

3D-SpLineNet: 3D Traffic Line Detection using Parametric Spline Representations

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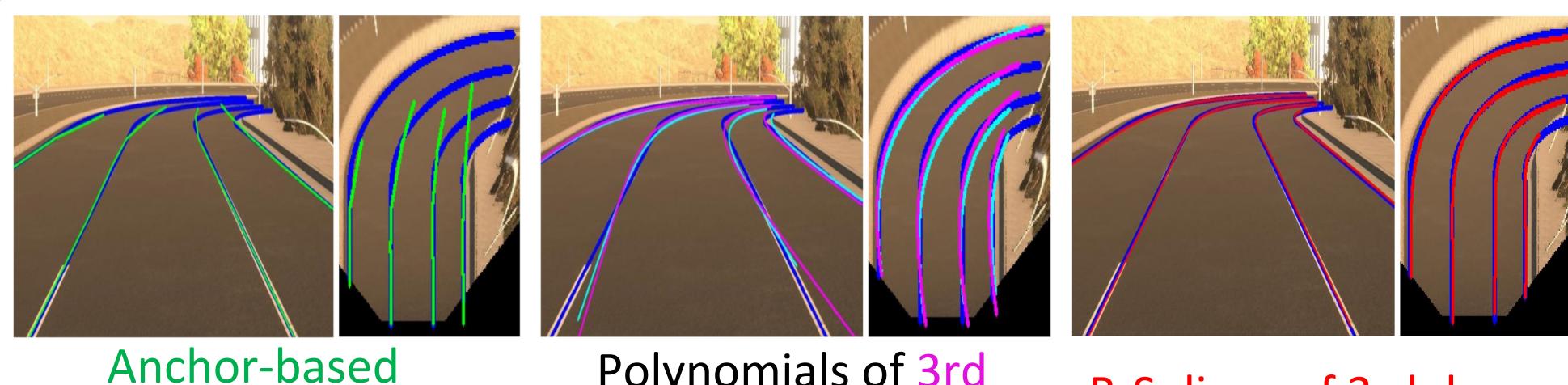
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I. Motivation and Contributions

Abstract. We present a method to detect 3D traffic lines from single RGB images. To overcome limitations of discrete anchor- or grid-based approaches we propose a parametric lane representation based on sophisticated B-Splines.

Lane detections using different representations for typical road shape



Anchor-based (Gen-LaneNet [2])

