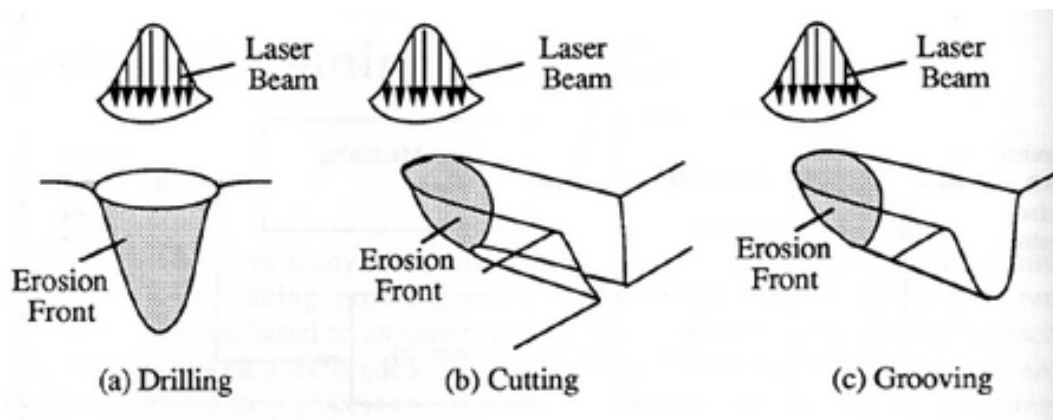


Physics of Laser Cutting

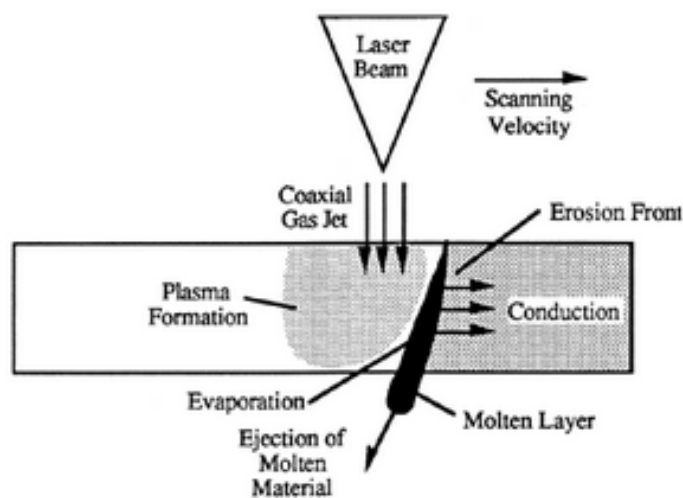
Laser Machining Processes

Several major laser machining processes are illustrated below. (The notable omission is welding, beyond the scope of this document.)



(Chryssolouris, 1991)

This diagram illustrates the cutting process in cross section. Note that a gas assist can be used to speed cutting of metals.



(Chryssolouris, 1991)

Drilling Rates

A simple method of analysis is proposed in (Wilson, 1987).

The energy to vaporize a mass m of solid material at initial temperature T is

$$E_v = m(C_S(T_m - T) + C_L(T_v - T_m) + L_f + L_v)$$

C_S = solid specific heat capacity

C_L = liquid specific heat capacity

T_m = melting point

T_v = boiling point

L_f = latent heat of fusion

L_v = latent heat of vaporization

Usually, $L_f \ll L_v$ and $T \ll T_v$, and $C_S \gg C_L = C$. We then have the simple form $E_v = m(CT_v + L_v)$.

Now, consider a circular laser beam of area A boring into the surface of such a material with a velocity v_s directed into the material. It must remove a section of mass $v_s \rho A$ per unit time.

Ignoring reflectance from the material surface, the heat flow is equal to the beam power P .

Assuming a beam with diameter d and equal power over A , we have $P = v_s \rho (\pi d^2/4)(CT_v + L_v)$.

If v_s exceeds the normal rate of heat diffusion into the material, this equation is fairly accurate for estimating drilling rates or hole depths. To find hole depths, solve for the quantity $v_s t$, where t is the duration of the beam pulse. For example, consider a 100-msec pulse from a 10W laser with a beam diameter of 1mm. If this were to strike a Perspex (methyl methacrylate) sheet, the resultant hole would have a depth of 1.6mm.

Note the inverse-square dependence of hole depth on beam diameter. Halving the beam diameter results in a hole four times deeper. This highlights the importance of beam focusing in laser machine design.

Cutting Rates

This model can be used to estimate cutting rates as well. Consider the laser scanning over the surface of the material with velocity v_b . As it scans, it cuts through the material to a depth $z = v_s d / v_b$. We now have

$$P = (\pi/4) z v_b \rho d (CT_v + L_v)$$

The following table can then be used to approximate the laser power necessary to cut a given material.

Table 5.1

Material	Thermal conductivity† (K) (W m ⁻¹ K ⁻¹)	Thermal diffusivity (κ) (m ² s ⁻¹) (10 ⁻⁶)	Specific heat capacity (C) (J kg ⁻¹ K ⁻¹)	Density (ρ) (kg m ⁻³)	Melting point (T _m) (K)	Boiling point (T _b) (K)	Latent heat of vaporization (L _v) (J kg ⁻¹) (10 ⁶)
Aluminum	238	97.3	903	2710	932	2720	10.90
Copper	400	116.3	385	8960	1356	2855	4.75
Iron	82	23.2	449	7870	1810	3160	6.80
Mild steel	45	13.6	420	7860	1700		
Stainless steel (304)	16	4.45	460	7818	1700		
Nickel	90	22.8	444	8900	1728	3110	6.47
Silver	418	169	235	10500	1234	2466	2.31
Alumina (ceramic)	29	9.54	800	3800	2300		
Perspex	0.2	0.11	1500	1190	350		
Silicon	170	103	707	2330	1680	2628	10.6

†Measured at 300 K, values fairly strongly temperature dependent.

(Wilson, 1987)

(Chryssolouris, 1991) describes a model that accounts for the material absorptivity as well.

$$z = \frac{2aP}{(\rho v d \sqrt{\pi})(c_p(T_v - T) + L_f)}$$

s = cutting depth

a = material absorptivity

P = laser beam power

ρ = material density

v = scanning velocity

d = beam spot diameter

c_p = specific heat

T_v = temperature at surface (melting temp.)

T = temperature of ambient

L = latent heat of fusion

Note the following:

- The cutting depth is proportional to P/vd , which is the energy input per area of workpiece.
- Cutting depth is small for materials with a high melting point and a high latent heat of evaporation.