

# Discussion 7

DSC 20, Spring 2023

## Midterm 2 Practice + Prep

## Midterm Logistics - basically same as midterm 1

- Make sure to bring pen/pencil/eraser and your **student ID**
- Exam takes place Friday, May 19th in MANDE B-210 (in lecture)

# Topics

- Iterators, Map, Filter, lambda
- Higher order function
- Argument passing (arg, \*args, \*\*kwargs)
- Time Complexity
- Recursion

**note:** Though not explicitly covered, you are still expected to be able to apply concepts from midterm 1.

# Lambda Functions

- known as anonymous functions (their functions are so simple, they don't need a name)
- syntax: `lambda (input): (operation)`
- creating a lambda is  $O(1)$  (no operation is performed)

**note:** lambda functions can't include statements (ex. `return`, `assert`)

# Map

**Syntax:** `map(function, iterable)`

- Map allows you to apply a function to all elements to an iterable input
- very common to use a lambda function as the function to apply
- returns an iterator through the iterable object, applying the function as it traverses

**note:** Without being called, creating a map is  $O(1)$ .

# Filter

## Syntax: `filter(function, iterable)`

- Filter takes in a function that returns a boolean and only keeps elements that satisfy the function
- Very common to use a lambda function as the function. Keep in mind the function **must return a boolean**.
- Returns an iterator through the iterable object that only yields values that pass the function.

**note:** filters are a unique subset of maps. You **can** theoretically write filters as maps, but that's unnecessary complication.

**note:** Without being called, creating a filter is  $O(1)$ .

# Higher Order Function

- Design structure to minimize repetitive code.
- Returns another function that's built within the outer function.
- Prevents inner function from being exposed to operations in the global scope.

```
def area(r, shape_constant):  
    """Return area of a shape from length R."""  
    assert r > 0, 'A length must be positive'  
    return r * r * shape_constant
```

```
def area_square(r):  
    return area(r, 1)
```

```
def area_hexagon(r):  
    return area(r, 3 * sqrt(3) / 2)
```

```
def area_circle(r):  
    return area(r, pi)
```



## `*args`

- Used when an unknown number of arguments will be passed into a function
- Denoted by `*` in the method header (IMPORTANT)
- processed in a similar manner to a list

```
In [93]: def test(*names): # METHOD HEADER  
         return
```

## **\*\*kwargs**

- Used when an unknown number of **keyworded** arguments will be passed into a function
- Denoted by **\*\*** in the method header (IMPORTANT)
- processed in a similar manner to a dictionary

```
In [94]: def test(**grades): # METHOD HEADER  
         return
```

## default\_arguments

- Basically normal arguments, but with a default value
- if no value is passed, default value is set
- if a value is passed, default value is overwritten

**note:** complex argument ordering: `def func(normal_arguments, args, default_args, *kwargs)`

**on the exam** if the order `def func(normal_arguments, default_args, args, *kwargs)` is presented, we will still accept it as a correct answer.

```
In [41]: def test(exam, *names, questions = 18, **grades):  
         return
```

```
In [44]: def test(exam, questions = 18, *names, **grades):  
         return
```

