

Unit 9: Bernoulli and Poisson

Lec. 23: More on the Poisson

<u>课程</u> > <u>processes</u>

> process

> 6. Exercise: Processes in the park

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Exercise: Processes in the park

2/2 points (graded)

As in an earlier exercise, busy people arrive at the park according to a Poisson process with rate $\lambda_1=3$ /hour and stay in the park for exactly 1/6 of an hour. Relaxed people arrive at the park according to a Poisson process with rate $\lambda_2=2$ /hour and stay in the park for exactly half an hour. The arrivals of busy and relaxed people are independent processes. Assume that no other people arrive at the park.

Is the process of total arrivals at the park a Poisson process? If yes, enter the rate of that process in the answer box below. If it is not, enter 0.



Whenever a relaxed person exits the park, he/she enters a nearby coffee shop. (Assume, for simplicity, that going from the park to the coffee shop takes zero time.)

Is the process of arrivals of relaxed persons at the coffee shop a Poisson process? If yes, enter the rate of that process in the answer box below. If it is not, enter 0.



Solution:

As discussed in the preceding video, it is a Poisson process whose rate is the sum, 3+2=5, of the rates of the original processes.

The process of relaxed people arrivals at the coffee shop is identical to the process of relaxed people arrivals at the park, but delayed by half an hour. You can check that a Poisson process that is delayed by a constant amount has exactly the same statistical properties (independence, time-homogeneity, small time interval probabilities) and is therefore a Poisson process with the same rate, which is **2** in this case.

提交

你已经尝试了2次(总共可以尝试3次)

1 Answers are displayed within the problem



显示讨论

主题: Unit 9 / Lec. 23 / 6. Exercise: Processes in the park

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