

Time, Speed & Distance

Solution

1. Answer: (D)

Let the speed of Rajiv be $4n$ km/hr and speed of Rahul be $5n$ km/hr.

Total distance covered by Raul till 2: 00 a.m. = $5n$ km

Relative speed of Rahul with respect to Rajiv = $(5n + 4n) = 9n$ km/hr

Total distance covered by both of them in 5 hours

(2 a.m. to 7 a.m.) = $(9n \times 5)$ km = $45n$ km

Therefore total distance between A and B = $(45n + 5n)$ km = $50n$ km

So, time taken by Rajiv to travel from station A to station B = $50n/4n = 12.5$ hours

2. Answer: (C)

According to the question; "A can give a head start of 20 meter to B in a race of 100 meters and still both finish the race at the same time."

Hence ratio of speeds of; A : B = 100 : 80 = 5 : 4.. (1)

Similarly; B : C = 100 : 75 = 4 : 3 .. (2)

From (1) and (2) we will get; A : C = 5 : 3

It means when A can run 5 meters then in the same time C can run 3 meters.

Or when A can run 100 m then C can only run 60 m.

Hence it is clear that A can give a head start of 40 m to C.

3. Answer: (B)

Distance between 22nd floor and 42nd floor = $42 - 22 = 20$

Also, relative speed of both the escalators = $(40 + 60) = 100$ floors per minute

Therefore, time taken = $20/100 = 1/5$ min or 12 sec.

Distance travelled by 1st elevator in 12 sec = $40/5 = 8$ floors. Thus, the elevators will meet at $22 + 8 = 30$ th floor

4. Answer: (A)

Let the initial speed and distance be s and d , so ATQ

So $d/s + 40/60 = (d-5)/1/4s + 5/s$ ---(1)

$d/s + 10/60 = (d-8)/(1/4s) + 8/s$ ----(2)

Solving, 1 and 2 together, we get

$D = 9$ and $s = 18$. Hence, option a.

5. Answer: (C)

Circumference of the track = $2 \times (22/7) \times 147 = 924$ m.

Distance to be covered for the first meeting (by both of them) = 462 m.

Speed of Akshay = $924/168 = 5.5$ m/s.

Speed of Bobby = 11 m/s.

Time taken from the start to the first meeting = $462/(16.5) = 924/33 = 28$ s.

Time taken by Akshay and Bobby to meet again at that point $28 + 84 \times 8 = 700$ seconds.

6. Answer: (D)

Initial distance of police from the criminal = 400m.

In 10 seconds, police covers 150 meters.

Hence the distance of police from the criminal after 10 seconds = 250m.

In the next 10 seconds, relative speed of the criminal = $(20-15) = 5$ m/s.

The distance become 300 metres.

After a total of 20 seconds, relative speed of police to the criminal = $(25-20) = 5$ m/s.

Hence time taken to catch him = 60 seconds.

Total time elapsed = 80 seconds.

Therefore, police jeep caught the criminal after 70 seconds of the criminal seeing the jeep.

7. Answer: (E)

Total time taken by car to reach the top of the hill = $1170/90 = 13$ hours.

Average speed of the rabbit = $(2 \times 140 \times 120)/(140 + 120) = 1680/13$ km/h

Total distance covered by the rabbit = $(1680/13 \times 13) = 1680$ km

8. Answer: (E)

First day, he covers $\frac{1}{10}$ of the distance, second day he covers $\frac{1}{15}$, third day he covers $\frac{1}{12}$, fourth day he covers $\frac{1}{6}$ of the distance, fifth day he covers $\frac{7}{120}$ of the distance and on sixth day he covers $\frac{19}{60}$ of the distance.

Adding all the distances, he covers $\frac{95}{120}$ of the total distance in 6 days.

Remaining distance = $\frac{25}{120} = 5$ kilometres.

Thus total distance = 24 km.

9. Answer: (E)

Let the distance from the airport to club be 'x'.

The distance he travel in chopper will be '150 - x'

$$T_1 = D_1 / S_1 = (150 - x)/40$$

$$T_2 = D_2/S_2 = x/30$$

$$T_1 + T_1 = T_3$$

$$(150 - x)/40 + x/30 = 4$$

$$450 - 3x + 4x = 480$$

$$x = 30 \text{ miles}$$

10. Answer: (A)

Distance covered by Charlie in the 1st 3 minutes = 210 m.

