

Answer for 11th question

Ans 11 We could use an EDGE LOCK PROTOCOL to improve the concurrency of tree based protocol.

Transforming a Graph Protocol to Edge Protocol:

Consider a tree  $T$  on which transaction  $T_i$  operates only through exclusive locks (X-locks), through following protocol

$T_i$  can request a lock on item  $A$  only when,

- ①  $A$  is the first item locked by  $T_i$  or the parent of  $A$  is locked in X-mode by  $T_i$
- ②  $A$  is not yet locked by  $T_i$
- ③ A vertex can be unlocked at any time.

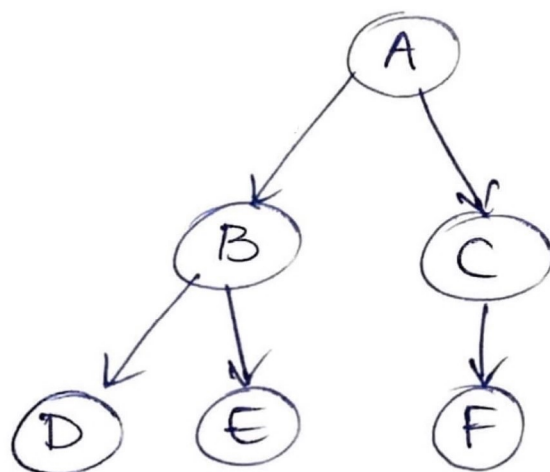
The edge lock protocol for the above tree protocol is

- $T_i$  can lock edge  $(A, B)$  in exclusive (EX-mode) lock only when,
- ①  $(A, B)$  is the first edge to be locked by  $T_i$  or  $T_i$  has locked parent of  $(A, B)$
  - ②  $(A, B)$  has not been previously locked by  $T_i$

$T_i$  can lock item  $A$  in X-mode if it holds a lock on the incoming edge  $(Q, A)$  where  $Q$  is parent of  $A$ .

## Example Schedule: Tree Protocol

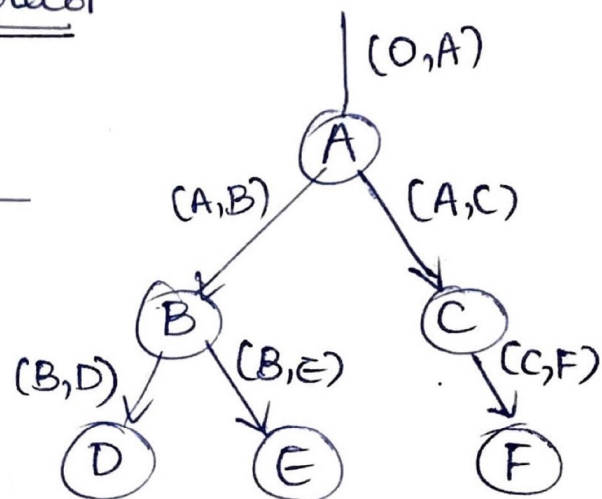
$T_1$	$T_2$	$T_3$
Lock-X(A)		
	Lock-X(B) Unlock(B)	
		Lock-X(C) Unlock(C)
Lock-X(B)		
Lock-X(D)		
Lock-X(C)		
Lock-X(F)		
Unlock(F)		
		Lock-X(F) Unlock(F)
Unlock(C)		
Unlock(D)		
Unlock(B)		



Transaction  $T_1$  needs to work with only D and F. For that purpose, it not only needs to lock D, F but also B, C as per tree protocol. But B, C have been locked by  $T_2$ ,  $T_3$  respectively. Hence  $T_1$  has to wait for B, C though it doesn't necessarily need them. This increases the waiting time and hence decreases concurrency. This drawback of Tree protocol is overcome in Edge Lock Protocol.

# Example Schedule : Edge Lock Protocol

$T_1$	$T_2$	$T_3$
$EX(O, A)$  $X(A)$    $EX(A, B)$ $EX(B, D)$ $X(D)$ $EX(A, C)$ $EX(C, F)$ $X(F)$ $UE(C, F)$ $U(F)$  $U(A, B)$ $U(D)$ $U(A)$ $U(O, A)$	$EX(A, B)$  $X(B)$ $UE(A, B)$         $U(B)$	$EX(A, C)$ $X(C)$ $UE(A, C)$       $X(F)$ $U(F)$   $U(C)$



$X \rightarrow$  exclusive lock  
 $EX \rightarrow$  edge exclusive lock  
 $U \rightarrow$  unlock  
 $UE \rightarrow$  unlock edge



In this protocol,  $T_1$  doesn't require to lock  $B, C$  to work with  $D, F$ . The constraints are actually on Edges  $(A, B)$  and  $(B, D)$  in case of  $D$ ;  $(A, C)$  and  $(C, F)$  in case of  $F$ .

