

# **Parallel Database Query Processing**

# Parallel Query Processing

Different queries/transactions can be run in parallel with each other.

## Interquery parallelism

- There are queries Q1, Q2, Q3, .....Qn
- Queries are processed in parallel

## Intraquery Parallelism

- Individual relational operations (e.g., sort, join, aggregation) can be executed in parallel
- data can be partitioned and each processor can work independently on its own partition

- Queries are expressed in high level language (SQL, translated to relational algebra) makes parallelization easier.

# Intraquery Parallelism

**Intraquery parallelism:** execution of a single query in parallel on multiple processors/disks; important for speeding up long-running queries.

Two complementary forms of intraquery parallelism:

## **Intraoperation Parallelism**

- parallelize the execution of each individual operation in the query
- Supports high degree of parallelism

## **Interoperation Parallelism**

- execute the different operations in a query expression in parallel.
- Limited degree of parallelism

# Parallel Processing of Relational Operations

- Our discussion of parallel algorithms assumes:
  - *read-only* queries
  - shared-nothing architecture
  - $n$  nodes,  $N_1, \dots, N_n$ 
    - *Each assumed to have disks and processors.*
  - Initial focus on parallelization to a shared-nothing node
    - Parallel processing within a shared memory/shared disk node discussed later
  - Shared-nothing architectures can be efficiently simulated on shared-memory and shared-disk systems.
    - Algorithms for shared-nothing systems can thus be run on shared-memory and shared-disk systems.
    - However, some optimizations may be possible.

# Intraquery Parallelism

SELECT \* FROM r, s where  $r.B = s.B$

Given:

Relations r (A, D, E, B), s(A, C, B, G)

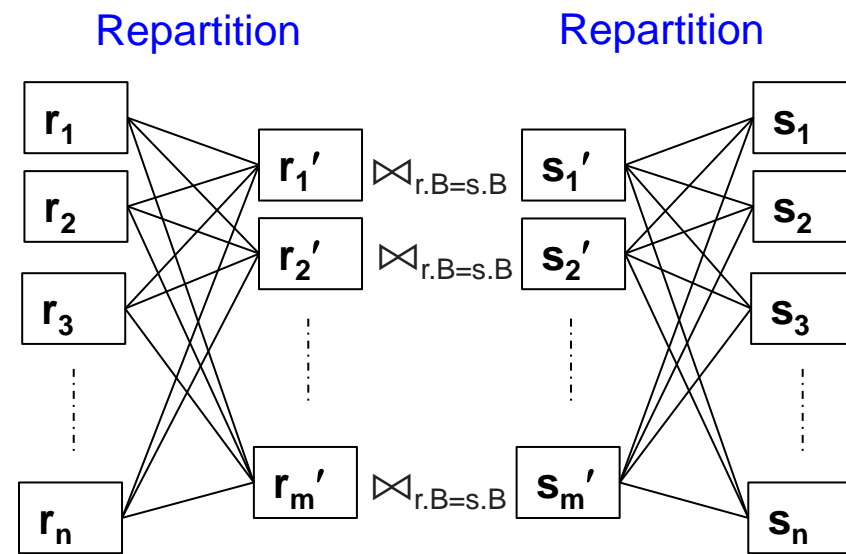
**Shared nothing architecture**

Nodes:  $N_1, N_2, \dots, N_n$  where r and s are stored by horizontal partition vector on  $A = A_1, A_2, \dots, A_{n-1}$

r is horizontal partitioned into  $r_1, r_2, \dots, r_n$

s is horizontal partitioned into  $s_1, s_2, \dots, s_n$

**Perform  $r \bowtie_{r.B=s.B} s$  using m nodes.**



# Intraquery Parallelism

SELECT \* FROM r, s where  $r.B = s.B$

Shared nothing architecture

Nodes:  $N_1, N_2, \dots, N_n$  where r and s are stored by horizontal partition vector on  $A = A_1, A_2, \dots, A_n$

r is horizontal partitioned into  $r_1, r_2, \dots, r_n$

s is horizontal partitioned into  $s_1, s_2, \dots, s_n$

Perform  $r \bowtie_{r.B=s.B} s$  using **m** nodes.

Partition vector:  $B_1, B_2, \dots, B_{m-1}$

Steps to process the query

## Step 1:

Repartition  $r_1, r_2, \dots, r_n$  into new

partitions  $r_1', r_2', \dots, r_m'$

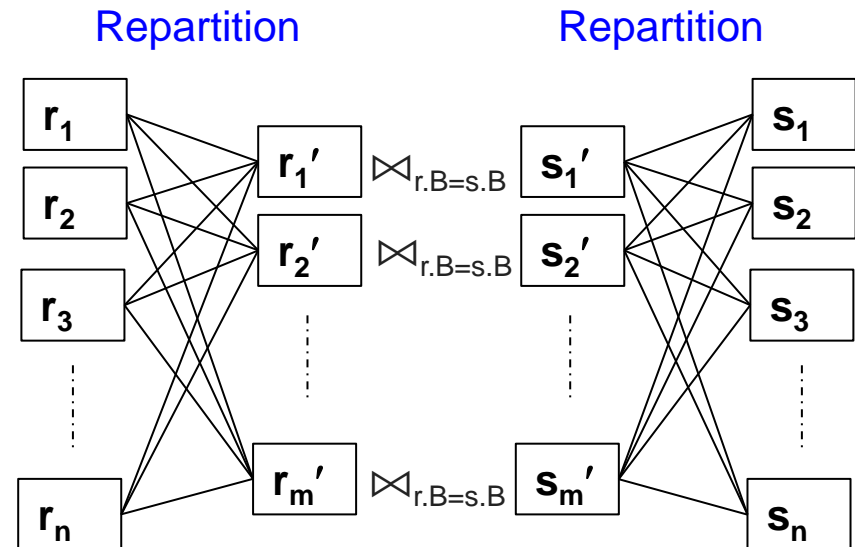
Repartition  $s_1, s_2, \dots, s_n$  into new

partitions  $s_1', s_2', \dots, s_m'$

## Step 2:

Assign  $r_1', r_2', \dots, r_m'$  into nodes  $N_1, N_2, \dots, N_m$

Assign  $s_1', s_2', \dots, s_m'$  into nodes  $N_1, N_2, \dots, N_m$



# Intraquery Parallelism

SELECT \* FROM r, s where  $r.B = s.B$

Shared nothing architecture

Nodes:  $N_1, N_2, \dots, N_n$  where r and s are stored by horizontal partition vector on  $A = A_1, A_2, \dots, A_n$

r is horizontal partitioned into  $r_1, r_2, \dots, r_n$

s is horizontal partitioned into  $s_1, s_2, \dots, s_n$

Perform  $r \bowtie_{r.B=s.B} s$  using **m** nodes.

Steps to process the query

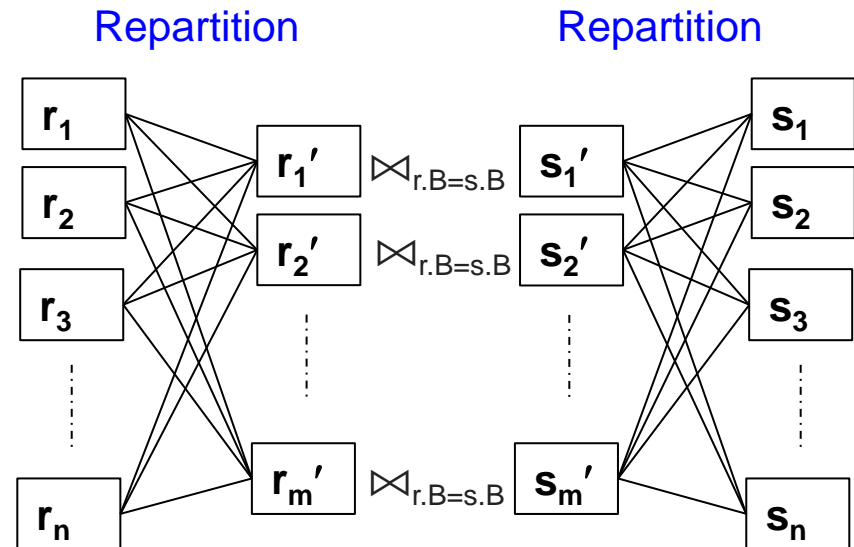
## Step 3:

Perform  $r_1' \bowtie s_1'$  at node  $N_1$

Perform  $r_2' \bowtie s_2'$  at node  $N_2$

.....

Perform  $r_m' \bowtie s_m'$  at node  $N_m$



# Intraquery Parallelism

## Question 9-1

Student (id, name, cgpa, yearAdmit)

Takes(id, course-id, semester, year)

SELECT r.id, course-id, CGPA FROM  
student r, takes s where **r.yearAdmit = s.year**

### Shared nothing architecture

Nodes:  $N_1, N_2, \dots, N_{10}$  where r and s  
are stored by horizontal partition vector  
on id = 121000, 131000, 141000,  
151000, 161000, 171000, 181000,  
191000, 201000

### Total 10 partitions into 10 nodes

r is horizontal partitioned into  $r_1, r_2, \dots, r_{10}$   
s is horizontal partitioned into  $s_1, s_2, \dots, s_{10}$

The range of yearAdmit is 2015 to 2021

- Find partitions of student and takes using yearAdmit
- Perform  $r \bowtie_{\text{yearAdmit=year}} s$  using **6** nodes.