Polynomials of 3rd and 5th degree

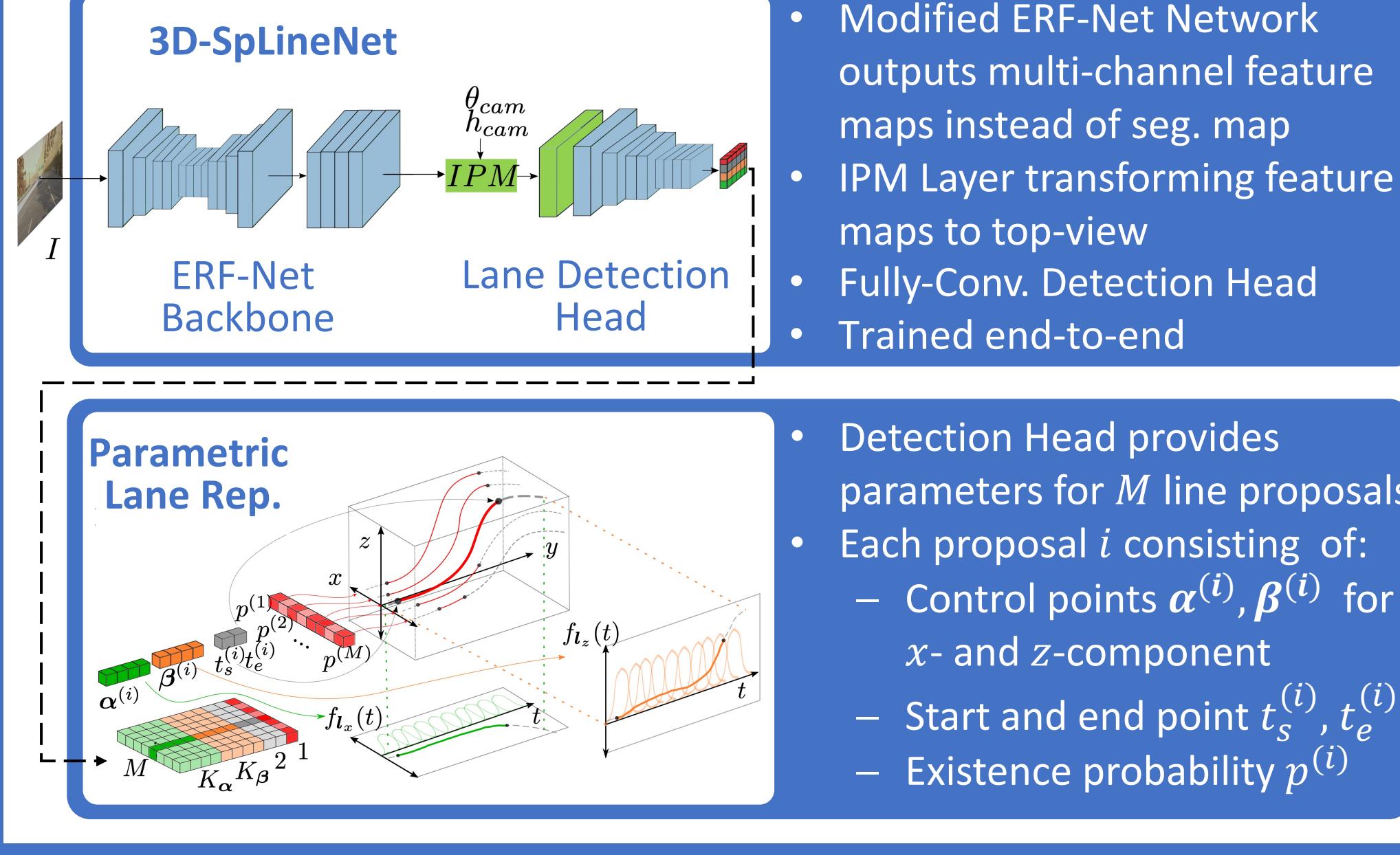
B-Splines of 3rd degree

- Discrete / not smooth
- Fail for strong deviations from anchor
- Requires high degrees for simple road shapes
- Not suited for lanes
- Benefits of parametric representations
- Suited for typical roads

Contributions

- A new representation to model 3D lanes with parametric B-Splines
- An end-to-end-trainable detection network called **3D-SpLineNet**
- SOTA performance on Apollo 3D Lanes Synthetic benchmark

II. Overview of Method



- Modified ERF-Net Network outputs multi-channel feature maps instead of seg. map
- IPM Layer transforming feature maps to top-view
- Fully-Conv. Detection Head
- Trained end-to-end

- Detection Head provides parameters for M line proposals
- Each proposal i consisting of:
 - Control points $\alpha^{(i)}, \beta^{(i)}$ for x - and z -component
 - Start and end point $t_s^{(i)}, t_e^{(i)}$
 - Existence probability $p^{(i)}$

