demoFunc(key + 1);
    return false;
};
int main() {
 Trie* root = new Trie;
 int n; cin >> n;
 for (int i = 0; i < n; ++i) {
    string input; cin >> input;
   root->insert(input.c_str());
 int m; cin >> m;
 for (int i = 0; i < m; ++i) {
    string input; cin >> input;
   cout << (root->demoFunc(input.c_str()) ? "YES" : "NO") << "\n";
  delete root;
```

#### 4. Aho-Corasick

### 5. Suffix Array and Longest Common Prefix Array

```
const char baseChar = '`'; // @ for uppercase ` for lowercase
const int baseSize = 27; // 27 : 59
vector<int> suffixArray, LCPArray;
void getLCP(vector<int>& sa, vector<int>& lcpa, string& s) {
 int i. i. k. l = 0. m = baseSize. sLen = s.length();
 sa.resize(sLen, 0); lcpa.resize(sLen, 0);
 vector<int> cnt(max(sLen, m), 0), x(sLen, 0), y(sLen, 0);
 for (i = 0; i < sLen; ++i) cnt[x[i] = s[i] - baseChar]++;
 for (i = 0; i < m; ++i) cnt[i] += (i == 0 ? 0 : cnt[i - 1]);
 for (i = sLen - 1; i >= 0; --i) sa[--cnt[x[i]]] = i;
 for (int len = 1, p = 1; p < sLen; len <<= 1, m = p + 1) {
   for (i = sLen - len - 1, p = 0; ++i < sLen;) v[p++] = i;
   for (i = 0; i < sLen; ++i) if (sa[i] >= len) y[p++] = sa[i] - len;
   for (i = 0; i < m; ++i) cnt[i] = 0;
   for (i = 0; i < sLen; ++i) cnt[x[y[i]]]++;
   for (i = 0; i < m; ++i) cnt[i] += (i == 0 ? 0 : cnt[i - 1]);
   for (i = sLen - 1; i >= 0; --i) sa[-cnt[x[y[i]]]] = y[i];
   swap(x, y); p = 1; x[sa[0]] = 1;
   for (i = 0; i < sLen - 1; ++i) x[sa[i + 1]] = sa[i] + len < sLen&& sa[i + 1] + len < sLen&&
y[sa[i]] == y[sa[i + 1]] && y[sa[i] + len] == y[sa[i + 1] + len] ? p : ++p;
 vector<int> rank(sLen. 0);
 for (i = 0; i < sLen; i++) rank[sa[i]] = i;
 for (i = 0; i < sLen; ++i) if (k = rank[i]) {
   j = sa[k - 1];
   while (i + 1 < sLen && i + 1 < sLen && s[i + 1] == s[i + 1]) ++;
   lcpa[k] = 1;
   1 = 1 ? 1 - 1 : 0;
int main() {
 string s; cin >> s;
 getLCP(suffixArray, LCPArray, s);
 cout << "SA: "; for (int i = 0; i < s.length(); ++i) cout << setw(2) << suffixArray[i] << " "; cout
<< "\n";
 cout << "LA: "; for (int i = 0; i < s.length(); ++i) cout << setw(2) << LCPArray[i] << " "; cout
<< "\n";
```

### 6. Manacher

