



FINAL LAB REPORT

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# NEWSPAPER SELLER CASE STUDY

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# Newspaper Seller Case Study

## Problem Definition:

The newspaper seller wants to determine how many newspapers he should buy each day in order to **maximize his profits**. His present method of determining the quantity of Newspaper is based upon his best guess or estimate of the daily demand for the day news.

## Assumptions and Parameters:

- **Selling Price (P):** \$0.50 per newspaper
- **Cost Price (C):** \$0.33 per newspaper
- **Scrap Value (S):** \$0.05 per unsold newspaper
- **X:** Quantity of newspapers purchased
- **d:** Daily demand
- **Z:** Daily profit

## Day Type Probability Distribution:

Type of Newsdays	Probability	Cumulative	Random Number Range
Good	0.35	0.35	$0 \leq R < 0.35$
Fair	0.45	0.80	$0.35 \leq R < 0.80$
Poor	0.20	1.00	$0.80 \leq R \leq 1$

## Demand Distribution:

(For demand values: 40, 50, 60, 70, 80, 90, 100 newspapers)

You will need to calculate the Cumulative Distribution Function (CDF) for demand for each type of day (Good, Fair, Poor) using your Excel data. You can present each distribution in a table format like:

Demand	Demand Prob. Dist.		
	Good	Fair	Poor
40	0.03	0.10	0.44
50	0.05	0.18	0.22
60	0.15	0.40	0.16
70	0.20	0.20	0.12
80	0.35	0.08	0.06
90	0.15	0.04	0.00
100	0.07	0.00	0.00

## Model Formulation:

### Key Equations:

- 1) Revenue Sales =  $\min(d, X) \times P$
- 2) Excess Demand =  $\max(X, d) - d$
- 3) Profit per newspaper sold =  $P - C$
- 4) Lost Profit =  $(X < d) ? (d - X) \times (P - C)$
- 5) Number of Scrap =  $\max(X - d, 0)$
- 6) Scrap Salvage = Number of Scrap  $\times S$
- 7) Cost of Newspapers =  $X \times C$
- 8) Daily Profit (Z) = Revenue Sales – Cost of Newspapers – Lost Profit + Scrap Salvage

## Objective

Use simulation (e.g., random number generation for day type and demand) to estimate the optimal number of newspapers to purchase daily ( $X$ ) that maximizes the average profit  $Z(X, d)$ .

## Implementation

### Excel Sheet:

Assume		Type of Newscday	Probability	Cumulative Probability	Random-Digit Assignment		Demand	Demand Prob. Dist.		
Item	Value				Lower	Upper		Good	Fair	Poor
P : Paper Sell	50	Good	0.35	0.35	0.00	0.34	40	0.03	0.10	0.44
C : Paper Cost	33	Fair	0.45	0.80	0.35	0.79	50	0.05	0.18	0.22
S : Scrap Sale	5	Poor	0.20	1.00	0.80	1.00	60	0.15	0.40	0.16
D: Days	40						70	0.20	0.20	0.12
x: Quantity	70						80	0.35	0.08	0.06
d Daily Demand							90	0.15	0.04	0.00
z: Daily Profit							100	0.07	0.00	0.00

	Prob dist.			Cumulative			Random-Digit Assignment					
Demand	Good	Fair	Poor	Good	Fair	Poor	Lower	Upper	Lower	Upper	Lower	Upper
40	0.03	0.10	0.44	0.03	0.10	0.44	0.00	0.02	0.00	0.09	0.00	0.43
50	0.05	0.18	0.22	0.08	0.28	0.66	0.03	0.07	0.10	0.27	0.44	0.65
60	0.15	0.40	0.16	0.23	0.68	0.82	0.08	0.22	0.28	0.67	0.66	0.81
70	0.20	0.20	0.12	0.43	0.88	0.94	0.23	0.42	0.68	0.87	0.82	0.93
80	0.35	0.08	0.06	0.78	0.96	1.00	0.43	0.77	0.88	0.95	0.94	1.00
90	0.15	0.04	0.00	0.93	1.00		0.78	0.92	0.96	1.00		
100	0.07	0.00	0.00	1.00			0.93	1.00				