## Partitions

$r_1$  = all *students* id < 121000

$s_1$  = all *takes* id < 121000

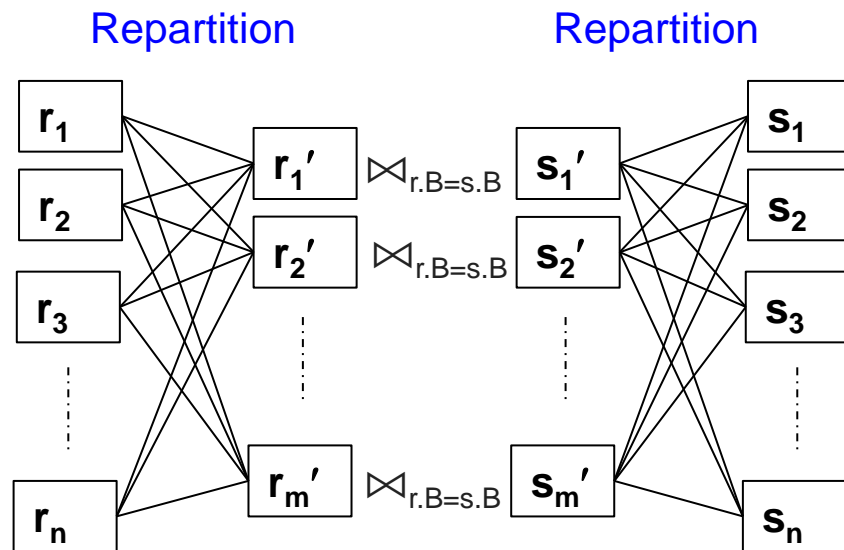
$r_2$  = all *students* 121000 <= id < 131000

$s_2$  = all *takes* 121000 <= id < 131000

.....

$r_{10}$  = all *students* id >= 201000

$s_{10}$  = all *takes* id >= 201000





# Intraquery Parallelism

SELECT \* FROM r, s where  $r.A = s.A$

**No Need Repartition**

Given:

Relations r (A, D, E, B), s(A, C, B, G)

**Shared nothing architecture**

Nodes:  $N_1, N_2, \dots, N_n$  where r and s are stored by horizontal partition vector on  $A = A_1, A_2, \dots, A_{n-1}$

r is horizontal partitioned into  $r_1, r_2, \dots, r_n$

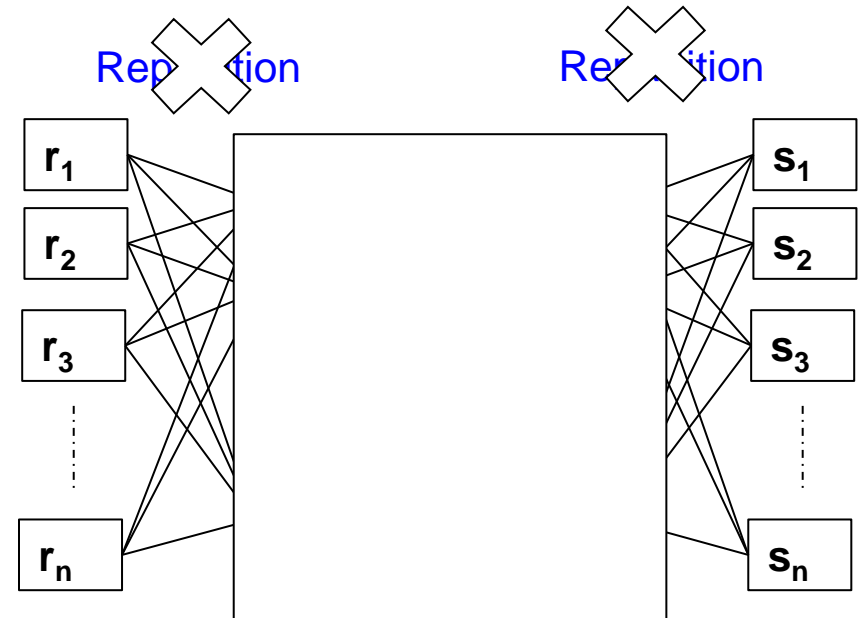
s is horizontal partitioned into  $s_1, s_2, \dots, s_n$

**Perform**  $r \bowtie_{r.A=s.A} s$  **using**  $n$  **nodes**.

Case 2:

No. of partitioning node = number of query node

Partitioning attribute and query attribute is same.



# Intraquery Parallelism

SELECT \* FROM r, s where  $r.A = s.A$

Given:

Relations r (A, D, E, B), s(A, C, B, G)

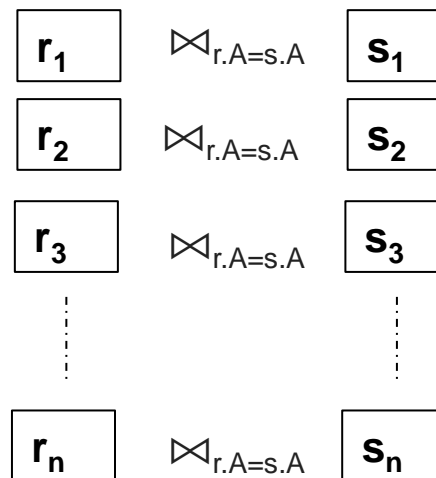
**Shared nothing architecture**

Nodes:  $N_1, N_2, \dots, N_n$  where r and s are stored by horizontal partition vector on  $A = A_1, A_2, \dots, A_{n-1}$

r is horizontal partitioned into  $r_1, r_2, \dots, r_n$

s is horizontal partitioned into  $s_1, s_2, \dots, s_n$

**Perform**  $r \bowtie_{r.A=s.A} s$  **using**  $n$  **nodes**.



# Intraquery Parallelism

## Example

Student (id, name, cgpa, yearAdmit)

Takes(id, course-id, semester, year)

SELECT r.id, course-id FROM student r,  
takes s where **r.id = s.id**

## Shared nothing architecture

Nodes:  $N_1, N_2, \dots, N_{10}$  where r and s  
are stored by horizontal partition vector  
on id = 121000, 131000, 141000,  
151000, 161000, 171000, 181000,  
191000, 201000

## Total 10 partitions into 10 nodes

r is horizontal partitioned into  $r_1, r_2, \dots, r_{10}$   
s is horizontal partitioned into  $s_1, s_2, \dots, s_{10}$

- Find partitions of student and takes
- Perform  $r \bowtie_{r.id = s.id} s$  using **10** nodes.

## Partitions

$r_1$  = all *students* id < 121000

$s_1$  = all *takes* id < 121000

$r_2$  = all *students* 121000 <= id < 131000

$s_2$  = all *takes* 121000 <= id < 131000

.....

$r_{10}$  = all *students* id >= 201000

$s_{10}$  = all *takes* id >= 201000

Steps to process the query

## Only one Step:

Perform  $r_1 \bowtie s_1$  at node  $N_1$

Perform  $r_2 \bowtie s_2$  at node  $N_2$

Perform  $r_3 \bowtie s_3$  at node  $N_3$

Perform  $r_4 \bowtie s_4$  at node  $N_4$

.....

Perform  $r_{10} \bowtie s_{10}$  at node  $N_{10}$

# Intraquery Parallelism

## Question 9-2

customer (id, name, type, country)

purchase(id, product-id, p-country, date)

SELECT r.id, product-id FROM customer r, purchase s  
where  $r.id = s.id$

### Shared nothing architecture

Nodes:  $N_1, N_2, \dots, N_5$  where r and s are stored by horizontal partition vector on id = 1000, 2000, 3000, 4000

### Total 5 partitions into 5 nodes

r is horizontal partitioned into  $r_1, r_2, \dots, r_5$

s is horizontal partitioned into  $s_1, s_2, \dots, s_5$

- Perform  $r \bowtie_{r.id = s.id} s$  using 5 nodes.
- Why is repartition not needed?

