LiDAR and Thermal Image Situational Awareness

Eyassu Mongalo, Megan Hu Advisor: Mizanur Rahman Jewel

May 2025

Overview of what we learned Intro - 1

- ► Papers read
 - PointNet
 - ▶ PointNet++
 - ▶ Point Transformer
- Programming Project
 - Point Transformer "TITLE"

PointNet - 1

Paper on Point Sets for 3D Classification and Segmentation (spend this time talking about the intro/conclusion)

- ► Point Cloud properties
- Abstract View of Process
- PointNet architecture
- Analysis and Experiments

Point Cloud PointNet - 2

Point clouds have many interesting properties as a set of (x, y, z) coordinates

- Unordered sets need to be invariant under N! permutations
- Interactions among points neighboring points form a meaningful subset
- Invariance under transformations segmentation and category should remain unchanged

PointNet architecture

PointNet - 3

There are 3 main factors to PointNet's architecture

- Maxpooling Symmetric function for unordered input
- ► Local/Global feature combination Information Aggregation
- ▶ Joint Alignment Network Alignment of input points and features
- (Include image of the archtechture lol)

3 Possible Methods for a way to work with a function S.T. it's invariant to permutations

- Order Find a way to canonically order set
 - If possible requires an Bijection to 1D
- ► Train an RNN Treat Input as a Sequence train
 - Impossible to totally omit order in a RNN
- Simple Abelian Function Find a simplee symetric function
 - By commutative property such a function is invariant to permutations
 - Maxpooling has shown to have the best results out of the abelian functions

Maxpool's purpose

PointNet - 5

Maxpool attempts to approximate a general function

$$f(\lbrace x_1,\ldots,x_n\rbrace)\approx g(h(x_1),\ldots,h(x_n))$$

where $f: 2^{\mathbb{R}^N} \to \mathbb{R}$, $h: \mathbb{R}^N \to \mathbb{R}^K$, and

$$g: \underbrace{\mathbb{R}^K \times \cdots \times \mathbb{R}^K}_{n} \to \mathbb{R}$$

is a symmetric function.

- g(x) Composition of single variable function and a max pooling function
- h(x) Function that gets approximated by a multilayer perceptron

different h(x) can be used to approximate different f(x).

${\sf Local/Global\ feature\ Aggregation}$

PointNet - 6

The previous output for the previous slides is a vector

$$[f_1, ..., f_K]$$

- ▶ Global Signature this is the signature of the input set
 - Easily able to train SVM or MLP classifier with this
- Point segmentation A combination of both local and global features
 - For point segmentation we must feed the global features back
 - This is done by concatenating point features with its global features
 - Now it can extract new features based on the combined ones, this time aware of both local and global information

How to train model to recognize structure independant of orientation

- Mini Network JAN is a Mini network designed to predict an affine transformation matrix
 - ► Mini Network resembles larger one
 - ► The transformed matrix gets constraineed to be close to the orthogonal one

$$L_{reg} = ||I - AA^T||_F^2$$

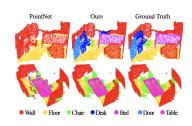
Analysis and Experiment

- ► **Universal Approximation** Given enough neurons at the max pooling layer f can be arbitrarily approximated by our network
- ▶ Bottleneck dimension small corruptions or extra noise points in the input set are not likely to change the output of our network
- **Experiments** Shown to be better than state of the art

PointNet++ Motivation

PointNet++-1

- PointNet was revolutionary in handling unordered 3D point clouds directly.
- But it cannot capture local geometric features (e.g., edges, corners).
- PointNet++ extends PointNet with a hierarchical framework to model local structures.
- Inspired by how CNNs process images through local patches.



Hierarchical Feature Learning

PointNet++-2

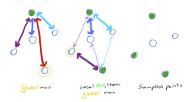


Illustration of local grouping & feature abstraction

How PointNet++ learns structure:

- Local regions are defined using Euclidean distance.
- Region centers chosen by Farthest Point Sampling (FPS).
- PointNet applied to each region to extract features.
- Features grouped recursively into a hierarchy.
- Learns both fine details and global context.

