Wheatstone Bridge. Since this is a circuit with Ri, Ry in series, which combinefron is in parallel with Re, Ry in series, so the voltages across both routes (Ri, Ry and Rz, Rz) are the same. Thus, using Vottage Diriller equation, so Va = Ri+Ry grand. where Vs = 5V. Co Va = the (V). We can apply the same logic to calculate: $V_b = \frac{R_5}{R_2 + R_5} \cdot V_5 + oV = \frac{\int R_5}{R_2 + R_5} \cdot (V).$ Thus, Vtn = Va - Vb = TRy - IRX (V) (b) [No], it isn't. Since there will be current flowing through Rs, so Vin is actually the total voltage across hodes ferminals a and b, with Vks just being part of the voltage. In other nords, since Rs is not actually open corner (infinite resistance), co Vo + Vi. so VR + VTn (C). By supplying a test whose Viest across ferminal a and b and substituting be with wire, We can restrain the circuit as:

Using our equations for Item 2 1/2 1/2 Per

veritors in Levies and

veritors in parallel, Co me base directly that, sme it's RIII Rp in ceries with D21/Rz, RTh = R1 // R4 + R2 // R5 = R1R4 + R2R5 de Sme in essence, this is a worrent with Rz and RTh being in serves V. and a voltage source of supply (In volts), so he can calculate the ul a voltage som ce | VIII = -5RiRs + 5R2Ry.

Current first: | R3 = R7n + R3 | = | R1R2R3 + R1R2R4 + R1R2R5 R5 Thus, VR3 = R3. IR3 = - 5R1R3R5 + 5R2R3R4

- 5R1R3R5 + 5R2R3R4

- 5R1R3R5 + 5R2R3R4

- 5R1R3R5 + 81R2R5 + 81R2R5 + 81R4R5 + 82R4 + 82R4R5 + R3R4R5

3.(a). Since
$$i_s = \frac{V_s}{Reg} = \frac{V_s}{R_s + R_{motor}}$$
, So $P_s = V_s \cdot i_s = \frac{V_s^2}{R_s + R_{motor}}$.

(b). Since inequire $i_s = \frac{V_s}{R_s + R_{motor}}$, so $P_{motor} = \frac{V_s^2}{R_s + R_{motor}}$.

(b). Since inequire $i_s = \frac{V_s}{R_s + R_{motor}}$, so $P_{motor} = \frac{V_s^2}{R_s + R_{motor}}$.

(C). Since Pointer = $\frac{V_s^2 \cdot R_{notor}}{(R_s + R_{notor})^2}$, So. $\frac{QP_{notor}}{QR_{notor}} = V_s^2 \cdot \frac{(R_s + R_{notor})^2 \cdot 1 - R_{notor} \cdot 2(R_s + R_{notor}) \cdot 1}{(R_s + R_{notor})^4}$ (using fluctient Rule.)

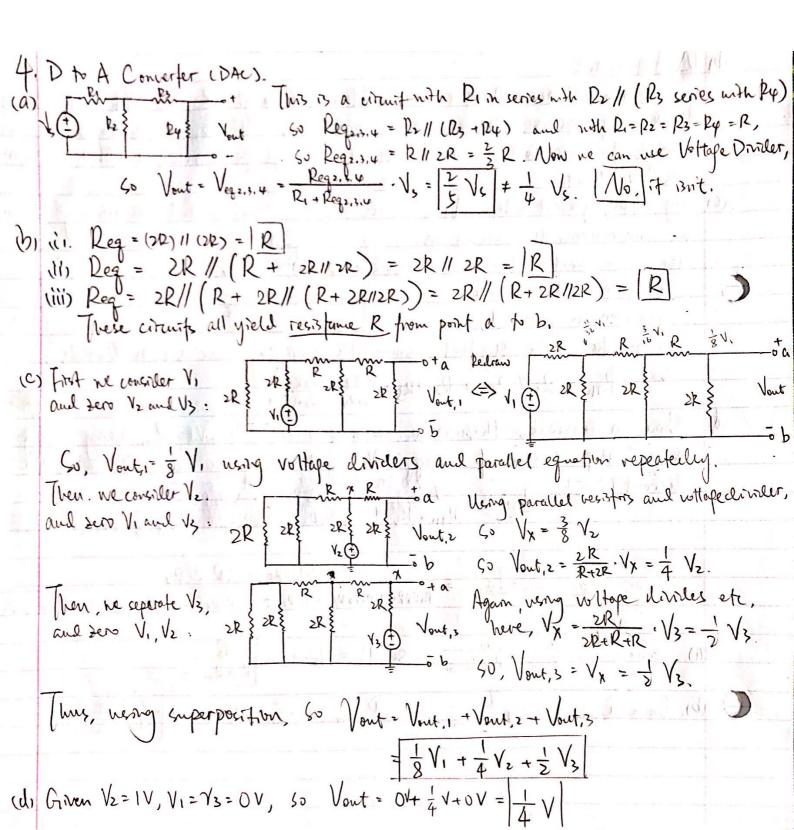
(using fluctient Rule.)