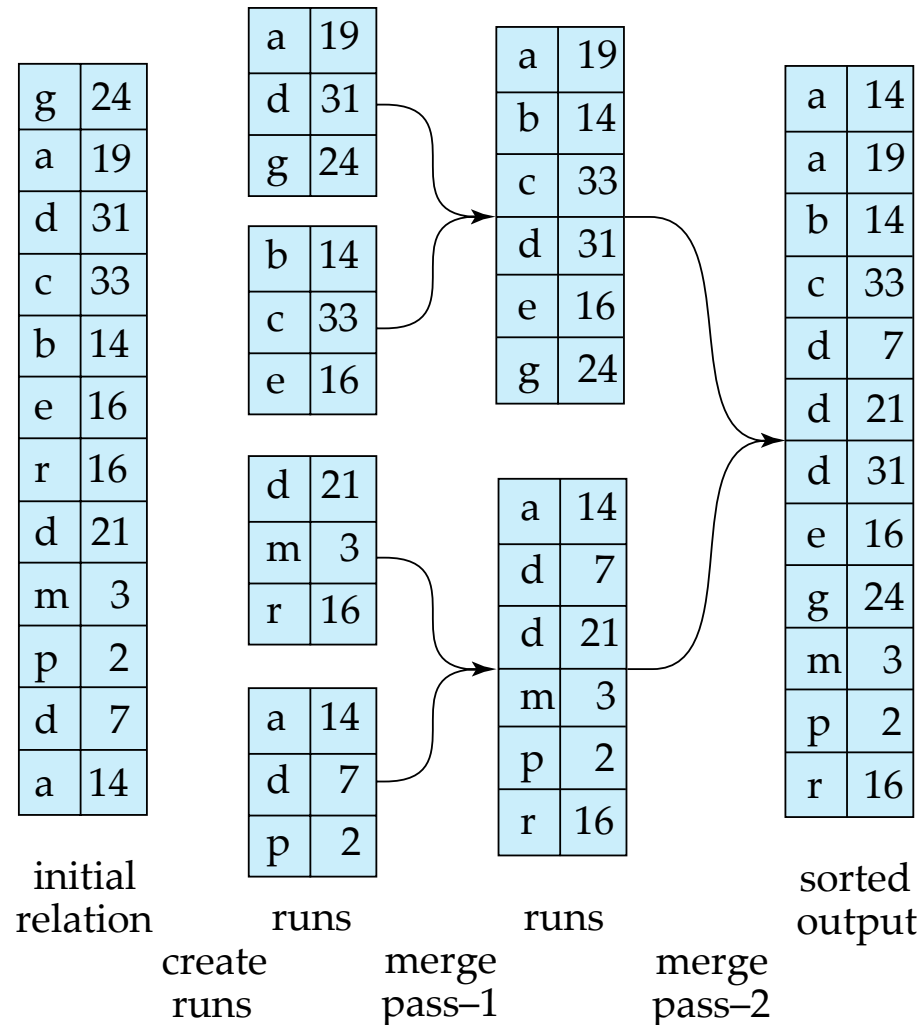
# Sorting

- We may build an index on the relation, and then use the index to read the relation in sorted order. **May lead to one disk block access for each tuple.**

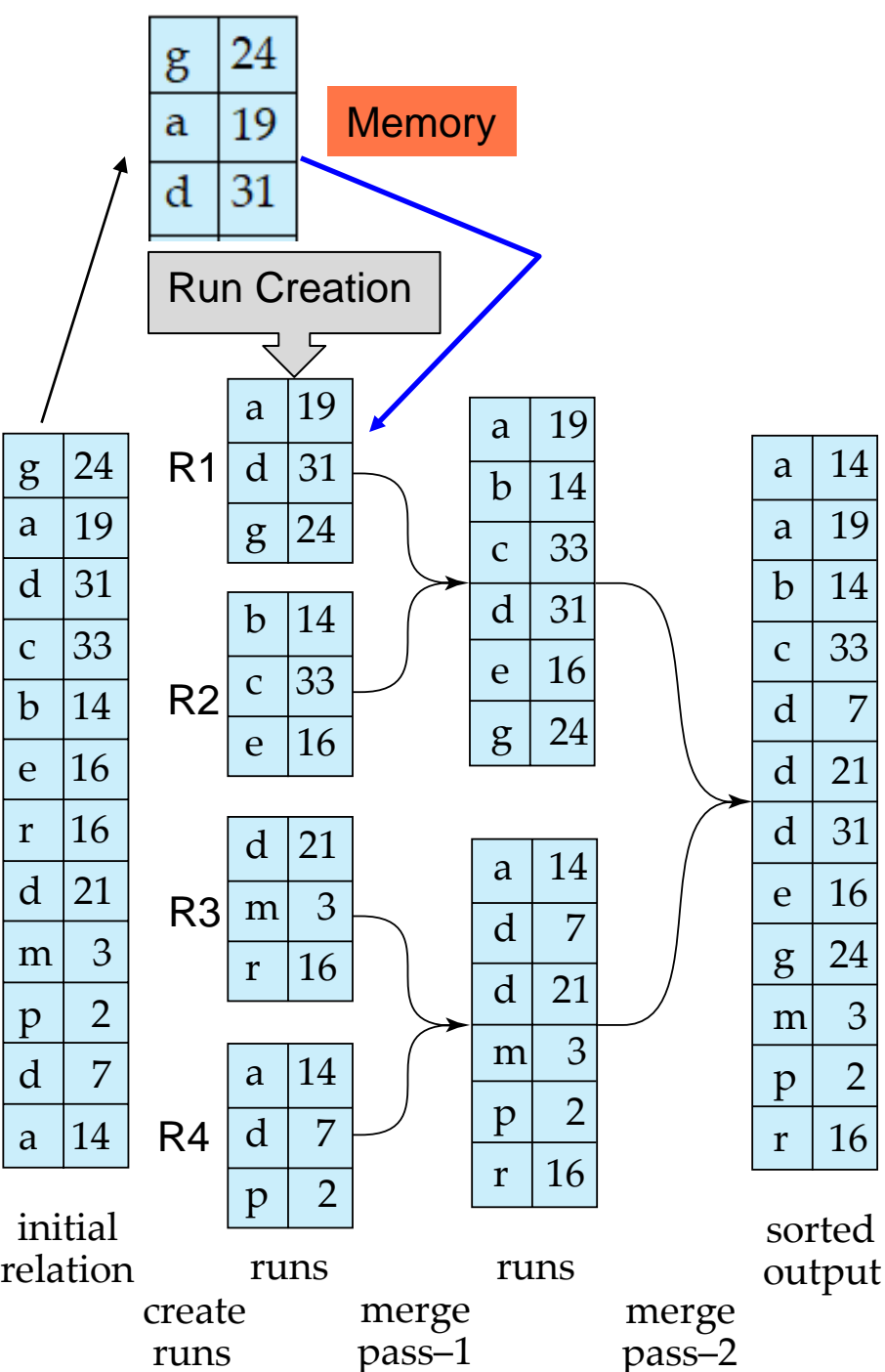
Discussion: The case when it May lead to one disk block access for each tuple.

- For relations that fit in memory, techniques like quicksort can be used.
- For relations that don't fit in memory, quicksort is not applicable. Why? **external sort-merge** is a good choice in this case.

# Example: External Sorting Using Sort-Merge



# External Sort-Merge (Run Creation)



Let  $M$  denote memory size (in pages).  
Here  $M = 3$

1. **Create sorted runs.** Let  $i$  be 1 initially.  
Repeatedly do the following till the end of the relation:

(a) Read  $M$  blocks of relation into memory

(b) Sort the in-memory blocks

(c) Write sorted data to run  $R_i$ ;  
increment  $i$ .

Let the final value of  $i$  be  $N$  (**Here  $N = ?$** )

**Here  $N = 4$**

2. *Merge the runs (next slide).....*

# External Sort-Merge (Sort-Merge)

**Merge the runs (2-way merge).** Here  $N > M$ .  $M=3$ ,  $N=4$

Use 2 blocks of memory to buffer input runs, and 1 block to buffer output. Read the first block of each run into its buffer page