Day	R.D Type	Type	R.D Demand	Demand	Revnuue Sales	Excess Demand	lost Profit E-D	Num of Scrap	Salvage from scrap	Daily Profit
1	9	Good	13	60	3000	0	0	10	50	740
2	2	Good	26	70	3500	0	0	0	0	1190
3	32	Good	75	80	3500	10	170	0	0	1020
4	52	Fair	76	70	3500	0	0	0	0	1190
5	10	Good	92	90	3500	20	340	0	0	850
6	46	Fair	71	70	3500	0	0	0	0	1190
7	29	Good	3	50	2500	0	0	20	100	290
8	12	Good	39	70	3500	0	0	0	0	1190
9	75	Fair	21	50	2500	0	0	20	100	290
10	8	Good	82	90	3500	20	340	0	0	850
11	91	Poor	40	40	2000	0	0	30	150	-160
12	7	Good	37	70	3500	0	0	0	0	1190
13	82	Poor	60	50	2500	0	0	20	100	290
14	45	Fair	55	60	3000	0	0	10	50	740
15	65	Fair	32	60	3000	0	0	10	50	740
16	74	Fair	81	70	3500	0	0	0	0	1190
17	78	Fair	82	70	3500	0	0	0	0	1190
18	11	Good	51	80	3500	10	170	0	0	1020
19	25	Good	57	80	3500	10	170	0	0	1020
20	57	Fair	69	70	3500	0	0	0	0	1190
21	36	Fair	90	80	3500	10	170	0	0	1020
.....	.....	.....	.....	.....	.....	.....	.....	.....	.....	.....

## C++ Code:

```
#include<bits/stdc++.h>
using namespace std;

constexpr int days          = 30;
constexpr int quantity      = 70;
constexpr int paper_cost    = 33;
constexpr int iterations    = 10;
constexpr float scrap_sale  = 5;
constexpr float paper_sell  = 50;

/// Types of News day
constexpr float GOOD        = 0.35;
constexpr float FAIR        = 0.45;
constexpr float POOR        = 0.20;

float cumulative_prop[3] = {
    GOOD,
    GOOD + FAIR,
    GOOD + FAIR + POOR,
};

struct RD {
    float lower, upper;
} RandDist[3]{
    {0.0, GOOD - 0.01},
    {GOOD, GOOD + FAIR - 0.01},
    {GOOD + FAIR, GOOD + FAIR + POOR}
};

struct DayData {
```

```

    int day;
    double R1;
    string type;
    double R2;
    int demand;
    int revenue_sales;
    int excess_demand;
    int lost_profit_excess;
    int num_scrap;
    int salvage_scrap;
    int daily_profit;
};

int getDemand(const string& dayType, const double R) {
    if (dayType == "Good") {
        if (R < 0.03) return 40;
        if (R < 0.08) return 50;
        if (R < 0.23) return 60;
        if (R < 0.43) return 70;
        if (R < 0.78) return 80;
        if (R < 0.93) return 90;
        return 100;
    }

    if (dayType == "Fair") {
        if (R < 0.10) return 40;
        if (R < 0.28) return 50;
        if (R < 0.68) return 60;
        if (R < 0.88) return 70;
        if (R < 0.96) return 80;
        return 90;
    }

    if (dayType == "Poor") {
        if (R < 0.44) return 40;
        if (R < 0.66) return 50;
        if (R < 0.82) return 60;
        if (R < 0.94) return 70;
        return 80;
    }
    return {};
}

vector<DayData> simulate(int X, int N) {
    vector<DayData> results;
    random_device rd;
    mt19937 gen(rd());
    uniform_real_distribution<> dis(0.0, 1.0);

    for (int day = 1; day <= N; ++day) {
        double R1 = dis(gen);
        string type;
        if (R1 < cumulative_prop[0]) type = "Good";
        else if (R1 < cumulative_prop[1]) type = "Fair";
        else type = "Poor";

        double R2 = dis(gen);
        int demand = getDemand(type, R2);

        int revenue_sales = min(X, demand) * paper_sell;
        int excess_demand = max(demand - X, 0);
        int lost_profit_excess = excess_demand * (paper_sell - paper_cost);
        int num_scrap = max(X - demand, 0);
        int salvage_scrap = num_scrap * scrap_sale;
        int daily_profit = revenue_sales + salvage_scrap - X * paper_cost;

        DayData data = {day, R1, type, R2, demand, revenue_sales,
            excess_demand, lost_profit_excess, num_scrap, salvage_scrap, daily_profit};
        results.push_back(data);
    }
    return results;
}

void writeTableToFile(const vector< DayData > &results, const string filename) {
    ofstream outfile(filename);
    if (!outfile) return void (cerr << "NOOOOOOOOOOOOOOOO such File: " << filename << endl);
}

