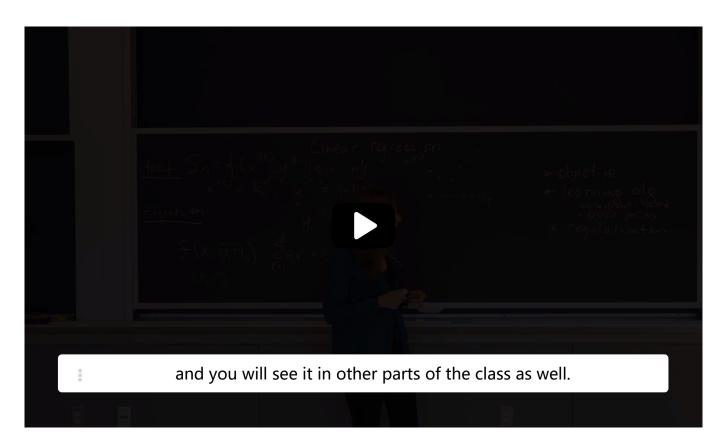


<u>Unit 2 Nonlinear Classification,</u> <u>Linear regression, Collaborative</u>

<u>Course</u> > <u>Filtering (2 weeks)</u>

> <u>Lecture 5. Linear Regression</u> > 3. Introduction

3. Introduction Introduction; Lecture Overview



you are again bringing yourself to the bad spot.

So there is a mechanism that would enable us to do better generalization to be

robust when we don't have enough training data

or when the data is noisy.

So we'll introduce this regularization

in the context of linear regression,

and you will see it in other parts of the class as well.

End of transcript. Skip to the start.

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Introduction Exercise

1/1 point (graded)

Which of the following is true about linear regression? Choose all those apply.

- lacksquare The observed value, y, is a real number. i.e. $y \in \mathbb{R}$
- lacktriangledown The predictor f is a linear function of the feature vectors. i.e. $f(x) = \sum_{i=1}^d heta_i x_i + heta_0$
- \square The observed value y is a discrete integer.
- \square The observed value y is a category, as in classification.



Solution:

By definition, in regression, the observed value y is a real number(continuous), unlike y is discrete in classification. The predictor f, which tries to emulate/predict y is defined as $f(x) = \sum_{i=1}^d \theta_i x_i + \theta_0$.

Submit

You have used 1 of 3 attempts