

# Reconstruction

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Interuniversity Microelectronics Centre (IMEC) (2009) Wireless Sensor Systems Enable A Better Sleep. *ScienceDaily*. (Photo: Holst Center)

# Bayesian estimation

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Extend decoding of  $s \rightarrow s^*(t)$

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# The role of the conditional mean

Want an estimator  $s_{\text{Bayes}}$

Introduce an error function,  $L(s, s_{\text{Bayes}})$ ; minimize error.

$$\int ds L(s, s_{\text{Bayes}}) p[s|\mathbf{r}]$$

For least squares cost  $L(s, s_{\text{Bayes}}) = (s - s_{\text{Bayes}})^2$ ;

$$\begin{aligned} \frac{\partial}{\partial s_{\text{Bayes}}} \int ds (s - s_{\text{Bayes}})^2 p(s|\mathbf{r}) &= 2 \int ds (s - s_{\text{Bayes}}) p(s|\mathbf{r}) = 0 \\ \int ds s p(s|\mathbf{r}) &= \int ds s_{\text{Bayes}} p(s|\mathbf{r}) = s_{\text{Bayes}} \end{aligned}$$

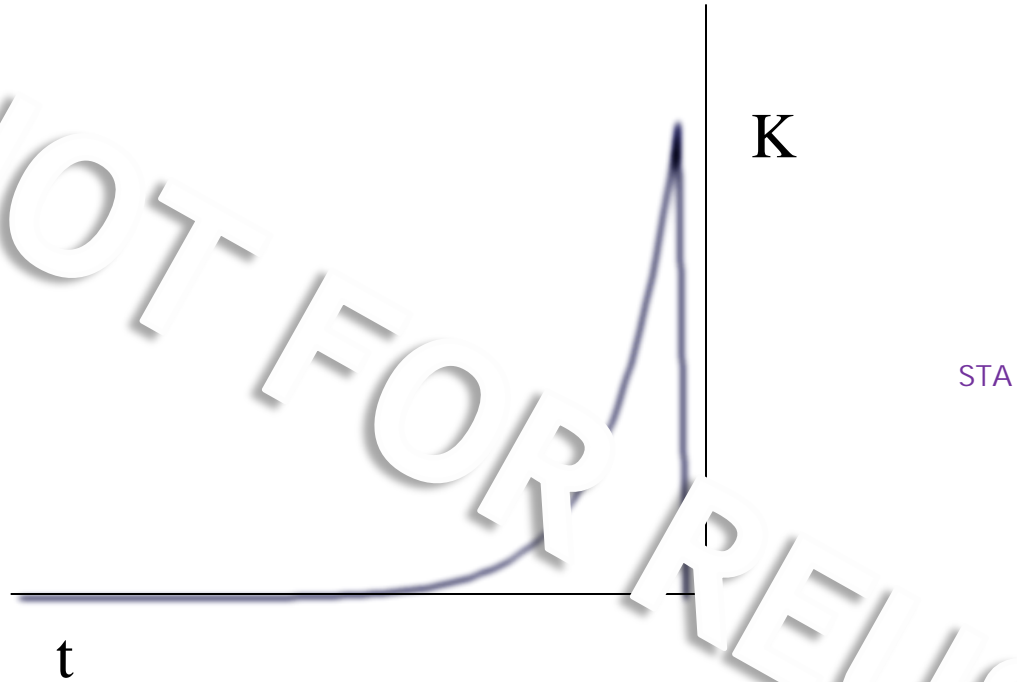
Solution:

$$s_{\text{Bayes}} = \int ds p[s|\mathbf{r}] s$$

STA !