```

```

    outfile <<
"Day\t|\tR1\t|\tType\t|\tR2\t|\tDemand\t|\tRevenue\t|\tExcessD\t|\tLostProfit\t|\tScrap\t|\tSalvage\t
|\tProfit\n";
    for (const auto &data: results) {
        outfile << data.day << "\t| \t"
            << fixed << setprecision(2) << data.R1 << "\t| \t"
            << data.type << "\t| \t"
            << fixed << setprecision(2) << data.R2 << "\t| \t"
            << data.demand << "\t| \t"
            << data.revenue_sales << "\t| \t"
            << data.excess_demand << "\t| \t"
            << data.lost_profit_excess << "\t| \t"
            << data.num_scrap << "\t| \t"
            << data.salvage_scrap << "\t| \t"
            << data.daily_profit << "\n";
    }
    outfile.close();
}

int main() {
    int N_large = 1000;
    vector< int > X_values = {40, 50, 60, 70, 80, 90, 100};
    double best_avg_profit = -numeric_limits< double >::max();
    int best_X = -1;

    cout << "Let's Simulate...\n";
    for (int X: X_values) {
        auto results = simulate(X, N_large);
        double total_profit = 0;

        for (const auto &data: results) total_profit += data.daily_profit;

        double avg_profit = total_profit / N_large;
        cout << "Quantity X = " << X << ", Average Profit = " << fixed << setprecision(2)
            << avg_profit << " cents\n";
        if (avg_profit > best_avg_profit) best_avg_profit = avg_profit, best_X = X;
    }

    cout << "\nOptimal quantity to buy: " << best_X << " newspapers\n";
    cout << "Expected avg profit: " << fixed << setprecision(2) << best_avg_profit << " cents per
day\n";

    auto table_results = simulate(best_X, days);
    writeTableToFile(table_results, "newspaper_simulation.txt");

    double table_total_profit = 0;
    for (const auto &data: table_results) {
        table_total_profit += data.daily_profit;
    }
    double table_avg_profit = table_total_profit / days;
    cout << "\nAverage profit over " << days << " days with X = " << best_X << ": "
        << fixed << setprecision(2) <<
        table_avg_profit << " cents\n";

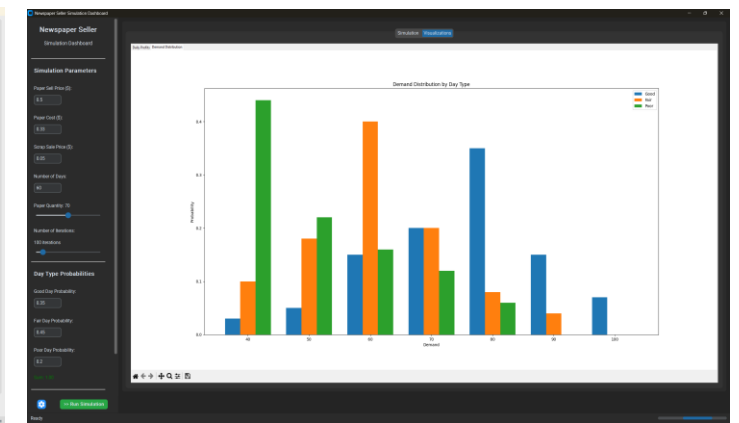
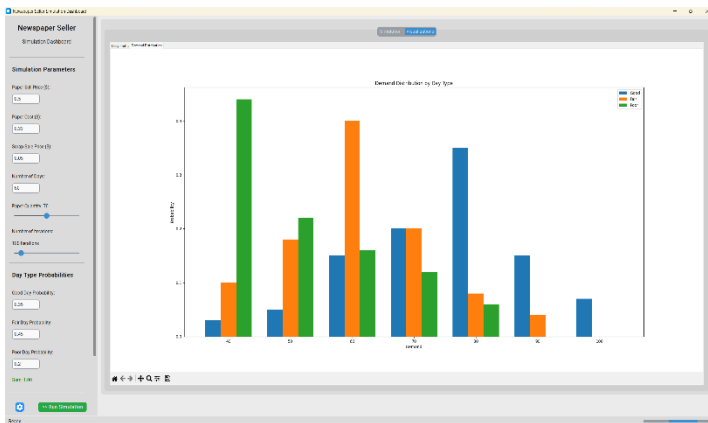
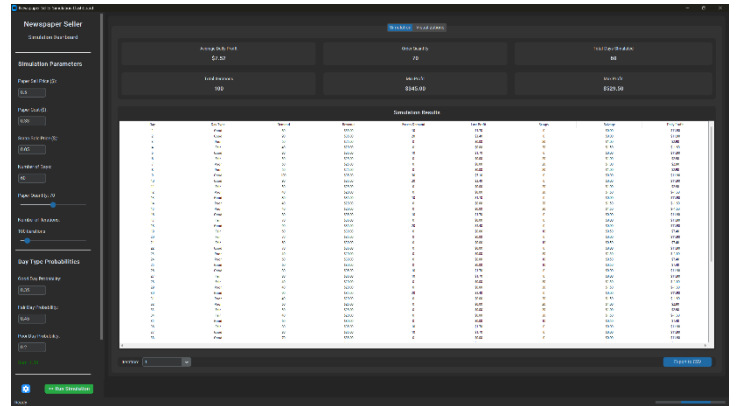
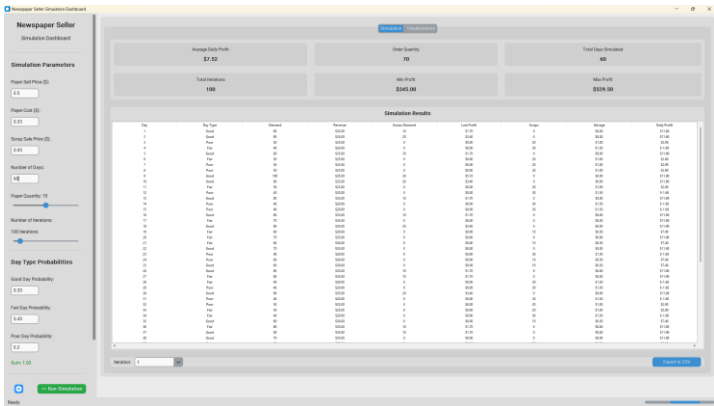
    return 0;
}

