

# Recent Evaluation Metrics for Text Generation

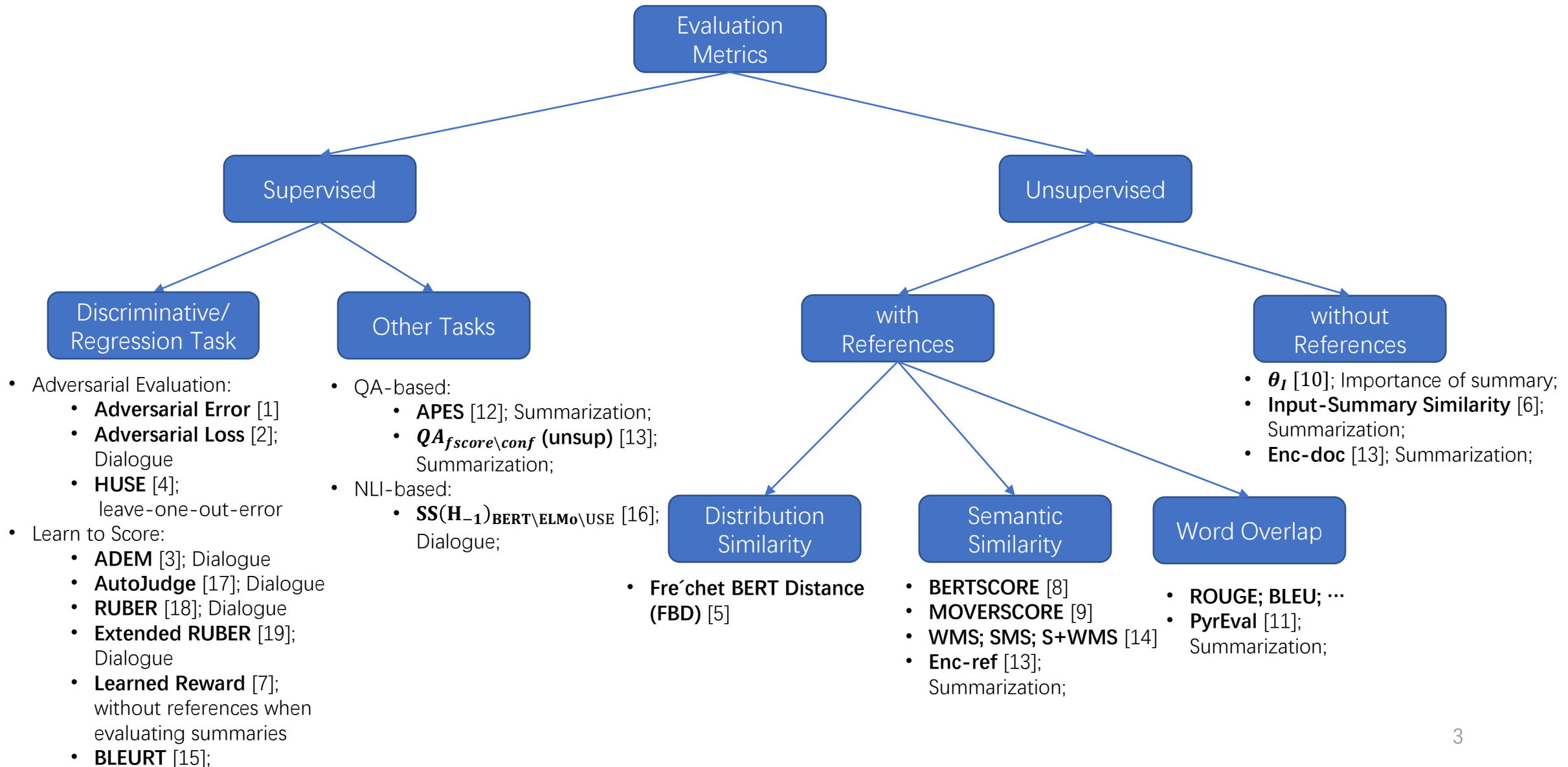
Presenter: Wang Chen

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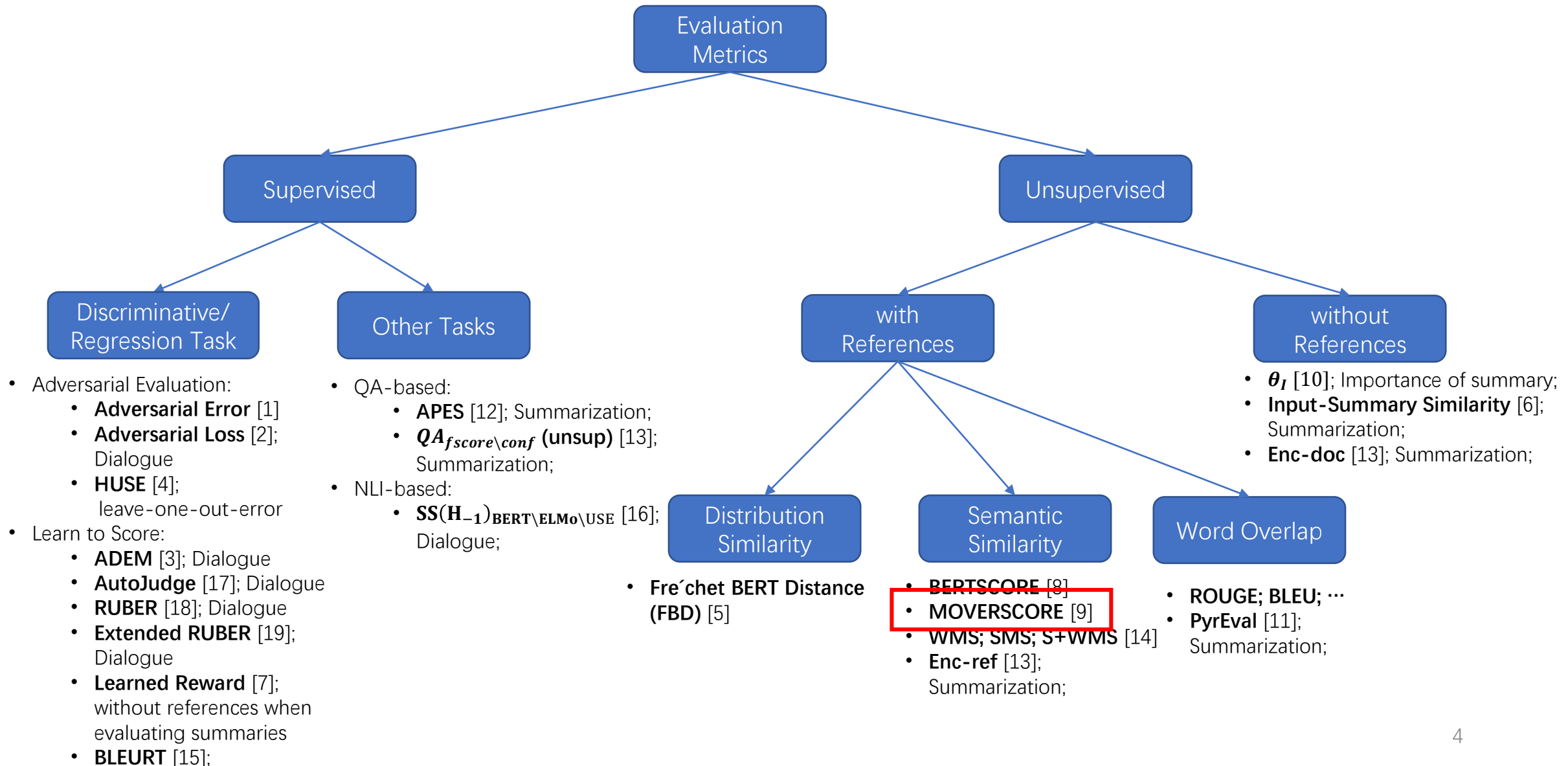
# Outline

- Brief Taxonomy
- Papers to Read:
  - MoverScore: Text Generation Evaluating with Contextualized Embeddings and Earth Mover Distance; *EMNLP-2019*
  - A Simple Theoretical Model of Importance for Summarization; *ACL-2019*
  - RUBER: An Unsupervised Method for Automatic Evaluation of Open-Domain Dialog Systems; *AAAI-2018*
  - Better Automatic Evaluation of Open-Domain Dialogue Systems with Contextualized Embeddings; *NAACL-WS-2019*
- Key Ideas of Other Metrics
- Conclusions

# Brief Taxonomy



# Brief Taxonomy



# MoverScore-Title & Authors

## **MoverScore: Text Generation Evaluating with Contextualized Embeddings and Earth Mover Distance**

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# MoverScore-Introduction

- **Motivation:** A desirable metric **compares** system output against references based on their **semantics** rather than surface forms. Distinct surface forms may convey the same meaning.
- **Method:** They investigate the effectiveness of a spectrum of **distributional semantic representations** to **encode** system and reference texts, allowing them to be compared for **semantic similarity** by **quantifying** the semantic distance.
  - BERT + Word/Sent Mover's Distance
- **Contributions:**
  1. **formulate** the problem of evaluating generation systems as measuring the **semantic distance**
  2. investigate the effectiveness of existing **contextualized representations** and **Earth Mover's Distance**
  3. **outperforms or performs comparably** to strong baselines on four text generation tasks including summarization, machine translation, image captioning, and data-to-text generation

# MoverScore–Main Idea

- The semantic distance is computed based on the Word Mover's Distance (WMD).

$$\begin{aligned} \text{WMD}(\mathbf{x}^n, \mathbf{y}^n) &:= \min_{\mathbf{F} \in \mathbb{R}^{|\mathbf{x}^n| \times |\mathbf{y}^n|}} \langle \mathbf{C}, \mathbf{F} \rangle, \\ \text{s.t. } \mathbf{F}\mathbf{1} &= \mathbf{f}_{\mathbf{x}^n}, \quad \mathbf{F}^\top \mathbf{1} = \mathbf{f}_{\mathbf{y}^n}. \end{aligned}$$

- System prediction  $\mathbf{x} = (x_1, \dots, x_m)$  is a sentence viewed as a sequence of words. Reference  $\mathbf{y}$  is also a word sequence.

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Insight: find the minimum effort to transform between two texts

# MoverScore-In Practice

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$$\mathbf{C}_{ij} = d(\mathbf{x}_i^n, \mathbf{y}_j^n) = \|E(\mathbf{x}_i^n) - E(\mathbf{y}_j^n)\|_2$$

$$\mathbf{F}_{ij} = \mathbf{f}_{\mathbf{x}_i^n} * \mathbf{f}_{\mathbf{y}_j^n}$$

$$\mathbf{x}_i^n = (x_i, \dots, x_{i+n-1})$$

$i$ -th  $n$ -gram of  $\mathbf{x}$

$$E(\mathbf{x}_i^n) = \sum_{k=1}^{i+n-1} \text{idf}(x_k) * E(x_k)$$

$\text{idf}(x_k)$  is the IDF of word  $x_k$  computed from all sentences in the corpus and  $E(x_k)$  is its word vector.

$$\mathbf{f}_{\mathbf{x}_i^n} = \frac{1}{Z} * \sum_{k=i}^{i+n-1} \text{idf}(x_k)$$

where  $Z$  is a normalizing constant s.t.  $\mathbf{f}_{\mathbf{x}^n}^\top \mathbf{1} = 1$ .

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How to get the word vector?

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# MoverScore-In Practice

- How to get the word vector?

$$E(x_i) \left\{ \begin{array}{l} \text{Static embeddings, e.g. word2vec} \\ \text{Contextualized embeddings, e.g. ELMo, BERT} \end{array} \right.$$

- If choose the contextualized embeddings, how to **aggregate** the word vectors from multiple (e.g.  $L$ ) layers?

## Power Means

$$E(x_i) = \mathbf{h}_i^{(1)} \oplus \mathbf{h}_i^{(+\infty)} \oplus \mathbf{h}_i^{(-\infty)}$$
$$\mathbf{h}_i^{(p)} = \left( \frac{\mathbf{z}_{i,1}^p + \dots + \mathbf{z}_{i,L}^p}{L} \right)^{\frac{1}{p}}$$

**Power Means**

## Algorithm 1 Aggregation by Routing

```
1: procedure ROUTING( $\mathbf{z}_{ij}, \ell$ )
2: Initialize  $\forall i, j : \gamma_{ij} = 0$ 
3: while true do
4:   foreach representation  $i$  and  $j$  in layer  $\ell$  and  $\ell + 1$  do  $\gamma_{ij} \leftarrow \text{softmax}(\gamma_{ij})$ 
5:   foreach representation  $j$  in layer  $\ell + 1$  do
6:      $\mathbf{v}_j \leftarrow \sum_i \gamma_{ij} k'(\mathbf{v}_j, \mathbf{z}_i) \mathbf{z}_i / \sum_i k'(\mathbf{v}_i, \mathbf{z}_i)$ 
7:   foreach representation  $i$  and  $j$  in layer  $\ell$  and  $\ell + 1$  do  $\gamma_{ij} \leftarrow \gamma_{ij} + \alpha \cdot k(\mathbf{v}_j, \mathbf{z}_i)$ 
8:   loss  $\leftarrow \log(\sum_{i,j} \gamma_{ij} k(\mathbf{v}_j, \mathbf{z}_i))$ 
9:   if  $|\text{loss} - \text{preloss}| < \epsilon$  then
10:    break
11:  else
12:    preloss  $\leftarrow \text{loss}$ 
13: return  $\mathbf{v}_j$ 
```

**Routing**



# MoverScore-In Practice

- Sentence Mover Distance (SMD) is computed from the distance between the two sentence embeddings.

$$\text{SMD}(\mathbf{x}^n, \mathbf{y}^n) = ||E(x_1^{l_x}) - E(y_1^{l_y})||_2$$

where  $l_x$  and  $l_y$  are the size of sentences

# MoverScore-Experimental Setup

- The MoverScore has been investigated along four dimensions:

- the **granularity** of embeddings, i.e., the size of  $n$  for  $n$ -grams
  - $n=1$
  - $n=2$
  - $n=\text{sentence length}$
- the choice of pretrained **embedding** mechanism
  - word2vec
  - ELMo
  - BERT
- the **fine-tuning task** used for BERT
  - MultiNLI
  - QANLI
  - QQP
- the **aggregation** technique (p-means or routing) when applicable
  - p-means
  - Routing

e.g., WMD-1+BERT+MNLI+PMEANS

- The major focus is to study the **correlation** between different metrics and human judgment. **Pearson's  $r$**  and **Spearman's  $\rho$**  are selected to measure the correlation.