Time taken by Damon to overtake Charlie:

Let the distance travelled by them until they

meet= x+210

$$x/70 = (x+210)/80$$

$$x = 1470$$

Total distance travelled= 1470+210 = 1680

Time in which Bob overtook Charlie

$$= 1680/120 = 14 \text{ minutes}$$

So, time at which Bob started = 7:46 pm

11. Answer: (B)

Considering option (b):

Adam starts walking at 9:00, so every one hour he completes 6km.

By 19 hrs in the evening he completes 60 km.

Now, Ben starts cycling at 11:30 and completes 8km in one hour.

By 18:30 in the evening he completes 56kms.

In another 30 min he travels 4 km.

12.

Answer: (A)

Let the speed of X be x km/h.

Distance travelled by X in 2 hours = 2x km.

Suppose X takes t hours to travel $\frac{1^{th}}{5}$ of the distance AB.

Y would take (t - 2) hours to travel $\frac{1^{th}}{5}$ of the distance AB.

As Y's speed is thrice that of X's speed.

$$\frac{t-2}{t} = \frac{1}{3}$$

$$t = 3$$

$\frac{1^{th}}{5}$ of the distance AB = 3x km.

$$AB = 15x \text{ km}$$

$$\text{Time taken by X to cover } 15x \text{ km} = \frac{15x}{x}$$

$$= 15 \text{ hours}$$

Time taken by Y to cover 15x km

$$= \frac{15x}{3x} = 5 \text{ hours}$$

\therefore Difference in the times = 10 hours.

13.

Answer: (C)

Let speed be S, distance be D & time be T

$$S = \frac{D}{T}$$

ATQ,

$$S + X = \frac{D}{5} \dots\dots\dots(i)$$

$$S - X = \frac{D}{8} \dots\dots\dots(ii)$$

On adding both the equations, we get

$$2S = D \left[\frac{1}{5} + \frac{1}{8} \right]$$

$$2S = D \left[\frac{8+5}{40} \right]$$

$$T = \frac{D}{S} = \frac{80}{13} = 6 \frac{2}{13} \text{ hours}$$

14.

Answer: (D)

$$\text{Speed} = 1 \times \frac{5}{18} \times 60 = \frac{50}{3} \text{ m/min}$$

Time taken to reach station (time to catch

$$\text{train}) = \frac{500}{\frac{50}{3}} = 30 \text{ min}$$

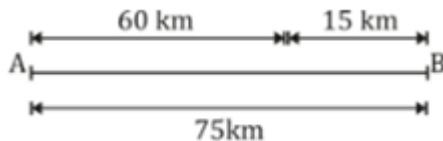
$$\text{Time left to catch train} = 30 - 4 - 4 = 22 \text{ min}$$

In this time, he is going back to home and has to reach station

Total distance to be covered = 500m

$$\text{Required speed} = \frac{500}{2} \times \frac{60}{1000} = 1.36 \text{ km/h}$$

15. **Answer: (A)**



Ratio of distance travelled by Priya and Sheetal = 60 : 90 = 2 : 3

Ratio of their speed = 2 : 3

Difference in speed = 1 ratio

ATQ,

1 ratio = 12 km/hr

Priya's speed = 2 ratio = 24 km/hr

And Sheetal's speed = 3 ratio = 36 km/hr

$$\text{Required time} = \frac{75}{24} - \frac{75}{36} = 75 \left[\frac{3-2}{72} \right]$$

$$= \frac{75}{72} \text{ hr} = 62.5 \text{ min.}$$

16. **Answer: (E)**

ATQ,

$$S = \frac{D}{T} \dots (i)$$

$$(s + 10) = \frac{D}{T-2} \dots (ii)$$

$$(s - 15) = \frac{D}{T-6} \dots (iii)$$

On solving (i), (ii) & (iii)

D = 400 km, s = 40 km/hr. T = 10 hour

Statement 1, 2 and 4 can be found out from the given data but statement 3 can't be solved as length of tunnel is not given.

17. **Answer: (A):**

Time taken by bus = Distance/speed = 186/45 = 62/15 hrs. = 4 hrs. 8 min.

Time taken by train = 256/96 = 8/3 hrs. = 2 hrs. 40 min.

