

Photon Counting and Statistics of Light

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Abstract

Randomness is a phenomena that occurs often in the nature. Counting the number of photons would be one example of it.

1 Introduction

In this experiment, we will use the light detector device called Photomultiplier Tube, also known as PMT, in order to count the number of light particles(photons). The photometer consisted of PMT photon counting Head H10682, a counter and a computer which the PMT was connected to. The goal of this experiment is to show the randomness of the photons hitting the device and to show what the role of statistical methods in counting the photons is. Python programming language will be used to plot data and analyze them. Another aim of this lab would be to see what the limitations of detecting light is in astronomy.

2 Experimental Procedure

In order to take data, we first turned on PMT and ran its software on the main computer. Then, we used `pmt.py` python code to collect data. Afterwards, we wrote a small python code to specify the sampling time and number of counts per second and finally we plotted the data, both normally and in histogram style. Figure 1 shows the number of counts of the photons and figure 2 shows the histograms of the same data(a more professional way of showing data, since it includes time as well) These plots show the randomness of photon count, since none of the plots are the same. In order to get the count rate, one should divide the counts per sample by the sample time. For instance, here we could divide 100 by 0.001 to get the sample rate of 10000.

As we progressed, we wrote python codes to make life much easier for collecting data. What this code did was that it ran a loop that collected data and saved it under different

Photon counts per sample vs. Time(ms)-Sampling time: 0.001, # of counts/s: 100

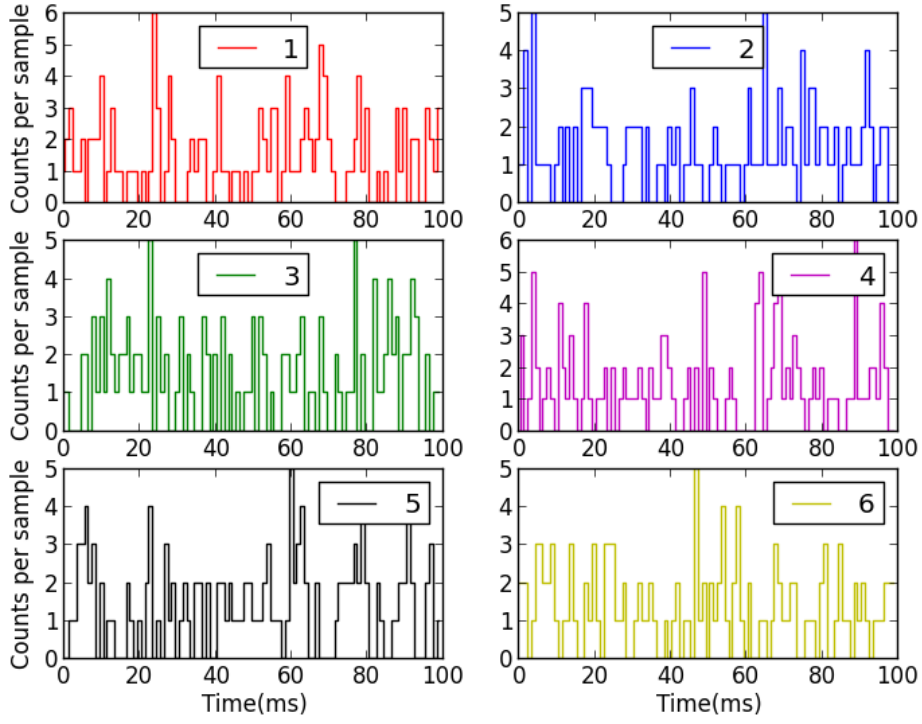


Figure 1: Photon Count per Sample vs. Time plots

The plots of number of counts versus time for sampling time of 0.001 and 100 photons per second. Six sets of data were taken with the same sampling time and count rate in order to show the randomness of the photon encounters. None of the plots are exactly the same; however, they have a similar overall shape.

