

## Clocks

### **Solution**

- 1.(D)** To coincide, At 3'o clock minute hand to travel for 15 min to cover  $90^\circ$ .

Degrees covered by minute hand in one minute =  $\frac{360}{60} = 6^\circ$

$$\text{Relative speed} = 6 - \frac{1}{2} = \left(5\frac{1}{2}\right)^\circ$$

By keeping hour hand on hold,

$$\text{Required time} = \frac{90 \times 2}{11}$$

$$= 16\frac{4}{11} \text{ minutes.}$$

- 2.(D)** To be in a straight line, the minute hand has to travel just  $30^\circ$ .

$$\text{Relative speed} = 5\frac{1}{2}^\circ$$

By keeping hour hand on hold,

$$\text{Required time} = \frac{30 \times 2}{11} = 5\frac{5}{11} \text{ minutes}$$

- 3.(A)** Time from 12 p.m. on Monday to 2 p.m. on the following Monday = 7 days 2 hours = 170 hours

$$\therefore \text{The watch gains } \left(2 + 4\frac{4}{5}\right) \text{ min.}$$

$$\text{or } \frac{34}{5} \text{ min. in 170 hr.}$$

Now,  $\frac{34}{5}$  min. are gained in 170 hrs

□ 2 min. are gained in

$$\left(170 \times \frac{5}{34} \times 2\right) \text{ hrs} = 50 \text{ hrs}$$

So, the watch is correct 2 days 2 hrs after 12 p.m. on Monday i.e. it will be correct at 2 p.m. on Wednesday.

- 4.(D)** Every day, the time gap between the two clocks becomes 15 minutes. When the gap between them becomes 24 hrs then the two watches will show same time.

[An argument runs in this type of questions that the gap should be of 12 hours. But note

that the time mentioned is 3:00 p.m. and not 3 o'clock. When the time mentioned is 3:00 p.m., that means that the difference between 3:00 p.m. and 3:00 a.m. is important, whereas when 3 o'clock is mentioned, that difference is immaterial and hence a gap of 12 hours is taken.]

To create a gap of 15 minutes, it takes 1 day.

To create a gap of 24 hours, it will take

$$= \frac{1 \times 24 \times 60}{15} = 96 \text{ days}$$

- 5.(D)** To show the correct time again, watch must create 24 hours difference.

So, the required time

$$= \frac{4}{3} \times \frac{60 \times 24}{24} = 80 \text{ days}$$

- 6.(D)** The clock starts by showing correct time and after every 24 hours and hence (n + 1) times in n days.

So, it will show correct time 8 times in 7 days.

- 7.(B)** In 12 hours they are 11 times in a straight line. So, in 24 hours they will be 22 times.

- 8.(D)** Total time hour hand has to travel = 6 hours.

Hence, Angle traced by hour hand in 6 hours

$$= \left(\frac{360}{12} \times 6\right)^\circ = 180^\circ$$

- 9.(D)** At 5'o clock the angle between hour and minute hand will be  $150^\circ$ .

The minute hand have to cover  $15 \times 6^\circ = 90^\circ$

In this 15 min hour hand will also move

$$= 15 \times \frac{1}{2} = 7.5^\circ$$

So, required angle

$$360 - (150^\circ + 90^\circ - 7.5^\circ) = 127\frac{1}{2}^\circ$$

- 10.(C)** Required angle

$$= 270^\circ - (6^\circ \times 20) + \left(\frac{1}{2}^\circ \times 20\right) = 160^\circ$$

- 11.(D)** At 10'o clock the angle between hour hand and minute hand will be  $60^\circ$ .

To be at 10:25, the minute hand will cover  
 $= 25 \times 6^\circ = 150^\circ$ .

Hour hand will travel in this

$$25 \text{ min} = 25 \times \frac{1^\circ}{2} = 12.5^\circ$$

So, angle between them at 10 : 25.

$$= 150^\circ + 12.5^\circ = 162.5^\circ$$

**12.(D)**

So, reflex angle  $= 360^\circ - 162.5^\circ$   
 $= 197.5^\circ$

Since between 2 – 4 O' clock and 8 – 10 O' clock two hands of a clock make  $90^\circ$  angle only 2 times while in rest of the hours two hands make  $90^\circ$  angle 2 times every one hour. Hence, they are at right angle 22 times in 12 hours and 44 times in 24 hours.