

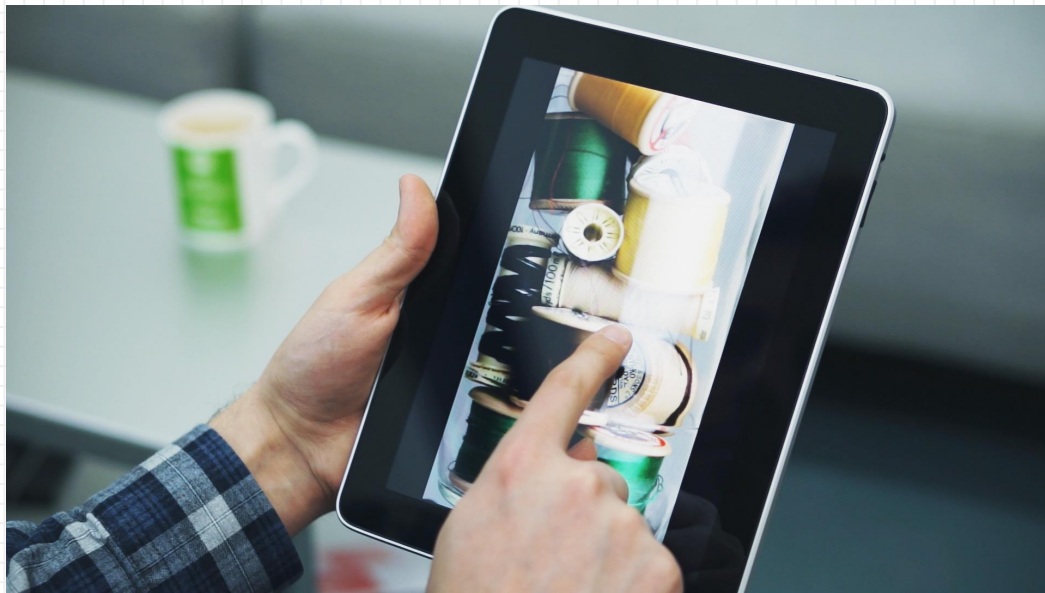
# EE16A Lab: Touchscreen 3a



- Midterm 2 on Friday 11/2
- Schedule:
  - This week: Touch 3a
  - Next week: Buffer (Touch 1, 2, 3a)
  - The week after: Touch 3b
    - Touch 3b can be completed in APS buffer week (more details later)
- This lab is pretty theoretical!

- Resistive touchscreen
  - Use voltages as signals
  - Two voltage dividers perpendicular to each other
- Why are resistive touchscreens obsolete?
  - Single touch only
  - Moving parts and complicated structure

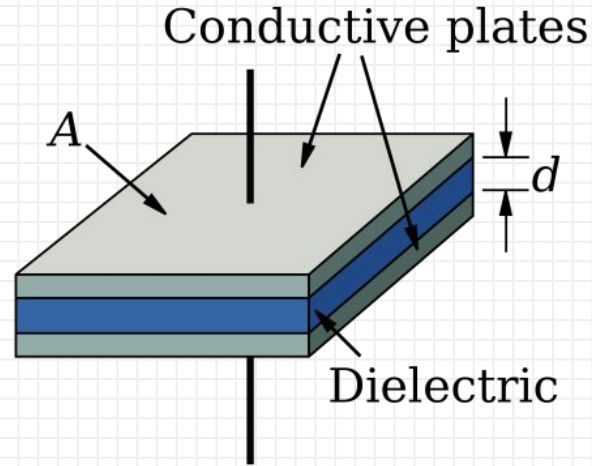
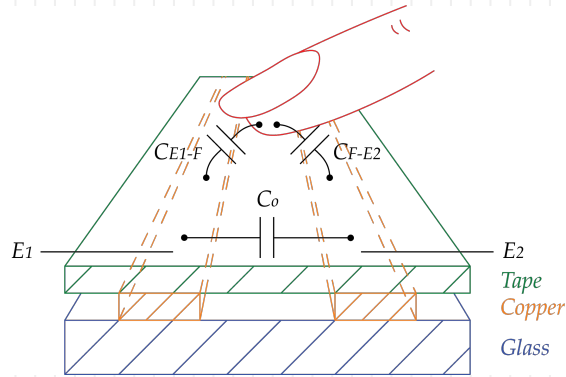
# Capacitive Touchscreens