```
vector<int> manacher(string& src) {
 int srcLen = src.size(); src.resize(srcLen * 2 + 1, '#');
 for (int i = srcLen - 1; i >= 0; --i) src[i * 2 + 1] = src[i], src[i] = '#';
 int c = 0, r = 0, len = src.size();
  vector<int> ret(len. 0);
  for (int i = 0; i < len; ++i) {
    int sym = 2 * c - i;
    if (i < r) ret[i] = min(r - i, ret[sym]);
    while (i - ret[i] > 0 && i + ret[i] - 1 < len && src[i - ret[i] - 1] == src[i + ret[i] + 1])
ret[i]++;
    if (ret[i] + i > r) r = ret[i] + i, c = i;
  return ret;
int main() {
  string src; cin >> src;
  vector<int> pal = manacher(src);
 for (int i : pal) cout << i << " ";
7. Z
vector<int> Z;
void getZ(string& src) {
 int l = 0, r = 0, len = src.length();
 Z.resize(len);
 for (int i = 1; i < len; i++) {
    Z[i] = max(0, min(Z[i - l], r - i));
    while (src[i + Z[i]] \&\& src[Z[i]] == src[i + Z[i]]) Z[i]++;
    if (i + Z[i] > r) l = i, r = i + Z[i];
  Z[0] = len; // Z[0] = 0;
int main() {
  string src; cin >> src;
  getZ(src);
 for (auto i : Z) cout << i << " ";
```

### 4. Math

### 1. Greatest Common Divisor, Least Common Multiple

```
long long gcd(long long a, long long b) { for (; b: a %= b, swap(a, b)): return a: } long long lcm(long long a, long long b) { return a * b / gcd(a, b): }
```

### 2. Sieve of Eratosthenes

```
const long long MAX = 100001:
bool isprime[MAX];
void sieve(){
  memset(isprime, 1, sizeof(isprime));
  isprime[1] = 0;
  for (int i = 2; i*i <= MAX; i++) {
    if (isprime[i]) {
      for (int j = i*i; j <= MAX; j += i) {
        isprime[j] = 0;
      }
    }
  }
}</pre>
```

### 3. Binomial Coefficient

```
const long long MOD = 1000000007;
const long long MAX_NUM = 4000001;
long long f[MAX_NUM];
long long mypow(long long base, long long exp, long long MOD) {
 long long ans = 1;
 while (\exp > 0) {
   if (exp % 2 != 0) {
     ans *= base;
     ans %= MOD;
   base *= base;
   base %= MOD;
   \exp /= 2;
 return ans;
void nCrInit() {
 f[0] = 1; f[1] = 1;
 for (int i = 2; i \le MAX_NUM - 1; i++) {
   f[i] = f[i - 1] * i;
```

```
f[i] %= MOD;
long long nCr(int n, int r) {
 return (f[n] * mypow((f[r] * f[n - r]) % MOD, MOD - 2, MOD)) % MOD;
int main() {
 long long n, r;
 nCrInit();
 cin >> n >> r;
 cout \ll nCr(n, r) \ll "\n";
4. Matrix Exponential
long long a[3][3], a2[3][3], ans[3][3], temp[3][3], N;
void mult(long long a[3][3], long long b[3][3]) {
 for (int i = 0; i < 3; i++) {
   for (int j = 0; j < 3; j++) {
     for (int k = 0; k < 3; k++) {
       temp[i][j] += a[i][k] * b[k][j];
       temp[i][j] %= 1000000007;
 for (int i = 0; i < 3; i++) {
   for (int j = 0; j < 3; j++) {
     a[i][j] = temp[i][j];
     temp[i][j] = 0;
int main() {
 ios::sync_with_stdio(0); cin.tie(0); cout.tie(0);
 cin >> N; N--;
 /*
  행렬 설명
 a : 가운데 거듭제곱되는 행렬
   초기화는 점화식으로 유도된 행렬로 한다.
 a2 : 거듭제곱된 결과가 저장되는 행렬
   초기화는 영행렬로 한다.
```