Notice that, no matter how long  $T_2$  locks  $B$  and  $T_3$  locks  $C$ , they release the locks on  $(A, B)$  and  $(A, C)$  edges just in time for  $T_1$  to take over.

The edges are basically acting like dummy data items, here.

Since,  $T_1, T_2, T_3$  can be performed without any dependence, concurrency has improved.

This is the strategy I propose to improve the concurrency degree of tree based protocol.

Ans 1:Answer for 1<sup>st</sup> question in EndTermQuiz

Justification in quiz was brief. This is more detailed justification.

Average Time needed to find the block

$$= \text{Access Time} + \text{Block Transfer Time}$$

$$\text{Access Time} = \text{Seek Time} + \text{Rotational Latency Time}$$

$$\text{Given, } \boxed{\text{Seek Time} = 5\text{ms}}$$

$$\text{Rotational Latency Time} = \text{Time taken to position head at right sector}$$

$$= \text{Time required to traverse half of track.}$$

$$\text{Given, Speed of rotation of disk} = 10,000 \text{ rotations per minute}$$

$$\therefore \text{Time for half revolution} = \frac{\frac{1}{2}}{10,000} \text{ minutes}$$

$$= \frac{1}{\frac{20,000}{1000}} \times \frac{3}{1000} = \underline{\underline{3\text{ms}}}$$

$$\therefore \boxed{\text{Rotational Latency Time} = 3\text{ms}}$$

Block Transfer Time

= Time for transferring block of data

= Time to transfer 2 sectors of data

$$\text{Time taken for 1 rotation} = \frac{1}{10,000} \text{ minutes} = \frac{60}{10,000} \text{ s}$$

$$\left. \begin{array}{l} \text{Time taken for rotation} \\ \text{through 120 sectors} \end{array} \right\} = \frac{60}{10000} \text{ s}$$

$$\Rightarrow \left. \begin{array}{l} \text{Time taken for rotation} \\ \text{through 2 sectors} \end{array} \right\} = \frac{1}{10,000} \text{ s} = 0.1 \text{ ms}$$

$$\Rightarrow \boxed{\text{Block Transfer Time} = 0.1 \text{ ms}}$$

Hence, Average Time needed to find a block given the

$$\text{block address is } 5 + 3 + 0.1 \text{ ms} = \boxed{8.1 \text{ ms}}$$

$$\text{which is } \boxed{(\geq 8 \text{ and } < 10) \text{ ms}}$$

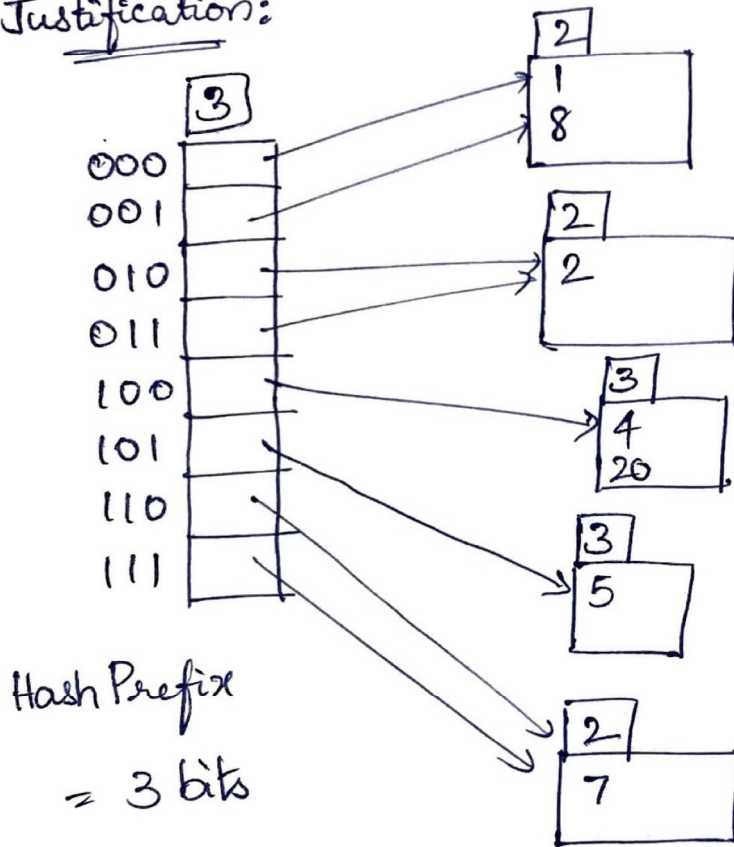
option (B)

Ans 5: Answer for 5<sup>th</sup> question in EndTermQuiz

Justification given in Quiz

Schematic attached along with 11<sup>th</sup> question

Justification:



These are the buckets after the final insertion.

∴ There are 5 buckets — option (E)