- Today: capacitive touchscreens
  - Exploits capacitive properties of finger/body
  - Touching the screen changes the capacitance
- A lot better!
  - No moving parts
  - Multi-touch is possible
  - More sensitive
- How to measure capacitance?

# Capacitance and the touchpad

What is a capacitor and how does it work?



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# How to Detect Changing Capacitance?

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- Not so easy to directly measure
- Instead, we try to measure something that a change in capacitance would create
  - Current can be hard to measure directly
  - Changes in voltage are easy to see



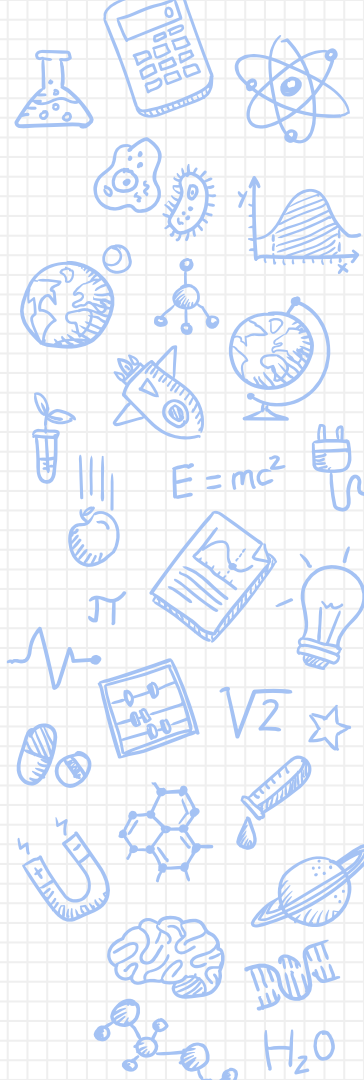


# What do we know about capacitors?

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$$I = C \frac{dV}{dt}$$

- Note that if current is constant, voltage is just linear with time
  - integrate to get an expression
- Having a linear voltage signal is easy for us to read!