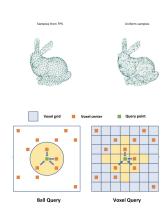
Hierarchical Set Abstraction

PointNet++-3

Each abstraction layer in PointNet++ contains:

- Sampling layer: Selects well-distributed centroids using Farthest Point Sampling (FPS).
- Grouping layer: Forms local neighborhoods via Ball Query or k-NN.
- PointNet layer: Learns zone-level features using relative coordinates.

These layers are stacked to build a robust feature hierarchy.

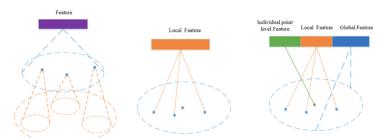


Density Adaptation

PointNet++ - 4

To handle **non-uniform sampling density**, PointNet++ introduces two strategies:

- Multi-Scale Grouping (MSG): Extracts features at multiple radii and uses input dropout during training to improve robustness.
- Multi-Resolution Grouping (MRG): Combines raw and abstracted features efficiently, adjusting based on local point density.



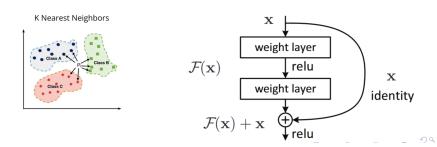


Feature Propagation for Segmentation

PointNet++-5

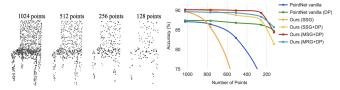
To restore point-level features for segmentation, PointNet++ combines three techniques:

- ► **Interpolation**: Uses inverse distance weighted k-NN to estimate features at non-sampled points.
- ▶ **Skip connections**: Brings in earlier-layer features to preserve fine-grained context.
- Unit PointNet: Applies shared MLPs to refine each point's feature individually.



Experiments

PointNet++ - 6



Evaluation overview:

- Tested on MNIST and ModelNet40 for classification.
- Tested on SHREC15 and ScanNet for segmentation and shape analysis.
- ► Shows robustness to point dropout accuracy remains high even when reducing test points from 1024 to 256.
- ► Thanks to multi-scale (MSG) and multi-resolution (MRG) strategies, PointNet++ handles sparse data effectively.
- Outperforms voxel-based baselines by avoiding quantization and directly learning from raw point clouds.



Non-Euclidean Classification

PointNet++-7

- On SHREC15, PointNet++ uses geodesic distance instead of Euclidean distance.
- Uses intrinsic features: WKS, HKS, and multi-scale Gaussian curvature.
- Geodesic neighborhoods preserve surface structure even under non-rigid deformations.
- Greatly outperforms XYZ + Fuclidean baselines.



(a) Horse (b) Cat (c) Horse Figure 7: An example of non-rigid shape classification.

Plans for Next Week

Closing - 1

Focus Areas

- ► More papers Read 2+ papers on Thermal Transformers
- Mini Project #3 Complete a short PyTorch Project on VisionTransformer
- Thermal Deepen understanding of feature extraction from sensor data.

Weekly Flow

 $Read \rightarrow Test \rightarrow Build \rightarrow Reflect$

Works Cited I

Closing - 2



Qi, C. R., Yi, L., Su, H., & Guibas, L. J. (2017). PointNet++: Deep hierarchical feature learning on point sets in a metric space. https://arxiv.org/pdf/1706.02413.

Accessed 29 May 2025.

Zhao, H., Jiang, L., Jia, J., Torr, P. H. S., & Koltun, V. *Point Transformer*. https://arxiv.org/pdf/2012.09164. Accessed 29 May 2025.

Works Cited II

Closing - 2



Vaswani, A., Shazeer, N., Parmar, N., Uszkoreit, J., Jones, L., Gomez, A. N., Kaiser, Ł., & Polosukhin, I. (2017). Attention is All You Need.

https://arxiv.org/pdf/1706.03762. Accessed 29 May 2025.



Google Colab. (n.d.). Neural Networks. 3Blue1Brown, YouTube. https://colab.research.google.com/drive/ 18-r47vgJSdtQkfIzKkadfpQtEpEf0Y9Q. Accessed 29 May 2025.