# MoverScore-Experiments on Translation

- Dataset: WMT 2017; 7 language pairs; Each language pair has approximately 3,000 sentences.

Setting	Metrics	Direct Assessment							
		cs-en	de-en	fi-en	lv-en	ru-en	tr-en	zh-en	Average
BASELINES	METEOR++	0.552	0.538	0.720	0.563	0.627	0.626	0.646	0.610
	RUSE(*)	0.624	0.644	0.750	0.697	0.673	0.716	0.691	0.685
	BERTSCORE-F1	0.670	0.686	0.820	0.710	0.729	0.714	0.704	0.719
SENT-MOVER	SMD + W2V	0.438	0.505	0.540	0.442	0.514	0.456	0.494	0.484
	SMD + ELMO + PMEANS	0.569	0.558	0.732	0.525	0.581	0.620	0.584	0.595
	SMD + BERT + PMEANS	0.607	0.623	0.770	0.639	0.667	0.641	0.619	0.652
	SMD + BERT + MNLI + PMEANS	0.616	0.643	0.785	0.660	0.664	0.668	0.633	0.667
WORD-MOVER	WMD-1 + W2V	0.392	0.463	0.558	0.463	0.456	0.485	0.481	0.471
	WMD-1 + ELMO + PMEANS	0.579	0.588	0.753	0.559	0.617	0.679	0.645	0.631
	WMD-1 + BERT + PMEANS	0.662	0.687	0.823	0.714	0.735	0.734	0.719	0.725
	WMD-1 + BERT + MNLI + PMEANS	0.670	0.708	<b>0.835</b>	<b>0.746</b>	<b>0.738</b>	0.762	<b>0.744</b>	<b>0.743</b>
	WMD-2 + BERT + MNLI + PMEANS	<b>0.679</b>	<b>0.710</b>	0.832	0.745	0.736	<b>0.763</b>	0.740	<b>0.743</b>

Table 1: Absolute Pearson correlations with segment-level human judgments in 7 language pairs on WMT17 dataset.

**Proposition 1** *BERTScore (precision/recall) can be represented as a (non-optimized) Mover Distance  $\langle C, F \rangle$ , where  $C$  is a transportation cost matrix based on BERT and  $F$  is a uniform transportation flow matrix.*<sup>2</sup>

# MoverScore-Experiments on Summarization

- Datasets: TAC2008/TAC2009; 48/44 clusters; 10 news article per cluster; four reference summaries per cluster;

Setting	Metrics	TAC-2008				TAC-2009			
		Responsiveness		Pyramid		Responsiveness		Pyramid	
		$r$	$\rho$	$r$	$\rho$	$r$	$\rho$	$r$	$\rho$
BASELINES	$S_{best}^3 (*)$	0.715	0.595	0.754	0.652	0.738	<b>0.595</b>	<b>0.842</b>	<b>0.731</b>
	ROUGE-1	0.703	0.578	0.747	0.632	0.704	0.565	0.808	0.692
	ROUGE-2	0.695	0.572	0.718	0.635	0.727	0.583	0.803	0.694
	BERTSCORE-F1	0.724	0.594	0.750	0.649	0.739	0.580	0.823	0.703
SENT-MOVER	SMD + W2V	0.583	0.469	0.603	0.488	0.577	0.465	0.670	0.560
	SMD + ELMO + PMEANS	0.631	0.472	0.631	0.499	0.663	0.498	0.726	0.568
	SMD + BERT + PMEANS	0.658	0.530	0.664	0.550	0.670	0.518	0.731	0.580
	SMD + BERT + MNLI + PMEANS	0.662	0.525	0.666	0.552	0.667	0.506	0.723	0.563
WORD-MOVER	WMD-1 + W2V	0.669	0.549	0.665	0.588	0.698	0.520	0.740	0.647
	WMD-1 + ELMO + PMEANS	0.707	0.554	0.726	0.601	0.736	0.553	0.813	0.672
	WMD-1 + BERT + PMEANS	0.729	0.595	0.755	0.660	0.742	0.581	0.825	0.690
	WMD-1 + BERT + MNLI + PMEANS	<b>0.736</b>	<b>0.604</b>	<b>0.760</b>	<b>0.672</b>	<b>0.754</b>	0.594	0.831	0.701
	WMD-2 + BERT + MNLI + PMEANS	0.734	0.601	0.752	0.663	0.753	0.586	0.825	0.694

Table 2: Pearson  $r$  and Spearman  $\rho$  correlations with summary-level human judgments on TAC 2008 and 2009.

# MoverScore-Experiments on Dialogue

- Datasets: BAGEL/SFHOTEL; 202/398 instances with multiple references;

Setting	Metrics	BAGEL			SFHOTEL		
		Inf	Nat	Qual	Inf	Nat	Qual
BASELINES	BLEU-1	0.225	0.141	0.113	0.107	0.175	0.069
	BLEU-2	0.211	0.152	0.115	0.097	0.174	0.071
	METEOR	0.251	0.127	0.116	0.111	0.148	0.082
	BERTSCORE-F1	0.267	0.210	<b>0.178</b>	0.163	0.193	0.118
SENT-MOVER	SMD + W2V	0.024	0.074	0.078	0.022	0.025	0.011
	SMD + ELMO + PMEANS	0.251	0.171	0.147	0.130	0.176	0.096
	SMD + BERT + PMEANS	0.290	0.163	0.121	0.192	0.223	0.134
	SMD + BERT + MNLI + PMEANS	0.280	0.149	0.120	0.205	0.239	0.147
WORD-MOVER	WMD-1 + W2V	0.222	0.079	0.123	0.074	0.095	0.021
	WMD-1 + ELMO + PMEANS	0.261	0.163	0.148	0.147	0.215	0.136
	WMD-1 + BERT + PMEANS	<b>0.298</b>	<b>0.212</b>	0.163	0.203	0.261	0.182
	WMD-1 + BERT + MNLI + PMEANS	0.285	0.195	0.158	<b>0.207</b>	<b>0.270</b>	<b>0.183</b>
	WMD-2 + BERT + MNLI + PMEANS	0.284	0.194	0.156	0.204	0.270	0.182

Table 3: Spearman correlation with utterance-level human judgments for BAGEL and SFHOTEL datasets.

# MoverScore-Experiments on Image Caption

- Dataset: MSCOCO; 5000 instances; five caption references per instance;

Setting	Metric	M1	M2
BASELINES	LEIC(*)	<b>0.939</b>	<b>0.949</b>
	METEOR	0.606	0.594
	SPICE	0.759	0.750
	BERTSCORE-RECALL	0.809	0.749
SENT-MOVER	SMD + W2V	0.683	0.668
	SMD + ELMO + P	0.709	0.712
	SMD + BERT + P	0.723	0.747
	SMD + BERT + M + P	0.789	0.784
WORD-MOVER	WMD-1 + W2V	0.728	0.764
	WMD-1 + ELMO + P	0.753	0.775
	WMD-1 + BERT + P	0.780	0.790
	WMD-1 + BERT + M + P	<b>0.813</b>	<b>0.810</b>
	WMD-2 + BERT + M + P	0.812	0.808

Table 4: Pearson correlation with system-level human judgments on MSCOCO dataset. 'M' and 'P' are short names.

# MoverScore-Experiments

- Score distribution

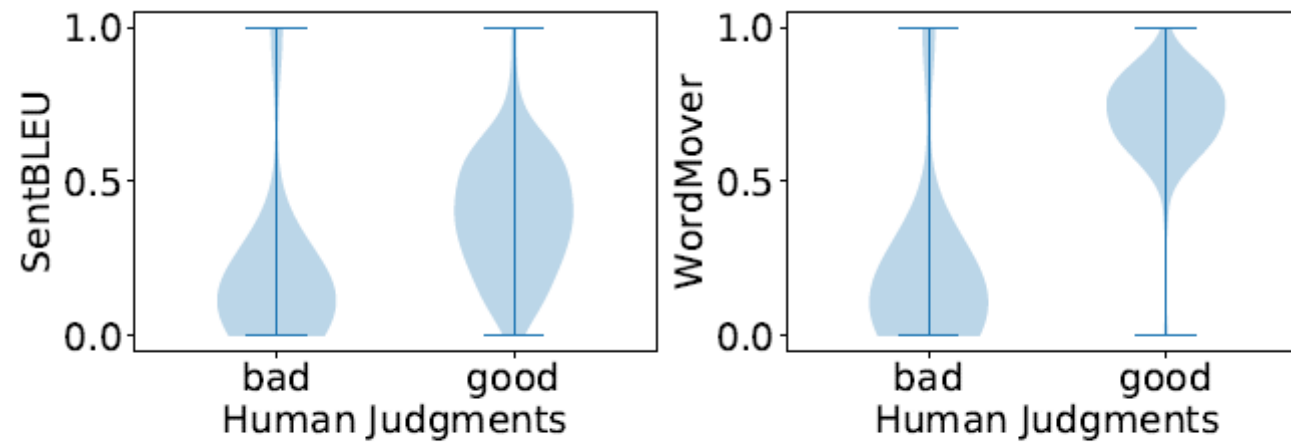


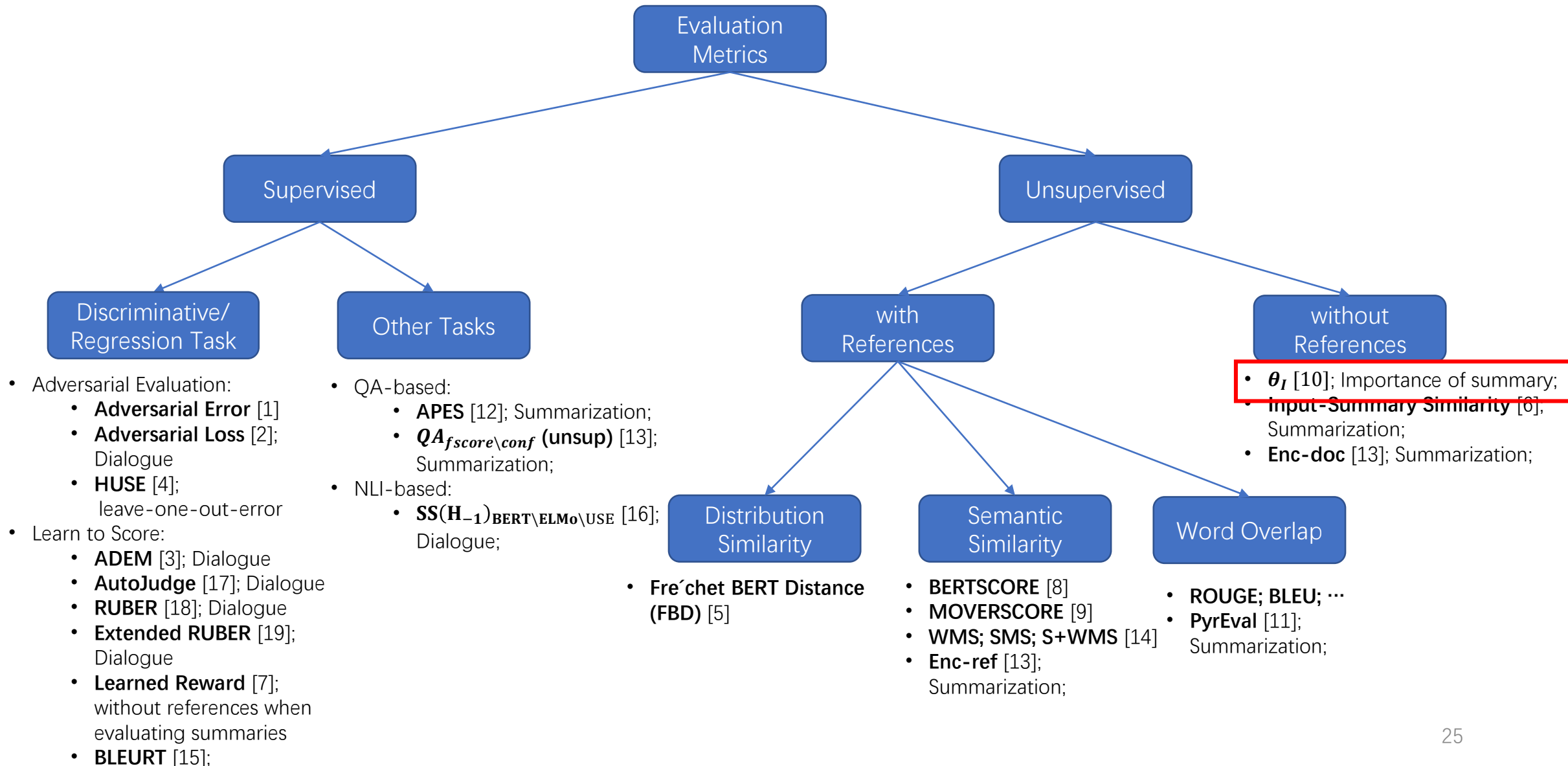
Figure 2: Score distribution in German-to-English pair.