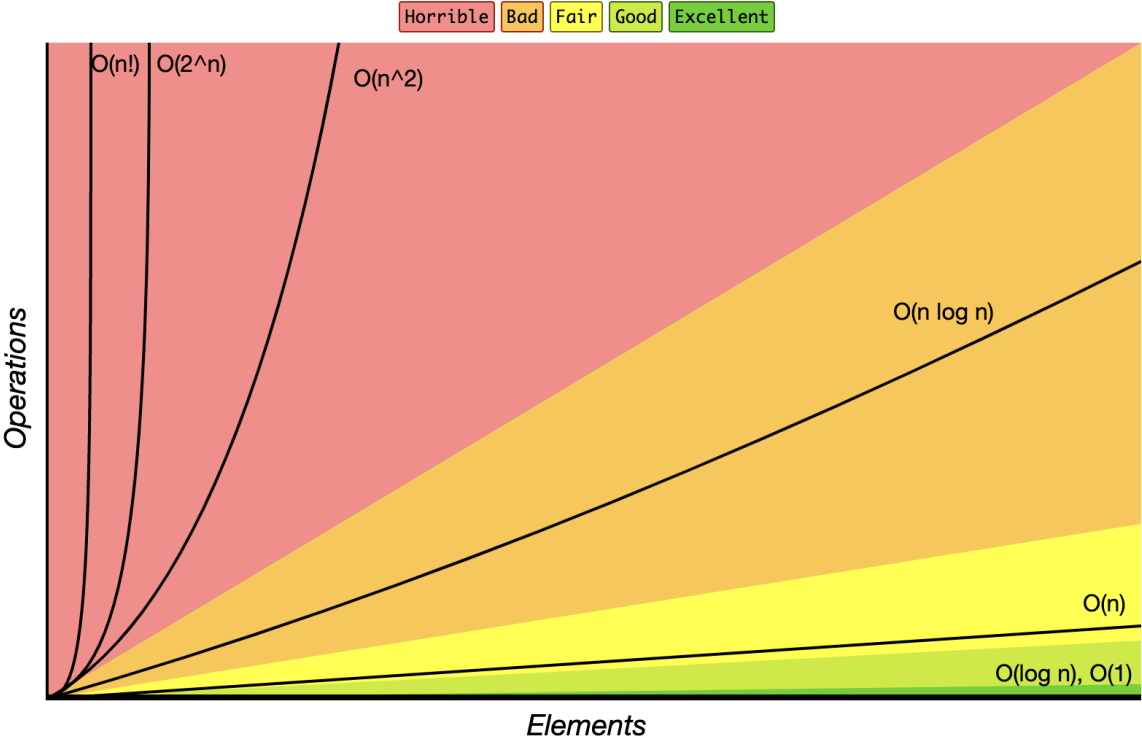
# Time Complexity

Utilize mathematical principles to classify code as runtime families to quantify their relative efficiency

## **tips:**

1. Always look for "hallmark features" (ex. if I see  $i // 2$ , there's probably log involved)
2. If there are loops, check the iteration count AND the inside operations (don't assume  $n$  runtime)
3. Order of Growth follows mathematical principles. Only consider the largest term (without constants)

Big-O Complexity Chart



[source](#)

# Recursion

Recursion is a design method for code that features functions invoking itself.

- **base case** - determines the stop point for recursion and begins the argument passing up the "stack" of recursive calls. When writing recursion questions, always start with determining the base case.
- **recursive calls** - repeated invocation of function until the base case is reached. Keep in mind when writing recursive calls that every call needs to trend towards the base case.

## Practice Questions

## Question 1

For each equation, determine if the expression is True or False. If False, determine the actual time complexity.

1.

$$\sqrt{n} + n = O(n \log n)$$

2.

$$100n^3 + n^2 = O(n^3)$$

3.

$$\frac{1}{n} + \frac{n^2}{n} = O(n)$$



4.

$$n + n \log(n^3) + n \log(n^n) = O(n \log n)$$

5.

$$n + \log(n^n) = O(n \log(n))$$

## Question 1 Solution

1. False -

$$O(n)$$

2. True

3. True

4. False -

$$O(n^2(\log n))$$

5. True

## Question 2

For each piece of code, determine the time complexity.

```
In [12]: def practice(x): # Question 1
          for i in range(10000000000):
              print(i)

          def mod_10(n): # Question 2
              if n%10 == 0:
                  return 10
              else:
                  return mod_10(n-1)

          def func(n): # Question 3
              j = 1
              curr_sum = 100
              while j <= n:
                  for i in range(1, n//2):
                      curr_sum += i*j
                  j+=1
              return curr_sum

          def foo(lst): # Question 4
              return filter(lambda x: x.lower() not in 'aeiou',lst)
```

## Question 2 Solution

1.  $O(1)$
2.  $O(1)$
3.  $O(n^2)$
4.  $O(1)$

## Question 3

What is the output?

```
In [ ]: def trace(n):  
        if n=='':  
            return 'h'  
        if n[0] == 'a':  
            return 'y' + trace(n[1:])  
        else:  
            return trace(n[1:])  
print(trace('apple'))
```

## Question 3 Solution

```
In [15]: print(trace('apple'))
```

yh

Since the first letter is 'a', the first recursive call is triggered, yielding a 'y' for now. Afterwards, each call is triggered, adding nothing until an empty string is passed, which results in 'h' being added.

## Question 4

Write a function that mimics len() functionality using recursion

```
In [ ]: def len_recursion(iterable):  
        """  
        >>> len_recursion([1,2,3,4])  
        4  
        """  
        # Write your implementation here
```

## Question 4 Solution

```
In [21]: def len_recursion(iterable):  
          if not iterable:  
              return 0  
          else:  
              return 1 + len_recursion(iterable[1:])  
len_recursion([1,2,3,4])
```

Out[21]: 4

## Question 5

Mom, can we have **PANDAS DATAFRAME** ?

No. There is **PANDAS DATAFRAME** At Home

**PANDAS DATAFRAME** At home...

Given an unknown number of names and unknown amount of keyworded information, write a function that creates a list of dictionaries to store the data. You may assume `len(names) == len(employee_data)`.

```
In [114]: def build_database(*names, **employee_data):  
           """  
           >>> build_database(Charisse, Ben,\  
           salary=[500,100],department=['GOOG', 'AMZN'])  
           [{"name": "Charisse", "salary":500, department": "GOOG"}, \  
           {"name": "Ben", "salary":100, department": "AMZN"}]  
           """  
           # Write your implementation here
```



