

<i>termvar</i> , $x$		term variable
<i>index</i> , $i, j, k, n, m, p$		
$T$	$::=$ $ $ <b>bool</b> $ $ <b>int</b> $ $ $\langle T1, \dots, Tn \rangle$ $ $ $T@r$ $ $ $T@(r1, \dots, rn)$ $ $ $T@(r1, \dots, rk)$ $ $ <b>coloring</b> ( $r$ ) $ $ <b>coloring</b> ( $rp$ ) $ $ $\exists r1, \dots, rn. (T1, \dots, Tn), Phi, Q \rightarrow Tr$	
$Om$	$::=$ $ $ $\{o1, \dots, on\}$	
$om$	$::=$ $ $ $r1 \leq r2$ $ $ $r1 \times r2$	
$Phi$	$::=$ $ $ $\{phi1, \dots, phin\}$	
$phi$	$::=$ $ $ <b>reads</b> ( $r$ ) $ $ <b>writes</b> ( $r$ ) $ $ <b>reducesid</b> ( $r$ )	
$Q$	$::=$ $ $ $\{q1, \dots, qn\}$	
$q$	$::=$ $ $ <b>atomic</b> ( $r$ ) $ $ <b>simult</b> ( $r$ )	
$v$	$::=$ $ $ $bv$ $ $ $iv$ $ $ $\langle v1, v2 \rangle$ $ $ <b>null</b> $ $ <b>1</b> $ $ $\langle \langle rho1, \dots, rhon, v \rangle \rangle$	
$bv$	$::=$ $ $ <b>true</b> $ $ <b>false</b>	constant true constant false
$iv$	$::=$ $ $ 0	

		<b>S</b> <i>iv</i>	
<i>e</i>	::=	<i>x</i>   <i>iv</i>   <i>bv</i>   $\langle e1, \dots, en \rangle$   <i>e iv</i>   <b>id</b>   <b>new</b> <i>T@r</i>   <b>null</b> <i>T@r</i>   <b>isnull</b> ( <i>e</i> )   <b>upregion</b> ( <i>e, r1, ..., rn</i> )   <b>downregion</b> ( <i>e, r1, ..., rn</i> )   <b>read</b> ( <i>e</i> )   <b>write</b> ( <i>e</i> <sub>1</sub> , <i>e</i> <sub>2</sub> )   <b>reduce</b> ( <b>id</b> , <i>e</i> <sub>1</sub> , <i>e</i> <sub>2</sub> )   <b>newcolor</b> <i>r</i>   <b>color</b> ( <i>e</i> <sub>1</sub> , <i>e</i> <sub>2</sub> , <i>e</i> <sub>3</sub> )   <i>e</i> <sub>1</sub> + <i>e</i> <sub>2</sub>   <i>e</i> <sub>1</sub> < <i>e</i> <sub>2</sub>   <b>let</b> <b>id</b> : <i>T</i> = <i>e</i> <sub>1</sub> ∈ <i>e</i> <sub>2</sub>   <b>if</b> <b>b</b> <b>then</b> <i>c</i> <sub>0</sub> <b>else</b> <i>c</i> <sub>1</sub>   <b>id</b> [ <i>r1, ..., rn</i> ]( <i>e1, ..., en</i> )   <b>partition</b> <b>rp</b> <b>using</b> <i>e</i> <sub>1</sub> <b>as</b> <i>r1, ..., rn</i> ∈ <i>e</i> <sub>2</sub>   <b>pack</b> <i>e</i> <sub>1</sub> <b>as</b> <i>T</i> [ <i>r1, ..., rn</i> ]   <b>unpack</b> <i>e</i> <sub>1</sub> <b>as</b> <b>id</b> : <i>T</i> [ <i>r1, ..., rn</i> ] ∈ <i>e</i> <sub>2</sub>	
<i>logic</i>	::=	$\forall i, phi \in Phi$   $\exists i. phi \in Phi$	conditional
<i>terminals</i>	::=	$\exists$   $\forall$   $\in$   $\Omega$   $\omega$   $\Phi$   $\phi$   $\rho$   $\vee$   $\wedge$   $\lrcorner$   $\leq$   $\longrightarrow$   $\rightarrow$	

		$\Rightarrow$	
		$\lambda$	
		$\mapsto$	
		$\vdash$	
		$\emptyset$	
		$\times$	
		$<:$	
		$\langle$	
		$\rangle$	
		$<$	
		$\Downarrow$	
		$\sigma$	
		$\Gamma$	
		$\varepsilon$	
<i>formula</i>	$::=$		
		<i>judgement</i>	
<i>Jtype</i>	$::=$		
		$\Gamma, \Phi, \Omega \vdash e : T$	Typing
<i>Jop</i>	$::=$		
		$p \longrightarrow p'$	Evaluation
<i>judgement</i>	$::=$		
		<i>Jtype</i>	
		<i>Jop</i>	
<i>user_syntax</i>	$::=$		
		<i>termvar</i>	
		<i>index</i>	
		<i>T</i>	
		<i>Om</i>	
		<i>om</i>	
		<i>Phi</i>	
		<i>phi</i>	
		<i>Q</i>	
		<i>q</i>	
		<i>v</i>	
		<i>bv</i>	
		<i>iv</i>	
		<i>e</i>	
		<i>logic</i>	
		<i>terminals</i>	
$\boxed{\Gamma, \Phi, \Omega \vdash e : T}$	Typing		
$\frac{\Gamma, \Phi, \Omega \vdash e_1 : T@(\mathit{r1}, .., \mathit{rn})}{\Gamma, \Phi, \Omega \vdash \mathbf{read}(e_1) : T} \quad \mathbf{T\_READ}$			

