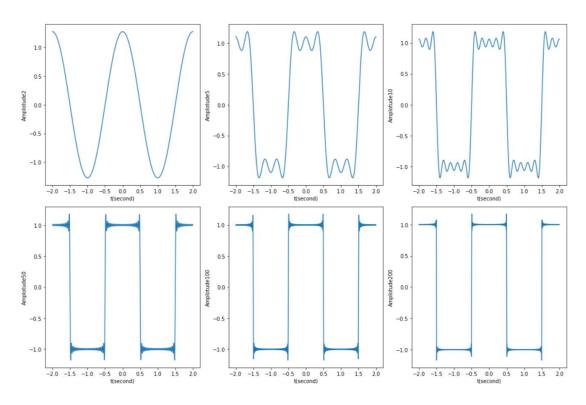
CH05 實戰 5

```
1 import numpy as np
2 import cv2
3 from matplotlib import pyplot as plt
4 from google.colab import drive
5 from google.colab.patches import cv2_imshow
7 drive.mount('/content/drive')
8 img = cv2.imread("/content/drive/My Drive/Colab Notebooks/image_processing/img_for_ch5.jpg", -1)
9 print(img. shape)
10
11 newimg = cv2.bilateralFilter(img, 5, 100, 100)
13 plt. figure (figsize = (15, 10.05))
14
15 plt. subplot(1, 2, 1)
16 plt. imshow(cv2.cvtColor(img, cv2.COLOR_BGR2RGB))
17 plt. title('original', fontsize = 15, color = 'r')
19 plt. subplot(1, 2, 2)
20 plt.imshow(cv2.cvtColor(newimg, cv2.C0LOR_BGR2RGB))
21 plt. title('Bilaterial Filtering', fontsize = 15, color = 'r')
23 plt. tight_layout()
24 plt. show()
```



CH06 實戰 1

 $\begin{array}{l}
(1n = \frac{1}{T} \int_{-\overline{k}}^{\overline{k}} \chi(t) \cos (n\omega t) dt \\
= \frac{2}{T} \int_{0}^{T} \cos (n\omega t) dt \\
= \frac{2}{T} \frac{1}{n\omega} (\sin n\omega t) \Big|_{0}^{\overline{k}} - \sin (n\omega t) \Big|_{\overline{k}}^{\overline{k}}, \\
= \frac{1}{n\pi} \left[\sin \frac{n\pi}{2} - (\sin n\pi) - \sin \frac{n\pi}{2} \right] \\
= \left(\frac{(-1)^{\frac{k}{2}}}{n\pi} , h = 1,35, \dots k = 1,2,3... \\
0, h = 3,4,6... \\
\chi(t) = \frac{2}{T} (\cos \omega t - \frac{1}{3} \cos 2\omega t - \frac{1}{6} \cos 5\omega t - \dots)
\end{array}$



簡答題

- 1. 針對下列的濾波器回答問題
- (a) 平均濾波 (b) 高斯濾波 (c) 中值濾波 (d) 雙邊濾波
- A. 是否為線性濾波器

Ans: 平均濾波和高斯濾波為線性濾波器,而中值濾波和雙邊 濾波不是線性濾波器

B. opencv 提供何種函數來計算影像處理的結果

Ans:

平均濾波器:cv2.blur

高斯濾波器:cv2.GaussianBlur

中值濾波器:cv2.medianBlur

雙邊濾波器:cv2.bilateralFilter

2. 試解釋數位影像與其在頻率域的關係

若影像以平滑成份居多的話,則其低頻成分較多,若邊緣成 分較多的話,則其高頻成分較多,若雜訊較多,則其高頻成 分較多