## Question 5 Solution

```
In [75]: def build_database(*names, **employee_data):  
        output = []  
        names = list(names)  
        for i in range(len(names)):  
            data = {'name': names[i]}  
            for column in employee_data:  
                data[column] = employee_data[column][i]  
            output.append(data)  
        return output  
  
        build_database("Charisse", "Ben", salary=[500,100],department=['GOOG',
```

```
Out[75]: [{'name': 'Charisse', 'salary': 500, 'department': 'GOOG'},  
          {'name': 'Ben', 'salary': 100, 'department': 'AMZN'}]
```

## Question 6

Given a list of dictionaries representing employees of a company, create a new list containing only the names of employees who work in the "Sales" department and earn more than 50,000 per year using map, filter, and lambda.

```
In [110]: employees = build_database("Suraj", "Eldridge", "Marina", "Babak", "Joh  
salary=[60000,70000,75000,40000,45000], \  
department=['Sales','IT','Sales','Sales','Marketing'])  
employees
```

```
Out[110]: [{'name': 'Suraj', 'salary': 60000, 'department': 'Sales'},  
{'name': 'Eldridge', 'salary': 70000, 'department': 'IT'},  
{'name': 'Marina', 'salary': 75000, 'department': 'Sales'},  
{'name': 'Babak', 'salary': 40000, 'department': 'Sales'},  
{'name': 'Johan', 'salary': 45000, 'department': 'Marketing'}]
```

```
In [111]: def get_sales_employees(database):  
    """  
    >>> get_sales_employees(employees)  
    ['Suraj', 'Marina']  
    """  
    # Write your implementation here
```

## Question 6 Solution

```
In [112]: def get_sales_employees(database):  
           filter_sales = filter(lambda entry: \  
                                   entry['department'] == 'Sales', database)  
           filter_salary = filter(lambda entry: \  
                                   entry['salary'] > 50000, filter_sales)  
           return list(map(lambda entry: entry['name'], filter_salary))
```

```
In [113]: get_sales_employees(employees)
```

```
Out[113]: ['Suraj', 'Marina']
```

## Question 7

Write a function that mimics set() cast functionality using recursion

```
In [86]: def set_recursion(lst):  
         """  
         >>> set_recursion([1,1,1,2])  
         [1,2]  
         """  
         # Write your implementation here
```

## Question 7 Solution

```
In [87]: def set_recursion(lst):  
        if len(lst) == 0:  
            return []  
        else:  
            if lst[0] in set_recursion(lst[1:]):  
                return set_recursion(lst[1:])  
            else:  
                return [lst[0]] + set_recursion(lst[1:])
```

```
In [88]: set_recursion([1,1,1,2])
```

```
Out[88]: [1, 2]
```

## Question 8

Write a recursive function that finds the consecutive pair of numbers with the largest sum from a list.

```
In [107]: def max_sum_pair(lst):  
           """  
           >>> max_sum_pair([1, 2, 3, 4, 5])  
           (4, 5)  
           >>> max_sum_pair([1, 3, 2, 5, 4])  
           (5, 4)  
           >>> max_sum_pair([4, 1, 3, 6, 2])  
           (3, 6)  
           """  
           # Write your implementation here
```

## Question 8 Solution

```
In [109]: def max_sum_pair(lst):  
            if len(lst) == 2:  
                return tuple(lst)  
  
            prev_max = max_sum_pair(lst[1:])  
            curr_sum = lst[0] + lst[1]  
  
            if curr_sum > sum(prev_max):  
                return (lst[0], lst[1])  
            else:  
                return prev_max
```

```
In [104]: max_sum_pair([1, 2, 3, 4, 5])
```

```
Out[104]: (4, 5)
```

```
In [105]: max_sum_pair([1, 3, 2, 5, 4])
```

```
Out[105]: (5, 4)
```

```
In [106]: max_sum_pair([4, 1, 3, 6, 2])
```

```
Out[106]: (3, 6)
```

## Question 9

Write a function that returns another function that maps a lambda to a list. Depending on the value of copy, include the original list in the output.

```
In [89]: def fake_generator(lst, operation, copy = False):  
        """  
        >>> fake_generator([1,2,3], lambda x: x+2)  
        [3,4,5]  
        >>> fake_generator([1,2,3], lambda x: x+2, copy=True)  
        ([1,2,3], [3,4,5])  
        """  
        # Write your implementation here
```



## Question 9 Solution

```
In [90]: def fake_generator(copy = False):  
        if not copy:  
            def copy_func(lst, operation):  
                return list(map(operation, lst))  
        else:  
            def copy_func(lst, operation):  
                return lst, list(map(operation, lst))  
        return copy_func
```

```
In [91]: fake_generator()([1,2,3], lambda x: x+2)
```

```
Out[91]: [3, 4, 5]
```

```
In [92]: fake_generator(copy=True)([1,2,3], lambda x: x+2)
```

```
Out[92]: ([1, 2, 3], [3, 4, 5])
```

# Thanks for coming!

There's a discussion quiz on canvas!

Good luck on the midterm!