## Finding the exact relationship $V(t)$ For a Constant Current

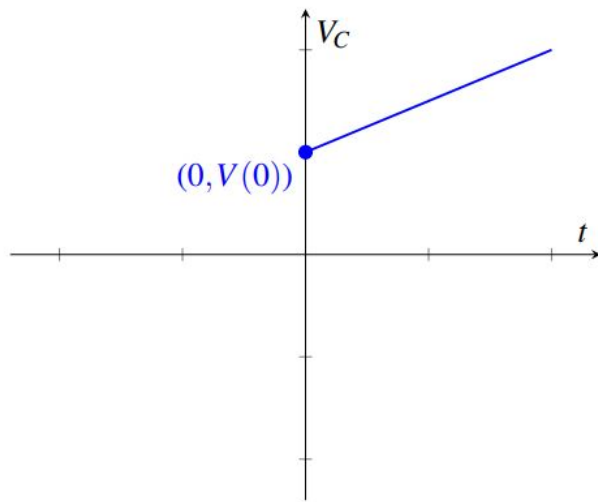
$$I = C \frac{dV}{dt}$$

$$\frac{dV}{dt} = \frac{I}{C}$$

$$\int_0^t dV = \int_0^t \frac{I}{C} dt$$

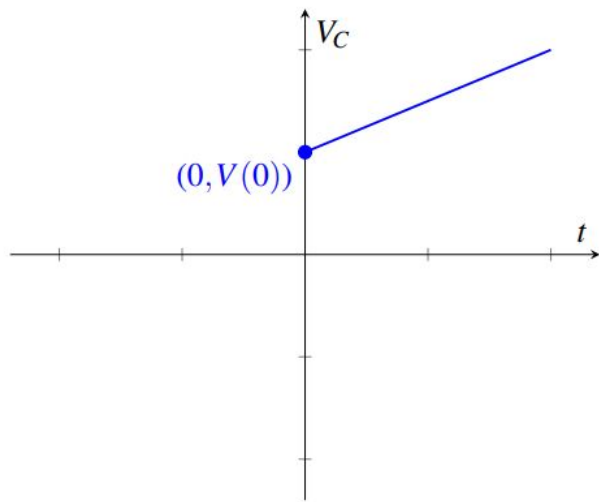
$$V(t) - V(0) = \frac{I}{C} t$$

$$V(t) = \frac{I}{C} t + V(0)$$



- Voltage increases with time!
- Note: we're assuming  $I(0) = 0$
- **What's the slope of this line?**



$$V(t) = \frac{I}{C}t + V(0)$$


## Issues with this model

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- How high can  $V(t)$  get? Too high.
  - In theory: infinity. In practicality: maybe not quite infinity, but still bad
- We're going to need to discharge it to make its usage practical
  - Periodically apply a negative current

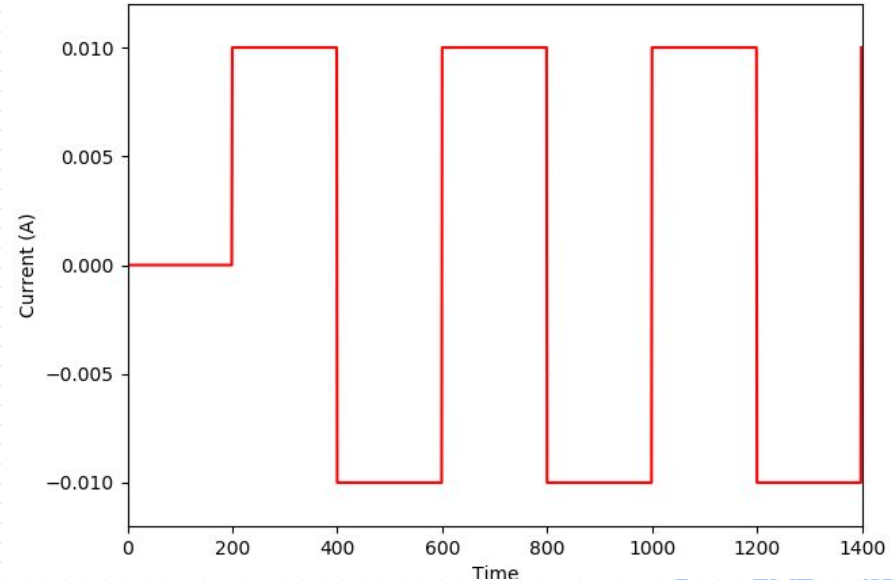
$$V(t) = \frac{I}{C}t + V(0) \quad \rightarrow \quad V(t) = -\frac{I}{C}t + V(0)$$

- Two different slopes!
- **What shape/waveform/pattern/function over time does this give us now?**

