

# The Assembly Language

## Lesson 1 - Generalities

# Some History

- ◆ Oldest non-machine language
- ◆ Allows a more readable method of writing programs than writing in binary bit patterns

# Comparison with High-Level languages

- ◆ Assembly is close to a one to one correspondence between symbolic instructions and executable machine codes
- ◆ Includes directives to the assembler, the linker, for organizing data and macros
- ◆ HL languages are abstract, see this example

# A comparison example

- ◆ The simpler and more raw way of writing a simple character in C language would be:
  - ```
Void show_char(char c)
{
    write (1, c, 1);
}
```
- ◆ In assembly, it would be 10 times longer, since you have to initialize the character, the outputs, and start the display

# More comparisons with HL languages

- ◆ Assembly is much more harder to program
- ◆ Much more detailed
- ◆ High quality assembly can be a source of higher speed (2 to 20 times faster is fairly common, though you can have increases of hundreds of times faster)
- ◆ Assembly gives access to key machine features for low-level routines (OS kernel, microkernel, device drivers, machine control...)
- ◆ Development time increases 10 to 100 times faster with HL languages

# Availability

- ◆ Assemblers are available for just about every processor
- ◆ Native assemblers produce object code on the same hardware that the object code will run on
- ◆ Cross assemblers produce object code on different hardware that the object code will run on

# Kinds of Processors

- ◆ Complex Instruction Set Computers (CISC)
- ◆ Reduced Instruction Set Computers (RISC)
- ◆ Hybrid
- ◆ Special purpose

# Data Representation

- ◆ Bit / byte / word / longword
- ◆ Sometimes we find halfwords, doublewords or quadwords
- ◆ Some processors require data to be aligned
- ◆ The motorolla 68000 has 8 bit bytes, 16 bit bytes, 32 bit longwords and 64 bit quadwords
- ◆ Big/Little Endian



# Numeric Systems

- ◆ Binary (%)
- ◆ Hexadecimal (\$)
- ◆ Today's hint!

# Arithmetic Operations - Adding

- ◆ In decimal:

|               |      |
|---------------|------|
|               | 11   |
| first number  | 127  |
| second number | + 96 |
| result        | 223  |

- ◆ Same with binary

|   |           |
|---|-----------|
|   | %01111111 |
| + | %01100000 |
| = | %11011111 |

# Addition

- ◆ The same would happen in hexadecimal

$$\begin{array}{rcl} & 1 & \\ 30 & \Rightarrow & \$1E \\ + 52 & \Rightarrow & \$34 \\ = 82 & \Rightarrow & \$52 \end{array}$$

# Adding Overflow

- ◆ Check this example:

|      |           |
|------|-----------|
|      | 111       |
| 160  | %10100000 |
| +100 | %01100100 |
| = 4  | %00000100 |

- ◆ So we have an overflow!

# Overflow with multiplication

- ◆ You should know that  $(a^x) * (a^y) = a^{(x+y)}$
- ◆ So if we multiply a number  $n1$  with  $p$  bits to another  $n2$  with  $q$  bits, we'll have
  - $N1_{\max} = 2^p - 1$  and  $N2_{\max} = 2^q - 1$
  - So  $N1_{\max} * N2_{\max} = (2^p - 1)(2^q - 1)$
  - Finally the biggest value would be:  
$$2^{(p+q)} - (2^p + 2^q)$$
- ◆ We will then need at least  $p+q$  bits

# The negative numbers

- ◆ We can work with signed or unsigned numbers
- ◆ Usually a negative number is represented by taking the 2s complement of its positive representation:
- ◆ For example: the number 4 (%00000100)
  - We take the 1s complement: %11111011
  - We add 1:  $\%11111011 + \%1 = \%11111100$
  - So -4 is represented by %11111100

# Arithmetic Operation with negative numbers

- ◆ Adding: Everything works the same way, but we ignore the overflow

11111100

- 4  $\Rightarrow$  %11111100

+5  $\Rightarrow$  %00000101

=1  $\Rightarrow$  %00000001

# Logical Operations

- ◆ AND
- ◆ OR
- ◆ EOR
- ◆ NOT



# Shiftings

- ◆ A binary shift left is like multiplying by 2
- ◆ N binary shifts left is like multiplying by  $2^N$
- ◆ A binary shift right is like dividing by 2
- ◆ N binary shifts right is like dividing by  $2^n$

# Why using shiftings?

- ◆ When doing a multiplication
  - 80386 -> 26 clock cycles
  - 80486 -> 26 clock cycles
  - Pentium -> 11 clock cycles
- ◆ When dividing
  - 80386 -> 38 clock cycles
  - 80486 -> 40 clock cycles
  - Pentium -> 40 clock cycles
- ◆ When shifting
  - 80386 -> 2 clock cycles
  - 80486 -> 3 clock cycles
  - Pentium -> 1 clock cycles

# How to multiply without a multiplication?!

- ◆ Imagine you want to multiply by 320
- ◆ We can write  $320 = 256 + 64 = 2^8 + 2^6$
- ◆ If you want to have  $B = A * 320 = A * (256 + 64)$   
 $B = A * 256 + A * 64 = A * 2^8 + A * 2^6$
- ◆ We can simply use:
  - 1 cycle to shift left A 8 times
  - 1 cycle to memorize the result in B
  - 1 cycle to shift right A 2 times ( $8 - 2 = 6$ )
  - 1 cycle to add the result to B
  - = 4 cycles on a pentium, instead of 11