

# SICSS-Oxford: Advances in Computational Experimental Social Sciences

Nuffield College Oxford

Ray Duch June 22, 2019

Nuffield College Oxford Centre for Experimental Social Science - CESS

## Computational methods in experimental design and analysis

- Part I: Brief introduction to CESS and Talk
- Part II: Micro-replications and experimental measurement error
- Part III: Designing virtual experiments with post-stratified Average Treatment Effects

## **Part I: Introduction**

## Nuffield Centre for Experimental Social Sciences (CESS)

- CESS Centres and Labs
  - Nuffield College Oxford
  - CESS Santiago
  - Nuffield CESS FLAME India
  - CESS China Nankai University
- CESS Online
  - Nuffield CESS Online facilities
  - Virtual non-deception CESS subject pool
  - UK, Ireland, India, China, U.S., and Chile
- CESS in the field
- CESS Schools, Workshops, Visiting Post-/Pre-doc positions...

#### The Talk

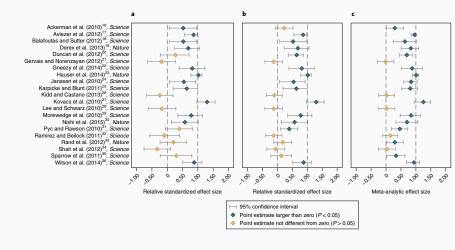
- Experimental perspective on themes you covered this week
  - Computational methods
  - Large data
  - Social media
  - Robustness/replication
- Part II
  - Detecting experimental measurement error
  - Vary the experimental context or mode
  - Machine learning for detection of heterogeneity
- Part III
  - Large-scale experimental interventions
  - Digital trace outcomes
  - Post-stratification with probability machines

## Part II: Micro-replications

### **Data Generation**

- Costs declining significantly
- Convenience samples are the norm
- Proliferation of data generation modes
- Democratic

#### There are Costs: Camerer et al 2018 Nature



#### **Some Observations**

- How do you know you have this experimental measurement error?
- You typically have no clue as to whether its an issue
- Note: this has nothing to do with external validity/representative sample/etc.

## Micro-replications can help

- Maybe....
- But what micro-replication?
- In which micro-replication should you invest your research dollars?
- Multi- rather than single-mode replications are more informative of experimental measurement error

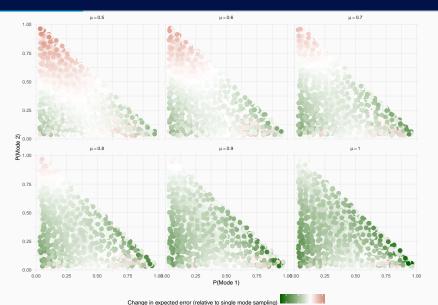
## The Experimental Mode or Context



## Modes and Experimental Measurement Error

- do modes exaggerate measurement error, i.e.,  $ME_k > 0$
- resulting in  $ATE_k^* = (ATE_T + ME_k)$
- multi-mode replication design may be informative when:
  - $ME_k \neq ME_{k'}$  and
  - there is a reasonably high probability the researcher can distinguish low from high error modes

## **Multiple-mode Replication Simulation**



-40 -20

## Illustrate: Lying Experiment (Duch Laroze Zakharov 2018)

- Outcome of interest: Lying about income from RET
- Treatment: Deduction rate that make it more expensive to lie
- Expectation: Lying declines if deduction rates rise

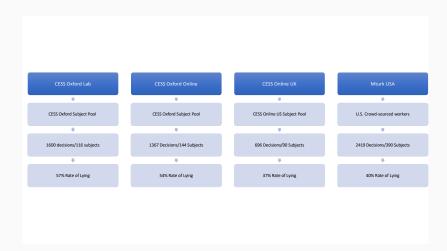
## Lying Experiment Design (Duch Laroze Zakharov 2018

- 3 different tax rates (10%, 20% and 30%)
- Fixed at the group level
- Taxes are redistributed equally among group members
- Public good
- No excludability
- No social gains/losses
- No audits or fines
- 10 rounds
- Paid for one of them at random
- Fixed groups of 4 participants
- Random matching at the beginning

## Design: each round

- RET: solve as many additions as possible in 60 sec
- two random two-digit numbers
- Information individual gross profit (before tax)
- Declare their income (to be taxed)
- Information individual net profit (after tax and redistribution)
- Differentiated by profit, tax and redistribution

