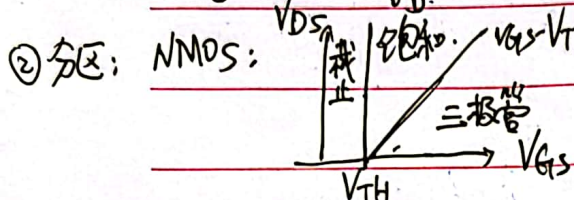
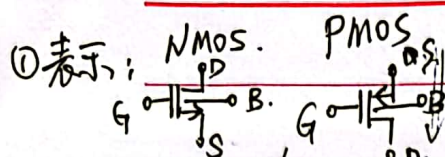


过程:  $V_{GS} \uparrow$  耗尽  $\rightarrow$  反型

# 中国科学技术大学

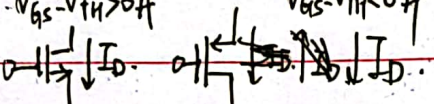


截止:  $I_D = 0$

三极管:  $I_D = A \left( (V_{GS} - V_{TH}) V_{DS} - \frac{1}{2} V_{DS}^2 \right)$

深三极管 (电阻):  $I_D = A V_{DSat} V_{DS}$ ,  $g_m = A V_{DSat}$

$I_D$  定义方向:



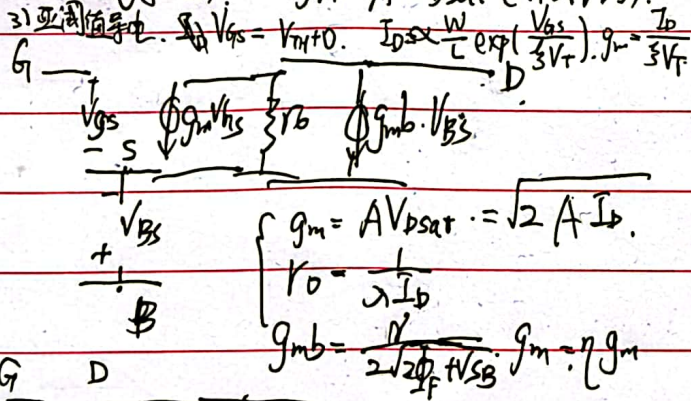
饱和:  $I_D = \frac{1}{2} A V_{DSat}^2$   
 $g_m = \frac{\partial I_D}{\partial V_{GS}} = A V_{DSat}$

③ 二极效应: 1) 体效应:  $V_{TH}' = V_{TH0} + \gamma (\sqrt{2\phi_F + V_{SB}} - \sqrt{2\phi_F})$ ,  $\gamma = \sqrt{2q\epsilon_s N_{sub}/C_{ox}}$

2) 沟道长度调制:  $I_D = \frac{1}{2} A V_{DSat}^2 (1 + \lambda V_{DS})$ ,  $\lambda = \frac{\Delta L}{L} \propto \frac{1}{L}$

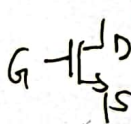
④ 小信号:

饱和区:

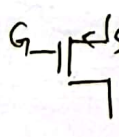


- $\mu_n$ : 迁移率, 载流子种类
- $C_{ox}$ :  $t_{ox}$  有关
- $W$ :
- $L$ :  $L$  &  $L_{eff}$  &  $L_D$ :  $L_{eff} = L - 2L_D$
- $\alpha$ :  $\frac{\partial I_D}{\partial L} = \lambda V_{DS}$ ,  $\lambda \propto \frac{1}{L}$
- $\gamma = \sqrt{2q\epsilon_s} \left( \frac{\sqrt{N_{sub}}}{C_{ox}} \right)$

NMOS:



PMOS:



常用数据:  $\mu_n C_{ox} \frac{W}{L} = 13.42 \times 10^{-3}$

$(L=0.5\mu m, t_{ox}=0.4\mu m)$   
 $\mu_p C_{ox} \frac{W}{L} = 3.835 \times 10^{-3}$

$t_{ox}=10\text{\AA} \rightarrow C_{ox}=17.2\text{ fF}/\mu m^2$   
 $t_{ox}=70\text{\AA} \rightarrow C_{ox}=3.83\text{ fF}/\mu m^2$