```
temp: mult함수에서 사용되는 임시 행렬
 ans : 답이 저장되어 있는 행렬.
   초기화를 할 때는 ans[0][i]의 꼴로 베이스 값을 저장해놓는다.
 mult(ans, a2)를 하면 ans[0][i]에 원하는 값이 들어간다.
  */
 for (int i = 0; i < 3; i++) {
   for (int j = 0; j < 3; j++) {
     a[i][j] = 1;
     if (i == j)a2[i][i] = 1;
 a[0][0] = a[1][1] = 0;
 ans[0][0] = ans[0][1] = ans[0][2] = 1;
 while (N > 0) {
   if (N % 2 == 1) {
     mult(a2, a);
   mult(a, a);
   N /= 2;
 mult(ans, a2);
 cout << (ans[0][0] + ans[0][1] + ans[0][2]) % 1000000007;
5. Fast Fourier Transfer
typedef complex<long double> cpx;
typedef vector<cpx> vec;
const long double pi = acos(-1);
void FFT(vec &f, cpx w) {
 int n = f.size();
 if (n == 1) return;
 vec even(n \gg 1), odd(n \gg 1);
 for (int i = 0; i < n; i++) {
   if (i & 1) odd[i >> 1] = f[i];
   else even[i >> 1] = f[i];
 FFT(even, w*w); FFT(odd, w*w);
 cpx wp(1, 0);
 for (int i = 0; i < n / 2; i++) {
   f[i] = even[i] + wp * odd[i];
```

```
f[i + n / 2] = even[i] - wp * odd[i];
    wp = wp * w;
input: vector a, b
output: vector containing convolusion of a and b
size of res: a.size() + b.size() - 1
*/
vec mul(vec a, vec b) {
 long long n = 1;
 while (n \le a.size() | | n \le b.size()) n \le 1;
 n <<= 1:
  a.resize(n); b.resize(n); vec c(n);
 cpx w(cos(2 * pi / n), sin(2 * pi / n));
 FFT(a, w); FFT(b, w);
 for (int i = 0; i < n; i++) c[i] = a[i] * b[i];
 FFT(c, cpx(w.real(), -w.imag()));
 for (int i = 0; i < n; i++) {
   c[i] /= cpx(n, 0);
   //만약 정수 결과를 원한다면
   //c[i] = cpx(round(c[i].real()), round(c[i].imag()));
 return c;
```

### 5. Geometry

### 1. Convex Hull

```
const int MAX = 100000;
struct point {
  int x, y://실제 위치
  int p, q://기준점으로부터 상대 위치
  point(): point(0, 0, 1, 0) {}
  point(int x1, int y1):point(x1, y1, 1, 0) {}
  point(int x1, int y1, int p1, int q1):x(x1), y(y1), p(p1), q(q1) {}
  bool operator<(const point& O) {
   if (1LL * q*O.p != 1LL * p*O.g)return 1LL * q*O.p < 1LL * p*O.g;
```

```
if (y != O.y)return y < O.y;
    return x < 0.x;
};
long long ccw(const point& A, const point& B, const point& C) {
  return 1LL * (B.x - A.x)*(C.y - A.y) - 1LL * (B.y - A.y)*(C.x - A.x);
} //if ccw > 0, its Counter-Clockwise, if < 0, its Clockwise, if = 0, it's a line.
point p[MAX];
int main() {
 int N;
  cin >> N;
 for (int i = 0; i < N; i++) {
    int in1. in2;
    cin >> in1 >> in2;
    p[i] = point(in1, in2);
  sort(p, p + N);
  for (int i = 1; i < N; i++) {
    p[i].p = p[i].x - p[0].x;
    p[i].q = p[i].y - p[0].y;
  sort(p + 1, p + N);//반시계 방향 정렬
  stack<int> cvh;
  cvh.push(0); cvh.push(1);
  int next = 2;
  while (next < N) {
    while (cvh.size() >= 2) {
      int fst, scd;
      fst = cvh.top();
      cvh.pop();
      scd = cvh.top();
      if (ccw(p[scd], p[fst], p[next]) > 0) {
        cvh.push(fst);
        break;
    cvh.push(next++);
  cout << cvh.size();
```

### 6. Others

### 1. Big Integer in Java

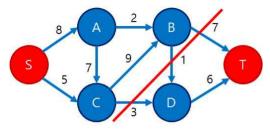
```
import iava.math.*;
public class Main {
 public static void main(String[] args) {
   BigInteger a, b, c;
   a = new BigInteger("65535");
   b = new BigInteger("FFFF", 16); // 매개변수로 문자열, 2, 8, 16진수 입력
   c = BigInteger.valueOf(65535); // BigInteger의 valueOf 메서드를 사용
   a.add(b); // return (a + b)
   a.subtract(b); // return (a - b)
   a.multiply(b); // return (a * b)
   a.divide(b); // return (a / b), 몫만 반환
   a.remainder(b); // return (a % b)
   a.abs(); // return abs(a)
   a.pow(123); // return a^123, exponential should be an integer
   a.compareTo(b);
   // a > b 일때 1
   // a == b 일때 0
   // a < b 일때 -1
   a.equals(b); // return (a == b)
   a.min(b); // return min(a, b)
   a.max(b); // return max(a, b)
   a.gcd(b); // return gcd(a, b)
   a.toString();
   // a를 String 타입으로 변환
   // 보통 그냥 a를 출력하려 하면 해당 메서드로 변환하여 출력
   // 매개변수로 int값을 넣으면, 해당 진법으로 변환하여 출력
   BigInteger one = BigInteger.ONE;
   // BigInteger에서 상수 1. 상수는 0, 1, 2, 10 4개 있음.
2. Big Decimal in Java
import java.math.*;
public class Main {
 public static void main(String[] args) {
   BigDecimal a = new BigDecimal("0.12345"),
```

