

- 7) prove by induction on n that $1+2+3+\dots+n$ that $\sum_{i=0}^n i = n(n+1)/2$
 (1.6) \rightarrow pg no
- 2) prove by induction on n $1^2+2^2+3^2+\dots+n^2 = \sum_{i=0}^n i = n(n+1)(2n+1)$
 (1.6) \rightarrow pg no
- 3) prove by induction on n that $1+2+3+\dots+(3n-2) = \frac{n(3n-1)}{2}$ for
 $n > 0$ (pg no:- 1.8)
- 4) prove that $\sqrt{2}$ is not rational. (Pg No:- 1.4)
- 5) Design FA which accept even number of 'a's and even number b's. (Pg No:- 1-40)
- 6) Design a moore machine determine residue module 4 for binary number. (Ref class note book)
- 7) construct a mealy machine that print 'a' whenever the sequence '01' is encountered in any input binary string. (Ref class note book)
- 8) Draw transition diagram for recognition the set of all operation in C language. (Pg No:- 1-37)
- 9) Design FA which accept even number of a's and even number b's. (Pg No:- 1-40)
- 10) conversion of mealy machine to moore machine give one example. (Ref class note book)
- 11) construct a mealy machine that print 'a' whenever the sequence '01' is encountered in any input binary string. (Ref class note book)
- 12) construct the finite state machine (FSM) M given in the following table test whether the string 101101, 1111 are accepted by M. (Pg No:- 1-44)

state	0	1
α_0	α_0	α_1
α_1	α_3	α_0
α_2	α_0	α_3
α_3	α_1	α_2

13] Convert the RE $(a/b)^*$ abb into NFA E and find the equivalent minimum state DFA. (Pg No:- 2, 99)

14] Explain the DFA minimization algorithm with an example (Pg No:- 2, 70)

15] Construct DFA equivalent to the NFA $M = \{P, Q, R\}, \{0, 1\}$ & $S_P = \{P, Q, R\}$, where S is defined in the following table. (Pg No:- 2, 27)

S	0	1
P	$\{Q_1, S_3\}$	$\{Q_2\}$
Q	$\{S_1\}$	$\{Q_1, Q_2\}$
R	$\{S_2\}$	$\{P\}$
S	-	$\{P\}$

16] Convert the given NFA to DFA.

(Pg No:- 2, 41)

S	0	1
Q^0	$\{Q^0, Q^1\}$	$\{Q^0\}$
Q^1	$\{Q^2\}$	$\{Q^1\}$
Q^2	$\{Q^3\}$	$\{Q^3\}$
Q^3	\emptyset	$\{Q^2\}$
Final state.		

17] Convert the given DFA from ϵ -NFA.
 (Pg No:- 2,57)

	ϵ	0	1
P	-	$\{p_3\}$	$\{q_4\}$
q1	$\{p_3\}$	$\{q_3\}$	$\{r_3\}$
r3	$\{q_3\}$	$\{r_3\}$	-

18] construct NFA for the regular expression $b + baa^*$ (Pg No:- 2,81)

19] prove $L = \{app | p \text{ is a prime}\}$ is not regular. (Pg No:- 2,132)

20] convert the RE $(bla)^*baa$ into NFA & find the equivalent minimum state DFA. (Pg No:- 2,90).

21] show that $L = \{0^n 1^{n+1} | n \geq 0\}$ is not regular. (Pg No:- 2,132)

22] construct NFA equivalent to $(0+1)^* (00+11)$. (Pg No:- 2,83)

23] Which of the following languages is regular? justify.
 (Pg No:- 2,137)

i) $L = \{a^n b^m | n, m \geq 1\}$.

ii) $L = \{a^n b^n | n \geq 1\}$

24] Design FSA which accept even number of 0's and even number of 1's. (Pg No:- 1-32)

25] finite state machine is _____ tuple machine. [b]

a) 4 b) 5 c) 6 d) unlimited

26] The minimum number of states required to recognize an octal number divisible by 3 are [b]

a) 1 b) 3 c) 5 d) 7.

Q1 consider the following two statements: [c]

s1: $\{0^n | n \geq 1\}$ is a regular language

s2: $\{0^m 0^n 0^{|(m+n)|} | m \geq 1 \text{ and } n \geq 2\}$ is a regular language.

Which of the following statements is correct?

- a) only s1 is correct b) only s2 is correct c) Both s1 and s2 are correct
- d) None of s1 and s2 is correct answer is correct.

Q2 Language of finite automata is generated by [d].

- a) Type 0 b) Type 1 grammar c) Type 2 Grammar d) Type 3 grammar

Q3 Design a NFA for the language :: [c].

L: $\{an | n \text{ is even or divisible by 3}\}$.

