| S | tarted on | Saturday, 24 September 2022, 4:16 PM |
|-------------------|--------------------|--|
| | State | Finished |
| Com | pleted on | Saturday, 24 September 2022, 4:17 PM |
| Ti | me taken | 1 min 19 secs |
| | Marks | 0.00/25.00 |
| | Grade | 0.00 out of 10.00 (0 %) |
| _ | | |
| Question 1 | | |
| Not answere | ed | |
| Marked out | of 1.00 | |
| | | |
| Find the | "best" big- | oh notation to describe the complexity of the algorithm. |
| | _ | prints all bit strings of length <i>n</i> . |
| 7 (17 (1801 | Territ error | States an ole serings of length m |
| _ a. | O(2 ⁿ) | |
| ○ b. | O(n!) | |
| ○ c. | None of th | ese |
| _ d. | O(n ²) | |
| _ e. | O(n ⁿ) | |

The correct answer is: $O(2^n)$

Question 2
Not answered
Marked out of 1.00

Given the Euclidean algorithm.

ALGORITHM 1 The Euclidean Algorithm.

procedure gcd(a, b): positive integers) x := a y := bwhile $y \neq 0$ $r := x \mod y$ x := y y := rreturn $x\{gcd(a, b) \text{ is } x\}$

Use the Euclidean algorithm to find gcd(-27, 12).

How many divisions are required?

- o a. 4
- b. None of these
- oc. 5
- od. 2
- e. 3

Your answer is incorrect.

The correct answer is: 3

| Question 3 | | |
|--------------------|--|--|
| Not answered | | |
| Marked out of 1.00 | | |

Encrypt the message NEED HELP using the function $f(p) = (p + 7) \mod 26$

- a. None of these
- b. UKKL OLSW
- c. ULKK OLSW
- d. ULLK OLSV
- e. ULLK OLSW

Your answer is incorrect.

The correct answer is: ULLK OLSW



Given the Euclidean algorithm. ALGORITHM 1 The Euclidean Algorithm. **procedure** gcd(a, b): positive integers) x := ay := bwhile $y \neq 0$ $r := x \bmod y$ x := yy := r**return** $x\{\gcd(a,b) \text{ is } x\}$ Use the Euclidean algorithm to find gcd(-28, 8). How many divisions are required? a. None of these o b. 4 oc. 5 od. 3 e. 2

Your answer is incorrect.

The correct answer is:

| Question 5 |
|---|
| Not answered |
| Marked out of 1.00 |
| |
| Encrypt the message BUY using the function f(p) = (p + 14) mod 26 |
| ○ a. PIM |
| |

ob. PJN

oc. None of these

d. PHM

e. PIN

Your answer is incorrect.

The correct answer is: PIM

Not answered

Marked out of 1.00

Determine whether the integers in the set {21, 34, 55} are pairwise relatively prime.

(That is, we need each pair of (21, 34), (34, 55), (21, 55) to be relatively prime)

- \bigcirc a. No, because gcd(34, 55) \neq 1
- \bigcirc b. No, because gcd(21, 55) \neq 1
- \bigcirc C. No, because gcd(21, 34) \neq 1
- d. Yes

Your answer is incorrect.

The correct answer is:

Yes

Not answered

Marked out of 1.00

Give the best big-oh estimate for the function

$$f(n) = 1 + 2 + 3 + ... + n$$

- a. None of these
- \bigcirc b. $O(n^3)$
- \bigcirc c. $O(n^4)$
- \bigcirc d. $O(n^2)$
- e. O(n)

Your answer is incorrect.

$$1 + 2 + 3 + ... + n = n(n + 1)/2 = O(n^2)$$

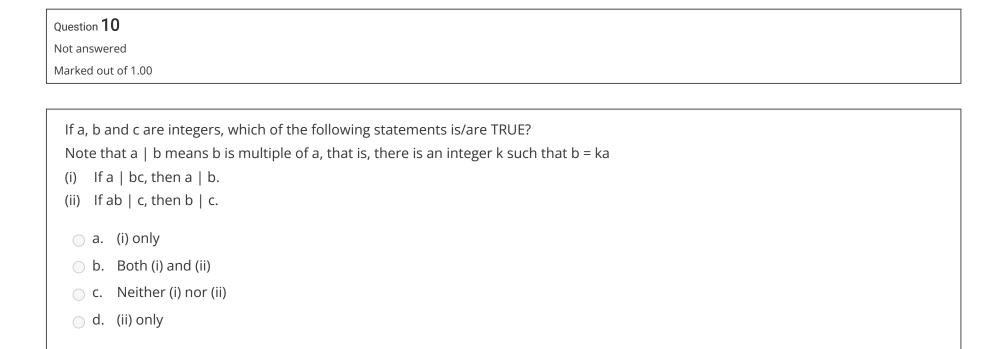
The correct answer is: $O(n^2)$

| Question 8 |
|---|
| Not answered |
| Marked out of 1.00 |
| |
| A message has been encrypted to be LMV using the encryption function $f(p) = (p + 8) \mod 26$. Decrypt the message. |
| o a. END |
| ○ b. DEN |
| ○ c. None of these |
| ○ d. DEM |
| e. DIE |
| |

The correct answer is: DEN

| Question 9 |
|---|
| Not answered |
| Marked out of 1.00 |
| |
| Find the sum |
| (112) ₃ |
| + |
| $(210)_3$ |
| Express your answers as a base 3 expansion. |
| ○ a. (322) ₃ |
| ○ b. (1022) ₃ |
| c. None of these |
| od. (122) ₃ |
| ○ e. (2022) ₃ |
| |

The correct answer is: $(1022)_3$



The correct answer is: (ii) only

Not answered

Marked out of 1.00

A sequence of pseudorandom numbers is generated using the pure multiplicative generator $x_{n+1} = 3x_n \mod 11$ with seed x_0 Given $x_2 = 7$, find x_1 and x_3 .