**repeat**

Select the first record (in sort order) among all buffer pages

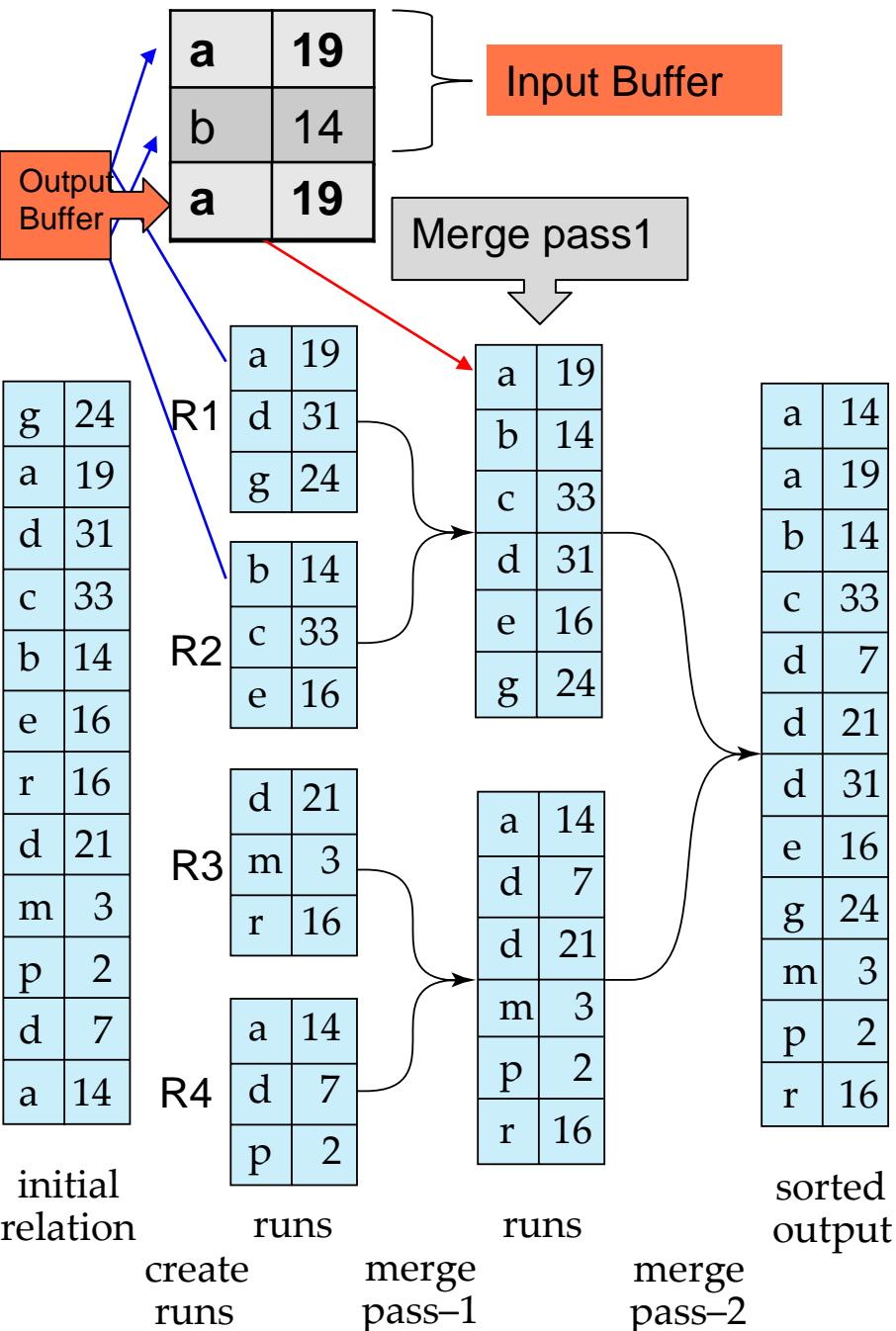
Write the record to the output buffer. If the output buffer is full write it to disk.

Delete the record from its input buffer page.

**If** the buffer page becomes empty **then**

read the next block (if any) of the run into the buffer.

**until** all input buffer pages are empty:





# External Sort-Merge (Sort Merge)

**Merge the runs (2-way merge).** Here  $N > M$ .  $M=3$ ,  $N=4$

Use 2 blocks of memory to buffer input runs, and 1 block to buffer output. Read the first block of each run into its buffer page

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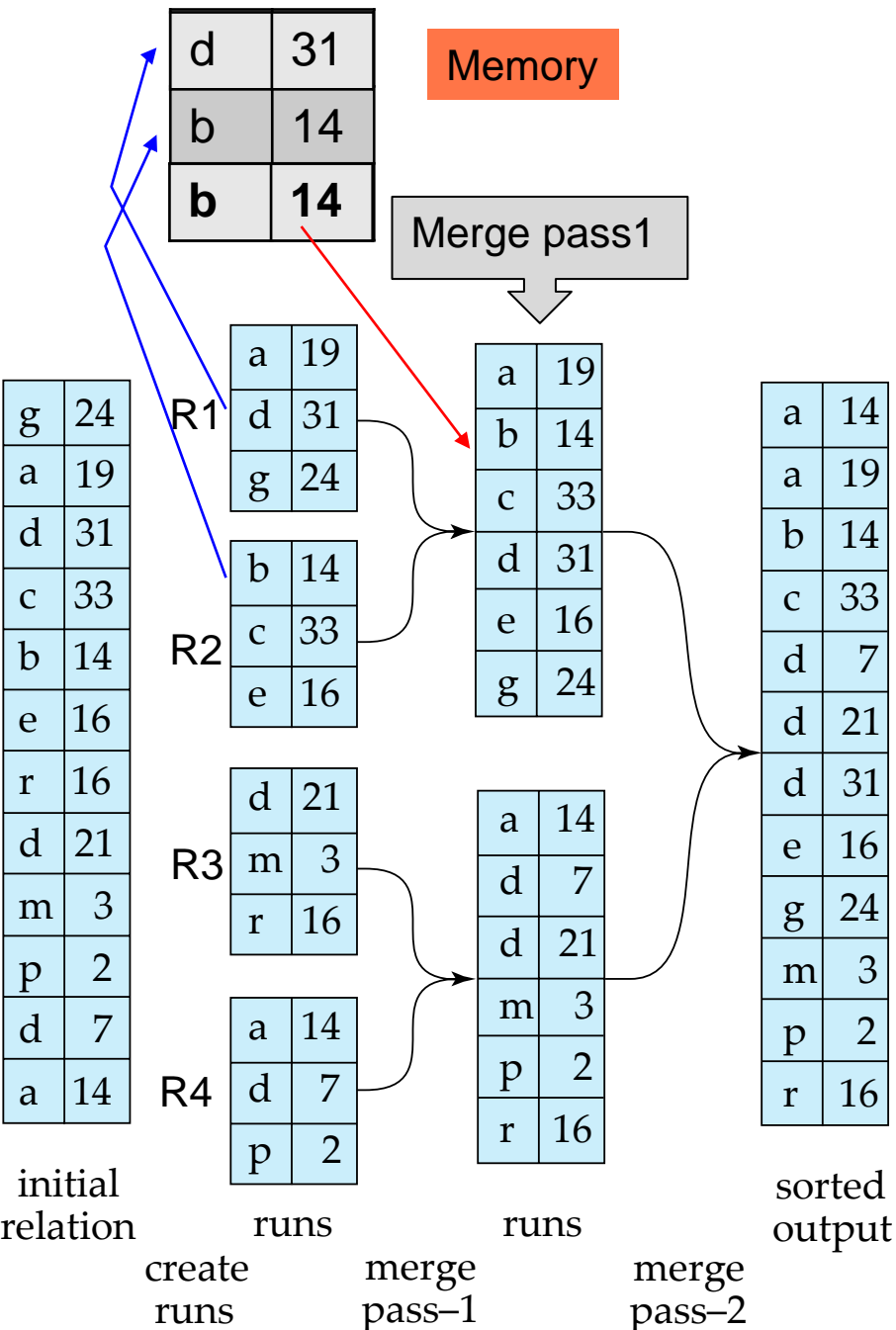
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Delete the record from its input buffer page.

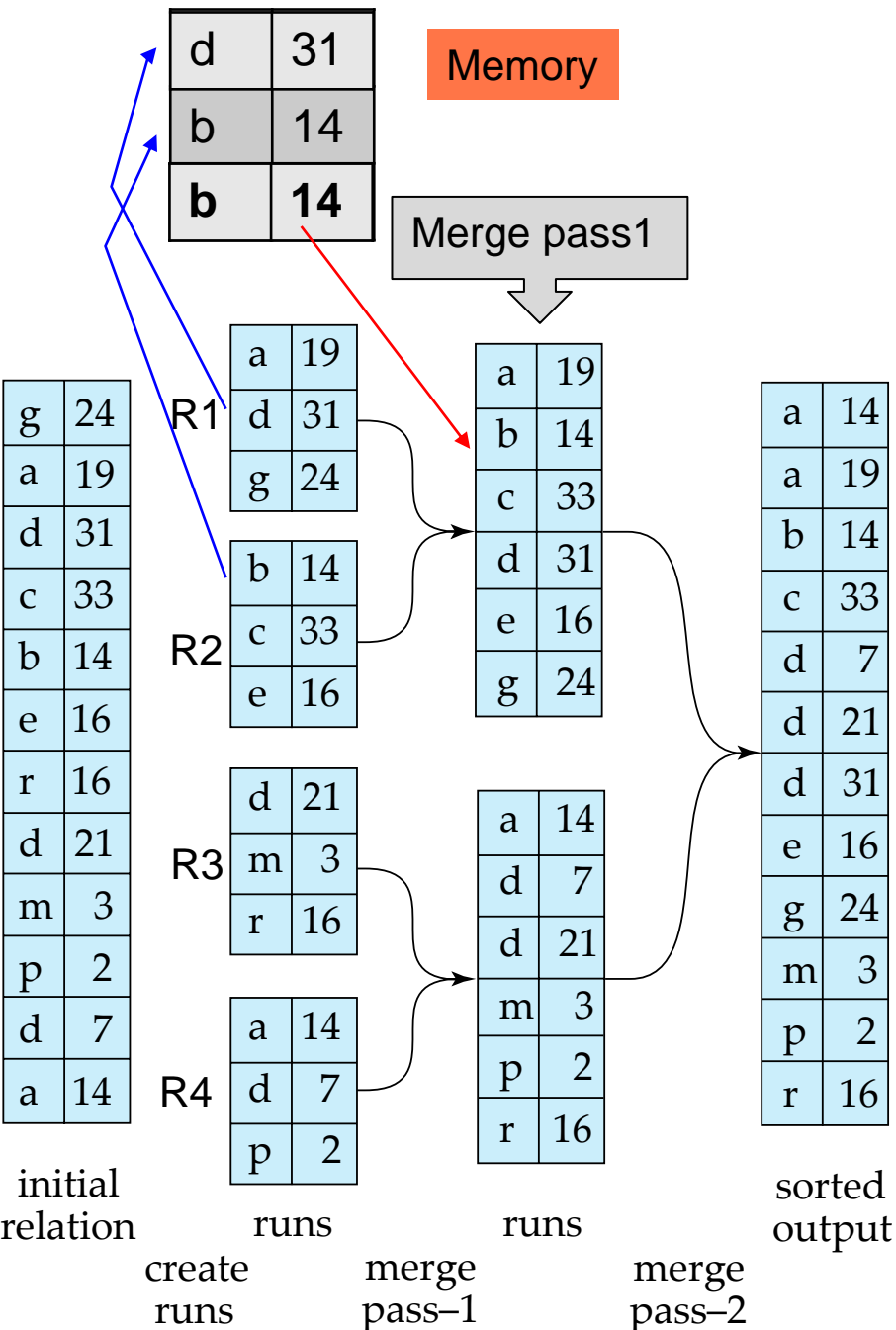
**If** the buffer page becomes empty **then**

read the next block (if any) of the run into the buffer.