(using fluctient Rule.)

(R_s + R_{notor})^4

(R_s + R_{notor})^5

(R_s + R_{not



(e). Using results from part bi, so the Therenn equivalent of the circuit with given conditions in the circuit with given

70,10,00,10,1,50 S. Meaguring V and Current. with RI=PZ=100.2, RADE=1×1002 Using Vottage Divider, so Vout = Vs. RITRI = 5V. 1002 4002 = 2.5 V Next. Reg., ADC = Rz // RADC = 99.99 12. Using voltage divider again, Go Vinens = Vs. Ri + Reg: Noc = 2.50 V (b) No. it isn't. Here, using Vottage divider, Vout = 2.5 V ctill. But with Regs, ADL = R2 11 RADL = 10M2 1M2 = 9.09 . 10 52.

So very voltage divider, Vineas = Vs. Regz, ADL = 0.41 V < Vout. Go this ADC isn't agood tool any more. (C) Criter that R= R1. Gousing voltage divider, Vout = 2 Vs = 2.5 V still.

Since Reg = R1 // RADE = R2 + RADE - R1 + RADE, SU using voltage divider, Theas = Vs. Reg = Rs = Vs. Rape + R1 and we want 0.9 Vont & Vmeas & 1.1 Vont 50 0.9. & Vs & RADE + R1 Ve & 1.1. & Vs. Since Vs > 0. 0.9 RADC + 0.45R1 & RADC & 1.1 RADC + 0.55 R1. Green that RADE = IMR = 1.106 sz. So with 0.45 R ≤ D. | RADE and 0.53 R1 >- D. | RADE / Py < 2.22.105,2 Thus, maximum Ry is 2.22.10 52 (d) lefe: I1 = $\frac{V_s}{21} = \frac{5 \text{ V}}{1 \text{ kg}} = \frac{5 \text{ mA}}{1}$ Right: Regrade = Px 11 RADE = 1.00 12. 40 I meas I = $\frac{V_s}{R_1 + Regx, ADC} = \frac{5V}{1 k R + 1.00 R} = \frac{5.00 \text{ mA}}{1}$ (e) Here, Iweas = $\frac{V_s}{R_1 + Regr, Add} = \frac{5V}{R_1 + 12}$ while $I_1 = \frac{V_s}{R_1} = \frac{5V}{R_1}$. and we want $0.9 \text{ I}_1 \leqslant \text{Imeas} \leqslant 1.1 \text{ I}_1$ $\Rightarrow \frac{4.5V}{R_1+12} \leqslant \frac{5.5V}{R_1} \text{ with } R > 0.2, 5.0$ => 4.5 V.R, +4.5 V.R = 5V.R1 = 5.5 V.R1 +5.5 V.12 1 7 9 sz. Thus, minimum Ri reg. 13 [952]

6. Homework Process and Study Group

I worked alone without getting any help, except asking questions and reading posts (especially answers from the GSIs) on Piazza as well as reading the Notes of the course.