# MoverScore–Conclusions

- Investigated new **unsupervised evaluation metrics** for text generation systems combining contextualized embeddings with Earth Mover's Distance.
- The new metric obtain strong **generalization ability** across four text generation tasks, oftentimes even outperforming supervised metrics.
- **One limitation** of this metric is that it depends on the IDF of generated summaries. When adding a new system to evaluate, the scores of other systems will be changed.
  - BERTSCORE has no such limitation.



# Brief Taxonomy



$\theta_I$  – Title & Authors

**A Simple Theoretical Model of Importance for Summarization**

**Maxime Peyrard\***  
EPFL

# $\theta_I$ – Introduction

- **Motivation:** the notion of information **Importance** remains latent in summarization research.
- **Method:** propose simple **theoretical models of Importance** by unifying the following concepts:
  - Redundancy
  - Relevance
  - Informativeness
- **Contributions:**
  1. **define several concepts** intuitively connected to summarization: *Redundancy*, *Relevance* and *Informativeness*.
  2. **formulate properties** required from a useful notion of *Importance* as the quantity unifying these concepts & **provide intuitions to interpret** the proposed quantities.
  3. even under simplifying assumptions, these quantities **correlates well** with human judgments

# $\theta_I$ - Redundancy

- In information-theoretic terms, the **amount of information** is measured by Shannon's **entropy**. For a summary  $S$  represented by  $P_S$ :

$$H(S) = - \sum_{w_i} P_S(w_i) \log(P_S(w_i))$$

semantic unit  
e.g., word

e.g., word frequency distribution

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$$Red(S) = H_{max} - H(S)$$

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semantic unit  
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e.g., word frequency distribution

- The **Redundancy** is defined as:

$$Red(S) = H_{max} - H(S)$$

$H_{max}$  is a constant

$$Red(S) = -H(S)$$

# $\theta_I$ - Relevance

- estimating *Relevance* boils down to comparing the distributions  $P_S$  and  $P_D$  ( $D$  is the document), which is done via the cross-entropy:

$$Rel(S, D) = -CE(S, D) = \sum_{w_i} P_S(w_i) \log(P_D(w_i))$$

The cross-entropy is interpreted as the *average surprise* of observing  $S$  while expecting  $D$ . Lower surprise indicates higher relevance.

- $-KL(S||D) = Rel(S, D) - Red(S)$

Maximizing *Relevance* & Minimizing *Redundancy*  
= Minimizing the *KL divergence* between  $P_S$  and  $P_D$

# $\theta_I$ – Informativeness

- Intuitively, a summary is **informative** if it induces, for a user, a **great change** in her/his knowledge about the world.
- We denote the **background knowledge** as  $K$  which is represented by a probability distribution  $P_K$  over semantic units.
- ***Informativeness*** is defined as the amount of **new information** contained in a summary  $S$  compared to  $K$ . It can be given by the cross entropy:

$$Inf(S, K) = CE(S, K) = - \sum_{w_i} P_S(w_i) \log(P_K(w_i))$$

The cross-entropy is interpreted as the **average surprise** of observing  $S$  while expecting  $K$ . Higher surprise indicates higher *Informativeness*.



# $\theta_I$ - The Unified Importance

$$\theta_I(S, D, K) \equiv -Red(S) + \alpha * Rel(S, D) + \beta * Inf(S, K)$$

$$Red(S) = -H(S)$$

$$Rel(S, D) = -CE(S, D) = \sum_{w_i} P_S(w_i) \log(P_D(w_i))$$

$$Inf(S, K) = CE(S, K) = - \sum_{w_i} P_S(w_i) \log(P_K(w_i))$$

# $\theta_I$ - Experiments

- Choose **word** as the semantic unit.
- Texts are represented **frequency distribution over words**.
- $\alpha = \beta = 1$
- Datasets: TAC-2008; TAC-2009;
- Two summarization settings:
  - **Generic** multi-document summarization
    - 10 documents (A documents) are to be summarized.
    - $K$  is the **uniform probability distribution** over all words from the source documents.
  - **Update** multi-document summarization
    - 10 new documents (B documents) are to be summarized assuming that the first 10 documents (A documents) have already been seen.
    - $K$  is the **frequency distribution over words** in the **background documents (A)**.

# $\theta_I$ - Experiments

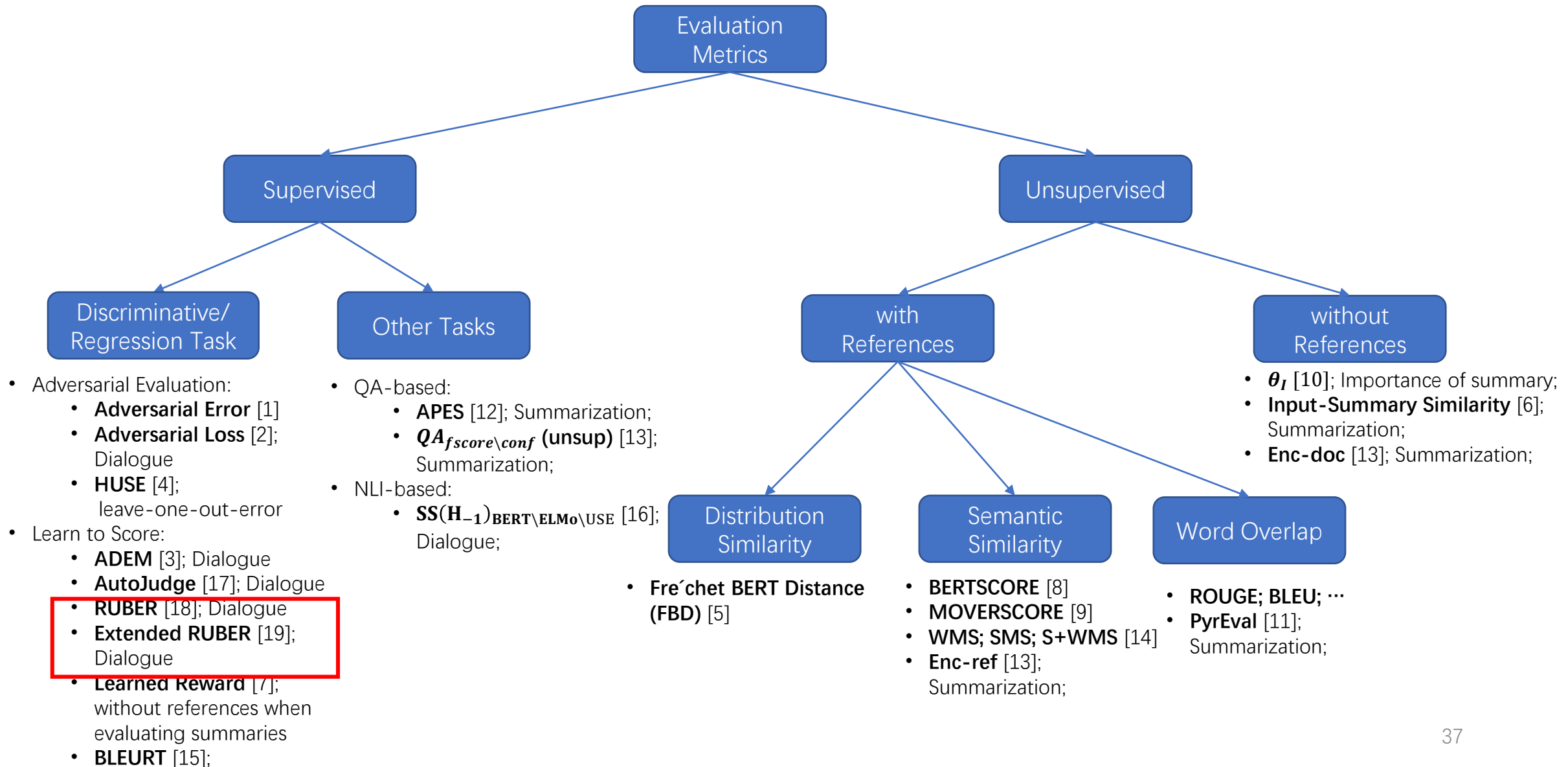
	Generic	Update
ICSI	.178	.139
Edm.	.215	.205
LexRank	.201	.164
KL	.204	.176
JS	.225	.189
KL <sub>back</sub>	.110	.167
JS <sub>back</sub>	.066	.187
Red	.098	.096
Rel	.212	.192
Inf	.091	.086
$\theta_I$	<b>.294</b>	<b>.211</b>

Table 1: Correlation of various information-theoretic quantities with human judgments measured by Kendall's  $\tau$  on generic and update summarization.

# $\theta_I$ – Conclusions

- A simple theoretical modeling of summary *Importance* with elegant and self-contained interpretation.
- *Generalization ability is not good enough* since it seems to be specifically-designed for multi-document summarization.

# Brief Taxonomy



# RUBER-Title & Authors

## **RUBER: An Unsupervised Method for Automatic Evaluation of Open-Domain Dialog Systems**

**Chongyang Tao,<sup>1</sup> Lili Mou,<sup>2</sup> Dongyan Zhao,<sup>1,3</sup> Rui Yan<sup>1,3\*</sup>**

<sup>1</sup>Institute of Computer Science and Technology, Peking University, China

<sup>2</sup>David R. Cheriton School of Computer Science, University of Waterloo

<sup>3</sup>Beijing Institute of Big Data Research, China

## **Better Automatic Evaluation of Open-Domain Dialogue Systems with Contextualized Embeddings**

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# RUBER-Introduction

- **Motivation:** researchers usually **resort to human annotation** for dialogue model evaluation, which is time and labor-intensive.
- **Method:** blend a **referenced metric** and **unreferenced metric** as the final metric.
- **Contributions:**
  1. **Referenced metric.** An embedding-based scorer measures the similarity between a generated reply and the ground truth.
  2. **Unreferenced metric.** A neural network-based scorer measures the relatedness between the generated reply and its query.
  3. **RUBER.** Combining the referenced and unreferenced metrics to better make use of both worlds.

# RUBER-Methodology

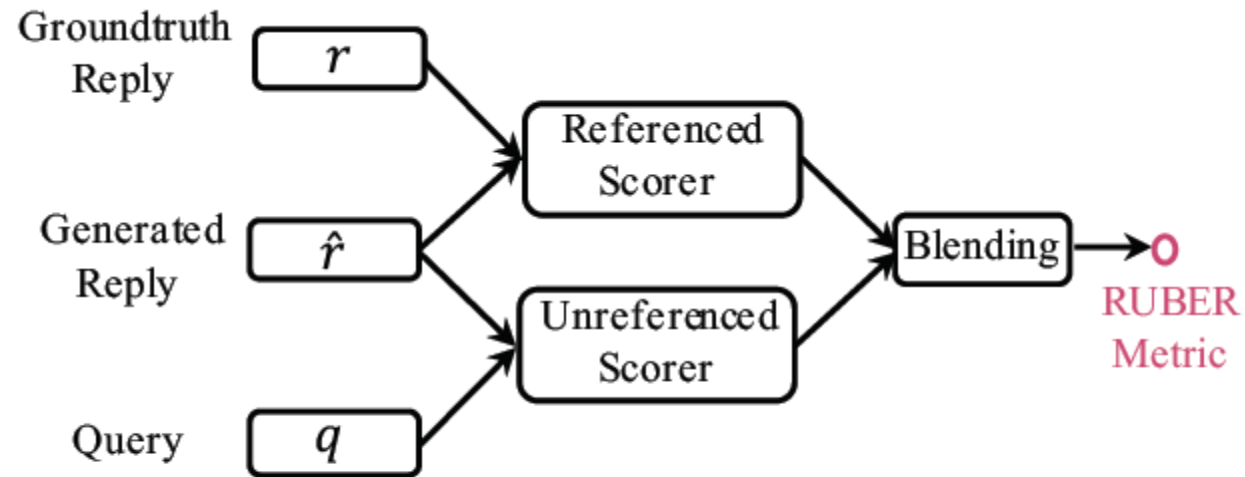
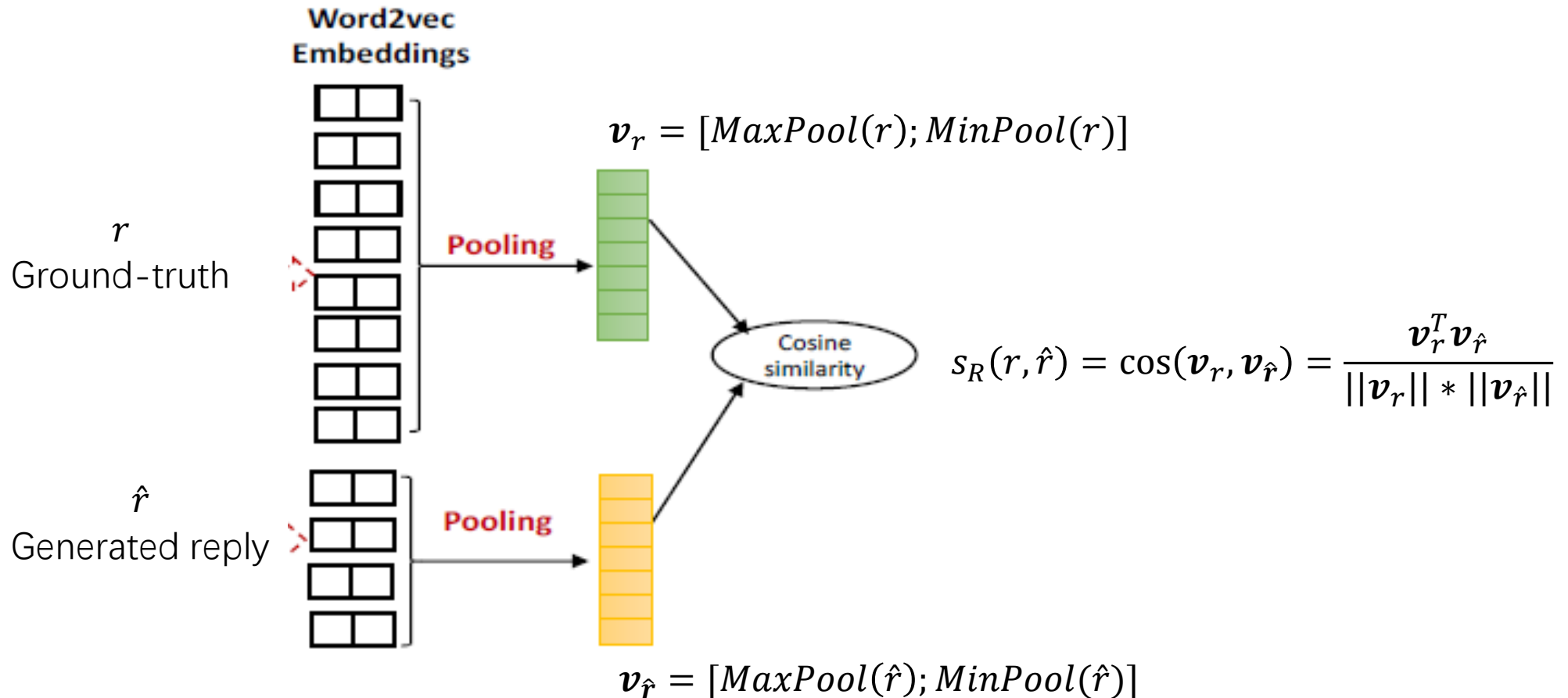


Figure 2: Overview of the RUBER metric.