**until** all input buffer pages are empty:



# External Sort-Merge (Sort Merge)



**Question 10-1:** In the given example,  $N = 4$  and  $M = 2$ .

- Find the size of the memory when the external sort can be done in one pass.
- Find the size of the memory when the quicksort can be used.
- Explain the impact of memory size in database sort performance.

# Parallel Sort

- Suppose that we wish to sort a relation  $r$  that resides on  $n$  nodes  $N_1, N_2, \dots, N_n$ .
- If the relation has been range-partitioned on the attributes on which it is to be sorted, we can sort each partition separately and concatenate the results to get the full sorted relation.
- Since the tuples are partitioned on  $n$  nodes, the time required for reading the entire relation is reduced by a factor of  $n$  by the parallel access.

## Question 10-2:

Given relation

Person(NID, name, street, city)

The relation has 160 million tuples and is range partitioned into 160 nodes using NID.  
You have to process the following queries:

- a. Find the list of persons sorted by NID in ascending order
- b. Find the list of persons sorted by district in alphabetic order

Explain how the above two queries will be processed.

# Parallel Sort

- If relation  $r$  has been partitioned in any other way, we can sort it in one of two ways:
  - a. We can range-partition  $r$  on the sort attributes, and then sort each partition separately.
  - b. We can use a parallel version of the external sort-merge algorithm.

## Question 10-2:

Given relation

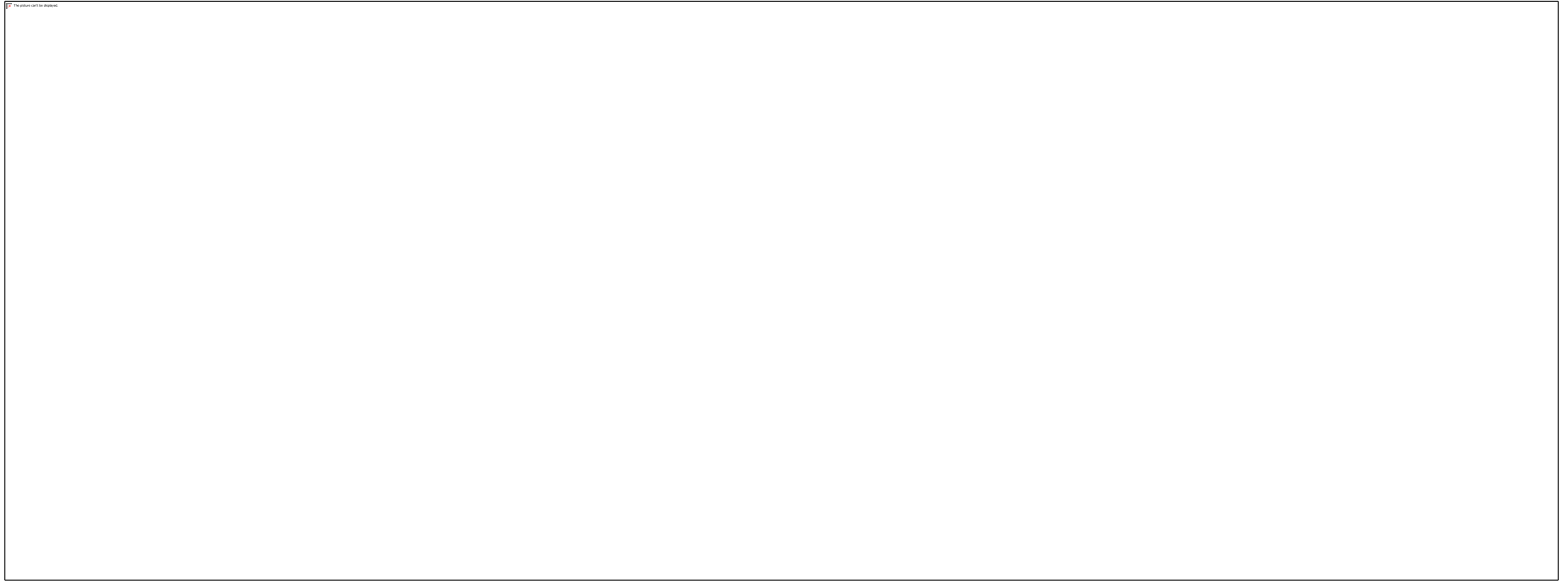
Person(NID, name, street, city)

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You have to process the following queries:

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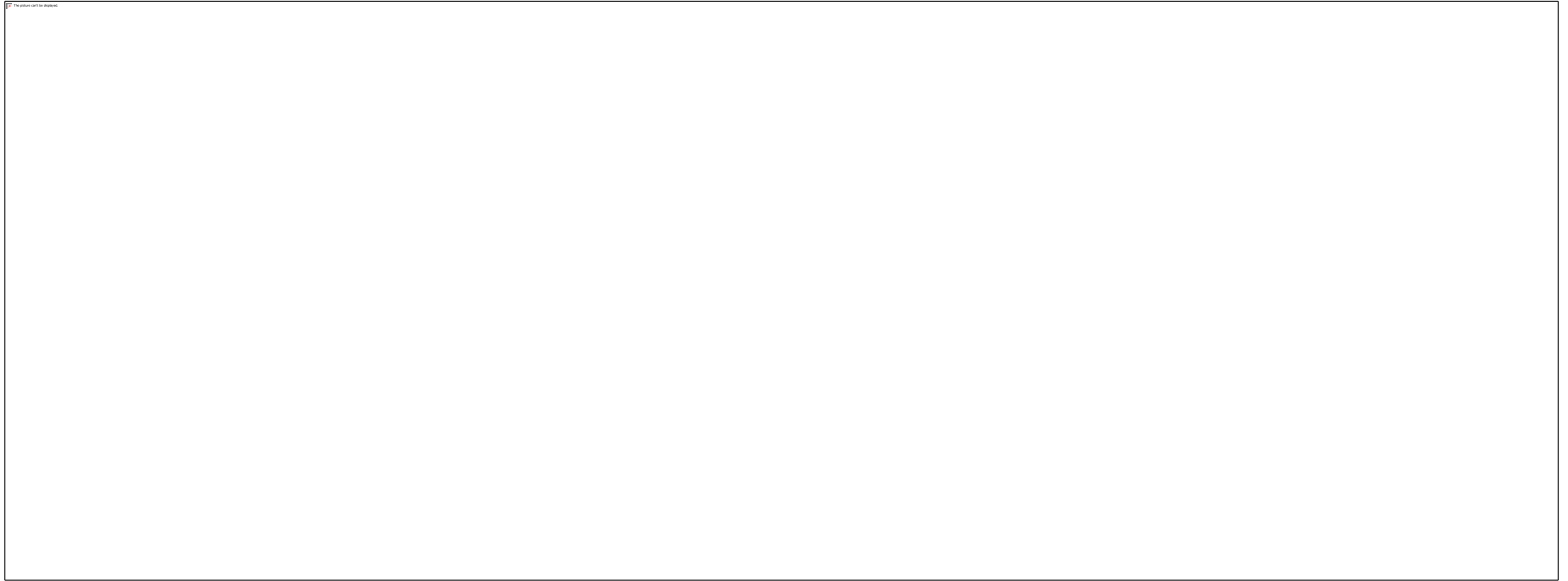
Explain how the above two queries will be processed.