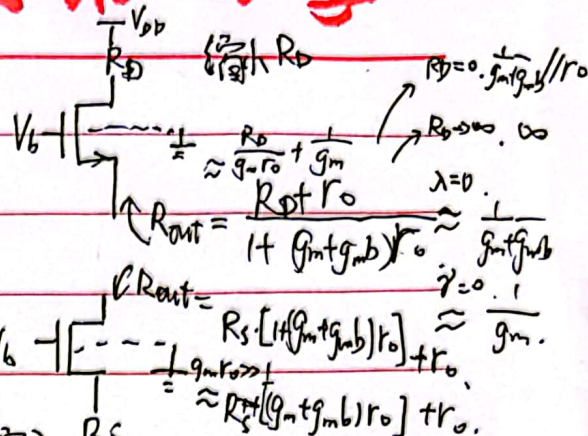




# 中国科学技术大学

① 电阻负载

$V_{in} \rightarrow V_{out}$   $A_v = -g_m R_o // r_d$   
trade:  $R_o \uparrow, A_v \uparrow$  但  $V_{os} \downarrow$  摆幅  $\downarrow$ .  
②  $W \uparrow, g_m \uparrow$  ③  $R_o \uparrow, \tau = R_o C \uparrow$  带宽  $\downarrow$ .



② MOS负载 问题:  $A_v \propto \sqrt{W/L}$   
 $R_D = \frac{1}{g_{m2}} = R_{D2}$  修正: 电流源 线性度好

③ 电流源负载 问题:  $V_{out}$  受  $V_{GS}$  影响大 ( $V_{out}$  不容易确定)  
 $R_D = \frac{1}{g_m} = R_{D2}$  修正: 反馈

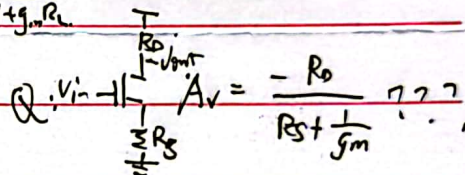
④ 反相器 缺点: ①  $I_D$  受  $V_{in}$  ② 电源噪声 ③ 输入范围窄

⑤ 源极跟随器 线性度  $\uparrow$ , 增益  $\downarrow$  (摆幅  $\downarrow$ )

⑥ 源极跟随器 线性度  $\downarrow$ , 电压余度  $\downarrow$ , 驱动能力  $\downarrow$  摆幅  
 $V_{GS} \uparrow, V_{DS} \downarrow$  (已输出电阻  $R_{out} = \frac{g_m R_D}{1 + g_m R_D}$ )

⑦ 共栅放大器

⑧ 共源共栅放大器  $R_{out} \uparrow, A_v \uparrow$  电压余度  $\downarrow$ .



Chap. 4. 差分放大器

$V_{in,cm} = \frac{V_{in1} + V_{in2}}{2}$   $V_{out,cm} = \frac{V_{out1} + V_{out2}}{2}$   
 $V_{in,dm} = V_{in1} - V_{in2}$   $V_{out,dm} = V_{out1} - V_{out2}$

$A_{dm} = \frac{V_{out,dm}}{V_{in,dm}}$   $CMRR = \left| \frac{A_{dm}}{A_{cm-dm}} \right|$   
 $A_{cm-dm} = \frac{V_{out,dm}}{V_{in,cm}}$

Chap. 5.

五管OTA缺点: ① CMRR有限 理想仍  $\exists A_{cm-dm}$   
② 电源噪声





model

# 中国科学技术大学

Chap. 3.

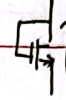
共源极:  $V_{DD}$   
 $R_D$   
 $V_{out}$  ( $\lambda = \gamma = 0$ ).  
 $V_{in}$   $M_1$

$A_v = -g_m R_D$ . = 极管联接:



$$R = \frac{1}{g_m} \parallel r_o$$

$$= \frac{1}{g_m} (\lambda = 0)$$



$$R = \frac{1}{g_m} \parallel r_o \parallel \frac{1}{g_{mb}}$$

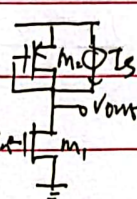
$$= \frac{1}{g_m + g_{mb}} (\lambda = 0)$$

$$= \frac{1}{g_m} (\gamma = 0)$$

= 极管联接共源:

$$A_v = -\sqrt{\frac{(W/L)_1 I_{D1}}{(W/L)_2 I_{D2} + 1}}$$

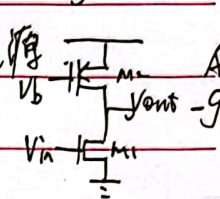
$$= -\frac{g_{m1}}{g_{m2} + g_{mb2}} V_{in}$$



$$A_v = -\frac{g_{m1}}{g_{m2}}$$

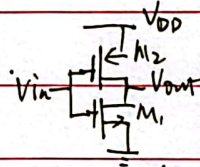
$$= -\sqrt{\frac{\mu_n (W/L)_1 I_{D1}}{\mu_p (W/L)_2 I_{D2}}}$$