# RUBER-Methodology

- Referenced Metric



# RUBER-Methodology

- Unreferenced Metric

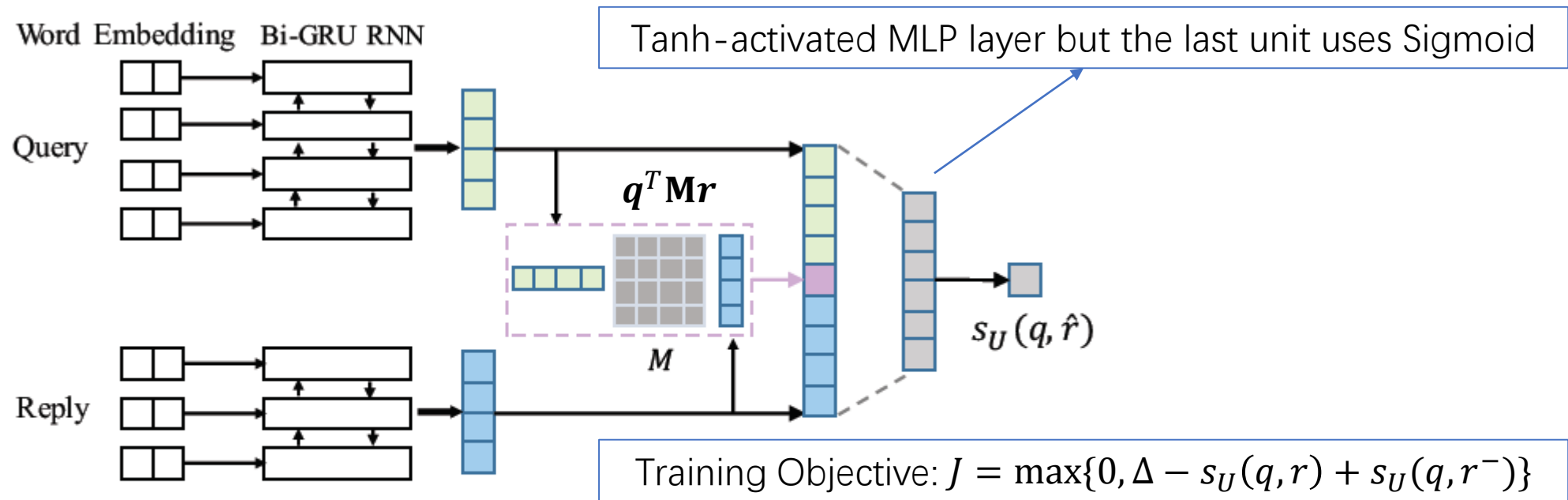


Figure 3: The neural network predicting the unreferenced score.

# RUBER-Methodology

- Blending the normalized scores
  1. Min:  $\min(\tilde{s}_R, \tilde{s}_U)$
  2. Max:  $\max(\tilde{s}_R, \tilde{s}_U)$
  3. Geometric mean:  $(\tilde{s}_R * \tilde{s}_U)^{1/2}$
  4. Arithmetic mean:  $(\tilde{s}_R + \tilde{s}_U)/2$

$$\tilde{s}_R = \frac{s_R - \min(s_R)}{\max(s_R) - \min(s_R)}$$

$$\tilde{s}_U = \frac{s_U - \min(s_U)}{\max(s_U) - \min(s_U)}$$

# RUBER-Experiments

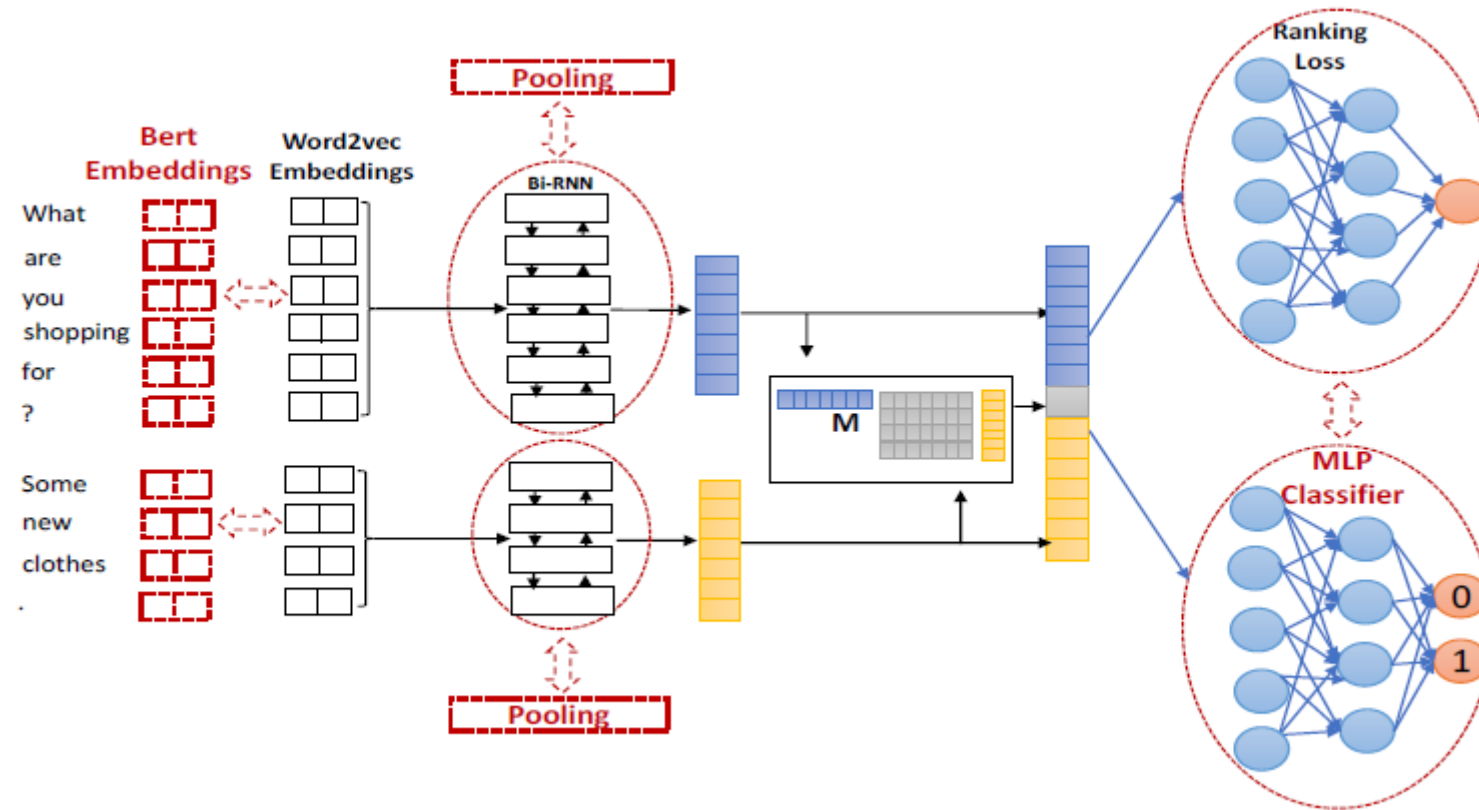
- Dataset: Douban

Metrics		Retrieval (Top-1)		Seq2Seq (w/ attention)	
		Pearson( $p$ -value)	Spearman( $p$ -value)	Pearson( $p$ -value)	Spearman( $p$ -value)
Inter-annotator	Human (Avg)	0.4927(< 0.01)	0.4981(< 0.01)	0.4692(< 0.01)	0.4708(< 0.01)
	Human (Max)	0.5931(< 0.01)	0.5926(< 0.01)	0.6068(< 0.01)	0.6028(< 0.01)
Referenced	BLEU-1	0.2722(< 0.01)	0.2473(< 0.01)	0.1521(< 0.01)	0.2358(< 0.01)
	BLEU-2	0.2243(< 0.01)	0.2389(< 0.01)	-0.0006(0.9914)	0.0546(0.3464)
	BLEU-3	0.2018(< 0.01)	0.2247(< 0.01)	-0.0576(0.3205)	-0.0188(0.7454)
	BLEU-4	0.1601(< 0.01)	0.1719(< 0.01)	-0.0604(0.2971)	-0.0539(0.3522)
	ROUGE	0.2840(< 0.01)	0.2696(< 0.01)	0.1747(< 0.01)	0.2522(< 0.01)
	Vector pool ( $s_R$ )	0.2844(< 0.01)	0.3205(< 0.01)	0.3434(< 0.01)	0.3219(< 0.01)
Unreferenced	Vector pool	0.2253(< 0.01)	0.2790(< 0.01)	0.3808(< 0.01)	0.3584(< 0.01)
	NN scorer ( $s_U$ )	0.4278(< 0.01)	0.4338(< 0.01)	0.4137(< 0.01)	0.4240(< 0.01)
RUBER	Min	0.4428(< 0.01)	0.4490(< 0.01)	<b>0.4527</b> (< 0.01)	<b>0.4523</b> (< 0.01)
	Geometric mean	0.4559(< 0.01)	0.4771(< 0.01)	0.4523(< 0.01)	0.4490(< 0.01)
	Arithmetic mean	<b>0.4594</b> (< 0.01)	<b>0.4906</b> (< 0.01)	0.4509(< 0.01)	0.4458(< 0.01)
	Max	0.3263(< 0.01)	0.3551(< 0.01)	0.3868(< 0.01)	0.3623(< 0.01)

Table 2: Correlation between automatic metrics and human annotation. We also compare human-human agreement: “Human (Avg)” refers to average correlation between every two humans, whereas “Human (Max)” refers to the two annotators who are most correlated. Notice that the  $p$ -value is a rough estimation of the probability that an uncorrelated metric produces a result that is at least as extreme as the current one; it does not indicate the degree of correlation.