# Range-Partitioning Sort



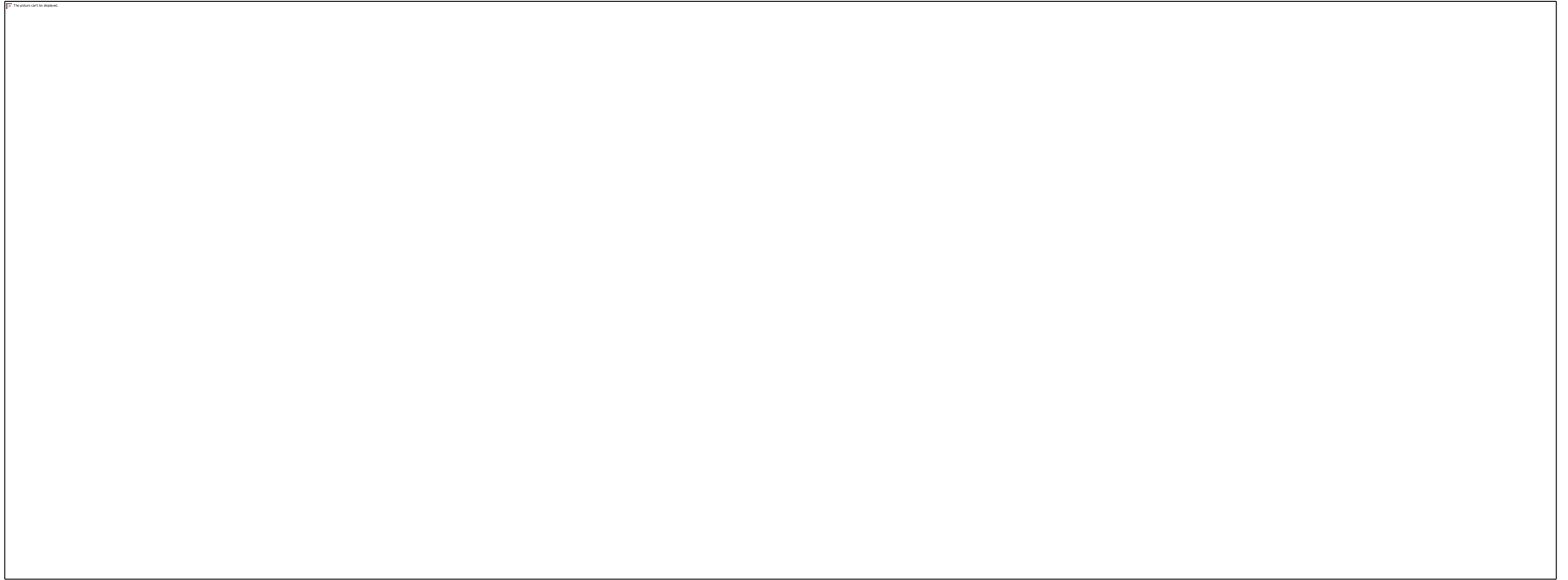
- Choose nodes  $N_1, \dots, N_m$ , where  $m \leq n-1$  to do sorting.
- Create range-partition vector with  $m-1$  entries, on the sorting attributes
- Redistribute the relation using range partitioning
- Each node  $N_i$  sorts its partition of the relation locally.
  - Example of **data parallelism**: each node executes same operation in parallel with other nodes, without any interaction with the others.
- Final merge operation is trivial: range-partitioning ensures that, if  $i < j$ , all key values in node  $N_i$  are all less than all key values in  $N_j$ .

# Parallel External Sort-Merge



- Assume the relation has already been partitioned among nodes  $N_1, \dots, N_n$  (in whatever manner).
- Each node  $N_i$  locally sorts the data (using local disk as required)
- The sorted runs on each node are then merged in parallel:
  - The sorted partitions at each node  $N_i$  are range-partitioned across the processors  $N_1, \dots, N_m$ .
  - Each node  $N_i$  performs a merge on the streams as they are received, to get a single sorted run.
  - The sorted runs on nodes  $N_1, \dots, N_m$  are concatenated to get the final result.

# Parallel External Sort-Merge (Cont..)



- Algorithm as described vulnerable to execution skew
  - all nodes send to node 1, then all nodes send data to node 2, ...
  - Can be modified so each node sends data to all other nodes in parallel (block at a time)

# Interoperator Parallelism

## Pipelined parallelism

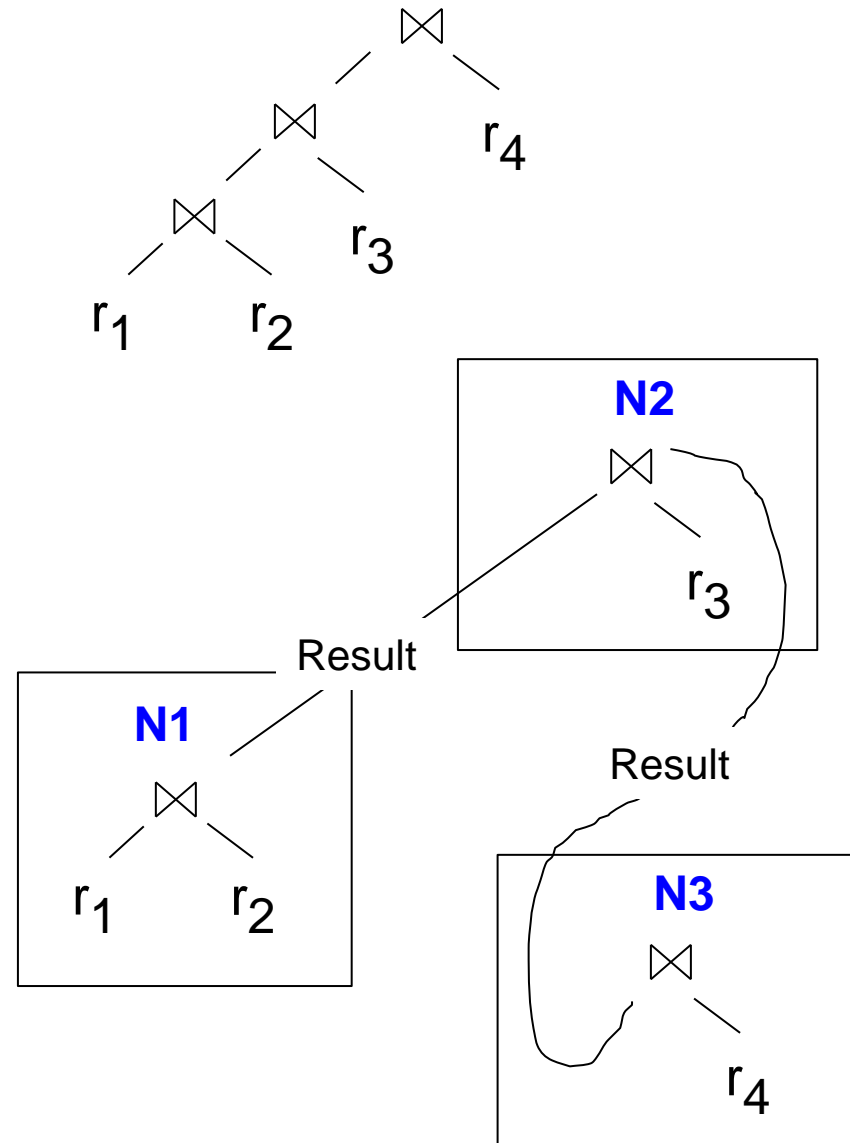
Consider a join of four relations

$$r_1 \bowtie r_2 \bowtie r_3 \bowtie r_4$$

Set up a pipeline that computes the three joins in parallel

Each of these operations can execute in parallel, sending result tuples it computes to the next operation even as it is computing further results

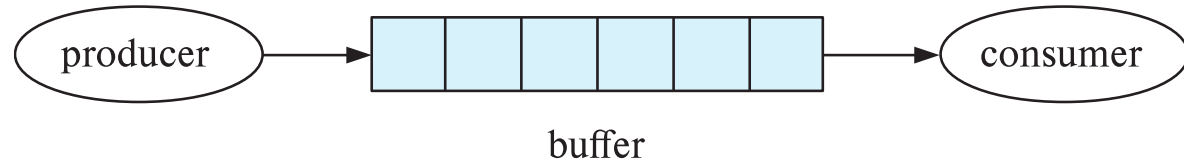
Provided a pipelineable join evaluation algorithm (e.g. indexed nested loops join) is used



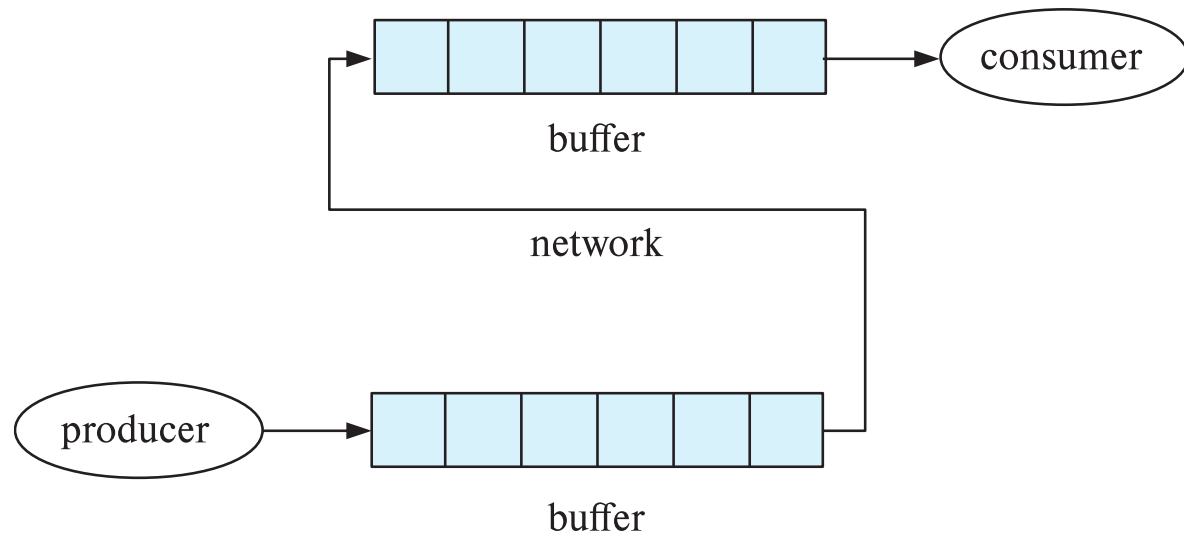


# Pipelined Parallelism

- Push model of computation appropriate for pipelining in parallel databases
- Buffer between consumer and producer
- Can batch tuples before sending to next operator
  - Reduce number of messages,
  - reduce contention on shared buffers