III. Parametric Representation

3D Lane Representation

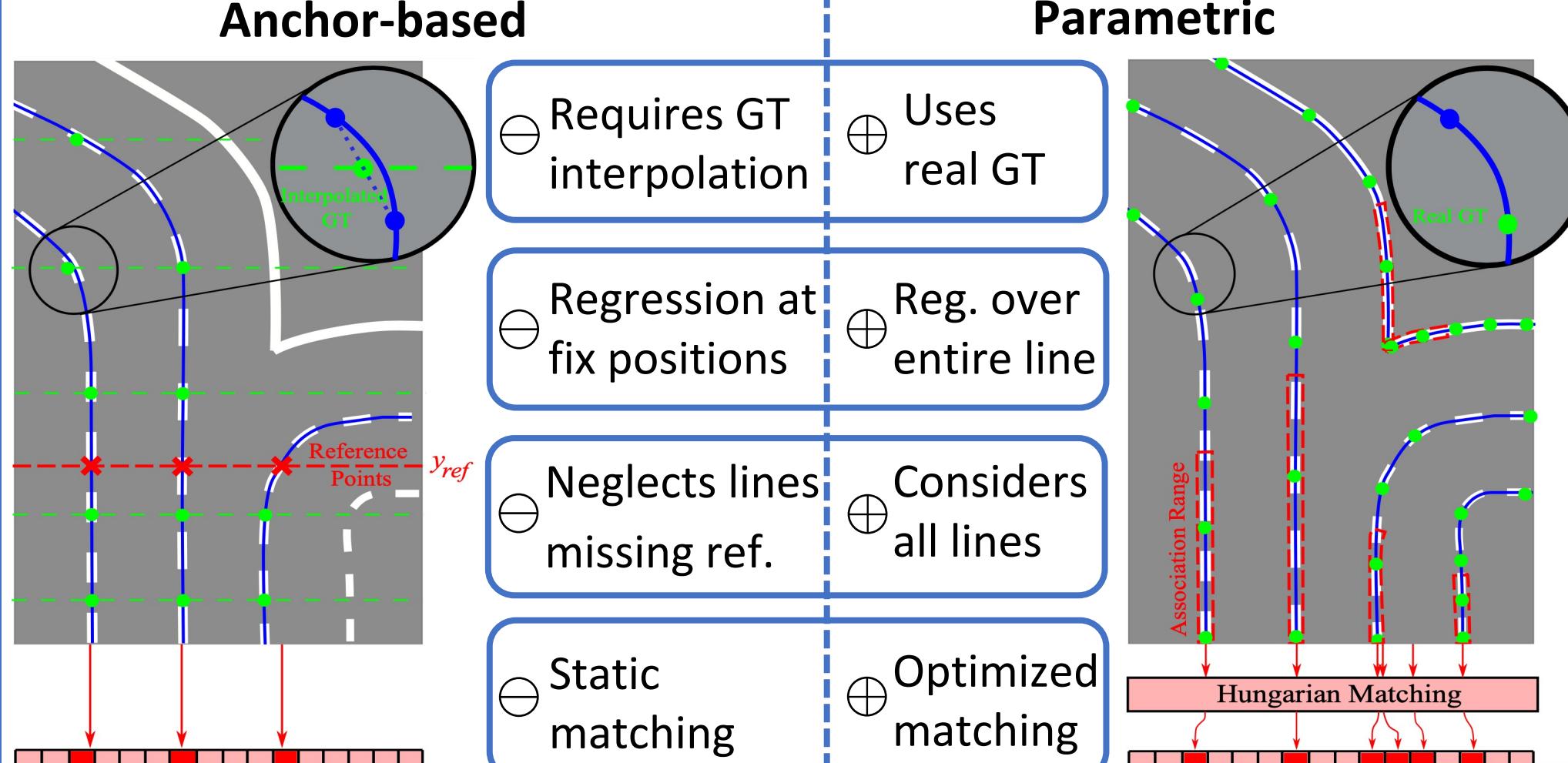
$$\mathbf{l}(t) = \begin{pmatrix} x(t) \\ y(t) \\ z(t) \end{pmatrix} = \boldsymbol{\eta} \odot \begin{pmatrix} f_{l_x}(t) \\ t \\ f_{l_z}(t) \end{pmatrix}$$