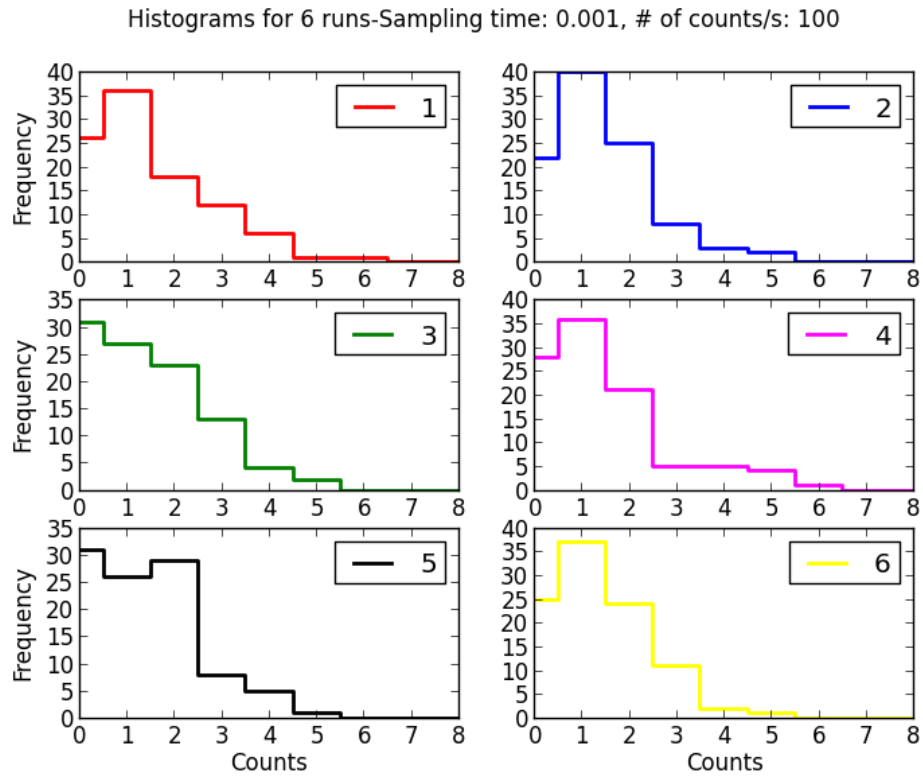


Figure 2: Histograms of Photon Counts

The conclusion about this figure would be the same as conclusion of figure 1. The histograms provide a better way of showing data as it is much easier to read and interpret the data.

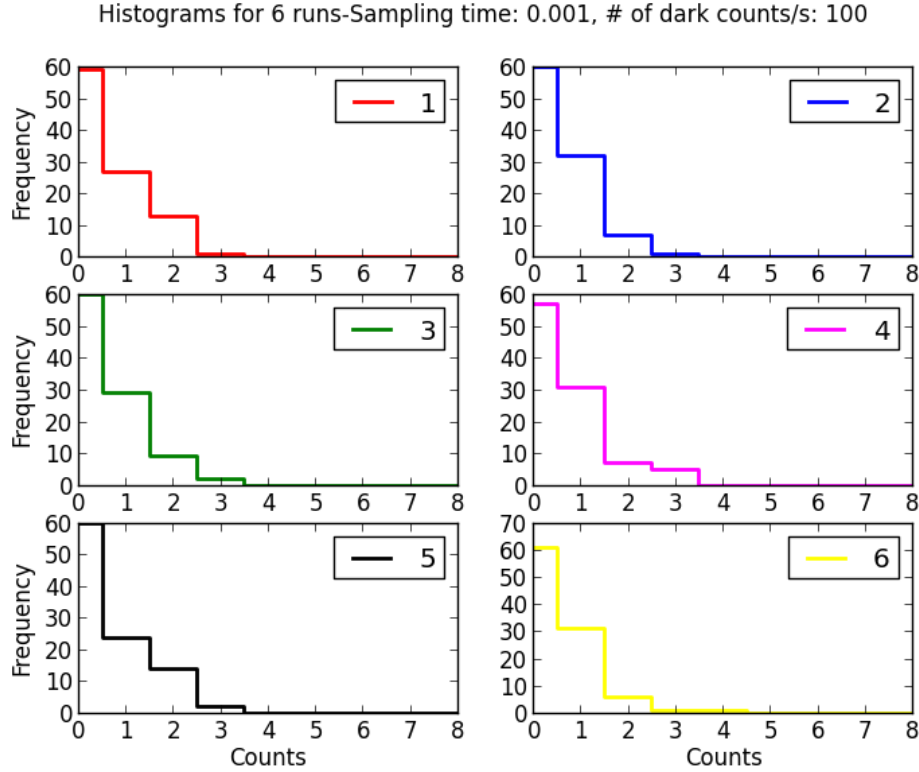


Figure 3: Histograms of dark counts

This figure shows that even when the light is off, we will get some photons coming in. There might be a few reasonings behind it. First of all, even when the light was off, there was light in the room(it was not complete darkness). Secondly, the photons might also come from the error in the machine which might not be completely enclosed in darkness.

Moreover, it could be due to the internal heat that would be releasing electrons.

names each time. Therefore, we ended up getting all the files organized fast. I should also mention that Carly Berard mostly did the collection of data part and I should also give credit to Ayushi for collecting dark counts and some other parts throughout the lab. Other than collecting data when the light is on, we managed to collect data when the light was off to see what the difference would be. Then we plotted the same histogram plots for the dark count and the result is shown in figure 3. By looking at the picture we conclude that even when the light was off, the photomultiplier tube counted some photons and the reasons are explained in figure 3 caption.