## **Lying Experiments**



## **Conventional GLM Estimation**

	Mode				
	Lab	Online Lab	Online UK	Mturk	
Ability Rank	-0.500*** (0.036)	-0.163*** (0.045)	-0.163** (0.071)	-0.120*** (0.037)	
20% Deduction	-0.123*** (0.024)	,	,	,	
30% Deduction	-0.128*** (0.025)	-0.184*** (0.025)	0.042 (0.038)	0.018 (0.021)	
No Audit	-0.334*** (0.023)	-0.127*** (0.026)	-0.155*** (0.036)	0.011 (0.024)	
Age	0.012*** (0.002)	0.007** (0.003)	-0.0002 (0.001)	0.002** (0.001)	
Gender	0.002 (0.022)	0.100*** (0.025)	-0.022 (0.035)	-0.004 (0.020)	
Constant	0.715*** (0.066)	0.476*** (0.089)	0.880*** (0.070)	0.576*** (0.043)	

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#### **BART Estimation**

- Bayesian estimation strategy using tree-logic
- Highly flexible estimation strategy

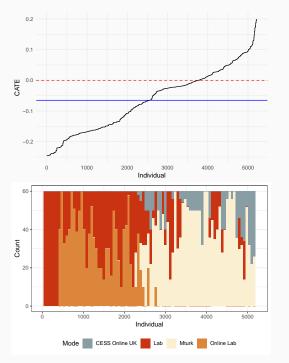
To recover individual estimates of treatment effect:

- Assume binary treatment
- Run BART on experimental data (the training set) to generate both model and predicted outcomes for observed data
- Invert treatment assignment of all observations, and pass through model (test set) to generate set of counterfactual predictions
- For each individual, i,  $CATE = Y_{i,D=1} Y_{i,D=0}$

#### **BART: R Code**

```
# Separate outcome and training data
v <- df$report.rate
train <- df[.-1]
# Gen. test data where those treated become untreated, for use in calculating ITT
test <- train
test$treat.het <- ifelse(test$treat.het == 1,0,ifelse(test$treat.het == 0,1,NA))
# Run BART for predicted values of observed and synthetic observations
bart.out <- bart(x.train = train, y.train = y, x.test = test)
# Recover CATE estimates and format into dataframe
CATE <- c(bart.out$vhat.train.mean[train$treat.het == 1] - bart.out$vhat.test.mean[test$treat.het == 0].
          bart.out \( yhat. test. mean \( \text{treat.het} == 1 \) - \( bart.out \( yhat. train. mean \( \text{treat.het} == 0 \) \)
CATE_df <- data.frame(CATE = CATE)
covars <- rbind(train[train$treat.het == 1.c(2:5)], test[test$treat.het==1.c(2:5)])
CATE_df <- cbind(CATE_df,covars)
CATE_df <- CATE_df[order(CATE_df$CATE),]
CATE_df$id <- c(1:length(CATE))
```

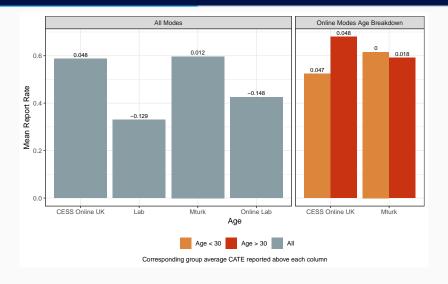
All replication code available at https://github.com/rayduch/ Experimental-Modes-and-Heterogeneity



### Real Effort Tasks Inter-Class Correlations Across Modes

Mode	(1)	(2)	(3)	(4)
Lab	0.768	0.768	0.636	0.85
	(0.018)	(0.018)	(0.039)	(0.047)
Lab Online	0.807	0.76	0.762	0.767
	(0.018)	(0.017)	(0.021)	(0.047)
Online UK	0.88	0.827	0.827	0.752
	(0.011)	(0.018)	(0.026)	(0.029)
MTurk	0.758	0.758	0.782	0.828
	(0.015)	(0.012)	(0.024)	(0.026)
Deduction Rate	10%	30%	10%	30%
Audited?	No	No	Yes	Yes

## **Comparing Percentages of Actual Earnings Reported**



## **India Measurement Error Experiments**

Cooff	SE	t-statistic	n	Modo	Error	Incentivised?
Coen	J.L.	t-Statistic	Р	ivioue	LITOI	incentiviseu:
-0.74	0.47	-1.57	0.12	MTurk	Control	No
-0.83	0.47	-1.76	0.08	MTurk	High	No
-3.85	0.51	-7.52	0.00	CESS Online	Control	No
-3.23	0.49	-6.64	0.00	CESS Online	High	No
-1.16	0.49	-2.35	0.02	MTurk	Control	Yes
-1.00	0.33	-3.01	0.00	MTurk	High	Yes

Table 2: Induced measurement error model results

#### Part II Recommendations

- micro-replication with multiple-modes
- machine learning strategies for estimating CATE that might be mode-related
- incorporate measurement strategies in experimental design that might explain mode-related experimental measurement error