Which of the following methods can be used to simulate the same.

- a) e-NFA b) power construction method c) Both (a) and (b).
- d) None of the mentioned

Q4 Number of states require to accept string ends 101. [b]

- a) 3 b) 4 c) 2 d) can't be represented.

Q5 The ratio of (elements) number of input to the number of output in mealy machine can be given as: [a].

- a) 1 b) $n:n+1$ c) $n+1:n$ d) None of the mentioned

Q6 The number of elements present in the e-closure(f_2) in the given diagram: [c].

- a) 0 b) 1 c) 2 d) 3

9) Regular expression for all strings starts with ab ends with ba is : [c]
a) aba^*b^*ba b) $ab(ab)^*ba$ c) $ab(a+b)^*ba$ d) All of the mentioned.

Explanation: The given string $ab(a+b)^*ba$ starts with ab and ends with ba.

10) A grammar is said to be ambiguous grammar if it :- [c].

- a) produces more than one (right) derivation tree.
- b) produces more than one left most derivation.
- c) produces more than one right most derivation
- d) All.

11) Backtracking is allowed in : [b].

- a) N DFA
- b) DFA
- c) Both a & b
- d) None

12) Which of the following regular expression identity is true ? [b].

- a) $r^* = r^*$
- b) $(r^*s^*)^* = (rs)^*$
- c) $(rs)^* = r^* + s^*$
- d) $r^*s^* = r^* + s^*$

13) Which of the following does not represent the given language ?

Language : [d].

- a) 0+01
- b) {0} U {01}
- c) {0} U {03} {13}
- d) {03}^n {013}.

14) In Moore machine, output is produced over the change of : [b].

- a) transition
- b) states
- c) Both
- d) None of the mentioned.

15) Transition function of NFA machine is given by. [d].

- a) $\Sigma \times Q \rightarrow \emptyset$
- b) $Q \times \Sigma \rightarrow \emptyset$
- c) $Q \times \Sigma \rightarrow Q$
- d) $Q \times \Sigma \rightarrow 2^{\text{power } Q}$.

16) Transition function of DFA machine maps. [d].

- a) $\Sigma \times Q \rightarrow \emptyset$
- b) $Q \times \emptyset \rightarrow \emptyset$
- c) $\Sigma \times \emptyset \rightarrow Q$
- d) $Q \times \Sigma \rightarrow Q$.

17) A language is regular if and only if. [a]:

- a) accepted by DFA
- b) accepted by PDA.

a) accepted by LBA & d) accepted by Turing machine.

b) Regular expression are. [a].

c) Type 0 language. d) Type 1 language.

e) Type 2 language d) Type 3 language.

19) The given NFA corresponds to which of the following regular expressions? [a].

a) $(0+1)^*(00+11)(0+1)^*$. b) $(0+1)^*(00+11)^*(0+1)^*$.

c) $(0+1)^*(00+11)(0+1)$ d) $(0+1)*(00+11)(0+1)$

20). The non-kleene star operation accepts the following string of finite length over set $A = \{0, 1\}$ if there string contains even number of 0 and 1. [b].

a) 01, 001, 010101 b) 0011, 11001100 c) $\epsilon, 0011, 11001, 100$ d) $\epsilon, 0011, 1100110$

ii) Finite automata needs minimum 0 number of stacks.

iii) If $L = \{\epsilon, a, aa, aaa, aaaa, \dots\}$ is represented by a^* .

iv) An e-NFA is Quintuple in representation.

v) L is a regular language if and only if the set of Equivalence classes of IL is finite.

vi) The regular expression of language which is starting and ending with different symbols is Automata.

vii) The finite automata is called NFA when there exists multiple paths for a specific input from current state to next state.

viii) The output alphabet can be represented as: Δ .

- 8] ϵ -closure of state is combination of self state and ϵ -reachable state
- 9] context free Grammars has 4 tuples
- 10] The generators of languages are Grammars.
- 11] The finite automata is called DFA when there exists one path for a specific input from current state to next state.
- 12] To describe the complement of a language, (is defined), it is very important to describe the Alphabet of that language over which the language is defined.
- 13] A Language for which no DFA exist is a Regular Language
- 14] Regular expression are Type 3 language.
- 15] While applying pumping lemma over a language we consider a string w that belong to L and fragment it into 3 parts
- 16] $L = \{a, aa, aab, abaa, \dots\}$ is represented by a^* .
- 17] Regular expressions are closed under union.
- 18] precedence of regular expression in decreasing order is $*$, * , $+$
- 19] $(a+b)^*$ is equivalent to $(a^*b^*)^*$.
- 20] The minimum number of states required to recognize an octal number divisible by 3 are 3.