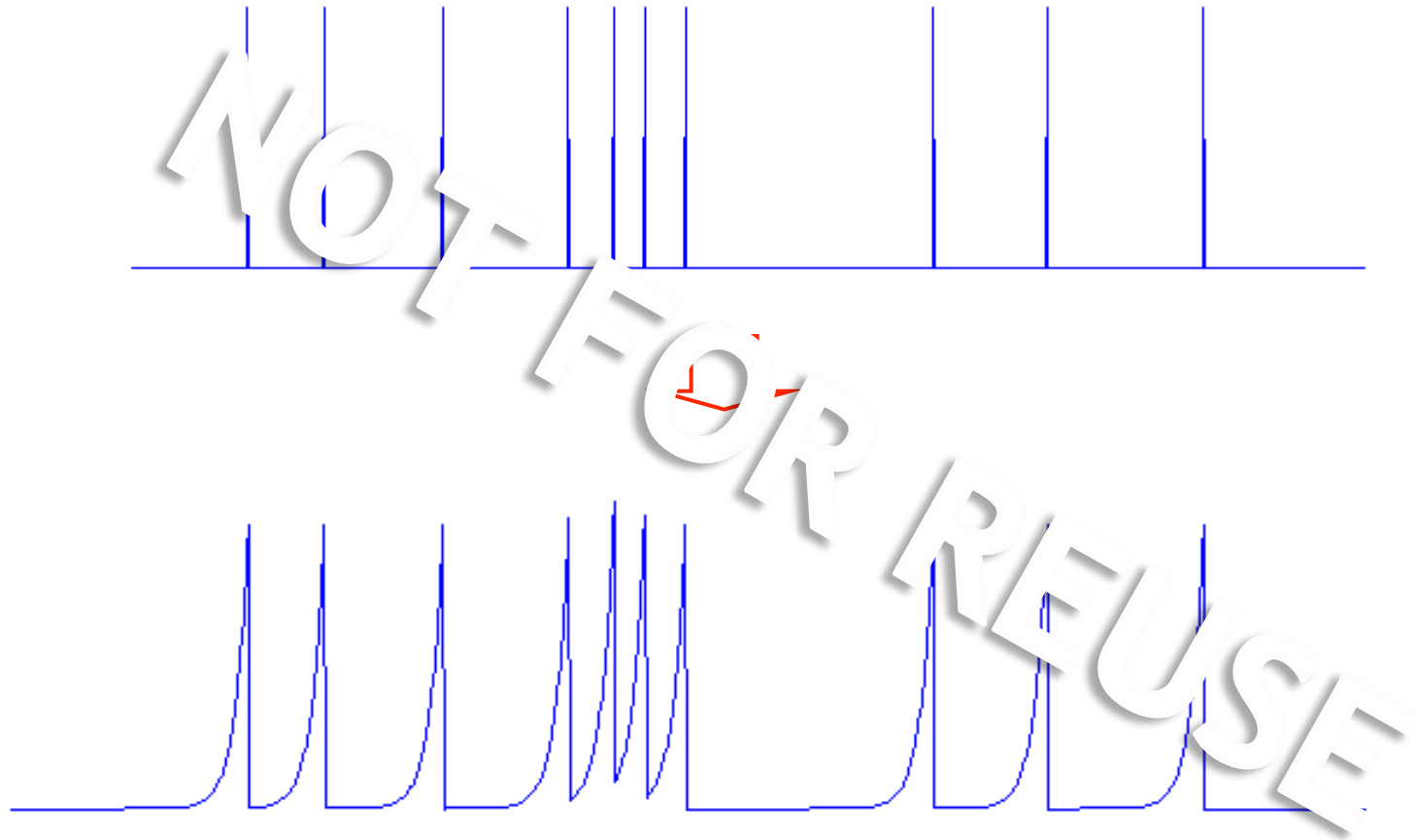
# Stimulus reconstruction

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# Reading minds: the LGN

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# Reading minds: fMRI



