

Simple Linear Regression (Supervised Machine learning algorithms)

Regression \rightarrow To establish a relationship b/w the two variables / more than two variables.

Supervised ML

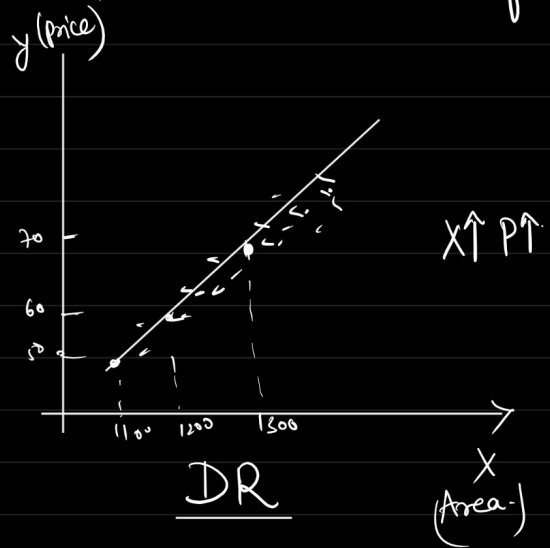
\rightarrow Regression (y as continuous) Classification (discrete)

Linear \rightarrow It establish a linear relationship.

* SLR attempts to determine the strength and characteristics of the relationship between one independent variable (X) and another dependent variable (Y)

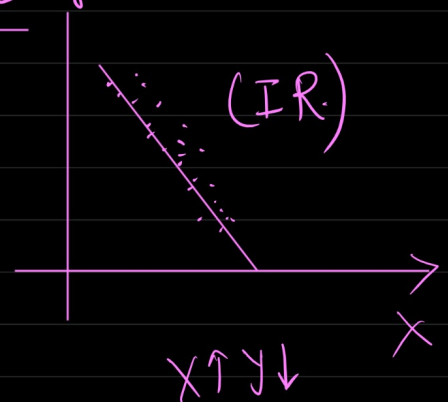
* Predict the price of a house based on Area of house

Area of house (X)	Price of house (Y)
1100	50
1200	60
1300	70

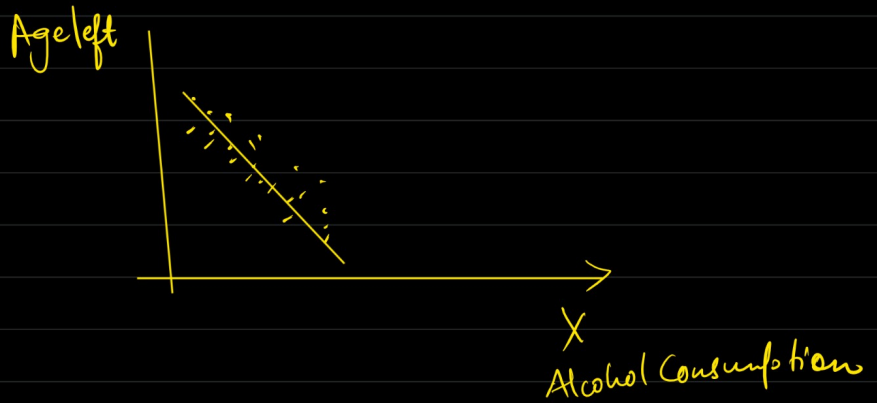


Ex: Selling Price of car wrt age of car

X (age of car)	Y (SP)
10	3.1
8	4.5
-	-



Age left Vs Alcohol Consumption



Simple

↓
Only one X and y

Linear

↓
Captures the linear relationship

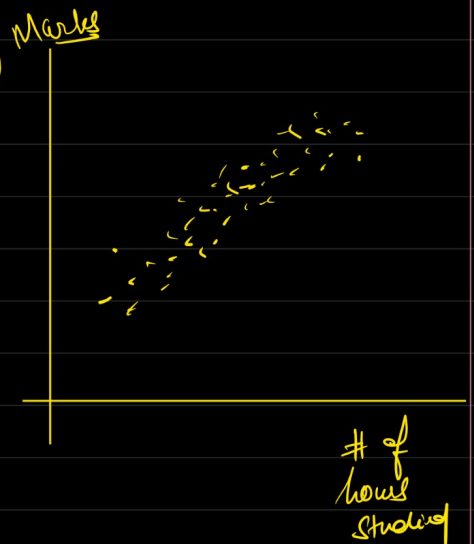
Regression

↓
Understand the relationship

* if multiple IV (multiple X's) → Multiple linear regression

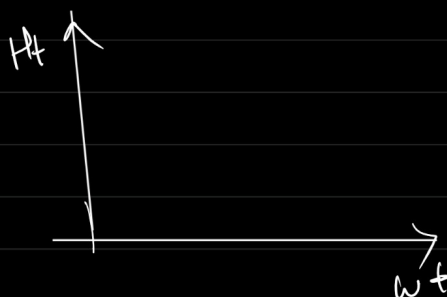
Example

No of hours studied	Marks obtained
8	72
9	85.5
—	—
—	—
—	—
—	—



Example

Weight	Height
65	168cm
70	172cm
—	—
—	—



* To predict price of house based on number of rooms.

