```
Problem 1: HCL (7 points)
```

```
1. bool or = !(!a && !b);
```

\*Or other solutions satisfied the truth table.

## Problem 2: Y86 (10 points)

```
1. [1] irmovl Stack, %ebp [2] 30f154000000
[3] 2676 [4] 0x040
[5] jne Loop [6] 0x054
[7] efbe0000 [8].pos 0x140
```

2. %eax = 0x0000beff (Sum of absolute value of four values)

## Problem 3 : Processor (18 points)

1.

Field	ssjxx		
Fetch	$icode:ifun \leftarrow M_1[PC]$		
	$rA:rB \leftarrow M_1[PC + 1]$		
	$valC \leftarrow M_4[PC + 2]$		
	valP ← PC + 6		
Decode	valA ← R[rA]		
Execute			
	<pre>Cnd ← Cond(CC, ifun)</pre>		
Memory			
Write Back			
PC update	PC ← Cnd? valA : valC		

- 2. [1] E\_icode == ISSJXX && e\_Cnd
  [2] -- [3] Bubble [4] Bubble
- 3. The origin design is better. The new design cannot take advantage of branch prediction. Because both address need to be read at DECODE period, it still need stall one cycle even though prediction is correct.

Problem 4: Cache (32 points)

- 2 64 bytes
- 3 [1] 0 [2] Miss [3] --
  - [4] 6 [5] Miss [6] --
  - [7] 1 [8] Hit [9] 0x22
  - [10] 0 [11] Miss [12] --
  - [13] 0.6
- 4 1) 3 \* 4 \* 16 = 192
  - 2) (28 + 28 + 1) / 192 = 19/64
  - 3) Both C1 and C2 can reduce the miss rate, the miss rate is 11/64.

Problem 5: Memory Allocation (16 points)

1.

16/1			16/1	8/0	8/0	24/1		
	24/1	16/1			16/1	16/1		16/1
16/1			16/1	24/0				24/0

Internal: 41bytes

2.

16/1			16/1	8/0	8/0	16/1		16/1
8/0	8/0	16/1			16/1	16/1		16/1
16/0			16/0	24/1				24/1

Internal: 41bytes

3. Let's count the read needed for each operation:

First-fit: 1+6+2+4+2+0=15

Best-fit:6+6+2+5+2+6=27

We can find that first-fit needs fewer reads to allocate the memory. Therefore, first-fit enjoys better performance.

```
1 int tmp1 = 0, tmp2 = 0, i;
  // reduce loop overhead
  int len = get_length(ra);
  // reduce function call
  state result *sa = ra->data;
  for (i = 0; i < len - 1; i += 2) {
    // two way loop unrolling + reassociation
    tmp1 = tmp1 + (sa[i].trump + sa[i].clinton);
    // two way loop unrolling + two accumulators
    tmp2 = tmp2 + (sa[i+1].trump + sa[i+1].clinton);
  }
  for (; i < len; i++)
    tmp1 += sa[i].trump + sa[i].clinton;
  // reduce memory access
  *total = tmp1 + tmp2;
2 int res = states[i].trump > states[i].clinton;
   int winner = (res > 0) ? 0 : 1;
   int high = (res > 0) ? states[i].trump : states[i].clinton;
   int low = (res > 0) ? states[i].clinton : states[i].trump;
   states[i].winner = winner;
   states[i].gap = high - low;
3 // optimized code
   int total trump(state result *r, int len) {
    if (len <= 0) return 0;
    return r[0].trump + r[1].trump + total trump(r + 2, len - 2);
   }
   // invocation example
   extern int length;
   extern state result *array;
   int res;
   if (length % 2 == 0)
    res = total trump(array, length);
   else
    res = total trump(array + 1, length - 1);
```

Problem 6: Optimization (17 points)