

EEEN3006J

# Wireless Systems

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# Purpose of this lecture

- As we have seen, wireless signals are often very weak. For this reason, we must use **amplifiers** to boost the signal.
- In this lecture, we will discuss some aspects of these, in particular of FET and bipolar transistors.



# Purpose of this lecture

- Wireless signals are often very weak; powers of pW and smaller are common. We must amplify these signals to make them useful.
  - We often require these **amplifiers** have
    - high gain
    - low noise
    - and high bandwidth
- } Difficult combination, especially at high frequencies
- All of this is required at high frequencies.
    - As we will see, we can sometimes design our systems so key steps occur at lower frequencies.



- Most radio frequency systems now use transistors.
  - Gallium arsenide Field Effect Transistors (FETs).
  - Silicon or silicon germanium bipolar transistors (BJTs).
  - Heterojunction bipolar transistors (HBTs).
  - High electron mobility transistors (HEMTs).
- These transistors are cheap, reliable and can be used in discrete or integrated circuits.



- Transistor amplifiers
  - Can be used for frequencies up to 100GHz.
  - Are available in low-noise designs.
  - Can be used up to medium power.
- For high power applications, tube amplifiers are still used, but transistors still being developed.



# FET and Bipolar transistors

Frequency	GaAs FET		GaAs HEMT		Si Bipolar		GaAs HBT	
GHz	Gain	$F_{\min}$	Gain	$F_{\min}$	Gain	$F_{\min}$	Gain	$F_{\min}$
4	20	0.5			15	2.5		
8	16	0.7			9	4.5		
12	12	1.0	22	0.5	6	8	20	4
18	8	1.2	16	0.9			16	
36			12	1.7			10	
60			8	2.6			7	

The noise figure,  $F_{\min}$ , describes the cost in dB to the SNR of a signal passing through the amplifier. An ideal amplifier would have a noise figure of 0.