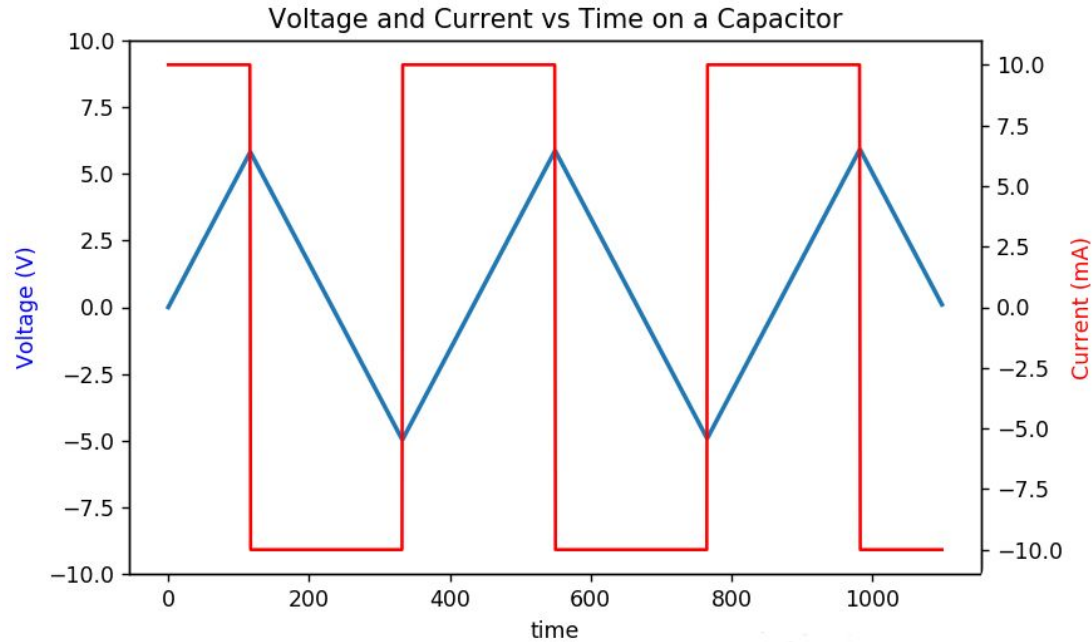


# Applying negative current: The Square Wave

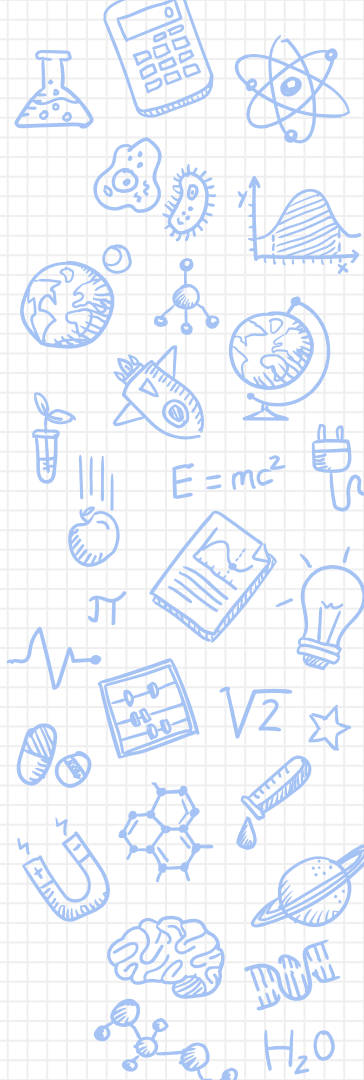
- A wave that only has two values: high and low
- We will use this to charge and discharge the capacitor
- High: Positive 10mA
- Low: Negative 10mA
- Note: We have 0mA in the beginning to set the initial condition



# New waveform



Note:  $V(0) = 0$  in this plot



# Adding some touch ups

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- We know how to measure voltage
- Reminder: we want to detect touch by seeing a change in voltage
- We need to quantify what it means for us to touch the screen

