

**St. Joseph's College Of Engineering**  
**CS6304 ANALOG AND DIGITAL COMMUNICATION**  
**Assignment -IV**  
**UNIT IV: SOURCE AND ERROR CONTROL CODING**

**PART-A**

1. Define Entropy or Average Information and state its properties
2. State the Channel capacity theorem.
3. Define Mutual Information and state its properties.
4. State Source coding theorem[Shannon's I theorem] and channel coding[Shannon's II]theorem.
5. What are the different types of error control codings and define each of them.
6. Define Hamming distance and Hamming Weight.
7. Differentiate between Block codes and Convolution codes.
8. Define Syndrome and state its properties.

**PART – B**

1. A discrete memoryless source has 8 symbols with probability of occurrence as shown below.  $m_1=1/2$  ;  $m_2=1/8$  ;  $m_3=1/8$  ;  $m_4=1/16$  ;  $m_5=1/16$  ;  $m_6=1/16$  ;  $m_7=1/32$  ;  $m_8=1/32$ . State the Shannon fano coding algorithm and construct the Shannon fano codes for the above symbols. Calculate the efficiency.
2. A discrete memoryless source has 5 symbols  $x_1, x_2, x_3, x_4$  and  $x_5$  with probabilities 0.4, 0.19, 0.16, 0.15 and 0.15 respectively attached to every symbol.
  - (i) State the Huffman coding algorithm.
  - (ii) Implement the Huffman coding algorithm and calculate the code words for the message.
  - (iii) Also find the average code word length and efficiency.
  - (iv) Compare its efficiency with Shannon fano coding.
3. The Parity check matrix of (7,4) linear block code is given by

$$H = \begin{bmatrix} 1110 & 100 \\ 1101 & 010 \\ 1011 & 001 \end{bmatrix}$$

- (i) Find the generator matrix.
  - (ii) List all code vectors.
  - (iii) Find  $d_{\min}$
  - (iv) How many errors can be detected and corrected.
4. Consider the generation of a (7,4) cyclic codes by the generator polynomial  $g(x)=1+x+x^3$ .
  - (i) Calculate the code word for the message sequence (1001) and construct systematic generator matrix 'G'.
  - (ii) Draw the diagram of encoder and syndrome calculator generated by the polynomial.