Part III: Designing virtual experiments with post-stratified Average Treatment Effects

## The CESS Chile Audit Experiment Design

- Random Assignment of Audit "Shocks" to Municipal Voters
- Random Assignment of Information Treatments to targeted zip codes, aka Villas
- Efficient pre-and post-treatment measurement
- Post-stratification of ATE with random forest estimation
- Inspired by the Digital Trace and Vote India project that have focused on simple election outcomes rather than causal effects

## Chile 345 Municipalities

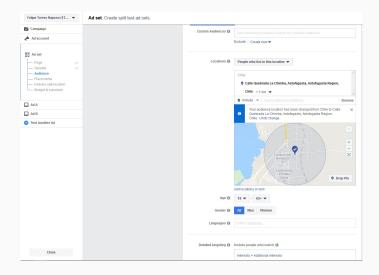


## **CESS Santiago Chile Audit Experiment Design**



## Facebook Sampling

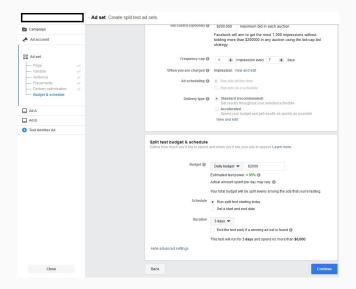
## Facebook Ad Manager Dashboard



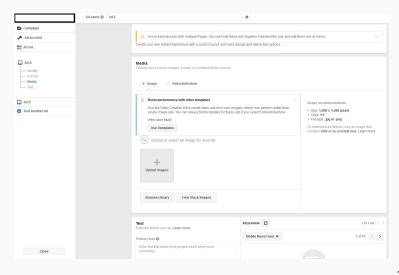
## **Pre-Treatment Facebook Sampling**

- Facebook ad manager allows us to target subjects in specific Villas
- Banner recruitment ads sent to FB subscribers in specific Villas
- 6,500 pre-treatment online qualtrics interviews completed

## Facebook Ad Manager Dashboard



## Facebook Ad Manager Dashboard



**Treatment Assignment and Sample** 

#### **Treatments**

- Treatment assignment and pre-treatment sample sizes are in the following Figure
- Contraloria will cooperate in randomly assigning audits to municipalities
- two X two factorial design will allow us to assess two different information treatments:
  - audit results
  - performance report
- control conditions
  - no audits
  - no information

# Treatment Summary

### **Treatments**

Block1: Ranking Level	High				Medium					Low								
Block 2: Municipal Level	Audit (15)					Audit (10)			No Au (5)	No Audit (5)		Audit (5)		No Audit (5)				
Information treatments	No Info (40)	Audit + Perf. (40)	Audit (40)	Perf. (40)	No Info (10)	Perf. (20)	No Info (4)	Audit + Perf. (6)	Audit (6)	Perf. (4)	No Info (6)	Perf. (14)	No Info (2)	Audit + Perf. (4)	Perf. (2)	No Info (4)	No Info (4)	Perf. (6)
Pre-treatment Sample	1000	1000	1000	1000	250	500	100	150	150	100	150	350	50	100	50	100	100	150

Total sample: 6,500 individuals

## **Information Treatments**

### **Malfeasance Information Treatment**



### **Information Campaigns**

- Treated Villas receive saturation information treatments
  - FB ads
  - Twitter ads
  - Instagram ads
  - Note: these are targeted at all social media in the treated Villas
- Post-Treatment Survey
  - Re-contact 6,500 initially surveyed subjects
  - Evaluations of municipal government and voting intentions

# **Average Treatment Effect**

Estimation

## **Average Treatment Effect Estimation**

Three steps to obtaining area-estimates of ATE:

- identification of individual characteristics to use in ATE prediction model (socio-economic categories);
- estimation, at the individual-category level, of ATE;
- weighting predicted ATEs by cell counts and summing over the area of interest to recover estimates of ATE.
- Outcome of interest is change in support for municipal government incumbent as measured by the pre- and post-surveys.

## **Average Treatment Effect Estimation**

- Individual-level characteristics X from pre-treatment survey;
- Missing values in X are imputed with a random-forest multiple-imputation strategy implemented via the packages ranger and missForest;
- define the individual-level category  $C_g$ , for categories g=1,...,G as a unique realization of the set of variables which compose X, i.e.  $C_g=\{X_1=x_1,...,X_m=x_m\}$ .