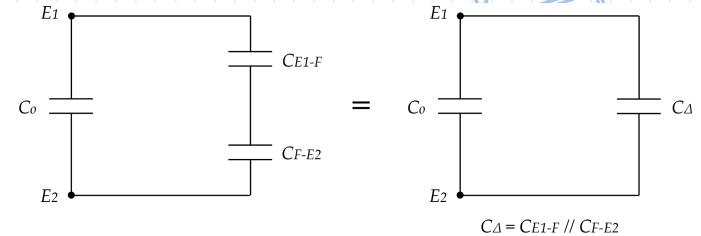
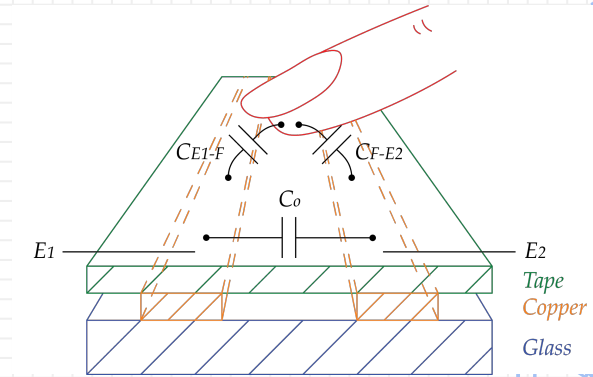


# How does our finger affect the system?

- How does that change affect our voltage?

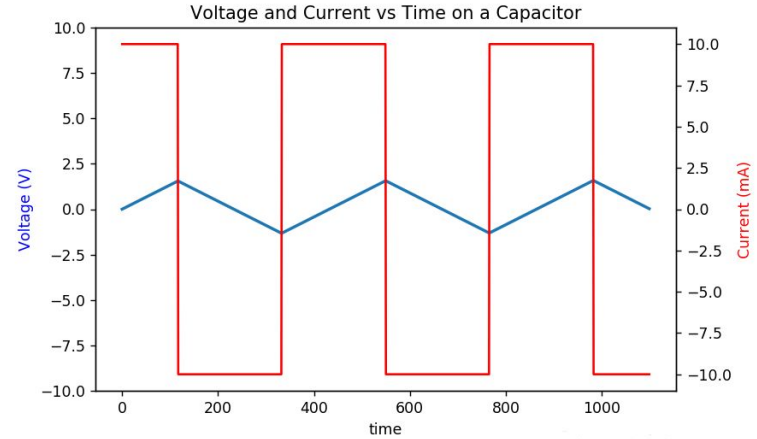
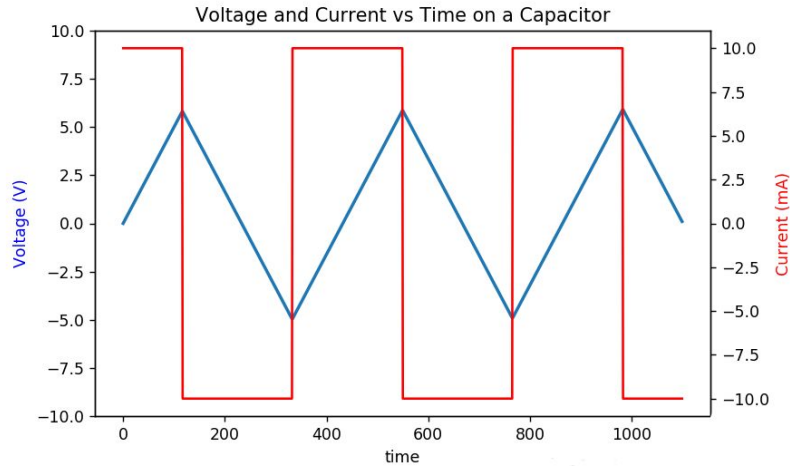
$$V(t) = \frac{I}{C}t - V_0$$

- How does the change in our system affect the waveform?