Let total distance travelled be 490 km (option A),

⇒ Distance travelled by taxi

$$= 490 - 186 - 256 = 48 \text{ km}$$

⇒ Time taken by taxi = 48/40

$$= 1.2 \text{ hrs.} = 1 \text{ hr. } 12 \text{ min.}$$

⇒ Total time taken in journey = 8 hrs.

⇒ Time of completing journey = 4:00 PM

Let total distance travelled be 500 km (option B),

⇒ Distance travelled by taxi

$$= 500 - 186 - 256 = 58 \text{ km}$$

⇒ Time taken by taxi = 58/40

$$= 1.45 \text{ hrs.} = 1 \text{ hr. } 27 \text{ min.}$$

⇒ Total time taken in journey = 8 hrs. 15 min.

⇒ Time of completing journey = 4:15 PM

Let total distance travelled be 530 km (option C),

⇒ Distance travelled by taxi

$$= 530 - 186 - 256 = 88 \text{ km}$$

⇒ Time taken by taxi = 88/40

$$= 2.2 \text{ hrs.} = 2 \text{ hr. } 12 \text{ min.}$$

⇒ Total time taken in journey = 9 hrs.

⇒ Time of completing journey = 5:00 PM

Let total distance travelled be 554 km (option D),

⇒ Distance travelled by taxi

$$= 554 - 186 - 256 = 112 \text{ km}$$

⇒ Time taken by taxi = 112/40

$$= 2.8 \text{ hrs.} = 1 \text{ hr. } 48 \text{ min.}$$

⇒ Total time taken in journey = 9 hrs. 36 min.

⇒ Time of completing journey = 5:36 PM

∴ Options A, B & C satisfies the two blanks in the question

18. **Answer: (A)**

Let the distance between Raju's house and the camp on the 1st day be x Km.

⇒ The distance between Raju's house and the camp on the 2nd day be (x + 2) Km.

Time taken by Raju on the 2nd day = 3 hrs.

$$(X + 2) / 3 = 12$$

$$\Rightarrow X + 2 = 12 \times 3$$

$$\Rightarrow X + 2 = 36$$

$$\Rightarrow X = 34 \text{ Km}$$

Time taken by Raju to reach the camp on the fourth day = $[x + (3 \times 2)] / 12$

$$\Rightarrow [34 + 6] / 12$$

$$\Rightarrow 40/12$$

$$\Rightarrow 10/3 \text{ hrs}$$

Now 1 hr = 60 minutes

$$\Rightarrow (10/3) \text{ hrs} = (10/3) \times 60 \text{ minutes}$$

$$\Rightarrow 200 \text{ minutes}$$

$$\Rightarrow 3 \text{ hrs and } 20 \text{ minutes}$$

=> He will reach camp at 3 hrs and 20 minutes from 10:15 A.M
=> 1:35 P.M.

19. **Answer: (D)**

Let the distance from P to R be x and from R to Q be y
Total distance travelled by Abhi = $x + y$
Total time taken by Abhi = $4 + 5 = 9$ hrs
Total distance travelled by Bunny = $3x + y$
Total time taken by Bunny = $7 + 5 = 12$ hrs
Average speed of Abhi = $(x + y)/9$
Average speed of Abhi = $(3x + y)/12$
Average speed of Abhi and Bunny is equal
 $(x + y)/9 = (3x + y)/12$
 $\Rightarrow (x + y)/3 = (3x + y)/4$
 $\Rightarrow 4x + 4y = 9x + 3y$
 $\Rightarrow y = 5x$

20.

Ratio of the distance between P to R to the distance between R to Q = $x/y = 1/5$

Answer: (E)

Let the usual speed of Mohit be v km per hour.

He travels the first 50 km with this speed.

He travels the next 50 km with speed $v + 10$, and takes $10/3$ minutes less than if he had travelled with his usual speed.

Thus, (Time taken at v) – (time taken at $v + 10$) = $1/18$ hours.

$$50/(v) - 50/(v + 10) = 1/18$$

$$50 \times 10 / (v \times (v + 10)) = 1/18$$

$$\Rightarrow v^2 + 10v - 9000 = 0$$

$$\Rightarrow v = 90, -100$$

Therefore, his usual speed = 90 km per hour.