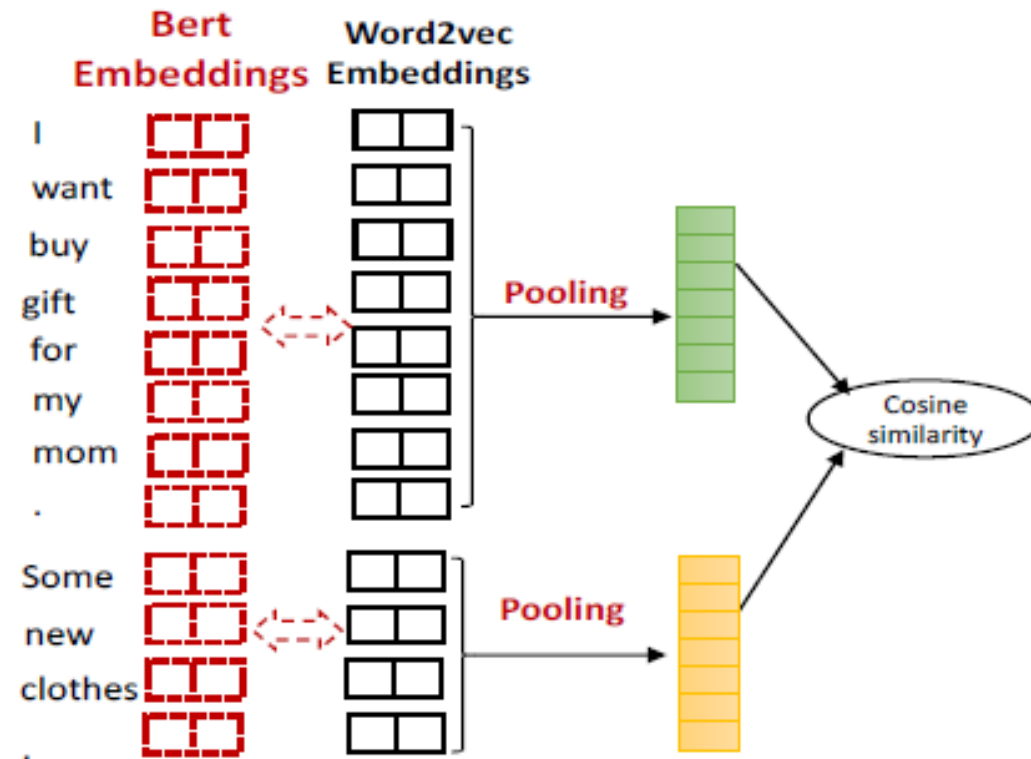
# RUBER-An Extension with BERT

- Unreferenced Metric



# RUBER-An Extension with BERT

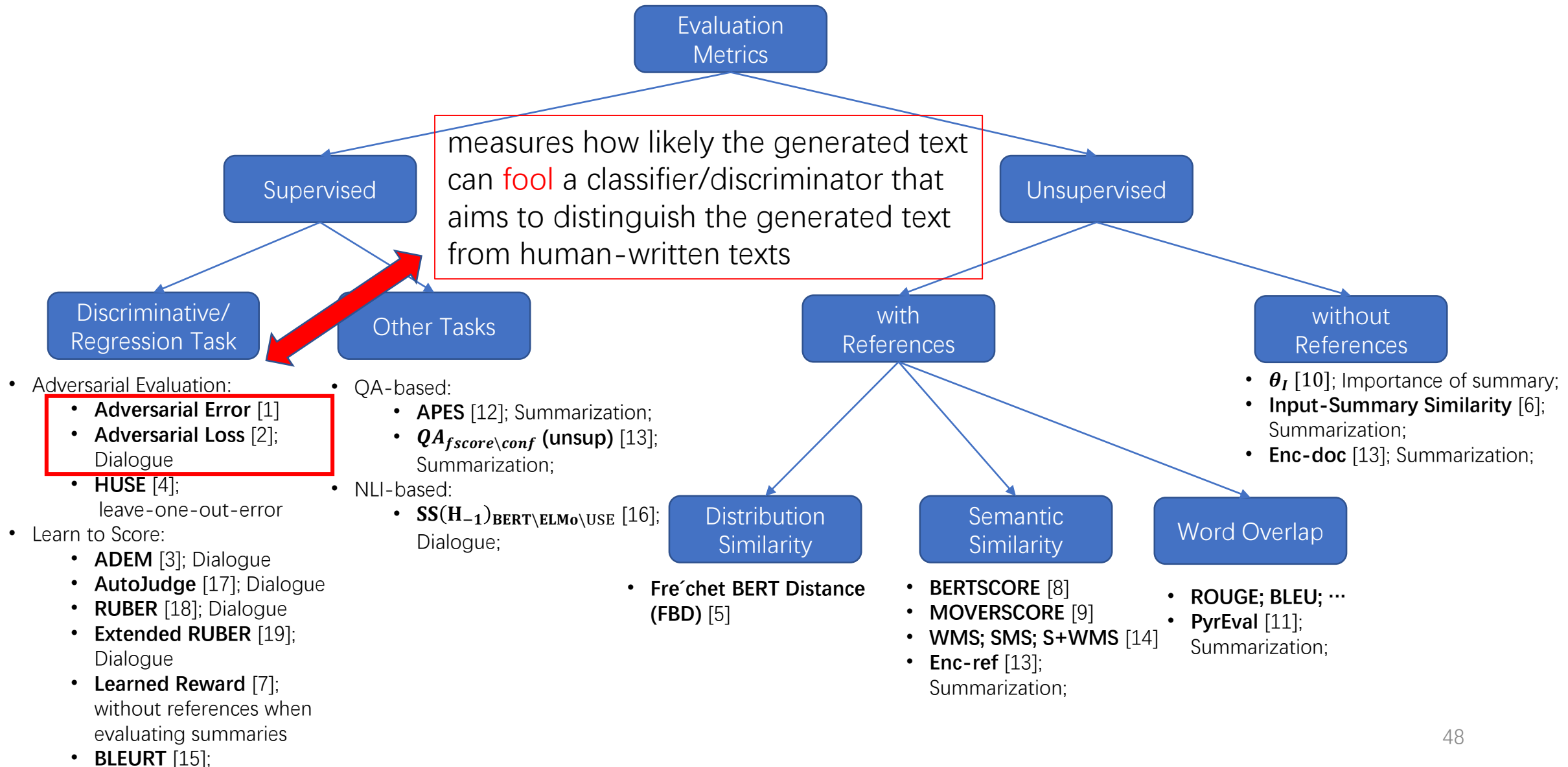
- Referenced Metric



# RUBER-Conclusions

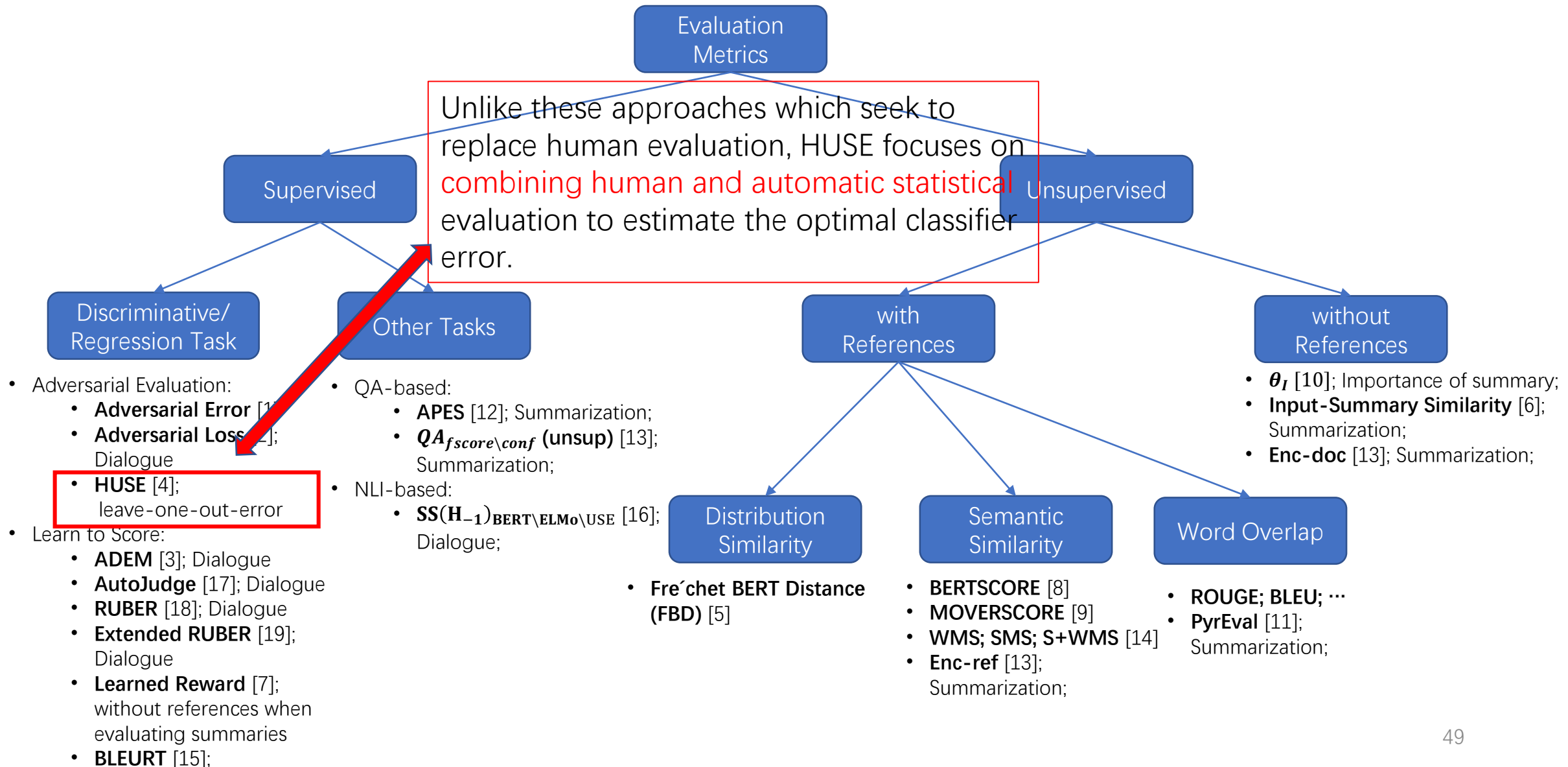
- A learnable, flexible **hybrid metric** for open-domain dialogue systems.
- Still **supervised** because of requiring training