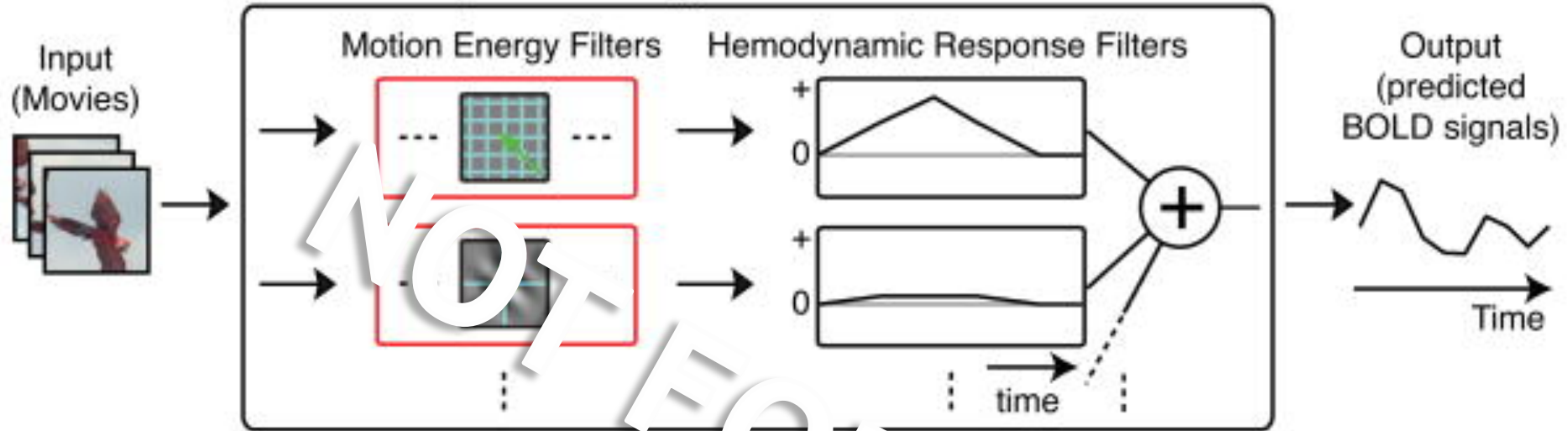
# Reading minds: fMRI

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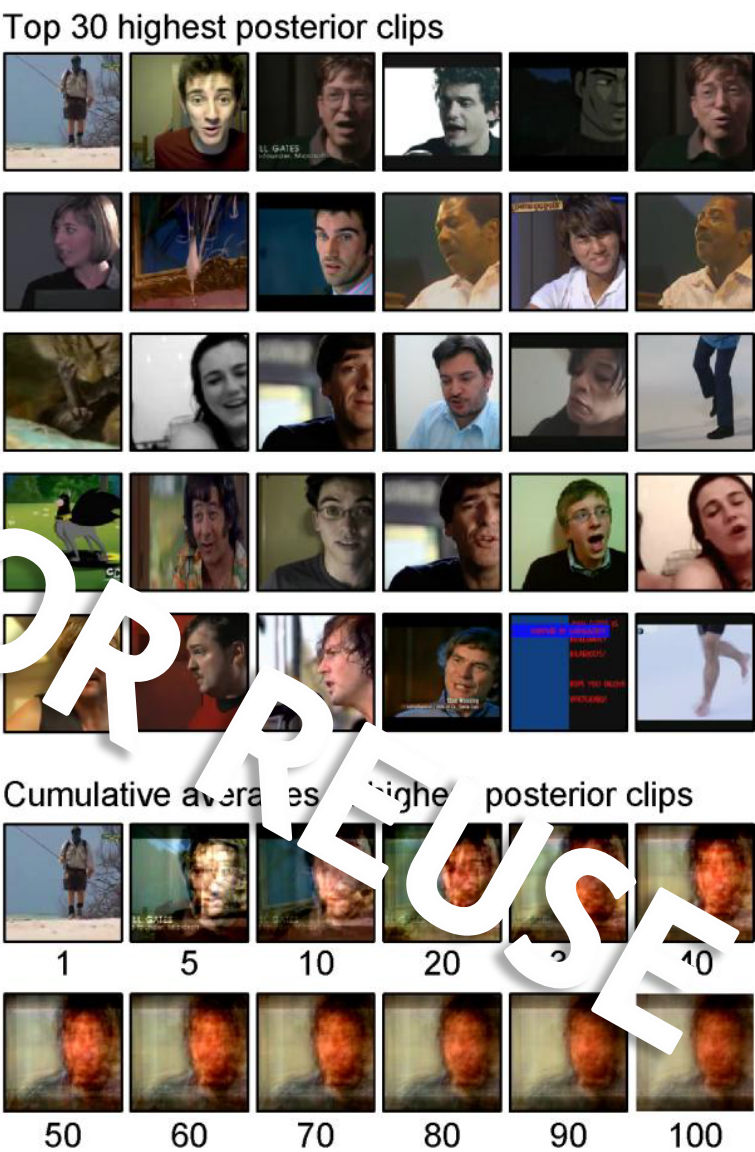
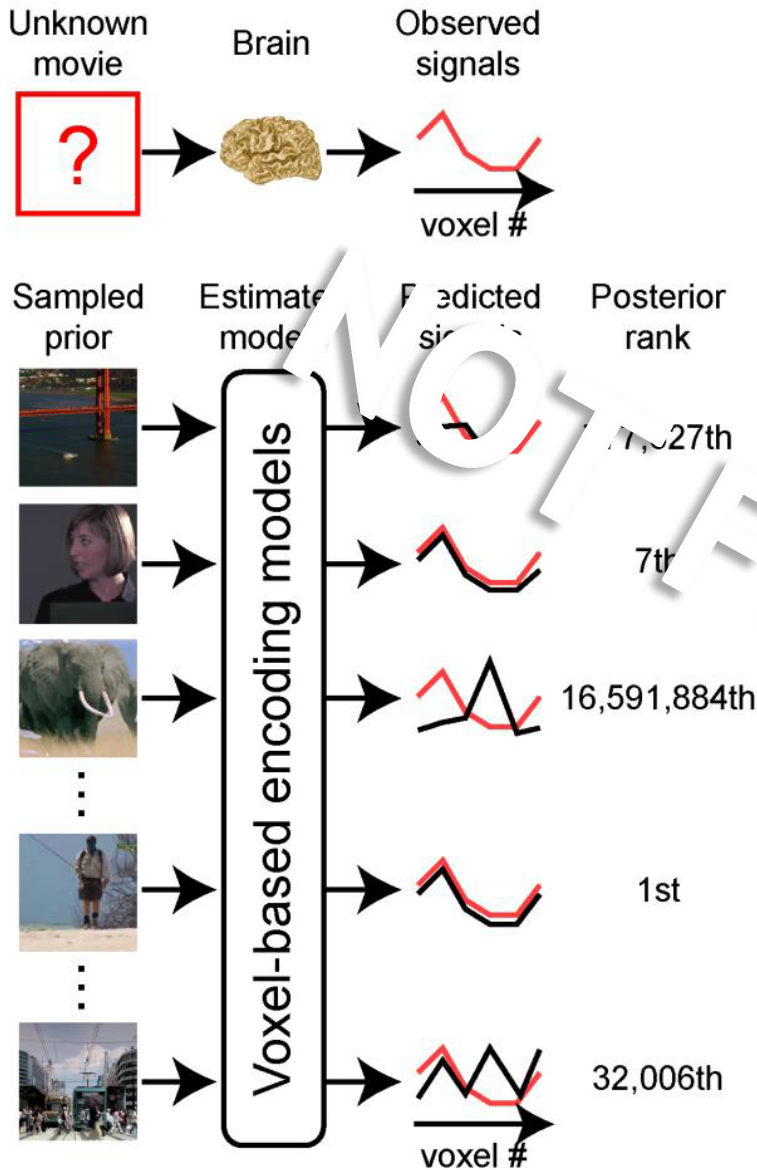
$$P(s|r) = P(r|s) P(s)$$

# Reading minds: fMRI

A stimulus-response encoding model for one voxel



# Reading minds: fMRI



# Coming up next

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- Guest lecture by retina wizard Fred Rieke!
- Information and coding principles