

UNIT-I / PART-A	
1	Define Algorithm. (June 06,07,May 13)
2	Define order of an algorithm. (June 07)
3	What are the different criteria used to improve the effectiveness of algorithm? (June 06,07)
4	What are the features of efficient algorithm?(Dec 07)
5	What is an algorithm design techniques? (Dec 06)
6	Mention the most important problem types. (Dec 07,Apr 08)
7	Write down formula for Space and Time Complexity Calculation? (Dec 13)
8	List the properties of asymptotic notations. (June 06)
UNIT-I / PART-B	
1	Explain the fundamentals of algorithmic problem solving. (OR) Discuss briefly the sequence of steps in designing and analyzing an algorithm. (Dec 06)
2	Explain the various asymptotic notations of an algorithm in detail. (Dec 07)
3	a) Solve the recurrence equation of the Fibonacci Series. $T(n) = T(n-1) + T(n-2)$ subject to $T(0)=0, T(1) = 1$. (June 07,May 08) b) Write the general plan for analyzing time efficiency of non recursive algorithms and find the time complexity of element uniqueness problem. (Dec 07)
4	Design a recursive algorithm to find the number of moves in tower of Hanoi problem and find the time of complexity. (Dec 013)
UNIT-II / PART-A	
1	Define Knapsack problem.(Dec 14)
2	Define divide and conquer design technique. (May 13)
3	Define Binary Search. (Dec 07)
4	Define Strassen's matrix multiplication. (Dec 07)
5	What is Brute Force?
6	Define Exhaustive search.
7	What is median-of-three –partitioning method?
8	Define Convex-Hull Problem.
UNIT-II / PART-B	
1	Write an algorithm for merge sorting. Show the intermediate steps when the numbers 310, 285, 179, 652, 351, 423, 861, 254, 450, 520 are sorted using Merge Sort.(Dec 14)
2	Write an algorithm for binary search using divide and conquer and analyze the time complexity.(June 06,Dec 14)
3	Sort the following set of elements using quick sort. 12,24,8,71,4,23,6 (June 06)
4	Write Strassen's matrix multiplication algorithm. Is there any time efficiency improvement compared to ordinary matrix multiplication?

UNIT-III / PART-A

1	Define principle of optimality.(Dec 14)
2	Define Optimal Binary Search Tree (OBST). (June 06)
3	Define Memory function techniques. (Dec 06)
4	Define feasible solution. (Dec 13)
5	Define optimal solution. (June 07,Dec 13)
6	Define minimum spanning tree. (June 06,07)
7	Define Huffman code. (Dec 06)
8	Define binomial coefficient.

UNIT – III / PART-B

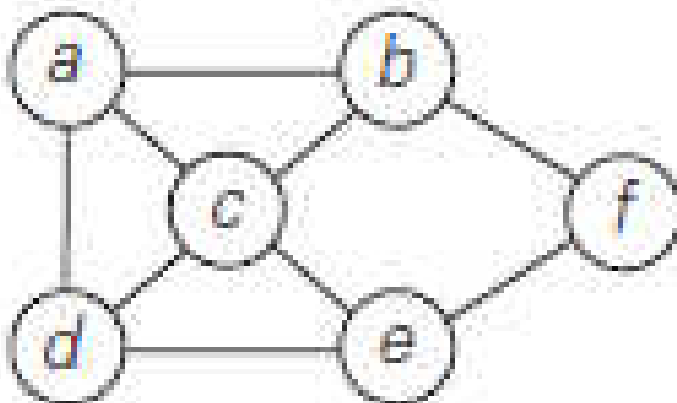
1	Explain an algorithm to find optimal binary search tree with example. <i>(Dec 07,14)</i>															
2	<div>Write an memory function algorithm to solve the following knapsack problem. <i>(Dec 07)</i></div> <table><tr><th>item</th><th>weight</th><th>value</th></tr><tr><td>1</td><td>2</td><td>\$12</td></tr><tr><td>2</td><td>1</td><td>\$10</td></tr><tr><td>3</td><td>3</td><td>\$20</td></tr><tr><td>4</td><td>2</td><td>\$15</td></tr></table> <div>Knapsack capacity W= 5</div>	item	weight	value	1	2	\$12	2	1	\$10	3	3	\$20	4	2	\$15
item	weight	value														
1	2	\$12														
2	1	\$10														
3	3	\$20														
4	2	\$15														
3	Explain the method for finding the minimum spanning tree for a connected graph using Prim’s algorithm and Kruskal’s algorithm with own example. <i>(Dec 06,07June 06,Dec 14)</i>															
4	<div>Consider the five character alphabet {A,B,C,D,_} with the following occurrence probabilities and construct huffman tree.</div> <table><tr><td>Character</td><td>A</td><td>B</td><td>C</td><td>D</td><td>_</td></tr><tr><td>Probability</td><td>0.35</td><td>0.1</td><td>0.2</td><td>0.15</td><td></td></tr></table>	Character	A	B	C	D	_	Probability	0.35	0.1	0.2	0.15				
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UNIT-IV / PART-A