```

## Run

Let's Simulate...	Day	R1	Type	R2	Demand	Revenue	ExcessD	LostProfit	Scrap	Salvage	Profit
Quantity X = 40, Average Profit = 680.00 cents	1	0.08	Good	0.92	90	3000	30	510	0	0	1020
Quantity X = 50, Average Profit = 790.60 cents	2	0.72	Fair	0.56	60	3000	0	0	0	0	1020
Quantity X = 60, Average Profit = 831.00 cents	3	0.65	Fair	0.55	60	3000	0	0	0	0	1020
Quantity X = 70, Average Profit = 716.60 cents	4	0.35	Fair	0.57	60	3000	0	0	0	0	1020
Quantity X = 80, Average Profit = 557.20 cents	5	0.59	Fair	0.98	90	3000	30	510	0	0	1020
Quantity X = 90, Average Profit = 328.05 cents	6	0.00	Good	0.68	80	3000	20	340	0	0	1020
Quantity X = 100, Average Profit = 75.95 cents	7	0.76	Fair	0.11	50	2500	0	0	10	50	570
	8	0.60	Fair	0.28	50	2500	0	0	10	50	570
	9	0.01	Good	0.15	60	3000	0	0	0	0	1020
Optimal quantity to buy: 60 newspapers	10	0.36	Fair	0.58	60	3000	0	0	0	0	1020
Expected avg profit: 831.00 cents per day	11	0.13	Good	0.84	90	3000	30	510	0	0	1020
	12	0.62	Fair	0.68	70	3000	10	170	0	0	1020
Average profit over 30 days with X = 60: 855.00 cents	13	0.04	Good	0.45	80	3000	20	340	0	0	1020

# GUI Presentation



Good Fair Poor

**Demand Distribution for Good Days**

Demand	Probability
40	0.03
50	0.05
60	0.15
70	0.2
80	0.35
90	0.15
100	0.07

Sum: 1.00

[Cancel](#) [Save](#)

**Min Quantity:**

**Max Quantity:**

**Step Size:**

[Run Analysis](#)

**Select Theme:**

[Light](#)

[Close](#)

```

graph TD
    Start([Start]) --> Init[Set min to a large value]
    Init --> LoopStart(( ))
    LoopStart --> Cond1{i < N}
    Cond1 -- NO --> End([End])
    Cond1 -- YES --> Cond2{A[i] < min}
    Cond2 -- YES --> AssignMin[min = A[i]]
    AssignMin --> IncI[i = i + 1]
    Cond2 -- NO --> IncI
    IncI --> LoopStart
    
```

```

graph TD
    Start([Start]) --> Init[Initialize Plan, Day Type, Random Demand, Demand, Day Type, Cost, Sell, Profit, Sales]
    Init --> CalcCDF[Calculate CDF for Day type]
    CalcCDF --> GetInterval[Get the Day type Interval]
    GetInterval --> FindCUP[Find CUP for Demand]
    FindCUP --> GetRandNum[Generate Random num for Demand]
    GetRandNum --> GetDemand[Get the Demand]
    GetDemand --> Decision{Error < Quantity}
    Decision -- YES --> DailyError[Daily Error = (Quantity * paper sell price) - (Quantity * paper cost) - (Demand - Quantity * paper sell)]
    Decision -- NO --> DailyProfit[Daily Profit = (Demand * paper sell price) - (Quantity * paper cost) + (Quantity - Demand * scrap price)]
    DailyError --> End([End])
    DailyProfit --> End
  
```



## Results and Conclusion

- Present results in a table/graph: Quantity vs. Average Profit.
- Interpret how demand patterns and day types of influence profitability.