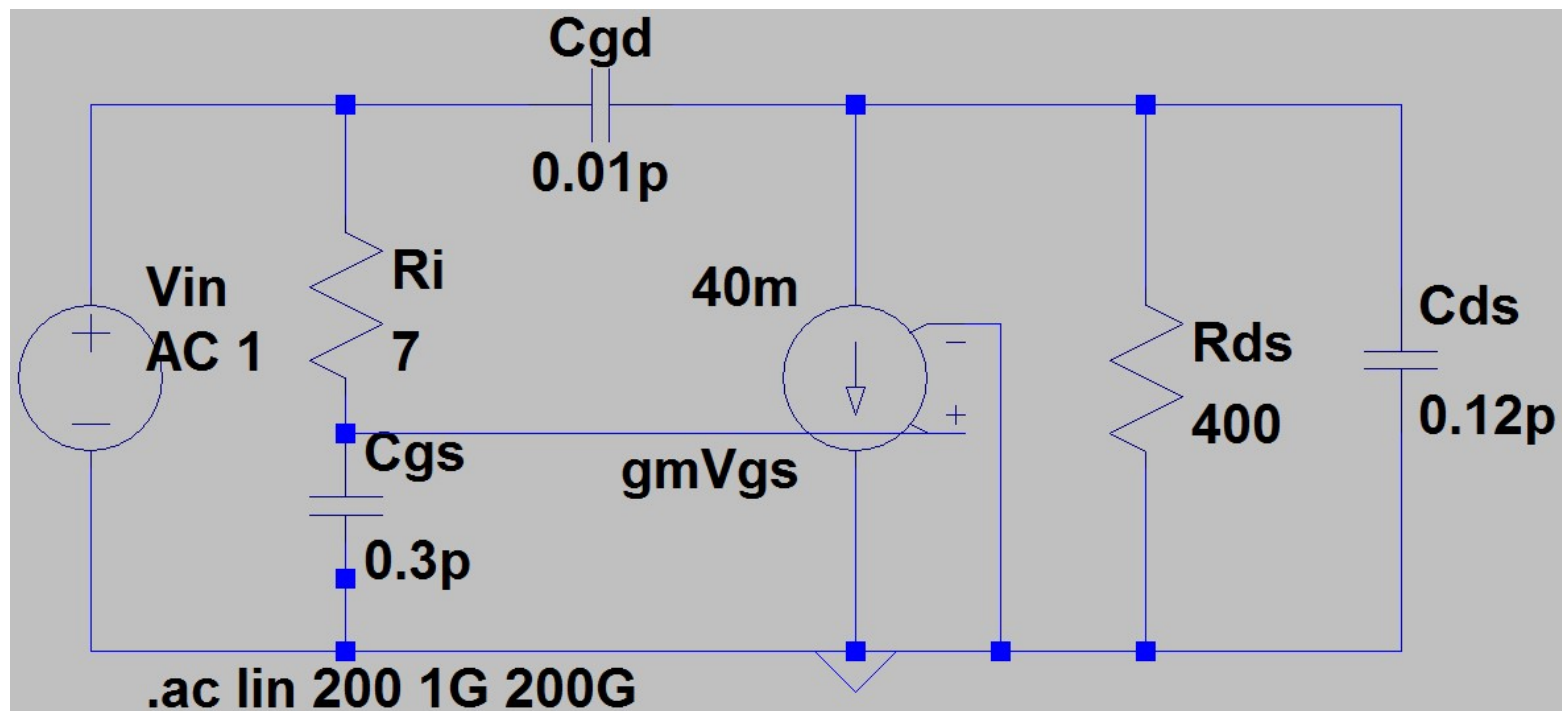


# FETs

- Good gain and noise figures make them the device of choice in many applications
  - Especially for frequencies over  $\sim 5$  GHz.
- GaAs devices used because of high electron mobility compared with Si.
- No shot noise.
- Max frequency limited by gate length.
  - 0.3 microns  $\sim 100$  GHz.



# Small signal model (common source)





# Gain vs Frequency



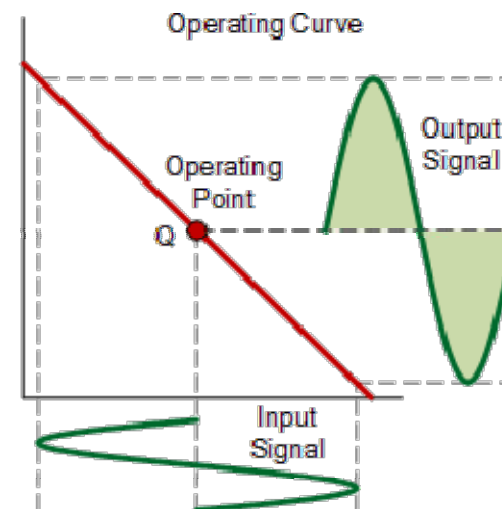
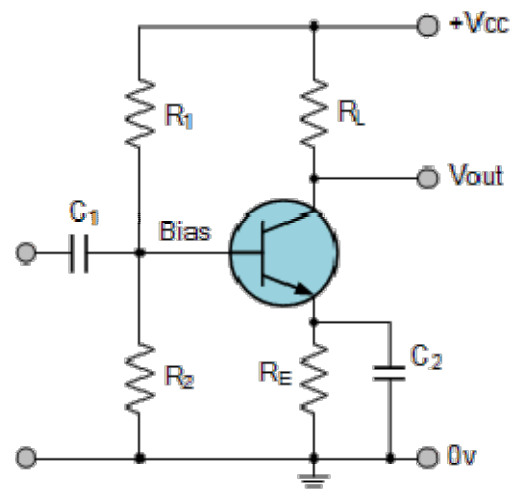
For the parameters in this example, we see that the small signal gain falls to 0 dB (i.e. 1) at ~50 GHz. Above this frequency, it is of no use as an amplifier.