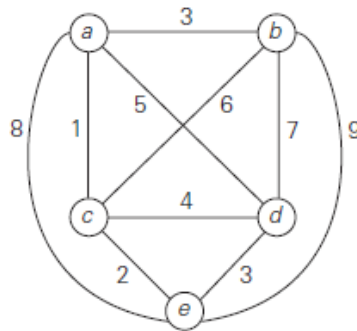
1	Define simplex method.
2	What is the need of maximum-flow problem?
3	Write the optimization function for maximum-flow problem.
4	Define Ford-Fulkerson method.
5	What is mean by bipartite graph? (or) Define 2-colorable in bipartite graph.
6	What is mean by stable marriage problem?
7	Prove that the stable marriage algorithm terminates after no more than n^2 iterations with a stable marriage output.
8	What do you mean by maximum weight matching?

UNIT-IV/PART-B

1	<p>Solve the following problem using simplex method:</p> $\text{maximize } Z = 3x + 5y$ $\text{subject to } x + y \leq 4$ $x + 3y \leq 6$
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	$x \geq 0, y \geq 0.$																
2	Explain the maximum flow problem with an example.																
3	Explain maximum matching problem in bipartite graphs.																
4	Solve the instance of the stable marriage problem given by the ranking matrix and find the stable and unstable matching. Ranking matrix <table><tr><td></td><td>Ann</td><td>Lea</td><td>Sue</td></tr><tr><td>Bob</td><td>2,3</td><td>1,2</td><td>3,3</td></tr><tr><td>Jim</td><td>3,1</td><td>1,3</td><td>2,1</td></tr><tr><td>Tom</td><td>3,2</td><td>2,1</td><td>1,2</td></tr></table>		Ann	Lea	Sue	Bob	2,3	1,2	3,3	Jim	3,1	1,3	2,1	Tom	3,2	2,1	1,2
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UNIT-V/PART-A																	
1	Define Non Polynomial (NP) problem with an example. (Dec 06)																
2	Mention the relation between P, NP, NP-Hard and NP Complete Problem																
3	Define backtracking. (June 06)																
4	Define state space tree. (Dec 06)																
5	Define Hamiltonian circuit.(June 06, Dec14)																
6	Define Deterministic algorithm and Non-Deterministic algorithm.																
7	Define cost of tour. (Dec 14)																
8	Define Live and Dead nodes. (Dec 14)																
UNIT-V / PART-B (ANY FOUR)																	
1	Explain n-queen's problem. Draw a portion of the state space tree and perform backtracking search for a solution to 4-queens problem. (June 06,Dec07,14)																
2	i)Write a pseudo code for backtracking algorithm and apply backtracking to solve the following instances of the subset sum problem: S= {1, 3, 4,5} d=11 and d=8. (Dec 06) ii) Explain Hamiltonian circuit in a graph. Use backtracking to get a Hamiltonian circuit of following the graph.(Dec 07) 																

3 Solve the following instance of the travelling salesman problem by branch and bound method and explain in detail. (Dec 07)



4 Apply the branch and bound algorithm to solve the following knapsack problem and explain in detail. (Dec 06)

Item	Weight	value
1	2	1
2	3	2
3	4	5

The knapsack capacity W is 6.

5 Solve the following assignment problem using branch and bound technique. Explain in detail how branch and bound technique is useful for solving assignment problems.

$$C = \begin{matrix} & \begin{matrix} \text{job 1} & \text{job 2} & \text{job 3} & \text{job 4} \end{matrix} \\ \begin{bmatrix} 9 & 2 & 7 & 8 \\ 6 & 4 & 3 & 7 \\ 5 & 8 & 1 & 8 \\ 7 & 6 & 9 & 4 \end{bmatrix} & \begin{matrix} \text{person } a \\ \text{person } b \\ \text{person } c \\ \text{person } d \end{matrix} \end{matrix}$$