

<u>Course</u> > <u>weeks</u>)

> <u>Project 5: Text-Based Game</u> > 7. Linear Q-Learning

7. Linear Q-Learning

Extension Note: Project 5 due date has been extended by 1 more day to September 6 23:59UTC.

In this tab, you will implement the Q-learning algorithm with linear function approximation.

Recall the linear approximation we chose.

$$Q\left(s,c, heta
ight) = \phi(s,c)^T heta$$

with

$$\phi\left(s,c
ight)=\left[egin{array}{c} \mathbf{0} \ dots \ \mathbf{0} \ \psi_{R}\left(s
ight) \ \mathbf{0} \ dots \ \mathbf{0} \end{array}
ight]$$

Now, define $\hat{ heta}_i$ for i in range $1, d_C$ so that:

$$heta = \left[egin{array}{c} \hat{ heta}_1 \ dots \ \hat{ heta}_i \ dots \ \hat{ heta}_{dC} \end{array}
ight]$$

With this notation, we get:

$$Q\left(s,c, heta
ight)=\psi_{R}(s)^{T}\hat{ heta}_{c}$$

In practice, we can implement $\hat{ heta}$ as a 2D array, so that

$$\left[egin{array}{c} Q\left(s,1, heta
ight) \ dots \ Q\left(s,d_{C}, heta
ight) \end{array}
ight] = \left[egin{array}{c} \hat{ heta}_{1}^{T} \ dots \ \hat{ heta}_{dC}^{T} \end{array}
ight] \cdot \psi_{R}\left(s
ight)$$

Epsilon-greedy exploration

1.0/1 point (graded)

Now you will write a function [epsilon_ greedy] that implements the ε -greedy exploration policy using the current Q-function.

Hint: You can access $Q\left(s,c, heta
ight)$ using <code>q_value = (theta @ state_vector)[tuple2index(action_index, object_index)]</code>

Available Functions: You have access to the NumPy python library as np and functions tuple2index and index2tuple. Your code should also use constants NUM_ACTIONS and NUM_OBJECTS

```
5
          state_vector (np.ndarray): extracted vector representation
          theta (np.ndarray): current weight matrix
 6
7
          epsilon (float): the probability of choosing a random command
8
9
      Returns:
10
          (int, int): the indices describing the action/object to take
11
12
      if np.random.random() > epsilon:
13
          q_state = theta () state_vector
14
          action_index, object_index = index2tuple(q_state.argmax())
15
          action_index, object_index = np.random.randint(NUM_ACTIONS), np.random.randint(NUM_OBJECTS)
16
17
      return (action_index, object_index)
18
```

Press ESC then TAB or click outside of the code editor to exit

Correct

```
def epsilon_greedy(state_vector, theta, epsilon):
    """Returns an action selected by an epsilon-greedy exploration policy
   Args:
        state_vector (np.ndarray): extracted vector representation
       theta (np.ndarray): current weight matrix
       epsilon (float): the probability of choosing a random command
   Returns:
        (int, int): the indices describing the action/object to take
   coin = np.random.random_sample()
   if coin < epsilon:</pre>
       action_index = np.random.randint(NUM_ACTIONS)
       object_index = np.random.randint(NUM_OBJECTS)
       q_values = theta @ state_vector
       index = np.argmax(q_values)
       action_index, object_index = index2tuple(index)
   return (action_index, object_index)
```

Test results

See full output
CORRECT
See full output

Submit

You have used 4 of 25 attempts

Answers are displayed within the problem

Linear Q-learning

1.0/1 point (graded)

Write a function [linear_q_learning] that updates the theta weight matrix, given the transition date (s, a, R(s, a), s')

Reminder: You should implement this function locally first. You should test this function along with the next one and make sure you achieve reasonable performance

Hint: You can access $Q(s, a, \theta)$ using $[q_value = (theta @ state_vector)[tuple2index(action_index, object_index)]$

Available Functions: You have access to the NumPy python library as np. You should also use constants ALPHA and GAMMA in your code

14 Returns:

```
15
           None
16
      11 11 11
17
      if not terminal:
18
          v_func = np.max(theta @ next_state_vector)
19
20
          v_func = 0
21
22
      target_y = reward + GAMMA * v_func
      idx = tuple2index(action_index, object_index)
23
      q_value = (theta @ current_state_vector)[idx]
24
      theta[idx] += ALPHA * current_state_vector * (target_y - q_value)
25
26
27
      return None
28
```

Press ESC then TAB or click outside of the code editor to exit

Correct

```
def linear_q_learning(theta, current_state_vector, action_index, object_index,
                      reward, next_state_vector, terminal):
   """Update theta for a given transition
   Args:
       theta (np.ndarray): current weight matrix
       current_state_vector (np.ndarray): vector representation of current state
       action_index (int): index of the current action
       object_index (int): index of the current object
       reward (float): the immediate reward the agent recieves from playing current command
       next_state_vector (np.ndarray): vector representation of next state
       terminal (bool): True if this epsiode is over
   Returns:
       None
   q_values_next = theta @ next_state_vector
   maxq_next = np.max(q_values_next)
   q_values = theta @ current_state_vector
   cur_index = tuple2index(action_index, object_index)
   q_value_cur = q_values[cur_index]
   target = reward + GAMMA * maxq_next * (1 - terminal)
    theta[cur_index] = theta[cur_index] + ALPHA * (
       target - q_value_cur) * current_state_vector
```

Test results

See full output

CORRECT

See full output

Submit

You have used 3 of 25 attempts

Answers are displayed within the problem

Evaluate linear Q-learning on Home World game

1/1 point (graded)

Adapt your run_episode function to call linear_Q_learning and evaluate your performance using hyperparmeters:

Set NUM_RUNS =5, NUM_EPIS_TRAIN =25, NUM_EPIS_TEST =50, $\gamma=0.5$, TRAINING_EP =0.5, TESTING_EP =0.05 and the learning rate $\alpha=0.001$.

Please enter the average episodic rewards of your Q-learning algorithm when it converges.

0.4 **✓ Answer:** 0.37

Submit You have used 2 of 6 attempts

• Answers are displayed within the problem

Discussion

Topic: Unit 5 Reinforcement Learning (2 weeks) :Project 5: Text-Based Game / 7. Linear Q-Learning

Show Discussion

© All Rights Reserved