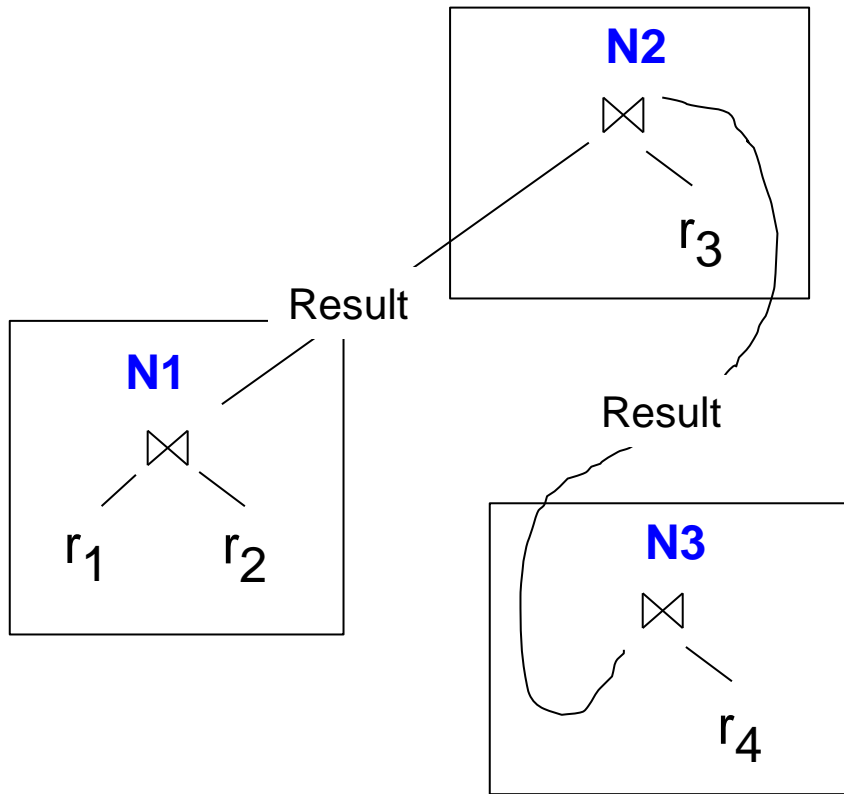


(a) Producer-consumer in shared memory

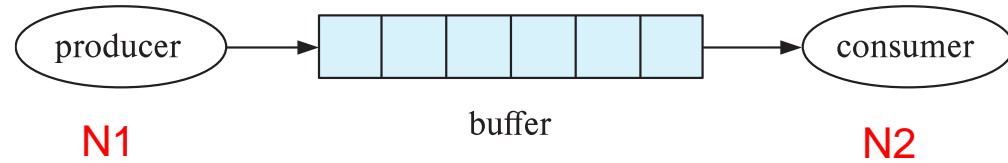


(b) Producer-consumer across a network

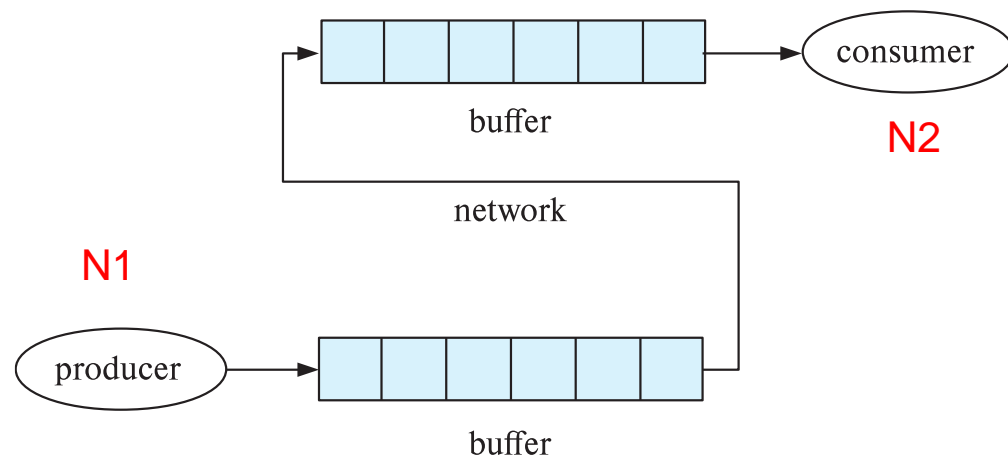
# Pipelined Parallelism



## Producer-consumer for N1 to N2

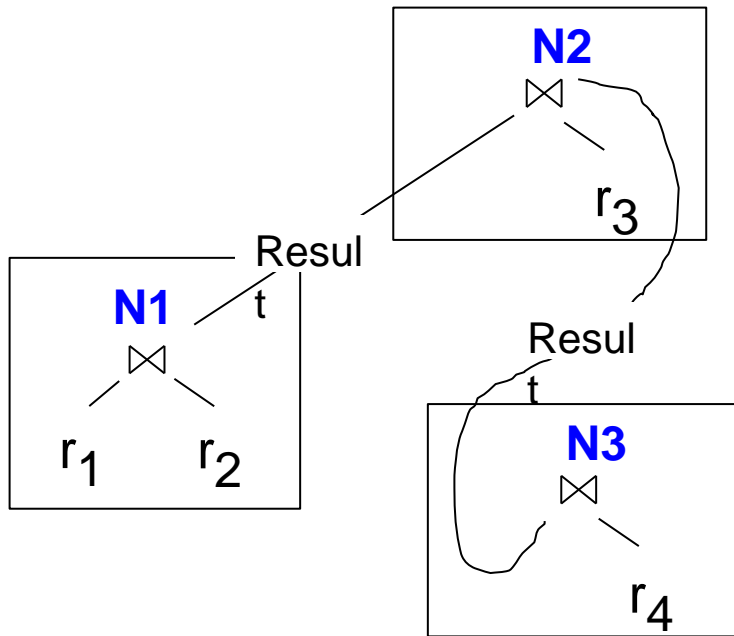


(a) Producer-consumer in shared memory

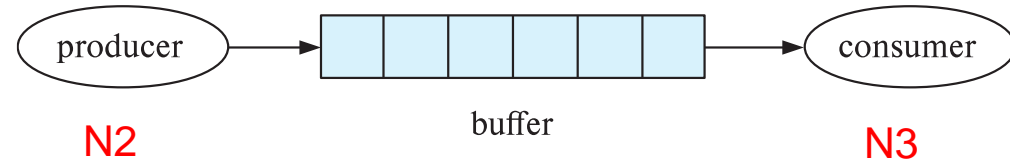


(b) Producer-consumer across a network

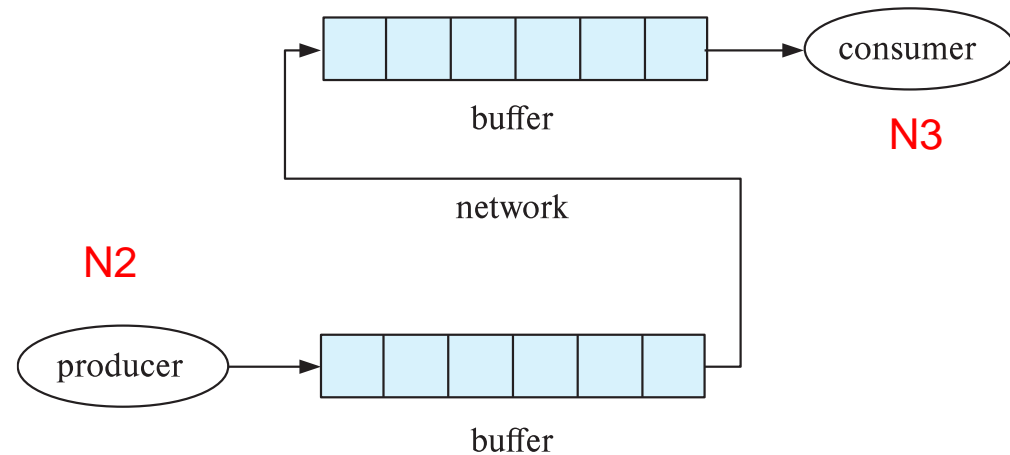
# Pipelined Parallelism



## Producer-consumer for N2 to N3



(a) Producer-consumer in shared memory



(b) Producer-consumer across a network

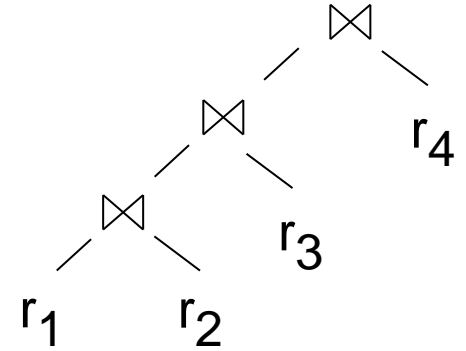
## Question 11-1:

- The relations  $r_1$ ,  $r_2$ ,  $r_3$  and  $r_4$  are partitioned into 30 nodes  $N_1$ ,  $N_2$ , ...,  $N_{30}$ . Propose a query execution plan using intra-operation parallelism for individual joins and inter-operation pipeline parallelism.
- Show the diagram.

