MIT 6.035 Spring 2011 Quiz 1 (100 points)

Your Full Name Here:

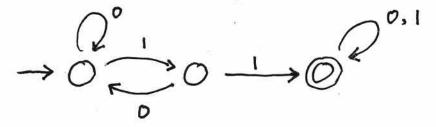
Your Athena ID Here:

1. (5 points) Write a regular expression for the language $L = \{0^n 1^m \mid (n+m) \text{ is even}\}$.

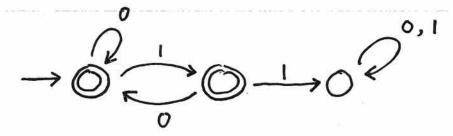
- 2. (20 points) Let the alphabet $\Sigma = \{0, 1\}$.
- (a) (5 points) Write a regular expression for the language of all strings over \sum that contain the contiguous substring 11.

(b) (5 points) Write a regular expression for the language of all strings over \sum that do not contain the contiguous substring 11.

(c) (5 points) Give a non-deterministic finite automaton (NFA) for the language of all strings over Σ that contain the contiguous substring 11.

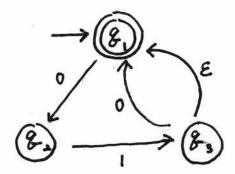


(d) (5 points) Give a non-deterministic finite automaton (NFA) for the language of all strings over \sum that don't contain the contiguous substring 11.

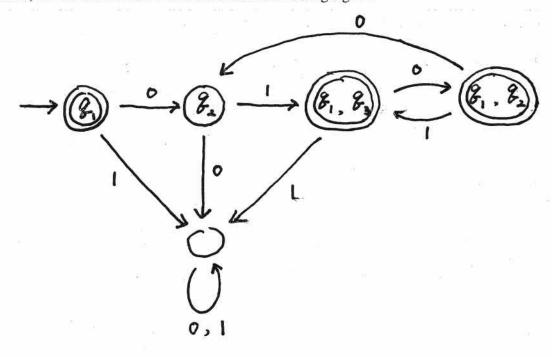


3. (10 points)

(a) (5 points) Give a non-deterministic finite automaton (NFA) for the language $L = (010 \mid 01)^*$. The NFA must contain at most 3 states. (Hint: draw an NFA with 4 states, then optimize).



(b) (5 points) Give a deterministic finite automaton for the language L.



4. (30 points)

Consider the following grammar:

$$S \rightarrow L = R$$

$$L \rightarrow *R \mid id$$

$$R \rightarrow L$$

You can think of L and R as standing for l-value and r-value, respectively. * is the dereference operator or indirection operator in C-like languages.

A shift-reduce parser can perform the following sequence of actions to accept the string "*id = id".

shift » shift » reduce » reduce » reduce » shift » shift » reduce » reduce » reduce » accept

(a) (10 points) Give a sequence of actions that a shift-reduce parser can take to accept the string "id = id".

(b) (10 points) Give a sequence of actions that a shift-reduce parser can take to accept the string "*id = *id".

(c) (10 points) Is the grammar ambiguous? Why or why not?

No.

There doesn't exist a string which can be generated by the grammar in more than one way.

5. (15 points)

Consider the following grammar:

```
S \to \text{if } E \text{ then } S \text{ else } S \mid \text{begin } S \perp \mid \text{print } E \mid \epsilon L \to \text{end} \mid ; S \perp E \to \text{num} = \text{num}
```

The goal is to write a recursive-descent parser for the grammar. You are given the following L() and E() functions. Your job is to write the S() function on the next page.

```
L() {
     if (token = end) {
           match(end);
     } else if (token = ;) {
           match(;); S(); L();
     } else {
           throw SyntaxError;
     }
}
E() {
     if (token = num) {
           match(num); match(=); match(num);
     } else {
           throw SyntaxError;
     }
}
```

```
S() {
```

```
if (token = if) {
    match(if); E(); match(then); S();
    match(else); S();
} else if (token = begin) {
    match(begin); S(); L();
} else if (token = print) {
    match(print); E();
} else { // S → E
    // do nothing
}
```

```
6. (20 points)
```

}

```
The following is a code snippet of legal-01.dcf:
      class Program {
            int A[100];
            int length;
           void main() {
                  int temp;
                  length = 100;
                  callout("srandom", 17);
                  for i = 0, length {
                        temp = callout("random");
                       A[i] = temp;
                  }
                     <HERE> */
           }
```

What should the symbol tables look like at <HERE>, considering the semantics of the Decaf language? Complete the symbol tables on the next page in the similar way to the symbol tables presented at Lecture 5. (Hint: note that the Decaf language is different from the language presented at Lecture 5).