# Key Ideas of Other Metrics

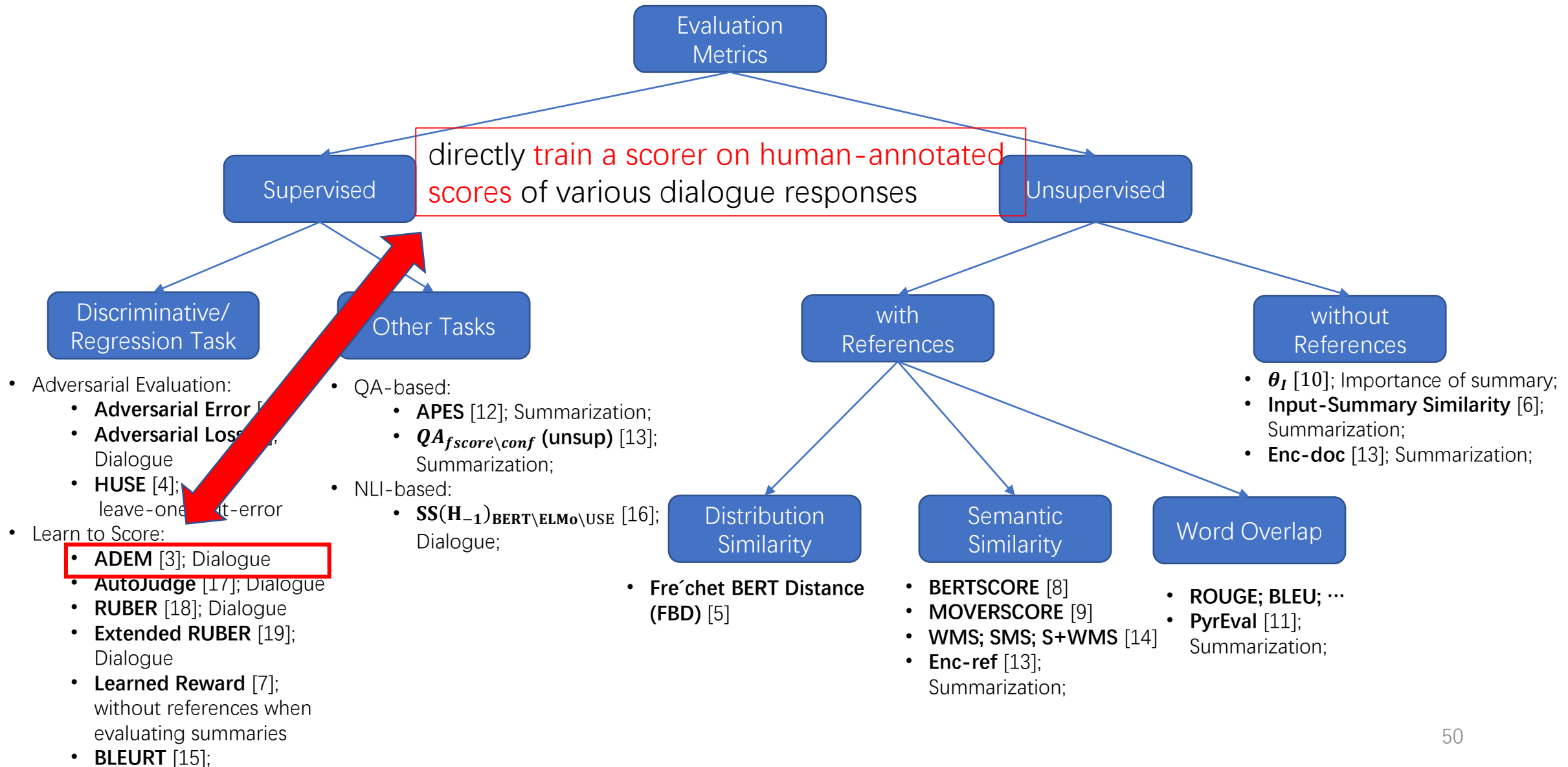




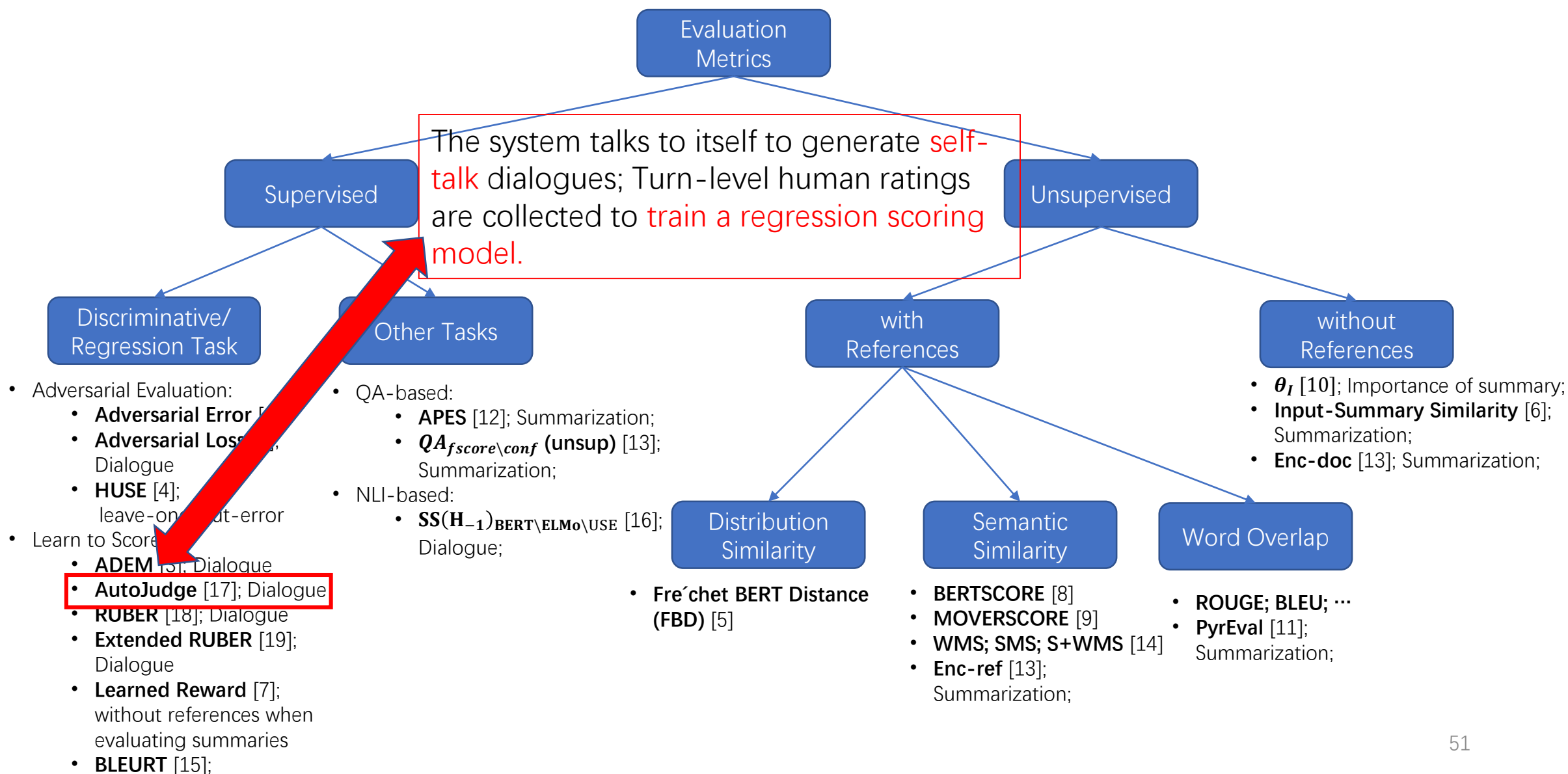
# Key Ideas of Other Metrics



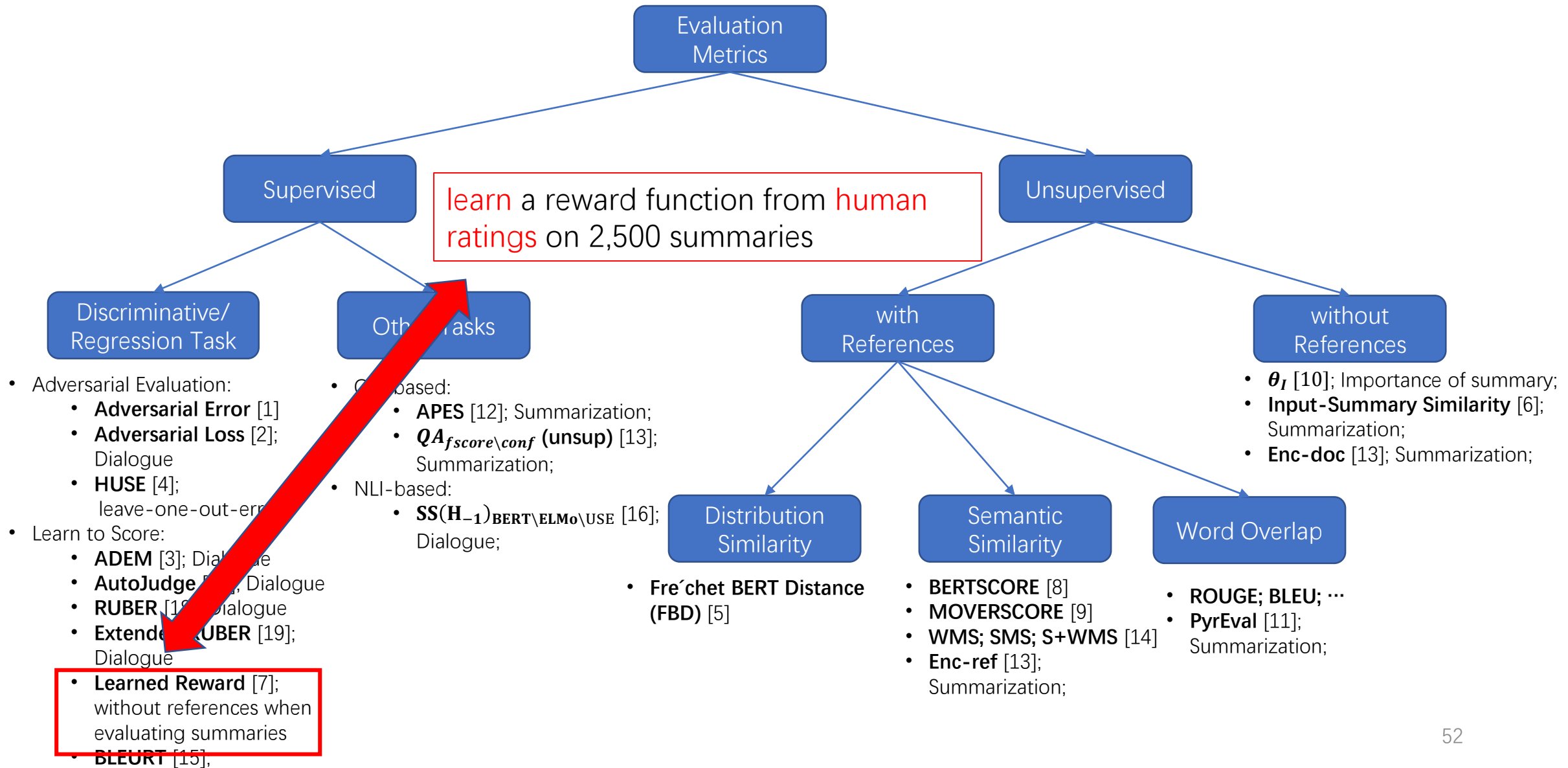
# Key Ideas of Other Metrics



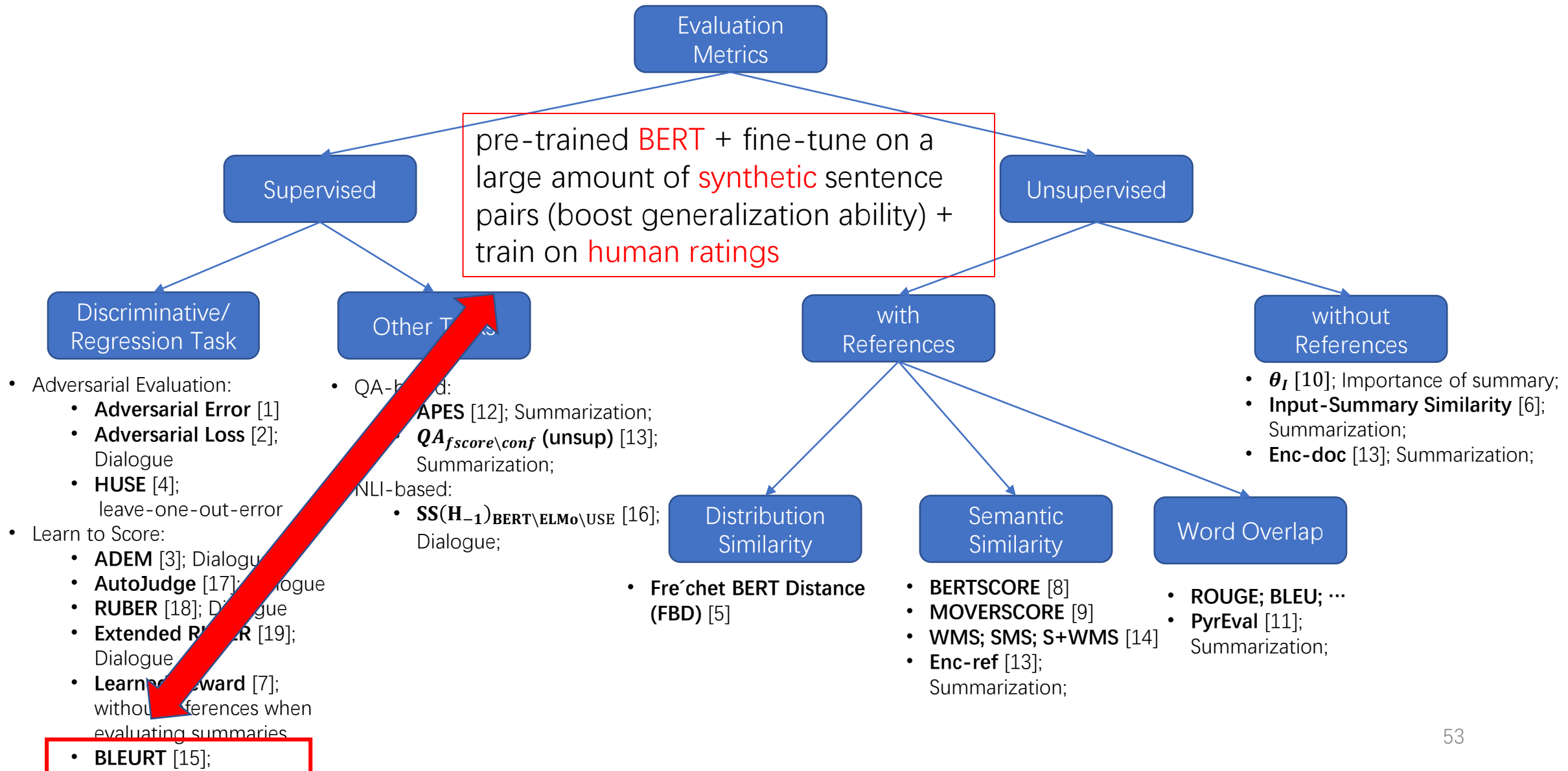