## **Estimation Categories for Observed Data**

	Categories (C)	Audit/Info	Audit/NoInfo	
Gender	Two	600	575	
Education	Two	600	575	
Income	Three	400	382	
Age	Three	400	383	
Total	36	33	32	

**Table 3:** Number of cell categories and number of subjects within cells for pre-treatment survey

## Estimation of ATE: Change in Vote for Municipal Incumbent

- Pre-treatment Estimate
  - Estimate the probability of an individual-category voting for a municipal mayor prior to treatment;
  - quantity of interest is per group and is  $P_0g(+|C)$
- Post-treatment Estimate
  - Estimate the probability of an individual-category voting for a municipal mayor prior to treatment;
  - quantity of interest is per group and is  $P_1g(+|C)$

## Average Treatment Effects: High Risk 30 Municipalities

		Pre-Treatment			Post-Treatment		
	Audit/No Info	No Audit/No Info	Diff/No Info	Audit/No Info	No Audit/No Info	Diff/No Info	ATE
Male	0.6	0.5	-0.1	0.7	0.5	-0.2	-0.1
Female	0.6	0.5	-0.1	0.8	0.5	-0.3	-0.2
		Pre-Treatment			Post-Treatment		
	No Info	Audit Info	Diff	No Info	Audit Info	Diff	ATE
Male	0.8	0.7	-0.1	0.8	0.5	-0.3	-0.2
Female	0.6	0.5	-0.1	0.6	0.3	-0.3	-0.2

# Likelihood Estimation

#### **Likelihood Estimation**

- Train a probability machine to estimate proportion of individuals who express a positive opinion of their incumbent municipal politician before treatment (P<sub>0</sub>) and following the treatment (P<sub>1</sub>);
- Make a prediction for each group before and after treatment;

$$\hat{\mathsf{P}_{\tau}}(+|C) = \varphi(C); \qquad \forall \tau = \{0,1\}$$
 (1)

 estimate the global error via MSPE1 and approximate distribution with Normal density:

$$P_g(+|C) \sim N(\varphi(C_g), (\hat{\sigma}_{RMSE1})^2);$$
 (2)

## **Area Estimation**

#### **Area Estimation: Overall National ATE**

• Cell counts: 
$$Q_g = \sum_h 1(x_h = C_g)$$
;

• Estimation of National treatment effect:

$$ATE = \frac{\sum_{g} (\hat{P}_{1g} (+|C) - \hat{P}_{0g} (+|C)) \times Q_{g}}{\sum_{g} Q_{g}};$$
 (3)

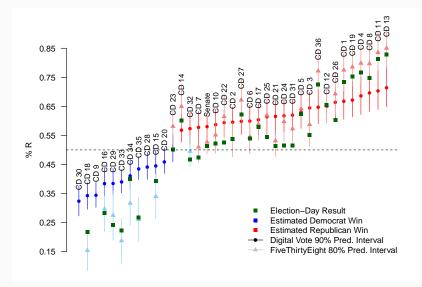
## Area Estimation: Specific Municipal ATE

- Assume there are s = 1....S municipal units;
- Municipal cell counts:  $Q_{gs} = \sum_{h} 1(x_{h}^{muni} = C_{gs}, x^{muni} = s);$
- Estimation of an s municipal treatment effect:

$$ATE_{s} = \frac{\sum_{g} (\hat{\mathsf{P}}_{1gs} (+|C) - \hat{\mathsf{P}}_{0gs} (+|C)) \times Q_{gs}}{\sum_{gs} Q_{gs}}; \qquad (4)$$

# Illustrated Results Cerina and Duch

### Results



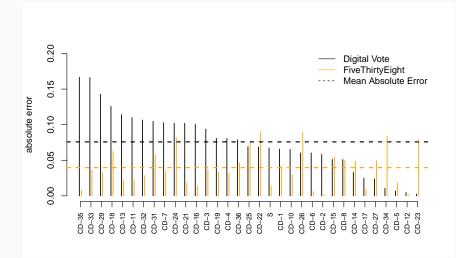
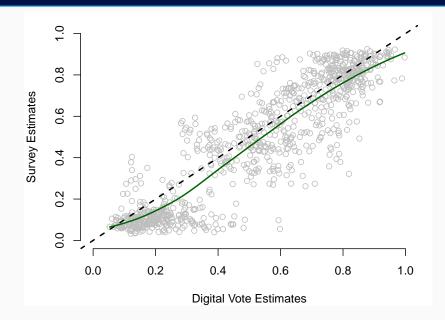


Figure 1: Mean Absolute Error: FiveThirtyEight and Digital Vote

## Results



# Part III: Recommendations

#### **Part III: Recommendations**

- Virtual sampling advantage: incorporates digital trace intelligence including geo-location
- FB Ad Manager: facilitates information treatments administered to very large samples of the population
- Area Post-stratification with machine learning: convenience sample + detailed census and survey data + random forest predictions = ATE for nation and sub-national units