$\Gamma, \Phi, \Omega \vdash e_1 : T@(r1, \dots, rn)$		
$\Gamma, \Phi, \Omega \vdash e_2 : T$		
$\Gamma, \Phi, \Omega \vdash \mathbf{write}(e_1, e_2) : T@(r1, \dots, rn)$	$T\_WRITE$	
$\Gamma, \Phi, \Omega \vdash e_1 : T@(r1, \dots, rn)$		
$\Gamma, \Phi, \Omega \vdash e_2 : T$		
$\Gamma, \Phi, \Omega \vdash \mathbf{reduce}(\mathbf{id}, e_1, e_2) : T_1@(r1, \dots, rn)$	$T\_REDUCE$	
$\Gamma, \Phi, \Omega \vdash \mathbf{new} T@r : T@r$	$T\_NEW$	
$\Gamma, \Phi, \Omega \vdash e : T@(r1, \dots, rk)$		
$\Gamma, \Phi, \Omega \vdash \mathbf{upregion}(e_1, r1, \dots, rn) : T@(r1, \dots, rn)$	$T\_UPRGN$	
$\Gamma, \Phi, \Omega \vdash e : T@(r1, \dots, rk)$		
$\Gamma, \Phi, \Omega \vdash \mathbf{downregion}(e, r1, \dots, rn) : T@(r1, \dots, rn)$	$T\_DNRGN$	
$\Gamma, \Phi, \Omega \vdash \mathbf{newcolor} r : T@r$	$T\_NEWCOLOR$	
$\Gamma, \Phi, \Omega \vdash e_1 : T@(r1, \dots, rn)$		
$\Gamma, \Phi, \Omega \vdash e_2 : T@r$		
$\Gamma, \Phi, \Omega \vdash e_3 : \mathbf{int}$		
$\Gamma, \Phi, \Omega \vdash \mathbf{color}(e_1, e_2, e_3) : \mathbf{coloring}(r)$	$T\_COLOR$	
$\Gamma, \Phi, \Omega \vdash e_1 : \mathbf{coloring}(rp)$		
$\Gamma, \Phi, \Omega \vdash e_2 : T$		
$\llcorner \text{no parses (char 42): } G, P, 0 \mid \text{partition rp using e1 as r1, \dots, rk*** in e2: } T \gg$		$T\_PARTITION$
$\Gamma, \Phi, \Omega \vdash e_3 : \mathbf{int}$		
$\llcorner \text{no parses (char 31): } G, P, 0 \mid \text{pack e1 as T1[r1, \dots, rk***]:T1} \gg$	$T\_PACK$	
$\Gamma, \Phi, \Omega \vdash e_1 : T_1$		
$\llcorner \text{no parses (char 2): } G'***, P, 0' \mid \text{e2 : } T_3 \gg$		
$\llcorner \text{no parses (char 37): } G, P, 0 \mid \text{unpack e1 as id: } T_1[r1, \dots, rk***] \text{ in e2:T3} \gg$	$T\_UNPACK$	
$\llcorner \text{no parses (char 17): } G, P, 0 \mid \text{ei : } T_i[***r1/r1', \dots, rk/rk'] \gg$		
$\llcorner \text{no parses (char 20): } G, P, 0 \mid \text{id[r1, \dots, rk***](e1, \dots, en):Tr[r1/r1', \dots, rk/rk']} \gg$	$T\_CALL$	
$\Gamma, \Phi,$		
$\llcorner \text{no parses (char 1): } \mid ***- \{ \text{function id1[r11, \dots, rk11](a11:T11, \dots, a1n1), P1, Q1, T1r:e1, \dots} \{$		
$\boxed{p \longrightarrow p'}$	Evaluation	
$\llcorner \text{no parses (char 1): } s***\text{tate}, T, E[x := a] \text{ --> state}, T, E[\text{skip}] \gg$	$E\_SET$	
$\llcorner \text{no parses (char 1): } s***\text{tate}, T, E[\text{skip}; c] \text{ --> state}, T, E[c] \gg$	$E\_SKIP$	
$\llcorner \text{no parses (char 1): } s***\text{tate}, T, E[\text{if } b \text{ then } c_0 \text{ else } c_1] \text{ --> state}, T, E[c_0] \gg$	$E\_IFTRUE$	
$\llcorner \text{no parses (char 1): } s***\text{tate}, T, E[\text{if } b \text{ then } c_0 \text{ else } c_1] \text{ --> state}, T, E[c_1] \gg$	$E\_IFFALSE$	
$\llcorner \text{no parses (char 1): } s***\text{tate}, T, E[\text{while } b \text{ do } c] \text{ --> state}, T, E[\text{if } b \text{ then } (c; \text{while } b \text{ do } c)] \gg$		
$\llcorner \text{no parses (char 1): } s***\text{tate}, T, E[\text{async } c] \text{ --> state}, T, E[\text{skip}] \gg$	$E\_ASYNC$	
$\llcorner \text{no parses (char 1): } s***\text{tate}, T, E[\text{yield}] \text{ --> state}, T, E[\text{skip}] \gg$	$E\_YIELD$	

<hr/>		E_MKPAR
<<no parses (char 1): s***tate,T,E[mkpar e] --> state,T,E[skip] >>		
<hr/>		E_APPLY
<<no parses (char 1): s***tate,T,E[apply e1 e2] --> state,T,E[skip] >>		
<hr/>		E_PUT
<<no parses (char 1): s***tate,T,E[put e] --> state,T,E[skip] >>		
<hr/>		E_GET
<<no parses (char 1): s***tate,T,E[get e1 e2] --> state,T,E[skip] >>		

Definition rules:            8 good      17 bad  
 Definition rule clauses: 23 good      19 bad