# Utility of Pipeline Parallelism

## Limitations

1. Does not provide a high degree of parallelism since pipeline chains are not very long (**Explain?**)
  2. Cannot pipeline operators which do not produce output until all inputs have been accessed (e.g. aggregate and sort) (**Explain?**)
  3. Little speedup is obtained for the frequent cases of skew in which one operator's execution cost is much higher than the others (**Explain?**).
- But pipeline parallelism is still very useful since it avoids writing intermediate results to disk



How many pipelines?

Answer = 3

Explanation 2:

Query:

Select r1.id, max(r4.salary)

From r1, r2, r3, r4

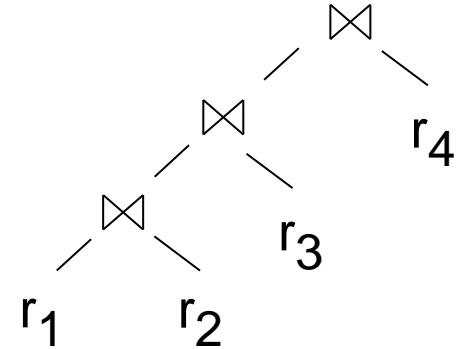
Where r1.id = r2.id and r2.id = r3.id and r3.id = r4.id

Can we process max(r4.id) in pipeline? Why?

# Utility of Pipeline Parallelism

## Limitations

1. Does not provide a high degree of parallelism since pipeline chains are not very long (**Explain?**)
  2. Cannot pipeline operators which do not produce output until all inputs have been accessed (e.g. aggregate and sort) (**Explain?**)
  3. Little speedup is obtained for the frequent cases of skew in which one operator's execution cost is much higher than the others (**Explain?**).
- But pipeline parallelism is still very useful since it avoids writing intermediate results to disk



## Explanation 3

Query:

Select r1.id, max(r4.salary)

From r1, r2, r3, r4

Where r1.id = r2.id and r2.id = r3.id and r3.id = r4.id

r1, r2 and r3 has indices and join is faster.

r4 has no index

N1 and N2 will complete the operation

N3 will be skew.

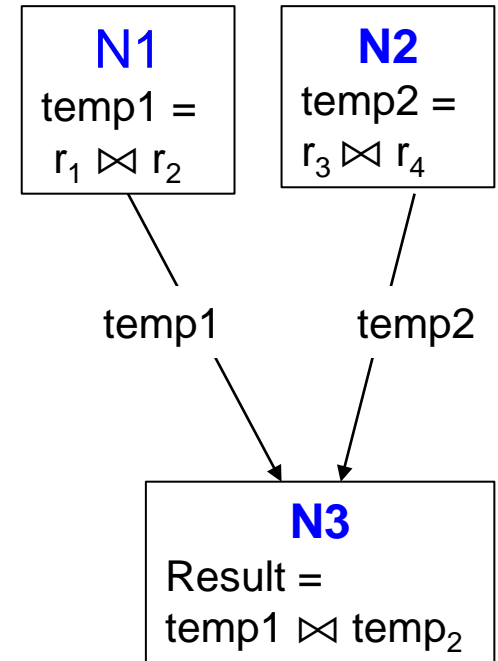
# Independent Parallelism

## Independent parallelism

- Consider a join of four relations

$$r_1 \bowtie r_2 \bowtie r_3 \bowtie r_4$$

- Let  $N_1$  be assigned the computation of  
 $\text{temp1} = r_1 \bowtie r_2$
- And  $N_2$  be assigned the computation of  $\text{temp2} = r_3 \bowtie r_4$
- And  $N_3$  be assigned the computation of  $\text{temp1} \bowtie \text{temp2}$
- $N_1$  and  $N_2$  can work **independently in parallel**
- $N_3$  has to wait for input from  $N_1$  and  $N_2$ 
  - Can pipeline output of  $N_1$  and  $N_2$  to  $N_3$ , combining independent parallelism and pipelined parallelism
- Does not provide a high degree of parallelism
  - useful with a lower degree of parallelism.
  - less useful in a highly parallel system,



### Question 11-2:

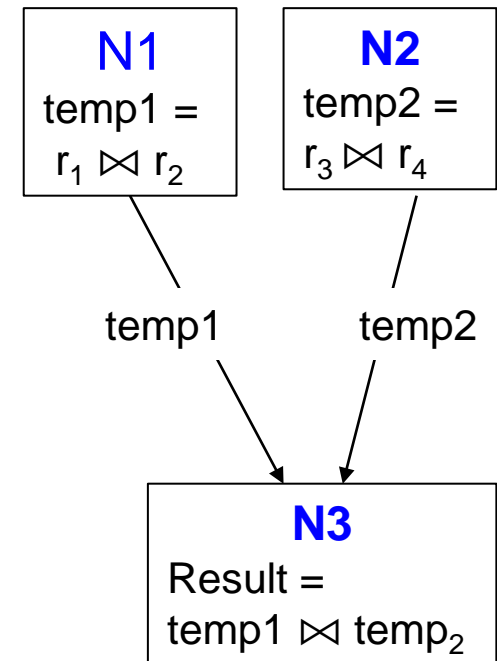
- Prepare query plan combining independent parallelism and pipeline parallelism for processing  $s_1 \bowtie s_2 \bowtie s_3 \bowtie s_4 \bowtie s_5 \bowtie s_6$  where  $s_1, s_2, s_3, s_4, s_5$  and  $s_6$  are relations. The nodes N1, N2, N3, N4 and N5 are connected in a network and used to process the query.
- Compare independent parallelism with pipeline parallelism.

### Independent parallelism

- Consider a join of four relations

$$r_1 \bowtie r_2 \bowtie r_3 \bowtie r_4$$

- Let  $N_1$  be assigned the computation of  $\text{temp1} = r_1 \bowtie r_2$
- And  $N_2$  be assigned the computation of  $\text{temp2} = r_3 \bowtie r_4$
- And  $N_3$  be assigned the computation of  $\text{temp1} \bowtie \text{temp2}$
- $N_1$  and  $N_2$  can work **independently in parallel**
- $N_3$  has to wait for input from  $N_1$  and  $N_2$ 
  - Can pipeline output of  $N_1$  and  $N_2$  to  $N_3$ , combining independent parallelism and pipelined parallelism
- Does not provide a high degree of parallelism
  - useful with a lower degree of parallelism.
  - less useful in a highly parallel system,



# Other Relational Operations

## Selection $\sigma_{\theta}(r)$

- If  $\theta$  is of the form  $a_i = v$ , where  $a_i$  is an attribute and  $v$  a value.
  - If  $r$  is partitioned on  $a_i$  the selection is performed at a single node.
- If  $\theta$  is of the form  $l \leq a_i \leq u$  (i.e.,  $\theta$  is a range selection) and the relation has been range-partitioned on  $a_i$ 
  - Selection is performed at each node whose partition overlaps with the specified range of values.
- In all other cases: the selection is performed in parallel at all the nodes.



# Other Relational Operations (Cont.)

- **Duplicate elimination**

- Perform by using either of the parallel sort techniques
  - eliminate duplicates as soon as they are found during sorting.
- Can also partition the tuples (using either range- or hash- partitioning) and perform duplicate elimination locally at each node.

- **Projection**

- Projection without duplicate elimination can be performed as tuples are read from disk, in parallel.
- If duplicate elimination is required, any of the above duplicate elimination techniques can be used.

# Grouping/Aggregation

- **Step 1:** Partition the relation on the grouping attributes
- **Step 2:** Compute the aggregate values locally at each node.
- **Optimization:** Can reduce cost of transferring tuples during partitioning by **partial aggregation** before partitioning
  - For distributive aggregate
  - Can be done as part of run generation
  - Consider the **sum** aggregation operation:
    - Perform aggregation operation at each node  $N_i$  on those tuples stored its local disk
      - results in tuples with partial sums at each node.
    - Result of the local aggregation is partitioned on the grouping attributes, and the aggregation performed again at each node  $N_i$  to get the final result.
  - Fewer tuples need to be sent to other nodes during partitioning.