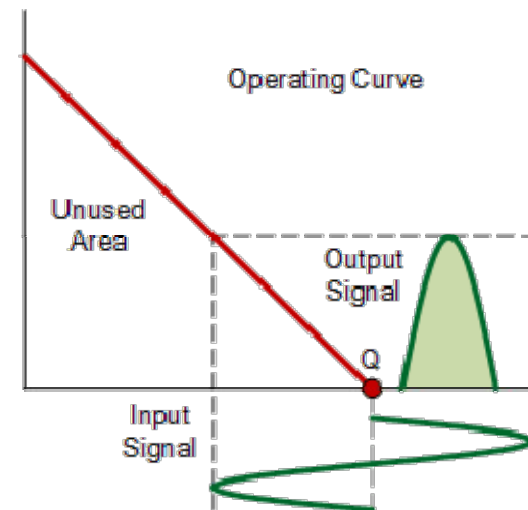
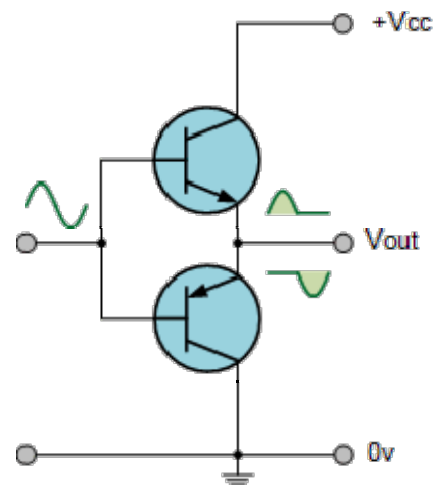
- We must apply a suitable DC bias to the transistor so it is at an appropriate operating point.
- This depends on the class (A, AB, B) and type (FET, bipolar, HBT, HEMT) of the transistor.



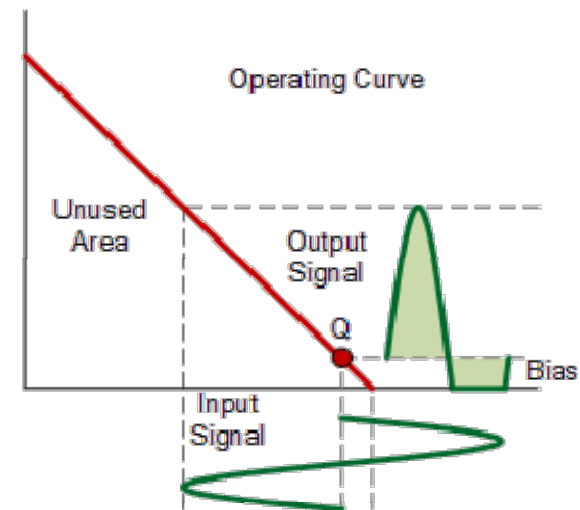
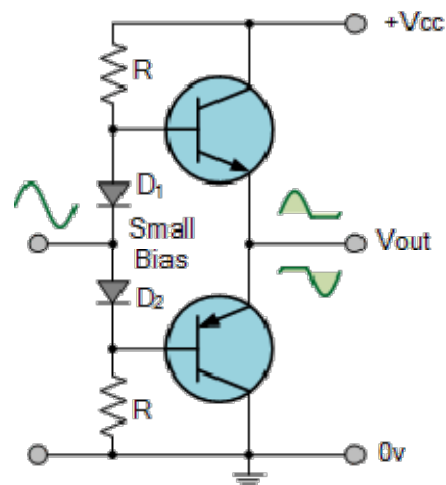
- Class A amplifier