3 Analysis

The next step would be to do some statistical analysis and to calculate the mean and the standard deviation of the data set. Therefore, we would know what the average value of our photon counts would be and we would also figure out how precise our measurements were. The mean formula is given by equation 1, where n is the number of counts in total.

$$\bar{x} = \frac{\sum_{i=1}^n x_i}{n} \quad (1)$$

And the standard deviation formula is given by equation 2:, where x_i (????) is each photon count and \bar{x} (?????) is the mean value calculated by equation 1.

$$\sigma = \sqrt{\frac{\sum_{i=1}^n (x_i - \bar{x})^2}{n - 1}} \quad (2)$$

The smaller the value of the standard deviation, the more precise our measurements are. Table 1 shows the values of mean and standard deviation for data sets with similar sample rate and counts, repeated 6 times. Variance is the standard deviation squared. The plot of Variance vs. Number of Counts for Table 1 data set is shown in figure 4.

Table 1: Mean and Standard Deviation for 6 data sets with similar sample rate and time

Data Set #	Sample Rate	Counts(per s)	Mean of Counts	Standard Deviation
1	1000	400	16.507	4.14
2	1000	400	16.69	3.93
3	1000	400	16.405	4.08
4	1000	400	16.622	4.17
5	1000	400	16.922	4.10
6	1000	400	16.732	4.21

Figure 4 shows that the relation between variance and mean is almost linear.

Table 2: Mean and Standard Deviation for 5 data sets each consisting of 6 data sets

Data Set #	Sample Rate	Counts(per s)	Mean of Counts	Standard Deviation
1	100	400	16.939	4.14
2	80	400	20.962	3.93
3	40	400	41.814	4.08
4	26.67	400	63.558	4.17
5	20	400	84.192	4.10

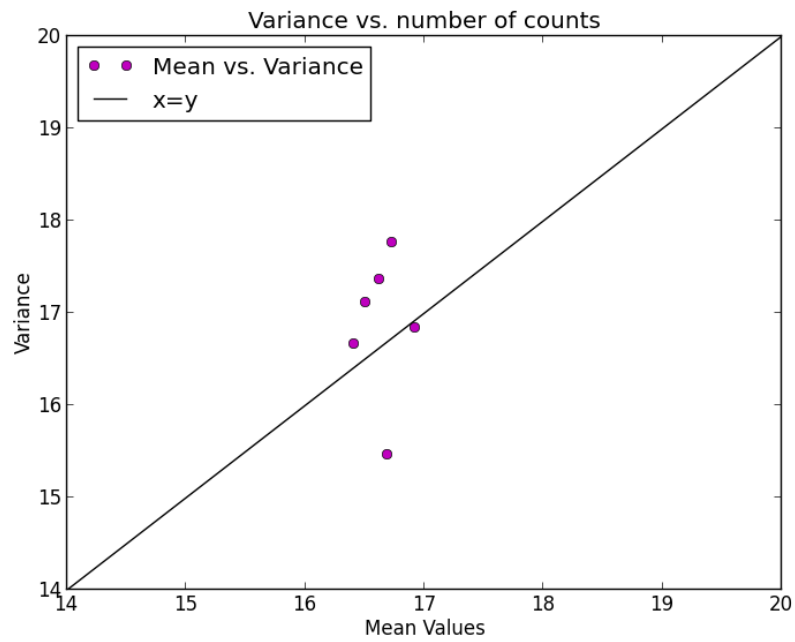


Figure 4: variance vs count number for table 1 data set

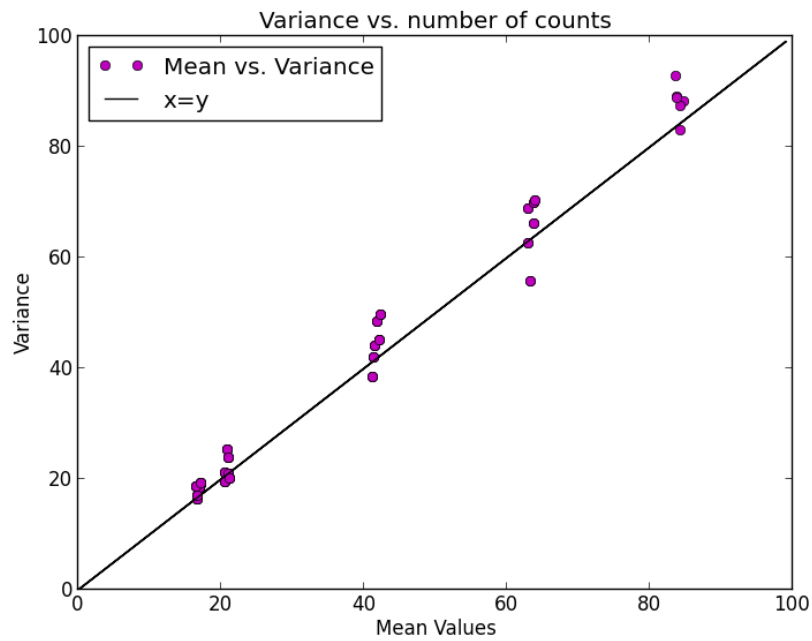


Figure 5: variance vs count number for table 2 data set