# Key Ideas of Other Metrics



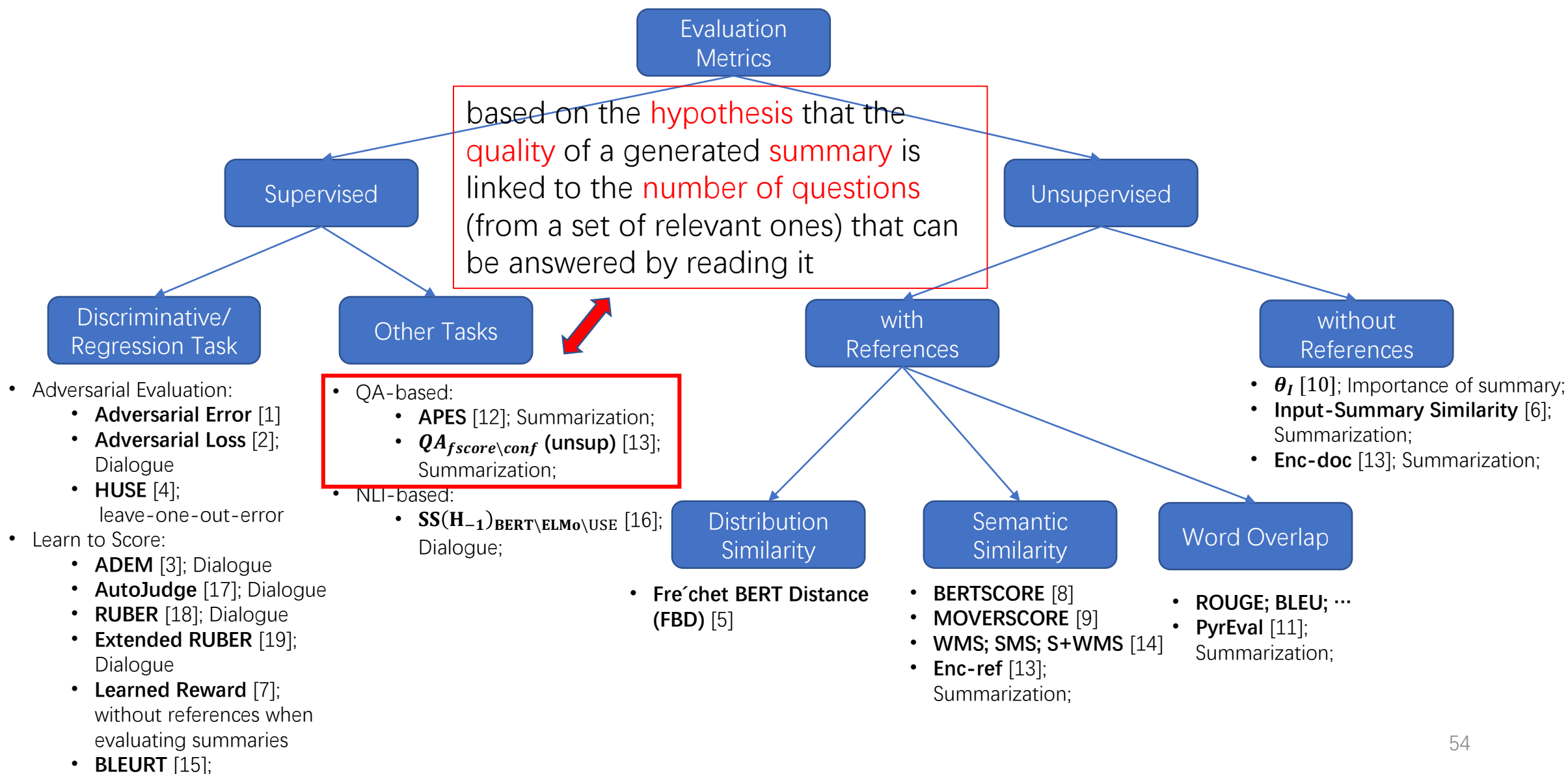
# Key Ideas of Other Metrics



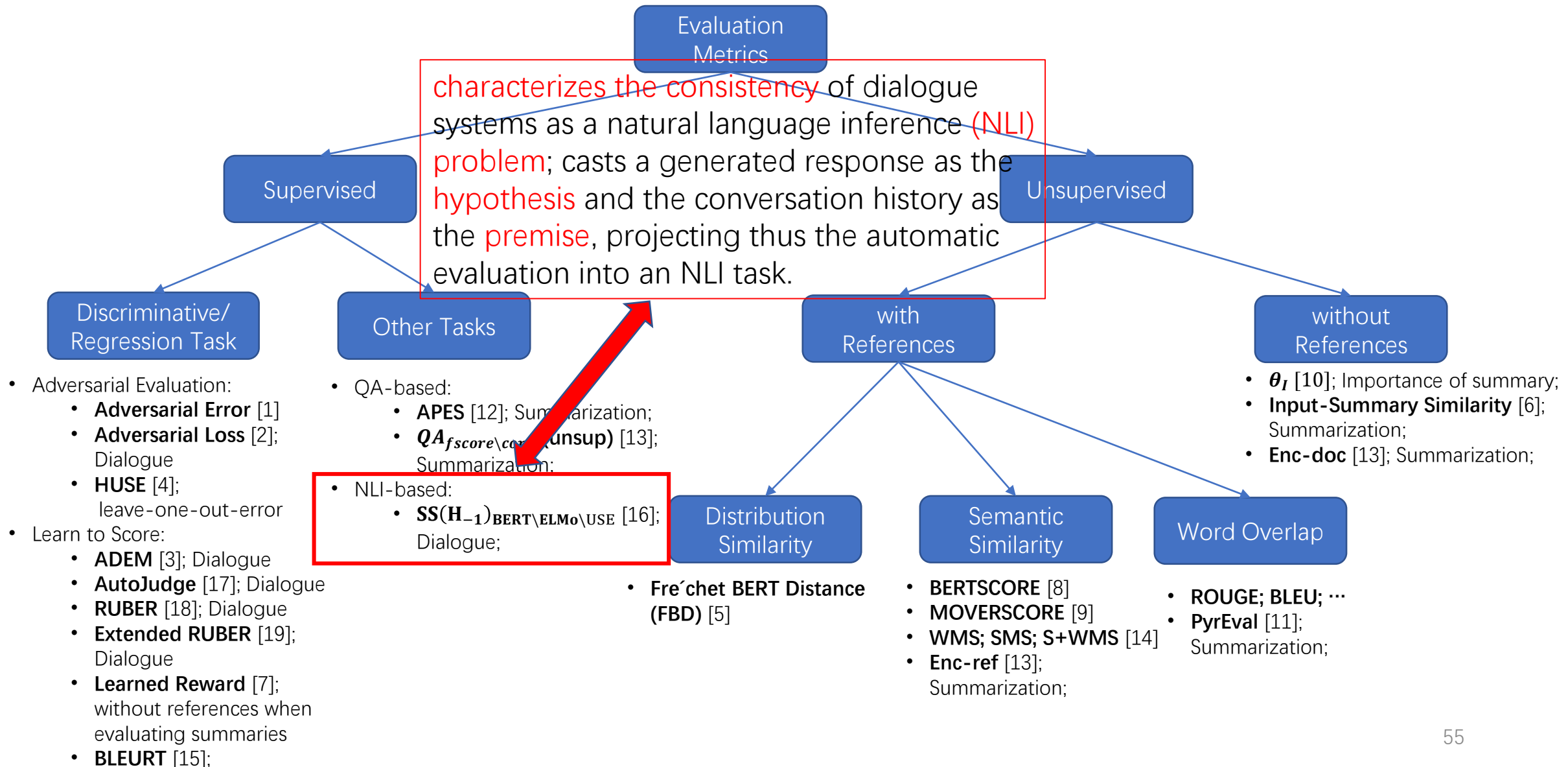
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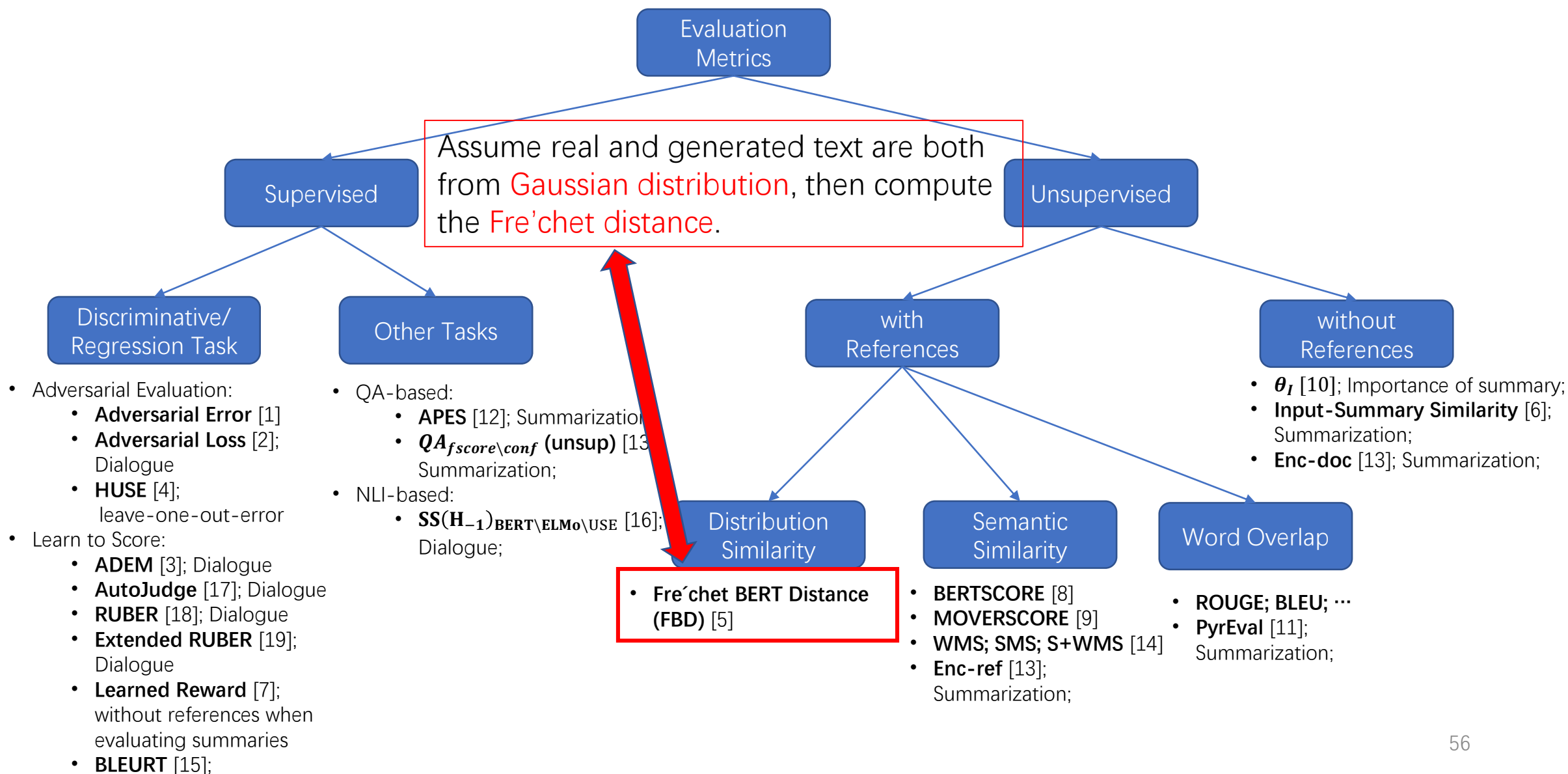
# Key Ideas of Other Metrics