```
b = new BigDecimal("1.2345e-1").
   c = new BigDecimal(0.12345),
   d = new BigDecimal(12345),
   e = BigDecimal.valueOf(0.12345).
   f = BigDecimal.valueOf(12345);
// 문자열, double, long값 혹은 valueOf 메서드로도 생성이 가능
a.add(b); // return (a + b)
a.subtract(b); // return (a - b)
a.multiply(b); // return (a * b)
a.divide(b); // return (a / b)
a.remainder(b); // return (a % b)
a.divide(b, BigDecimal.ROUND_CEILING); // ceil
a.divide(b. BigDecimal.ROUND FLOOR); // floor
a.divide(b, BigDecimal.ROUND_UP); // positive : ceil, negative : floor
a.divide(b, BigDecimal.ROUND_DOWN); // positive : floor, negative : ceil
a.divide(b, BigDecimal.ROUND_HALF_UP); // round
// divide 연산 후 무한소수일때 올림 지정 안하면 예외발생
a.setScale(6); // set precision
a.setScale(3, BigDecimal.ROUND_HALF_UP); // set precision and half-up round
a.abs(); // return abs(a)
a.pow(123); // return a^123, exponential should be an integer
a.compareTo(b);
// a > b 일때 1
// a == b 일때 0
// a < b 일때 -1
a.equals(b); // return (a == b)
a.min(b); // return min(a, b)
a.max(b); // return max(a, b)
a.toString();
// a를 문자열로 변환, 보통 그냥 a를 출력 시 이 과정을 거쳐 출력됨
// 필요에 따라(길이가 길어질 경우) 1.0e-n 형식으로 변환되어 출력
a.toPlainString();
// 1.0e-n 형식이 아닌 원래 형태 그대로 문자열로 변환.
a.toBigInteger();
// BigInteger 형식으로 변환
BigDecimal one = BigDecimal.ONE;
// 0, 1, 10 등 자주쓰는 상수값
```

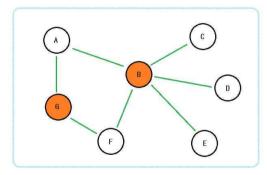
### 3. Bit Operations

k & (1 << N) // return N-th bit of k k | (1 << N) // make N-th bit of k to 1 k &  $\sim$ (1 << N) // make N-th bit of k to 0 k &  $\sim$ k // return least index of bit which has value 1

# 7. Tips



1. Minimum Cut of vertices is same as Maximum Flow of Vertices.



- 2. Minimum Vertex Cover is same as Maximum Matching.
- 3. Maximum Independent Set is Number of Vertices Minimum Vertex Cover.