Normalization vector

$$\boldsymbol{\eta} = \begin{pmatrix} x_{max} \\ y_{max} \\ z_{max} \end{pmatrix}$$

$$\begin{aligned} x\text{-comp} \quad f_{l_x}(t) &= \sum_{k=1}^{K_B} \alpha_k \cdot B_{k,d}(t) \\ z\text{-comp} \quad f_{l_z}(t) &= \sum_{k=1}^{K_B} \beta_k \cdot B_{k,d}(t) \end{aligned}$$

Start- / end-point

 $t \in [t_s, t_e]$


IV. Training Objective

Classification loss

$$\mathcal{L}_c = - \sum_{i=1}^M \hat{p}^{(i)} \log p^{(i)} + (1 - \hat{p}^{(i)}) \log(1 - p^{(i)})$$

Shape matching loss

$$\mathcal{L}_s = \int_{\hat{t}_s}^{t_e} \|\mathbf{w}(t) \odot (\mathbf{f}_l(t) - \boldsymbol{\eta}^{-1} \odot \hat{\mathbf{l}}(t))\|_1 dt$$

Range loss

$$\mathcal{L}_r = |t_s - \hat{t}_s| + |t_e - \hat{t}_e|, \quad \text{with } t_s < t_e$$

Final loss function

$$\mathcal{L} = \lambda_c \cdot \mathcal{L}_c + \sum_{i=1}^M \hat{p}^{(i)} \cdot (\lambda_s \cdot \mathcal{L}_s^{(i)} + \lambda_r \cdot \mathcal{L}_r^{(i)})$$

V. Comparison to State-of-the-art

Quantitative Evaluation

on Apollo 3D Lanes Synthetic dataset [2]

Method	F	AP	x-error		z-error	
			near	far	near	far
3D-L.[1]	86.4	89.3	6.8	47.7	1.5	20.2
Gen-L.[2]	88.1	90.1	6.1	49.6	1.2	21.4
Ours	96.3	98.1	3.7	32.4	0.9	21.3

Standard test set

3D-L.	72.0	74.6	16.6	85.5	3.9	52.1
Gen-L.	78.0	79.0	13.9	90.3	3.0	53.9
Ours	92.9	94.8	7.7	69.9	2.1	56.2

