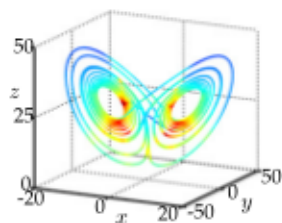


I. True Lorenz System

$$\begin{aligned}\dot{x} &= \sigma(y - x) \\ \dot{y} &= x(\rho - z) - y \\ \dot{z} &= xy - \beta z.\end{aligned}$$



Data In

$$\begin{bmatrix} \dot{x} \\ \dot{y} \\ \dot{z} \end{bmatrix} = \begin{bmatrix} 1 & x & y & z & x^2 & xy & xz & y^2 & z^5 \end{bmatrix} \begin{bmatrix} \xi_1 \\ \xi_2 \\ \xi_3 \end{bmatrix}$$

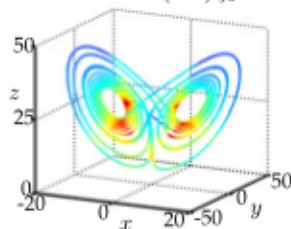
	'xi_1'	'xi_2'	'xi_3'
'1'	[0]	[0]	[0]
'x'	[-9.9996]	[27.9980]	[0]
'y'	[9.9998]	[-0.9997]	[0]
'z'	[0]	[0]	[-2.6665]
'xx'	[0]	[0]	[0]
'xy'	[0]	[0]	[1.0000]
'xz'	[0]	[-0.9999]	[0]
'yy'	[0]	[0]	[0]
'yz'	[0]	[0]	[0]
...
'yzzzz'	[0]	[0]	[0]
'zzzzz'	[0]	[0]	[0]

Sparse Coefficients of Dynamics

Model Out

III. Identified System

$$\begin{aligned}\dot{x} &= \Theta(\mathbf{x}^T)\xi_1 \\ \dot{y} &= \Theta(\mathbf{x}^T)\xi_2 \\ \dot{z} &= \Theta(\mathbf{x}^T)\xi_3\end{aligned}$$



II. Sparse Regression to Solve for Active Terms in the Dynamics