电流源



$$A_v = -g_{m1} (r_{o1} \parallel r_{o2})$$

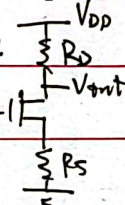
互补共源极:



$$A_v = -(g_{m1} + g_{m2}) (r_{o1} \parallel r_{o2})$$

$$\frac{V_{out}}{V_{in}} = (g_{m1} + g_{m2}) (r_{o1} \parallel r_{o2})$$

带源极负反馈:



$$G_m = \frac{1}{R_S + \frac{1}{g_m}} (\lambda = 0, \gamma = 0)$$

$$R_{out} = R_D$$

$$A_v = -G_m R_{out} = \frac{-g_m R_D}{1 + g_m R_S}$$

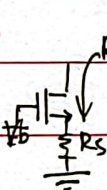
$$(\lambda = 0, \gamma = 0)$$

$$G_m = \frac{g_m r_o}{[1 + (g_m + g_{mb}) r_o] R_S + r_o} (\lambda \neq 0, \gamma \neq 0)$$

$$R_{out} = R_D \parallel [1 + (g_m + g_{mb}) r_o] R_S + r_o$$

$$A_v = \frac{-g_m r_o R_D}{R_D + R_S + r_o + (g_m + g_{mb}) R_S r_o} (\lambda \neq 0, \gamma \neq 0)$$

源极加深电阻:



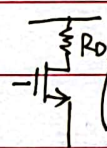
$$R = f(R_S) = R_S [1 + (g_m + g_{mb}) r_o] + r_o (\lambda \neq 0, \gamma \neq 0)$$

$$= R_S [1 + g_m r_o] + r_o (\lambda \neq 0, \gamma = 0)$$

$$\approx R_S \cdot g_m r_o + r_o (g_m r_o \gg 1)$$

$$\approx R_S \cdot g_m r_o = \text{短路} (\lambda = \gamma = 0)$$

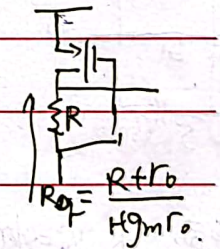
漏极减小电阻:



$$R = f(R_D) = \frac{R_D + r_o}{1 + (g_m + g_{mb}) r_o} (\lambda \neq 0, \gamma \neq 0)$$

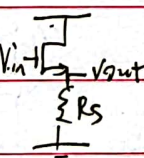
$$= \frac{1}{g_m + g_{mb}} (\lambda = 0, \gamma \neq 0)$$

$$= \frac{1}{g_m} (\lambda = 0, \gamma = 0)$$



$$R_D = \frac{R + r_o}{1 + g_m r_o}$$

源跟随:



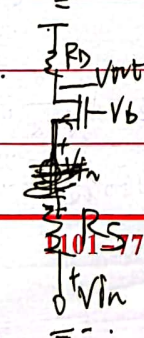
$$A_v = \frac{g_m R_S}{1 + (g_m + g_{mb}) R_S} (\lambda = 0) = \frac{R_{eq}}{R_{eq} + \frac{1}{g_m}}$$

$$R_{eq} = R_S \parallel \frac{1}{g_{mb}} \parallel r_o (\lambda \neq 0)$$

$$= \frac{1}{1 + \eta} (R_S \rightarrow \infty)$$

$$= \frac{R_S}{R_S + g_m} (\lambda = \gamma = 0)$$

共栅极:



$$A_v = \frac{(g_m + g_{mb}) r_o + 1}{r_o + (g_m + g_{mb}) r_o R_S + R_D} R_D$$

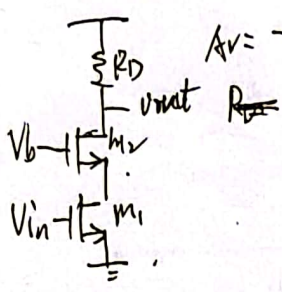
2017-03-04



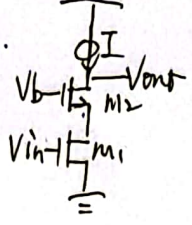
扫描全能王 创建



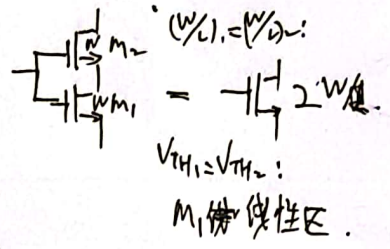
共源共栅



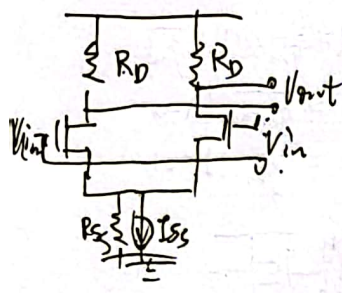
$A_v = -g_{m1} R_D$



$A_v = g_{m1} r_{o1} [(g_{m2} + g_{mb2}) r_{o2} + 1]$

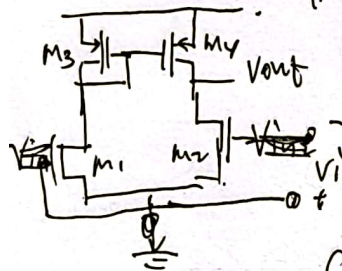


差分对



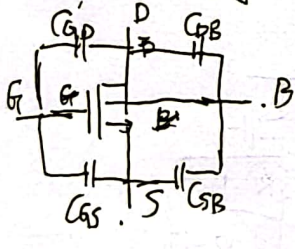
① 完全对称:  $A_v = -g_m R_D$ ,  $A_{vCM} = \frac{R_D}{2R_{SS} + \frac{1}{g_m}}$   
 ②  $g_{m1} \neq g_{m2}$ :  $A_v \approx -2R_D(g_{m1}/g_{m2})$ ,  $A_{CM-DM} = -\frac{g_{m1} R_D}{(g_{m1} + g_{m2}) R_{SS} + 1}$   
 $= \frac{R_D}{2} \frac{g_{m1} + g_{m2} + 4g_{m1}g_{m2}R_{SS}}{(g_{m1} + g_{m2}) R_{SS} + 1}$   
 $CMRR = \frac{g_{m1} + g_{m2} + 4g_{m1}g_{m2}R_{SS}}{2g_{m1}} \approx \frac{g_m}{2g_{m1}} (1 + g_{m1}R_{SS})$   
 ③  $R_D \neq R_D$

五管OTA P133



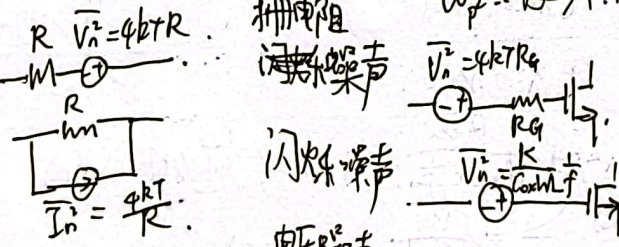
$|A_v| = g_{m1} (r_{o1} // r_{o4}) \frac{2g_{m3} r_{o4} + 1}{2(g_{m4} r_{o4} + 1)}$   
 $\approx g_{m1} (r_{o1} // r_{o4})$   
 $A_{CM} = \frac{-1}{1 + 2g_{m1,2} R_{SS}} \cdot \frac{g_{m1,2}}{g_{m3,4}}$   
 $CMRR = (1 + 2g_{m1,2} R_{SS}) g_{m3,4} (r_{o1,2} // r_{o3,4})$