y = price of house

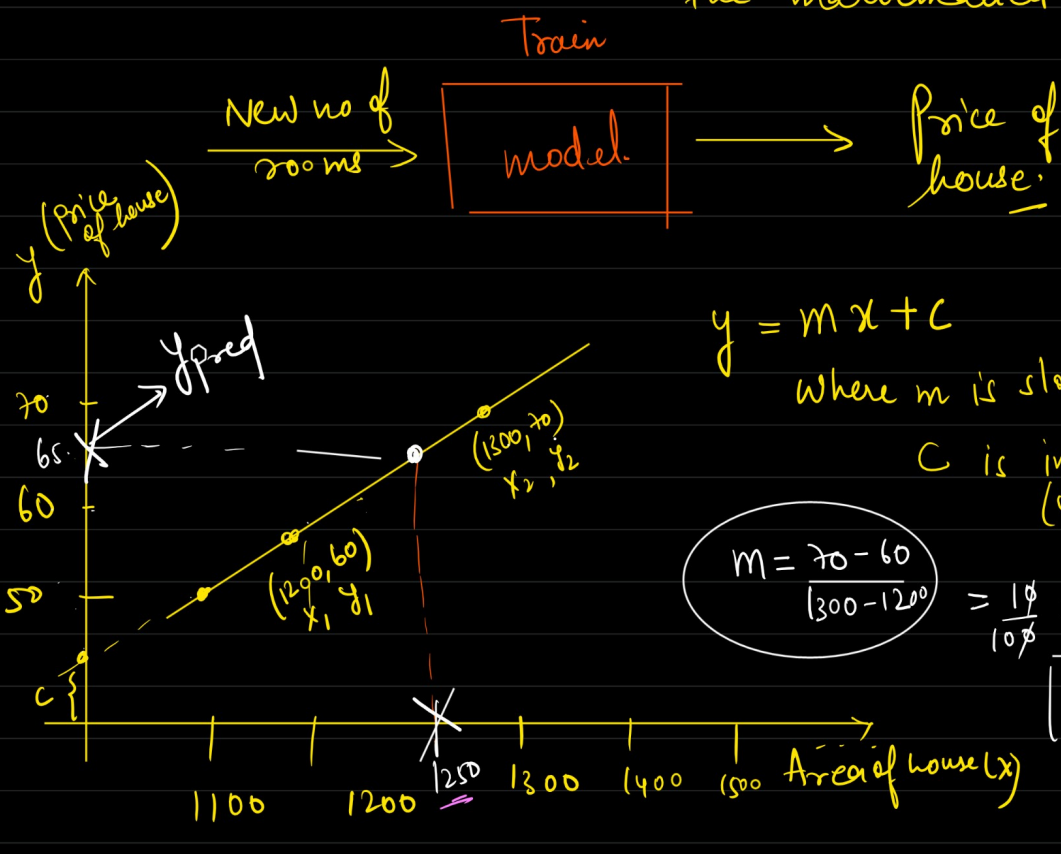
x = No of rooms.

# of rooms (x)	Price of house (y)
1	50
1.5	60
2	65
3	75
4	?? <u>85</u>

\Rightarrow ML - To understand the mathematical relationship

This was 4 dp's that's why you understood the trend!

If many dp's you need to train the model to understand the mathematical relationship.



$$y = mx + c$$

$$y_{\text{pred}} = 0.1x + 10$$

\uparrow
1250

$y_{\text{estimator}}$: -
You have estimated the price of a house

$$\hat{y} = mx + c$$

based on m , c , and Area of house

$$\hat{y} = mx + c$$

$$\hat{y} = \beta_0 + \beta_1 x \quad \left(\begin{array}{l} \beta_1 = m \\ \beta_0 = c \end{array} \right) \rightarrow \text{Coefficients}$$

$$\boxed{\underline{h_0(x)} = \theta_0 + \theta_1 x}$$

many books you will find this
hypothesis representation

→ because we consider
a SLR line to be a
hypothesis and it passes
from these points.

$X \rightarrow IV$

$y \rightarrow DV$

$\left. \begin{array}{l} m, c \\ \beta_0, \beta_1 \\ \theta_0, \theta_1 \end{array} \right\} \rightarrow \text{Coefficients}$