Rare Scenes test set

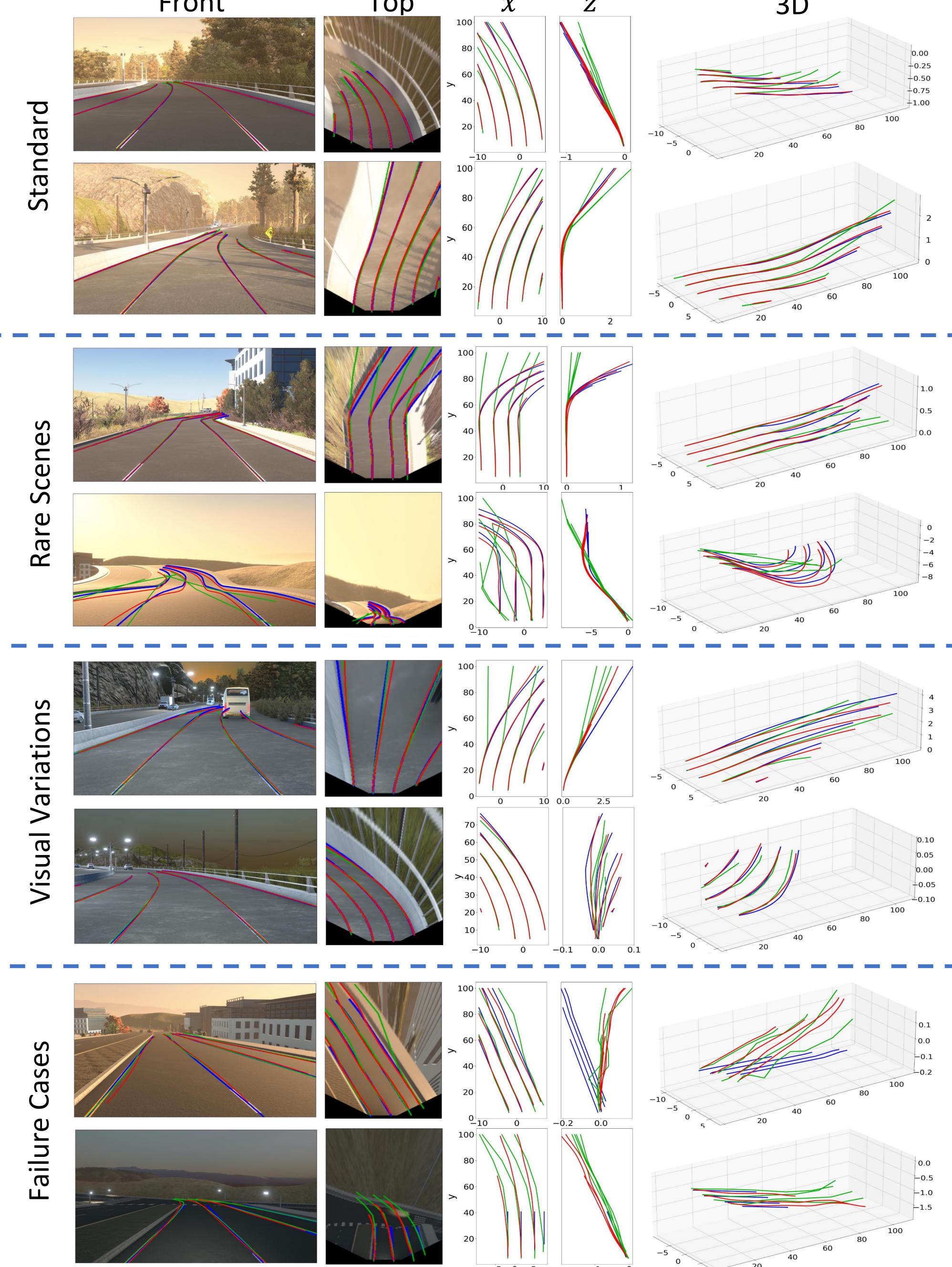
3D-L.	72.5	74.9	11.5	60.1	3.2	23.0
Gen-L.	85.3	87.2	7.4	53.8	1.5	23.2
Ours	91.3	93.1	6.9	46.8	1.3	24.8

Visual Variations test set

Method	3D-L.	Gen-L.	Ours
Runtime	41.9 fps	36.3 fps	74.3 fps

All methods evaluated on NVIDIA GeForce Titan X

Qualitative Evaluation



VI. Ablation Studies

Association Criterion

- Association range matching surpassing fixed ref. point
- Best results for 40 %

Ref.	20 m	First 20 %	First 40 %	100 %
F	90.7 %	92.1 %	92.9 %	91.2 %
AP	92.5 %	94.1 %	94.8 %	93.4 %

Analysis of Representations

- Polynomials of degree 2-3 not sufficient
- 3rd degree splines sufficient even for few knots
- Impact of knot number decreases for higher values
→ 5 knots sufficient

Rep.	d	N	F	x-error		z-error	
				near	far	near	far
Poly.	2	—	88.0	14.0	83.1	2.4	58.1
	3	—	90.4	13.6	75.4	2.6	57.3
	5	—	91.6	9.6	74.8	2.4	58.2
B-Sp.	1	3	81.3	26.3	102.3	3.0	58.1
	3	3	90.8	9.9	69.7	2.4	56.4
	3	5	92.5	8.2	68.3	2.2	56.
	1	10	91.5	9.1	71.3	2.2	56.3
	3	15	91.6	9.1	70.8	1.8	56.3

VII. Conclusion and Future Work

In summary:

- Parametric representations show benefits over discrete anchor-based
- B-Splines of 3rd degree sufficient to model complex road shapes
- SOTA performance of 3D-SpLineNet

In future we investigate:

- Ways to improve height estimation
- Better initialization strategies with 3-component representation
- Weakly supervised approaches using 2D ground truth