. Machine Learning & Neural Networks (8 points)	CS224n A3
(a) (4 points) Adam Optimizer Recall the standard Stochastic Gradient Descent update rule:	ন্ <u>ন</u>
$oldsymbol{ heta} \leftarrow oldsymbol{ heta} - lpha abla_{oldsymbol{ heta}} J_{ ext{minibatch}}(oldsymbol{ heta})$	
where $\boldsymbol{\theta}$ is a vector containing all of the model parameters, J is the loss function, $\nabla_{\boldsymbol{\theta}} J_{\text{minibatch}}(\boldsymbol{\theta})$ is the gradient of the loss function with respect to the parameters on a minibatch of data, and α is the learning rate. Adam Optimization ¹ uses a more sophisticated update rule with two additional steps. ²	
i. (2 points) First, Adam uses a trick called <i>momentum</i> by keeping track of m, a rolling average of the gradients:	
$ \bigcap_{\mathbf{m}} \mathbf{m} \leftarrow \beta_1 \mathbf{m} + (1 - \beta_1) \nabla_{\boldsymbol{\theta}} J_{\text{minibatch}}(\boldsymbol{\theta}) \boldsymbol{\theta} \leftarrow \boldsymbol{\theta} - \alpha \mathbf{m} $	
where β_1 is a hyperparameter between 0 and 1 (often set to 0.9). Briefly explain (you don't need to prove mathematically, just give an intuition) how using \mathbf{m} stops the updates from varying as much and why this low variance may be helpful to learning, overall.	
ii. (2 points) Adam also uses adaptive learning rates by keeping track of \mathbf{v} , a rolling average of the magnitudes of the gradients:	
$\mathbf{m} \leftarrow \beta_1 \mathbf{m} + (1 - \beta_1) \nabla_{\boldsymbol{\theta}} J_{\text{minibatch}}(\boldsymbol{\theta})$	
$ \mathbf{v} \leftarrow \beta_2 \mathbf{v} + (1 - \beta_2) (\nabla_{\boldsymbol{\theta}} J_{\text{minibatch}}(\boldsymbol{\theta}) \odot \nabla_{\boldsymbol{\theta}} J_{\text{minibatch}}(\boldsymbol{\theta})) $	
θ ← θ − α ⊙ m/√v \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\	79,228
where \odot and / denote elementwise multiplication and division (so $\mathbf{z} \odot \mathbf{z}$ is elementwise squaring) and β_2 is a hyperparameter between 0 and 1 (often set to 0.99). Since Adam divides the update by $\sqrt{\mathbf{v}}$, which of the model parameters will get larger updates? Why might this help with learning?	
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2. Neural Transition-Based Dependency Parsing (42 points)

In this section, you'll be implementing a neural-network based dependency parser, with the goal of maximizing performance on the UAS (Unlabeled Attachemnt Score) metric.

Before you begin please install PyTorch 1.0.0 from https://pytorch.org/get-started/locally/with the CUDA option set to None. Additionally run pip install tqdm to install the tqdm package – which produces progress bar visualizations throughout your training process.

A dependency parser analyzes the grammatical structure of a sentence, establishing relationships between head words, and words which modify those heads. Your implementation will be a transition-based parser, which incrementally builds up a parse one step at a time. At every step it maintains a partial parse, which is represented as follows:

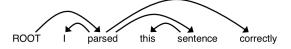
- A *stack* of words that are currently being processed.
- A buffer of words yet to be processed.
- A list of dependencies predicted by the parser.

Initially, the stack only contains ROOT, the dependencies list is empty, and the buffer contains all words of the sentence in order. At each step, the parser applies a *transition* to the partial parse until its buffer is empty and the stack size is 1. The following transitions can be applied:

- SHIFT: removes the first word from the buffer and pushes it onto the stack.
- LEFT-ARC: marks the second (second most recently added) item on the stack as a dependent of the first item and removes the second item from the stack.
- RIGHT-ARC: marks the first (most recently added) item on the stack as a dependent of the second item and removes the first item from the stack.

On each step, your parser will decide among the three transitions using a neural network classifier.

(a) (6 points) Go through the sequence of transitions needed for parsing the sentence "I parsed this sentence correctly". The dependency tree for the sentence is shown below. At each step, give the configuration of the stack and buffer, as well as what transition was applied this step and what new dependency was added (if any). The first three steps are provided below as an example.

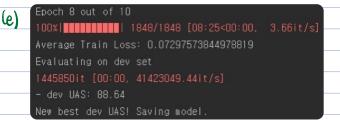


Stack	Buffer	New dependency	Transition
[ROOT]	[I, parsed, this, sentence, correctly]		Initial Configuration
[ROOT, I]	[parsed, this, sentence, correctly]		SHIFT
[ROOT, I, parsed]	[this, sentence, correctly]		SHIFT
[ROOT, parsed]	[this, sentence, correctly]	$\operatorname{parsed} \to I$	LEFT-ARC

[ROTT, parsed, this]	[sentence, correctly]		Shift
[ROUT, parsed, this sentence]	[correctly]		shift
[RooT, parsed, sentence]	[correctly]	sentence -) this	Left-Arc
[RooT, pursed]	[correctly]	parsed → senten@	Right-Arc
[ROOT, parsed, correctly]	[]	·	Shift
[ROOT, pursed]	[]	pursed -1 correctly	Right - Arc
[ROOT]	[]	Root → pursed	Right-Arc

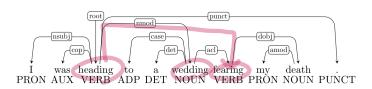
(b) (2 points) A sentence containing n words will be parsed in how many steps (in terms of n)? Briefly explain why.

2n = n (snift) + n (left/right-arc)



Final evaluation on test set 2919736it [00:00, 43695445.66it/s] - test UAS: 89.17

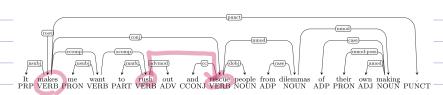




Verb phrase attachment error

Incorrect dependency: wedding - fearing Correct dependency: heading - fearing

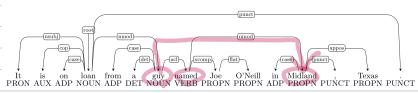
íi.



Coordination Attachment Error

Incorrect dependency: makes - rescue Correct dependency: rush - rescue

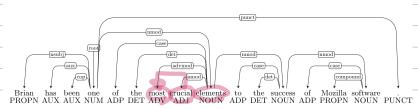
–₁ii.



Prepositional Phrase Attachment Error

Incorrect dependency: Named - midland Correct dependency: Buy - midland

11



Modifier Attachment emor

Incorrect dependency: elements omost correct dependency: crvcTal or most