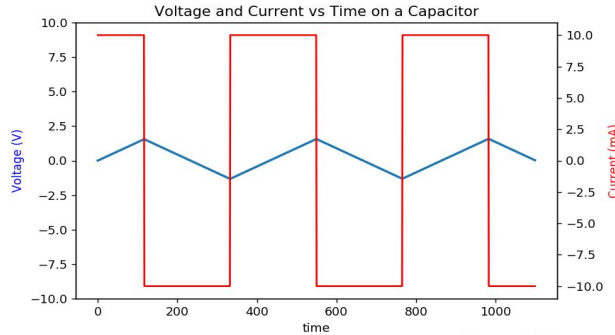
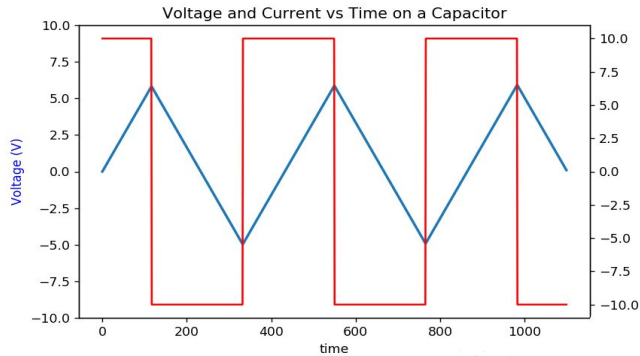
# Detecting touch



- How do we detect this?
  - Want to compare something about these two waveforms. **What?**

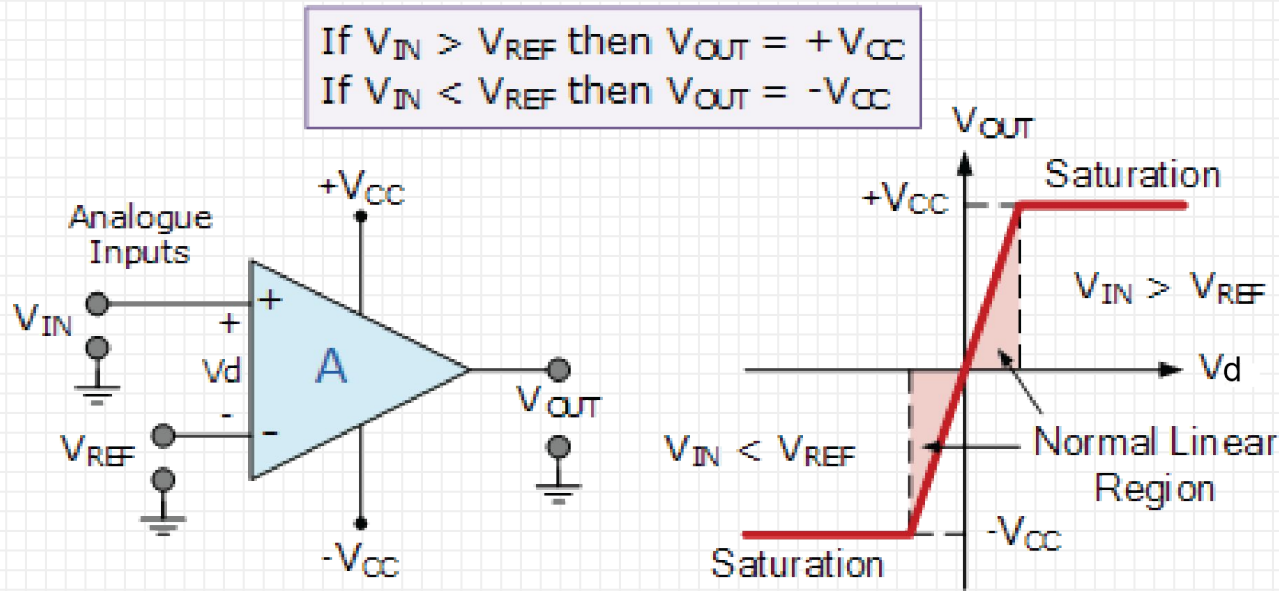
# Comparators

- Idea: compare the peaks to some reference voltage
  - Higher peak: no touch
  - Lower peak: touch



# Measuring Change in Voltage: Comparator

- Compares input voltage at positive terminal to a reference voltage at negative terminal (think “>” symbol)



- Ideal current sources like this do not exist
- We need a different circuit topology that can help us generate the square wave current source
- Need a bit more knowledge on OpAmps and design principles for circuits
- More on this during Touchscreen 3B

# Notes

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