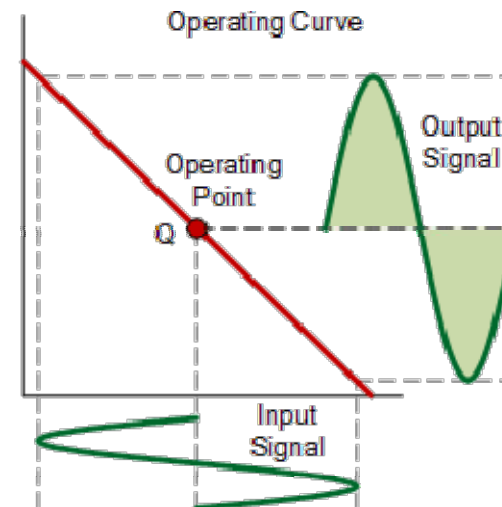
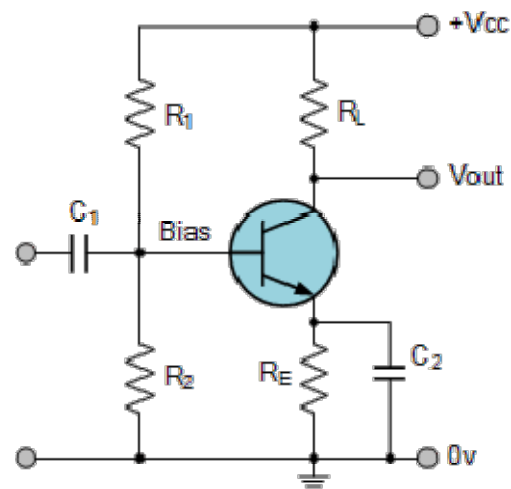
- Class B amplifier



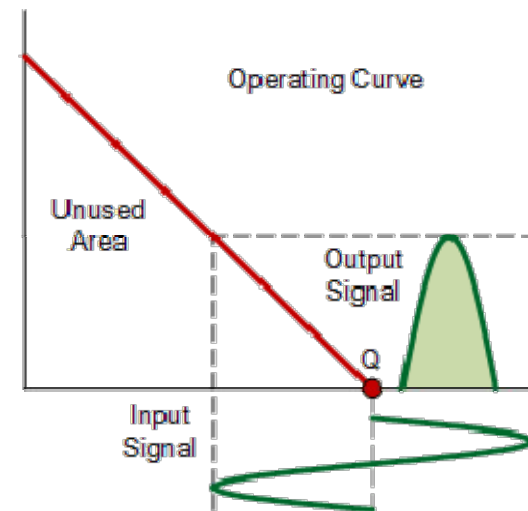
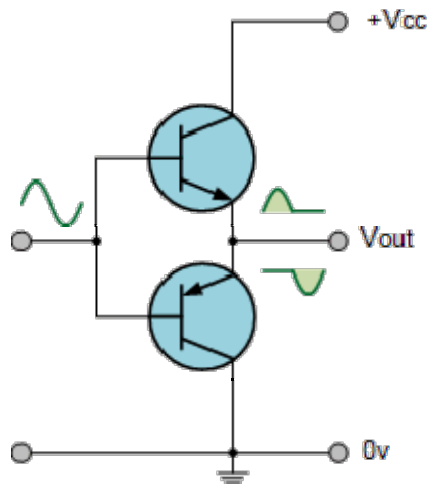
- Class AB amplifier



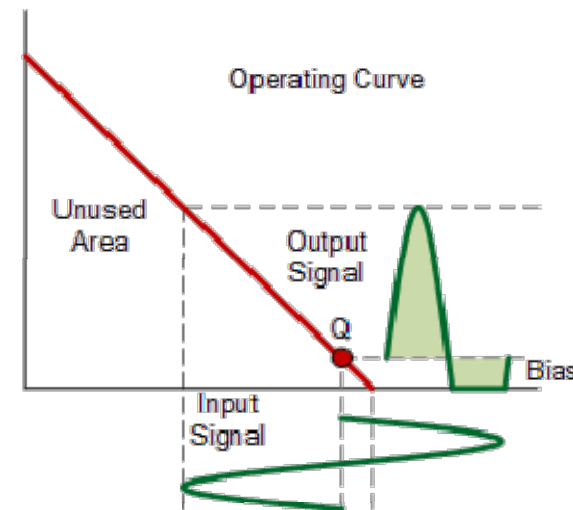
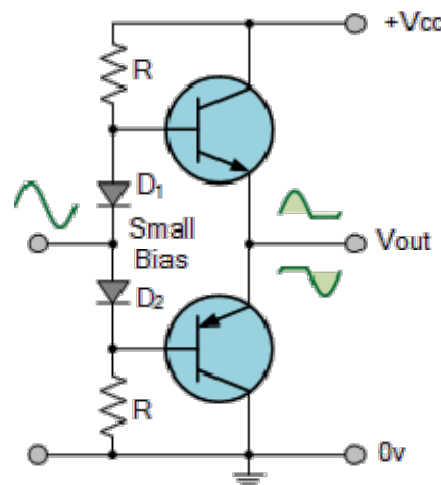
- Class A amplifier – always biased on.