密勒效应 P158

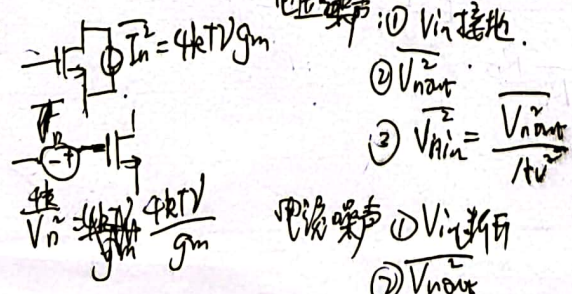


$\omega_n = [B \cdot C]^{-1}$  源跟随  $L = \frac{C_{GS}}{g_m} (R_S - \frac{1}{g_m})$   
 $H(s) \approx \frac{H_0}{(1 + \frac{s}{\omega_n}) (1 + \frac{s}{\omega_p}) \dots}$   
 主极点近似:  $\omega_p \gg \omega_n$   
 $AS^2 + BS + 1 \Rightarrow \omega_1 = B^{-1}$   
 $\omega_2 = \frac{1}{A} \cdot BA^{-1}$

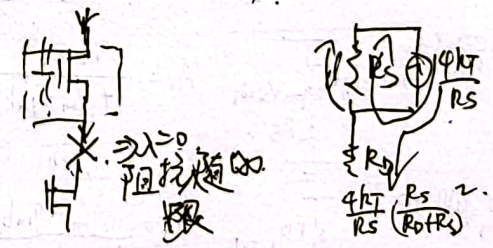
电阻热噪声



mos热噪声



中间部分不贡献噪声 噪声分流



$\bar{V}_{n1}$  单位:  $V/\sqrt{Hz}$

差动两端噪声都要算

电路噪声

①  $V_{in}$  噪声  
 ②  $\bar{V}_{nois}$   
 ③  $\bar{I}_{in} = \frac{\bar{V}_{nois}}{R_{in}}$



20

Laplace:  $\delta(t) \rightarrow 1$   
 $u(t) \rightarrow \frac{1}{s}$   
 $e^{at}u(t) \rightarrow \frac{1}{s-a}$   
 $e^{-\frac{\omega_c}{s}} u(t) \leftrightarrow \frac{1}{s+\omega_c} = \frac{1}{s} - \frac{1}{s+\omega_c}$

各录

# 中国科学技术大学

算增益别忘了正负!

注意一些特殊饱和管子

Chap. 2.

亚阈值除非说明, 一般不考虑

$$V_{TH} = \phi_{ms} + 2\phi_F + \frac{Q_{dep}}{C_{ox}}$$

$$\phi_F = U_T \ln\left(\frac{N_{sub}}{n_i}\right)$$
 NMOS:

PMOS:

判断工作区域: ① 化为:  $V_S = 0V$ , 若  $V_D > 0V$ ,  $V_G > 0V$ , ① 化为:  $V_S = 0V$ ,  $V_D < 0V$ ,  $V_G < 0V$

②  $V_{GS} \xrightarrow{> V_{TH}} V_{GD} \xrightarrow{> V_{TH}} \text{线性区}$   
 $\xrightarrow{< V_{TH}} \text{截止}$  饱和区  
 ②  $V_{SG} \xrightarrow{> V_{TH}} V_{DG} \xrightarrow{> V_{TH}} \text{线性区}$   
 $\xrightarrow{< V_{TH}} \text{截止}$  饱和区

Chap. 3.

$$A_v = -g_m R_{out} \rightarrow V_{in} \text{ 接地}$$

$$V_{out} \text{ 接地} \frac{I_{out}(\text{流入})}{V_{in}}$$

Chap. 4.

最大输入电压范围: 一边  $I_{SS}$ , 也刚好要截止 ( $V_{Dsat} = 0$ ) 半边电路

差模  $\Delta V$  两种情况都要讨论

最后答案  $\Delta V_{in1} \sim \Delta V_{in2}$ ,  $\Delta V_{in} = V_{in1} - V_{in2}$

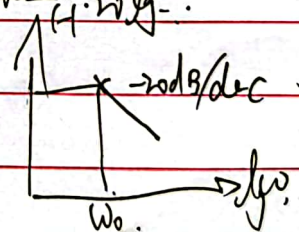
最大输出电压摆幅: 管子刚好处于线性区进行讨论

答案: 差模:  $(V_{max} - V_{min}) + (V_{2max} - V_{2min})$

信噪比:  $\frac{\text{信号幅度}^2}{\text{噪声}} = \frac{(A_{cm} V_{in,cm})^2}{A_{cm-dm} V_{in,dm}}$  单端:  $V_{max} - V_{min}$  报告  $(1/2) \lg$

再取功率分贝  $(10) \lg SNR$

CMRR 也取分贝  $(20) \lg CMRR$



Chap. 6. 当发现直流增益无限大不可用密勒