- a. None of these
- o b. 10, 2
- o. 6, 10
- d. 2, 6
- e. 7, 10

Your answer is incorrect.

The correct answer is:

6, 10

| Question 12 |
|---|
| Not answered |
| Marked out of 1.00 |
| |
| Decide whether each of these integers is congruent to -15 modulo 9. |
| a) 15 |
| b) -39 |
| ○ a. Yes, No |
| ○ b. Yes, Yes |
| oc. No, Yes |
| od. No, No |
| |

The correct answer is: No, No

Question 13

Not answered

Marked out of 1.00

Which of the following integers are relatively prime to 15?

- a. 3, 5
- ob. 2,7
- o. 5, 7
- d. 2, 3
- e. None of the others

Your answer is incorrect.

The correct answer is:

2, 7

Not answered

Marked out of 1.00

Find

(64 mod 33)⁷³ mod 15

- o a. 1
- ob. 3
- oc. 5
- od. None of these
- e. 13

Your answer is incorrect.

The correct answer is:

Not answered

Marked out of 1.00

Suppose $\phi(n)$ counts the number of integers x such that $0 < x \le n$ and gcd(x, n) = 1 (x is relatively prime to n) Find $\phi(4)$, $\phi(5)$.

- a. 3, 4
- b. None of these
- c. 2, 4
- od. 2, 3
- e. 1, 4

Your answer is incorrect.

The correct answer is:

2, 4

| Question 16 |
|------------------------------------|
| Not answered |
| Marked out of 1.00 |
| |
| Find 2 ¹⁰³ mod 15 |
| ○ a. 1 |
| ○ b. 4 |
| ○ c. 2 |
| |
| e. None of these |

The correct answer is:

| Question 17 |
|--|
| Not answered |
| Marked out of 1.00 |
| |
| A message has been encrypted to be BXC using the encryption function $f(p) = (p + 15) \mod 26$. Decrypt the message. |
| a. MOM b. MEN c. MIN d. None of these |
| e. MAI |

The correct answer is: MIN

Not answered

Marked out of 1.00

Given that $x^k(\log x + 13)$ is $O(x^3)$.

Find the largest value of the integer k.

- a. 3
- ob. 0
- c. None of these
- od. 2
- e. 1

Your answer is incorrect.

The correct answer is:

Not answered

Marked out of 1.00

Find the least integer k such that f(x) is $O(x^k)$

if $f(x) = 100x^2 + x^2 \log x$

- _ a. 3
- ob. 4
- oc. 1
- od. 2

Your answer is incorrect.

The correct answer is:

| Question 20 | |
|--------------------|--|
| Not answered | |
| Marked out of 1.00 | |

Give as good a big-oh estimate as possible for (nlogn + n)(n² + 1).

a. O(n²logn)

b. None of these

c. O(n³)

d. o(n²)

e. O(n³logn)

Your answer is incorrect.

The correct answer is: $O(n^3logn)$

| Question 21 |
|---|
| Not answered |
| Marked out of 1.00 |
| |
| Decide whether each of these integers is congruent to 23 modulo 11. |
| a) -32 |
| b) -66 |
| a. No, No |
| ○ b. Yes, Yes |
| c. No, Yes |
| od. Yes, No |
| |

The correct answer is:

Yes, No

| Question 22 | | |
|---|--|--|
| Not answered | | |
| Marked out of 1.00 | | |
| | | |
| Convert the integer 38 to a base 3 expansion. | | |
| ○ a. 2011 | | |
| ○ b. None of these | | |
| ○ c. 1120 | | |
| od. 1201 | | |
| ○ e. 1102 | | |

The correct answer is: 1102

Not answered

Marked out of 1.00

Determine whether each of these functions is $\Omega(x^2)$.

- \circ a. f(x) = 23x + 1
- $b. f(x) = 7x^2 + 15x$
- \circ c. $f(x) = x \log x + 7x$
- od. $f(x) = 2^{2021}$
- e. None of these

Your answer is incorrect.

The correct answer is:

 $f(x) = 7x^2 + 15x$

Not answered

Marked out of 1.00

Given the bubble sort algorithm.

ALGORITHM 4 The Bubble Sort.

procedure $bubblesort(a_1, ..., a_n : real numbers with <math>n \ge 2$) **for** i := 1 **to** n - 1

for j := 1 to n - i

if $a_j > a_{j+1}$ **then** interchange a_j and a_{j+1}

 $\{a_1,\ldots,a_n \text{ is in increasing order}\}$

Use the bubble sort to sort 6, 2, 3, 1, 5.

Showing the lists obtained after the first pass (i = 1).

- a. 2, 3, 1, 5, 6
- b. 2, 3, 1, 6, 5
- c. 2, 1, 3, 5, 6
- d. None of these
- e. 1, 2, 3, 5, 6

Your answer is incorrect.

The correct answer is:

2, 3, 1, 5, 6

| Question 25 | |
|---------------------------|----|
| Not answered | |
| Marked out of 1.00 | |
| | |
| Find a + b if | |
| a = -37 mod 7 | |
| and b = 37 mod 7 | |
| | |
| a. 10 | |
| ○ b. 7 | |
| ○ c. 0 | |
| ○ d1 | |
| o e. None of these | |
| | |
| Your answer is incorrect. | |
| The correct answer is: | |
| 7 | |
| | |
| | |
| | |
| « | >> |
| | |
| | |