- Class B amplifier – complementary pair of transistors.
  - Trades linearity for better efficiency and lower heating.



- Class AB amplifier – variation of a class B where both devices conduct at the same time around the waveforms crossover point eliminating the crossover distortion problem.





# Bipolar transistors

- Usually npn type.
- Often preferred under 4 GHz for higher gain and lower cost.
  - Higher transconductance in small signal model leads to higher gain, but larger capacitances degrade performance at higher frequencies more quickly.
  - Upper frequency limit depends primarily on base length  $\sim 100$  nm.
- Suffer from shot noise – noise figures are higher (i.e. worse) than those of FETs.



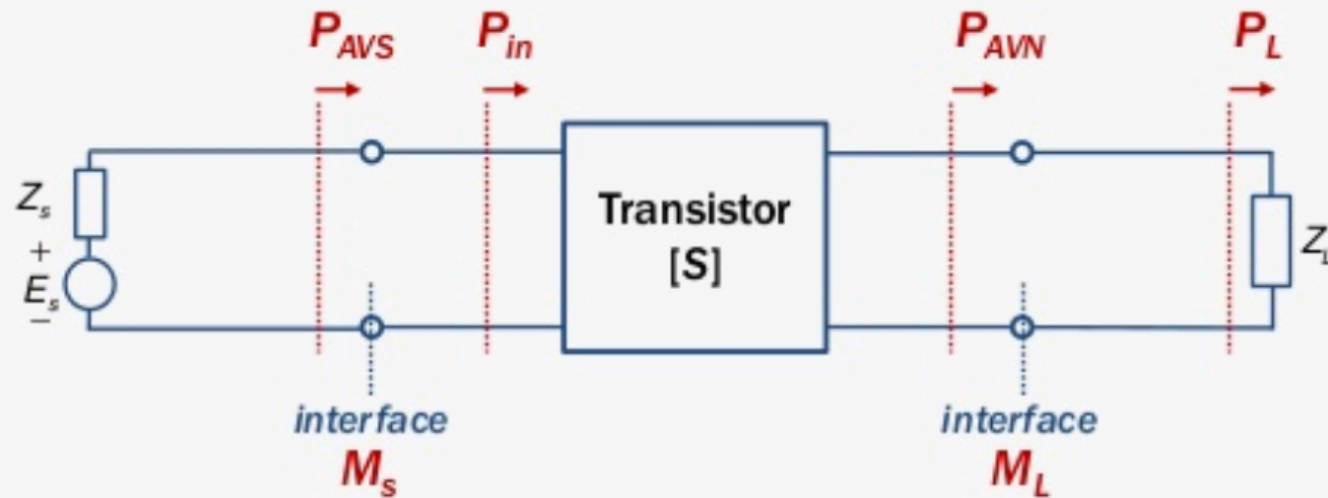
## 2-Port Power Gains

- There are different definitions of gain – power gain, available gain and transducer gain – but they are all the same if the source and load are matched to the input and output impedance of the amplifier.
- The gain can be given in terms of the S parameters and load impedance:

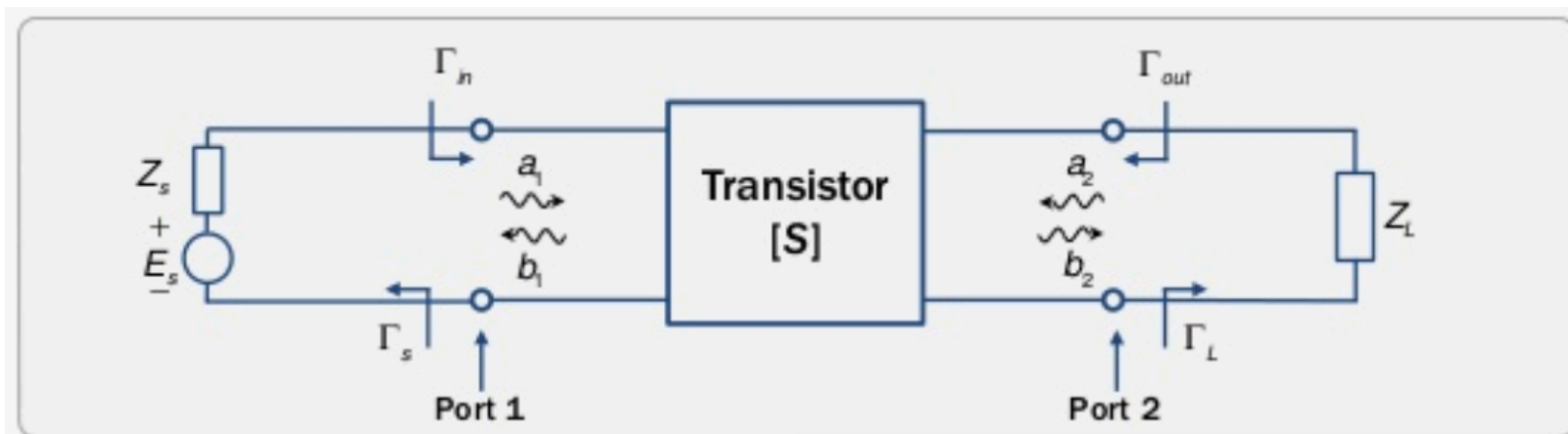
$$G = \frac{|S_{21}|^2(1 - |\Gamma_L|^2)}{(1 - |\Gamma_{in}|^2)|1 - S_{22}\Gamma_L|^2}$$



- where  $\Gamma_{in} = S_{11} + \frac{S_{12}S_{21}\Gamma_L}{1 - S_{22}\Gamma_L}$  and  $\Gamma_L = \frac{Z_L - Z_0}{Z_L + Z_0}$ .



- The power gain  $G_p = \frac{P_L}{P_{in}}$  *From the amplifier input to load*
- The transducer power gain  $G_T = \frac{P_L}{P_{AVS}} = G_p M_s$  *From the source to load*  $G_p > G_T$
- The available power gain  $G_A = \frac{P_{AVN}}{P_{AVS}} = \frac{G_T}{M_L}$   $G_A > G_T$
- When the Input and output are matched:  $G_p = G_T = G_A$



- Consider a microwave amplifier with the source and load reflection coefficients  $\Gamma_s$  and  $\Gamma_L$  measured in a  $Z_0$  system:

$$\Gamma_s = \frac{Z_s - Z_0}{Z_s + Z_0} \quad \Gamma_L = \frac{Z_L - Z_0}{Z_L + Z_0}$$

- For the transistor, the input and output traveling waves measured in a  $Z_0$  system (this is very practical) :

$$b_1 = S_{11}a_1 + S_{12}a_2$$

$$b_2 = S_{21}a_1 + S_{22}a_2$$



# Stability

- These amplifiers have feedback elements. This means that it is possible for them to oscillate.
- We can define regions of stability in terms of the reflection coefficients,  $\Gamma_{in}$  and  $\Gamma_{out}$ .
- The strongest constraint, called **unconditional stability**, requires  $|\Gamma_{in}| < 1$  and  $|\Gamma_{out}| < 1$ .
- There are also **conditional stability** conditions where stability also depends on the source and load impedances.



# Amplifier design using S parameters

- We can use the S-parameters to design for
  - Maximum gain
  - Maximum stable gain and
  - Noise figure
- However, the full analysis based on S-parameters is outside the scope of this course, and this discussion is included here only for your information.
- N.B. The design of power amplifiers is different again, as the small signal model no longer applies.