# Key Ideas of Other Metrics

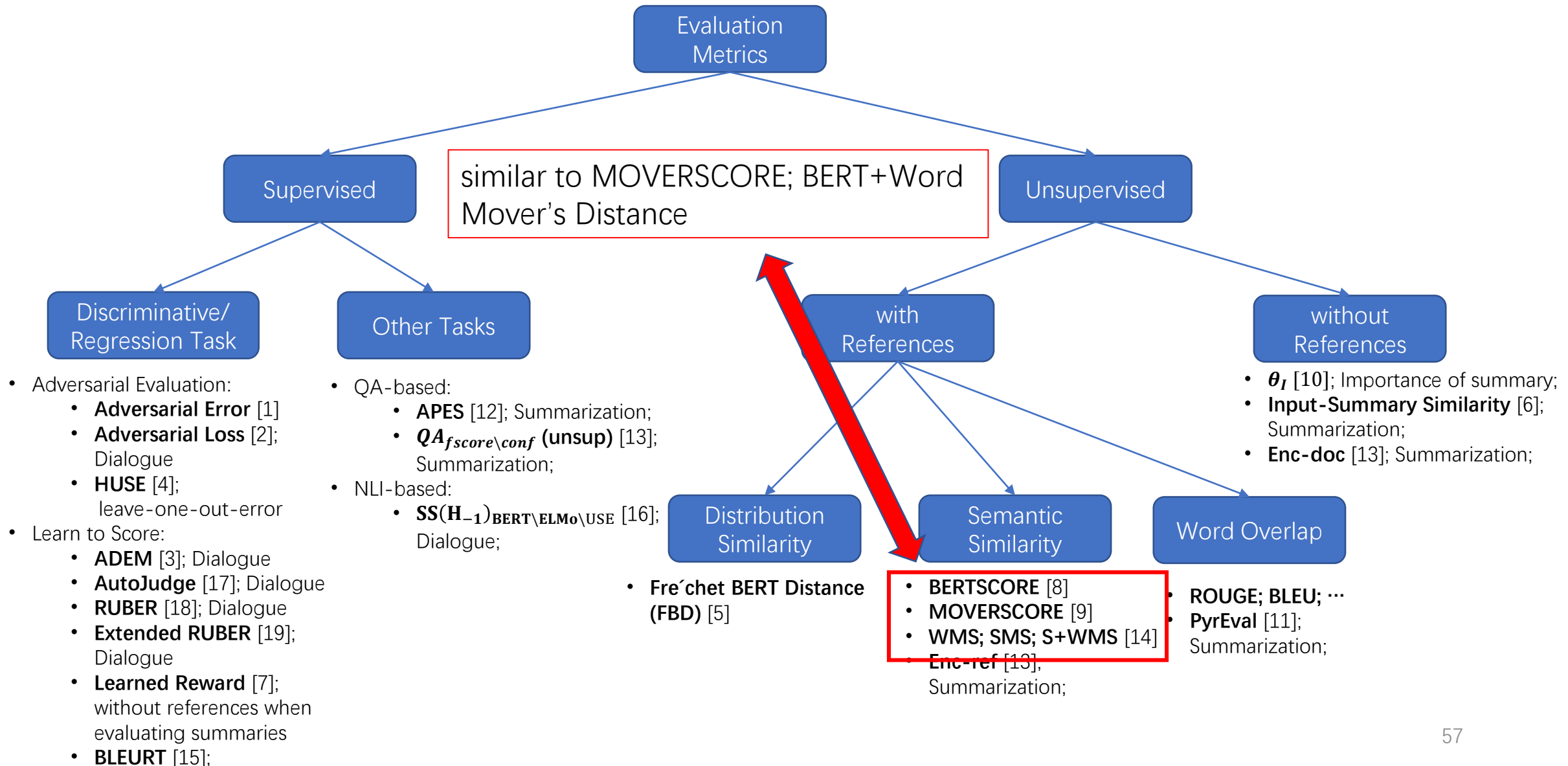


# Key Ideas of Other Metrics

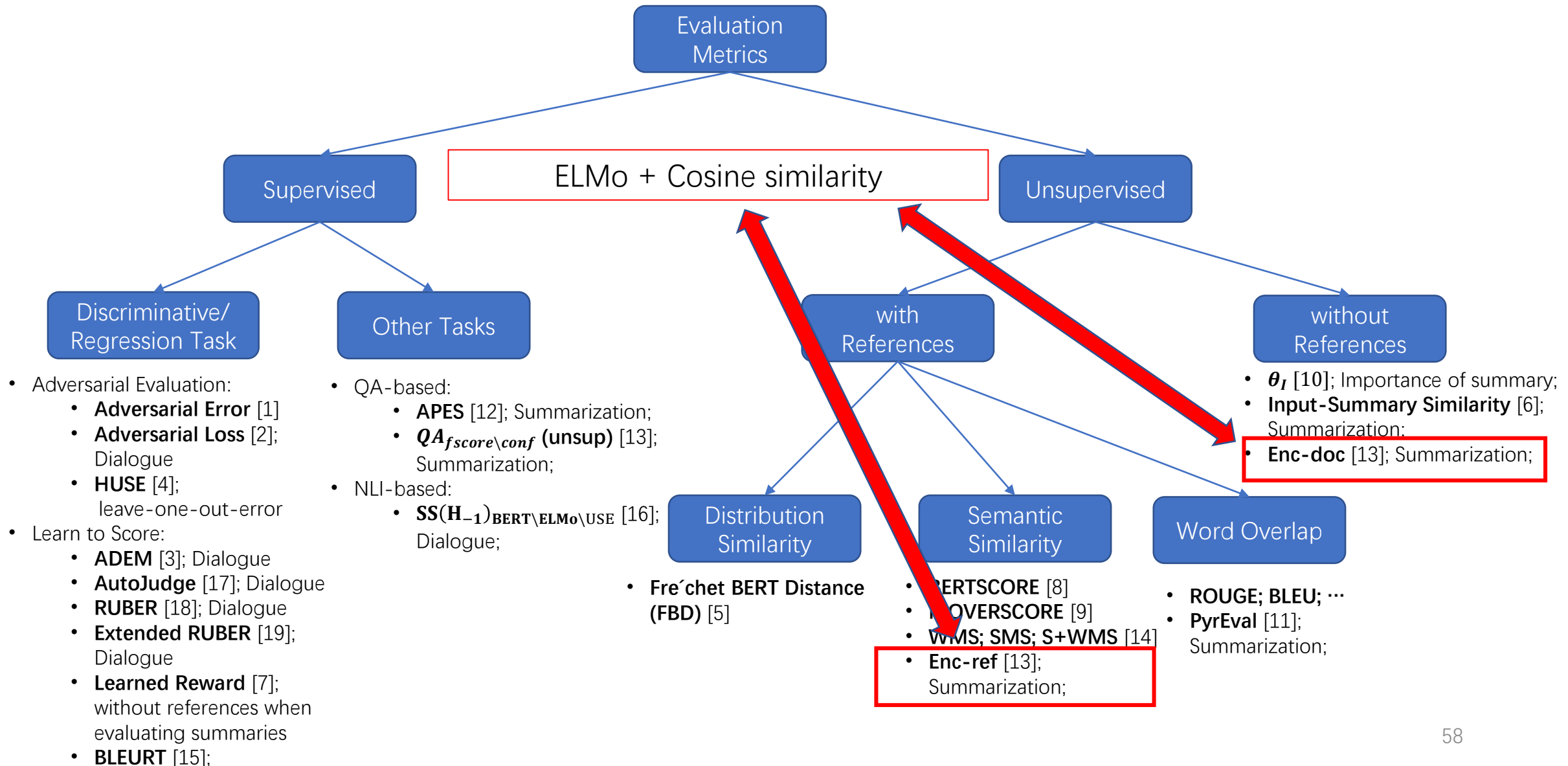




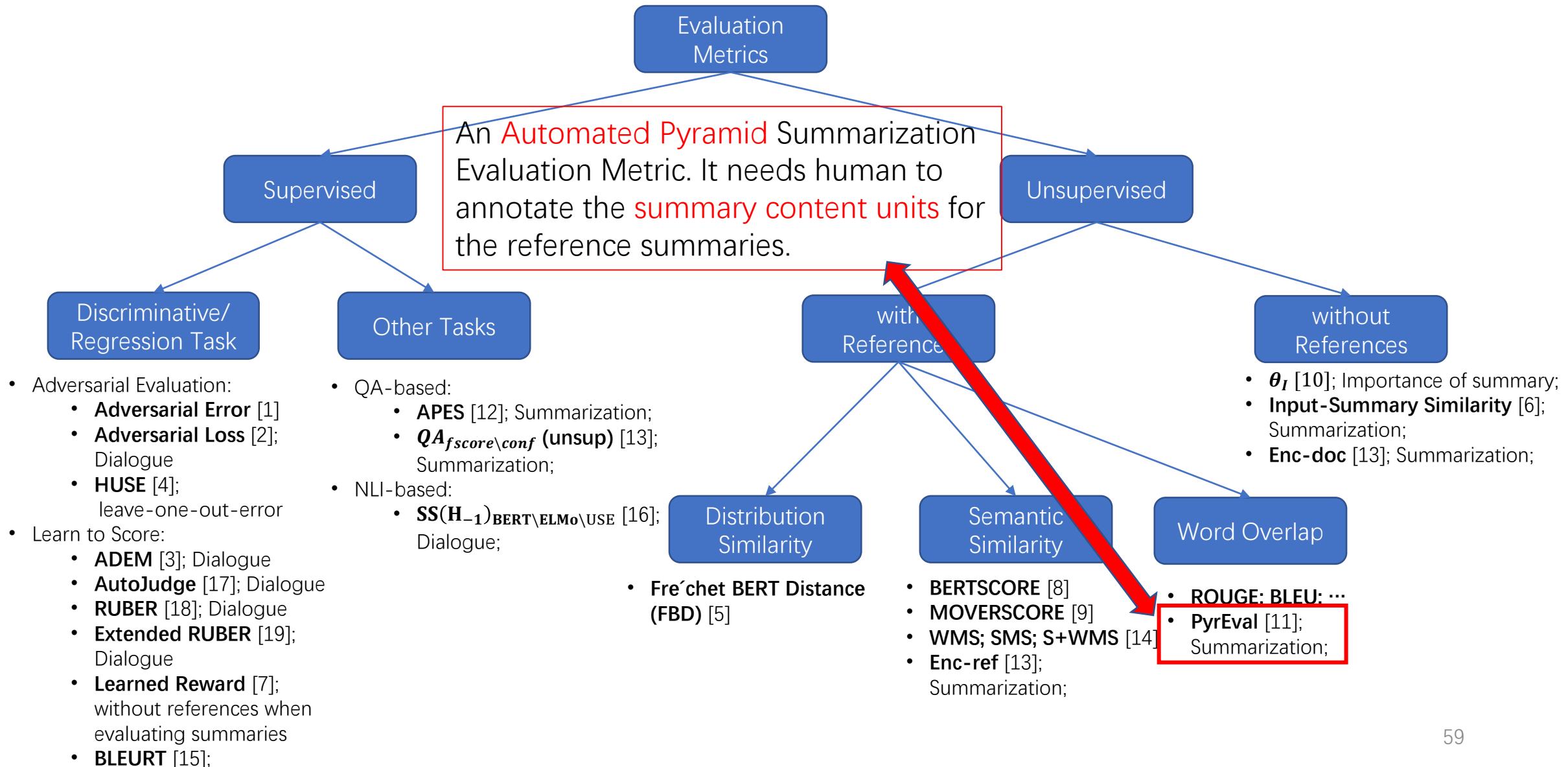
# Key Ideas of Other Metrics



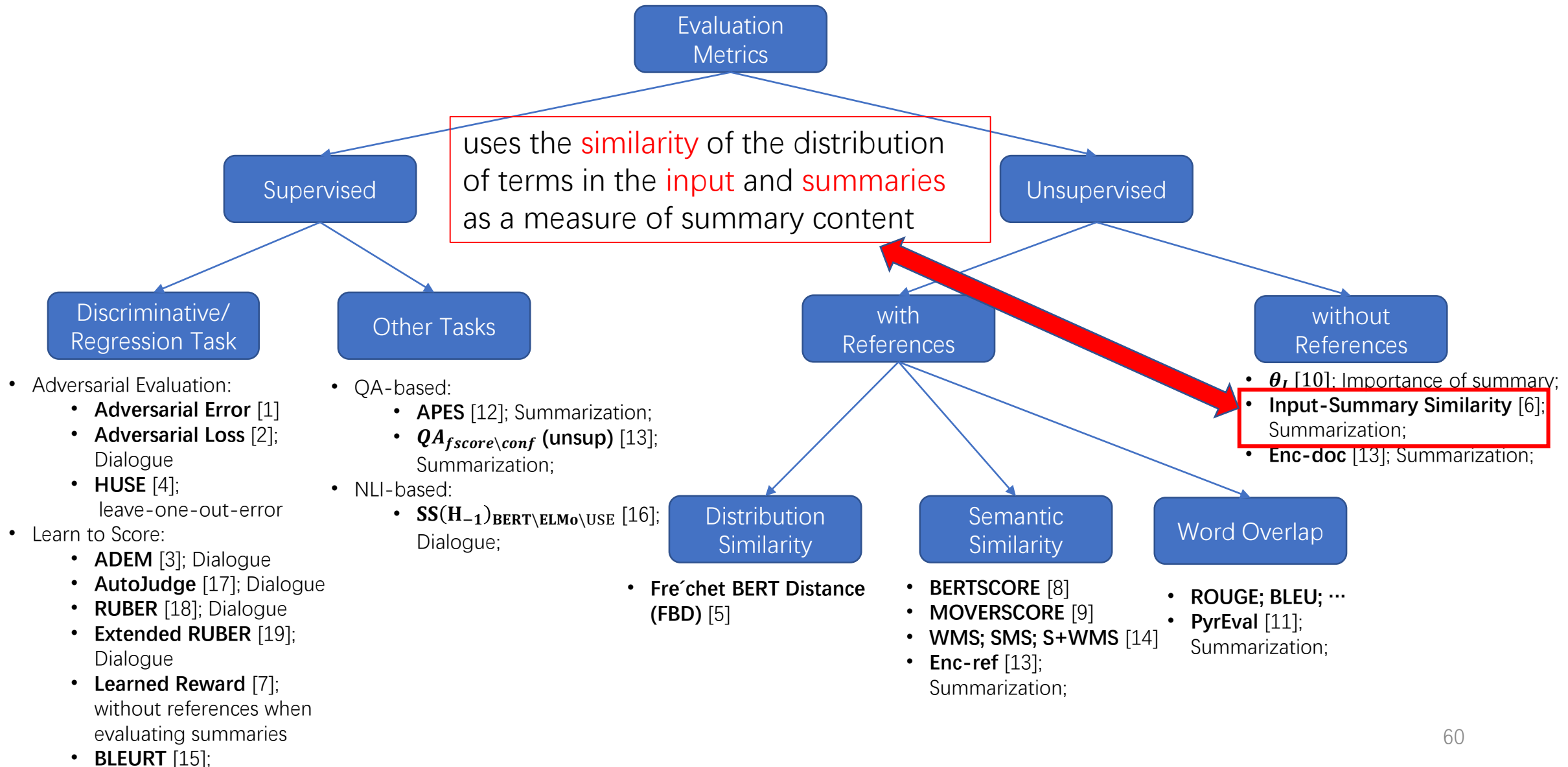
# Key Ideas of Other Metrics



# Key Ideas of Other Metrics



# Key Ideas of Other Metrics



# Conclusions

- We introduced a new metric for general text generation, summarization, and dialogue generation respectively.
- We briefly introduced the key ideas of various metrics based on the taxonomy.
- Unsupervised, semantic similarity based metrics are worthwhile to be engaged in your work.

# References

- [1]. Samuel R Bowman, Luke Vilnis, Oriol Vinyals, Andrew Dai, Rafal Jozefowicz, and Samy Bengio. 2016. Generating sentences from a continuous space. In Proceedings of The 20th SIGNLL Conference on Computational Natural Language Learning, pages 10–21.
- [2]. Anjuli Kannan and Oriol Vinyals. 2017. Adversarial evaluation of dialogue models. arXiv preprint arXiv:1701.08198.
- [3]. Ryan Lowe, Michael Noseworthy, Iulian Vlad Serban, Nicolas Angelard-Gontier, Yoshua Bengio, and Joelle Pineau. 2017. Towards an automatic turing test: Learning to evaluate dialogue responses. In Proceedings of the 55th Annual Meeting of the Association for Computational Linguistics (Volume 1: Long Papers), pages 1116–1126.
- [4]. Hashimoto, Tatsunori B., Hugh Zhang, and Percy Liang. "Unifying human and statistical evaluation for natural language generation." arXiv preprint arXiv:1904.02792 (2019).
- [5]. Montahaei, Ehsan, Danial Alihosseini, and Mahdiah Soleymani Baghshah. "Jointly measuring diversity and quality in text generation models." arXiv preprint arXiv:1904.03971 (2019).
- [6]. Louis, Annie, and Ani Nenkova. "Automatically assessing machine summary content without a gold standard." Computational Linguistics 39.2 (2013): 267–300.
- [7]. Böhm, Florian, et al. "Better rewards yield better summaries: Learning to summarise without references." arXiv preprint arXiv:1909.01214 (2019).
- [8]. Zhang, Tianyi, et al. "Bertscore: Evaluating text generation with bert." arXiv preprint arXiv:1904.09675 (2019).
- [9]. Zhao, Wei, et al. "Moverscore: Text generation evaluating with contextualized embeddings and earth mover distance." arXiv preprint arXiv:1909.02622 (2019).
- [10]. Peyrard, Maxime. "A simple theoretical model of importance for summarization." Proceedings of the 57th Annual Meeting of the Association for Computational Linguistics. 2019.

# References

- [11]. Gao, Yanjun, Chen Sun, and Rebecca J. Passonneau. "Automated Pyramid Summarization Evaluation." Proceedings of the 23rd Conference on Computational Natural Language Learning (CoNLL). 2019.
- [12]. Eyal, Matan, Tal Baumel, and Michael Elhadad. "Question answering as an automatic evaluation metric for news article summarization." arXiv preprint arXiv:1906.00318 (2019).
- [13]. Sun, Simeng, and Ani Nenkova. "The Feasibility of Embedding Based Automatic Evaluation for Single Document Summarization." Proceedings of the 2019 Conference on Empirical Methods in Natural Language Processing and the 9th International Joint Conference on Natural Language Processing (EMNLP-IJCNLP). 2019.
- [14]. Clark, Elizabeth, Asli Celikyilmaz, and Noah A. Smith. "Sentence mover's similarity: Automatic evaluation for multi-sentence texts." Proceedings of the 57th Annual Meeting of the Association for Computational Linguistics. 2019.
- [15]. Sellam, Thibault, Dipanjan Das, and Ankur P. Parikh. "BLEURT: Learning Robust Metrics for Text Generation." arXiv preprint arXiv:2004.04696 (2020).
- [16]. Dziri, Nouha, et al. "Evaluating coherence in dialogue systems using entailment." arXiv preprint arXiv:1904.03371 (2019).
- [17]. Deriu, Jan, and Mark Cieliebak. "Towards a metric for automated conversational dialogue system evaluation and improvement." arXiv preprint arXiv:1909.12066 (2019).
- [18]. Tao, Chongyang, et al. "Ruber: An unsupervised method for automatic evaluation of open-domain dialog systems." Thirty-Second AAAI Conference on Artificial Intelligence. 2018.
- [19]. Ghazarian, Sarik, et al. "Better automatic evaluation of open-domain dialogue systems with contextualized embeddings." arXiv preprint arXiv:1904.10635 (2019).