

Voronoi Diagram

Divide-And-Conquer

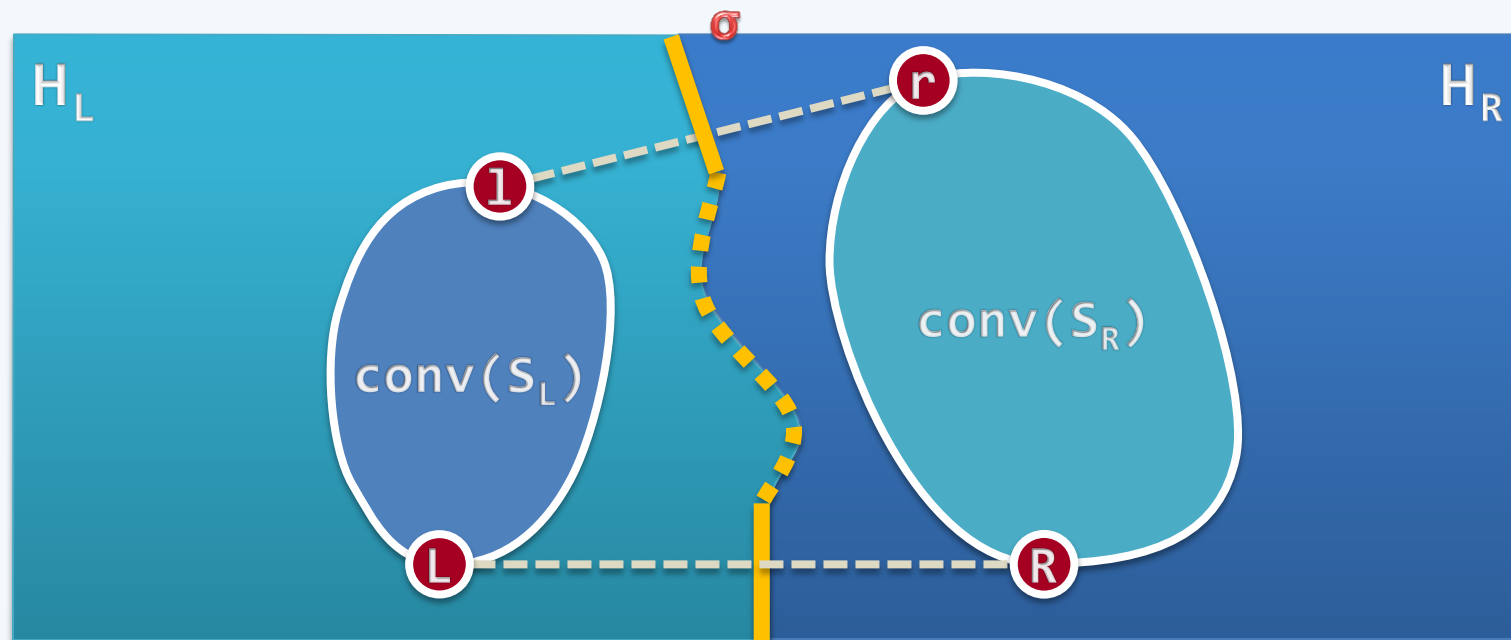
- Clip & Stitch

Junhui DENG

deng@tsinghua.edu.cn

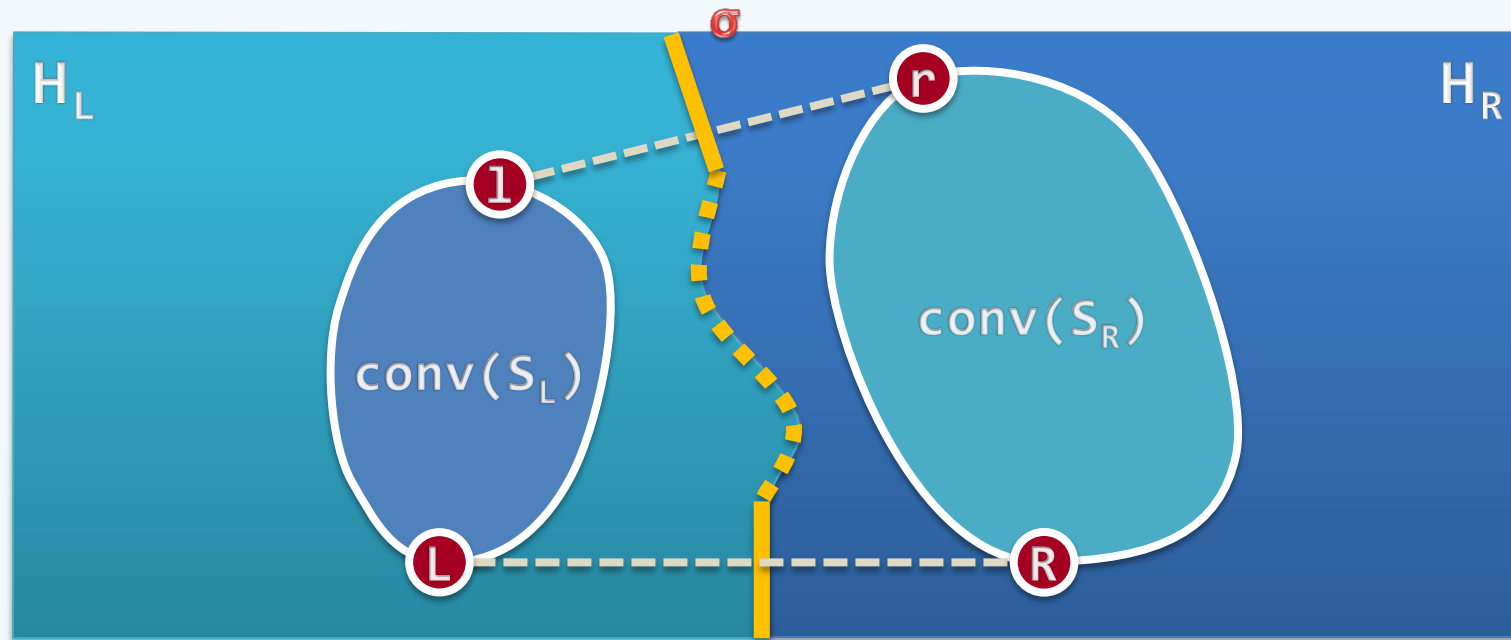
❖ Let H_L/H_R be the region of the plane to the left/right of σ

$$\begin{aligned}\text{❖ } \text{VD}(S) &= (\text{VD}(S_L) \cap H_L) \cup \sigma \cup (\text{VD}(S_R) \cap H_R) \\ &= (\text{VD}(S_L) \setminus H_R) \cup (\text{VD}(S_R) \setminus H_L)\end{aligned}$$



❖ To merge sub-diagrams $VD(S_L)$ and $VD(S_R)$, it suffices to

clip $\boxed{VD(S_L)}$ / $\boxed{VD(S_R)}$ with $\boxed{H_R}$ / $\boxed{H_L}$



ComputeContourBetween(VD(SL), VD(SR))

❖ //Construct the contour between two vertically separable sub-diagrams

compute the **upper tangent** of $\text{conv}(S_L)$ and $\text{conv}(S_R)$

//let $\boxed{l} \in S_L$ and $\boxed{r} \in S_R$ be tangent sites and \boxed{b} be the bisector of segment lr

trace the contour from top down

//assertion: $\text{Cell}(l) \cap \text{Cell}(r) \neq \emptyset$ and \boxed{b} is the bisector of \boxed{lr}

find $\boxed{b \cap \partial\text{Cell}(\boxed{l})}$ and $\boxed{b \cap \partial\text{Cell}(\boxed{r})}$

clip and then **flip** the cell whose boundary intersects \boxed{b} **first**

update \boxed{l} or \boxed{r} //according to cell clipping

update \boxed{b}