

9) c) By calculating the value from information in the summary output of this model and of the full model, we get the Mallows' C_p value for this model is 3.307704, which is close to 3.317091, which is the result we obtained in question 9 part b).

c)

```
remodel1 <- lm(log(COMP) ~ AGE+EDUCATN+TENURE+EXPER+log(SALES)+log(VAL)+  
               log(PCNTOWN)+log(PROF))  
summary(remodel1)
```

Call:

```
lm(formula = log(COMP) ~ AGE + EDUCATN + TENURE + EXPER + log(SALES) +  
    log(VAL) + log(PCNTOWN) + log(PROF))
```

Residuals:

Min	1Q	Median	3Q	Max
-0.98941	-0.32022	-0.03119	0.23559	1.62794

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	5.564294	0.959018	5.802	4.44e-07 ***
AGE	0.006135	0.013041	0.470	0.640069
EDUCATN	-0.182187	0.147776	-1.233	0.223394
TENURE	0.001336	0.007346	0.182	0.856431
EXPER	-0.001964	0.010979	-0.179	0.858734
log(SALES)	0.090987	0.088255	1.031	0.307526
log(VAL)	0.442754	0.116585	3.798	0.000397 ***
log(PCNTOWN)	-0.388935	0.123770	-3.142	0.002816 **
log(PROF)	-0.164972	0.109882	-1.501	0.139552

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 0.4897 on 50 degrees of freedom

Multiple R-squared: 0.5056, Adjusted R-squared: 0.4265

F-statistic: 6.392 on 8 and 50 DF, p-value: 1.067e-05

```
cmodel <- lm(log(COMP)~EDUCATN+log(SALES)+log(VAL)+log(PCNTOWN)+log(PROF))  
summary(cmodel)
```

```
Call:
lm(formula = log(COMP) ~ EDUCATN + log(SALES) + log(VAL) + log(PCNTOWN) +
    log(PROF))
```

Residuals:

	Min	1Q	Median	3Q	Max
	-0.99238	-0.32920	0.00299	0.21677	1.61486

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	5.93170	0.57511	10.314	2.82e-14 ***
EDUCATN	-0.22244	0.12418	-1.791	0.078950 .
log(SALES)	0.09645	0.08377	1.151	0.254764
log(VAL)	0.44604	0.11281	3.954	0.000229 ***
log(PCNTOWN)	-0.39766	0.11813	-3.366	0.001424 **
log(PROF)	-0.16467	0.10223	-1.611	0.113179

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 0.4771 on 53 degrees of freedom
 Multiple R-squared: 0.5025, Adjusted R-squared: 0.4555
 F-statistic: 10.71 on 5 and 53 DF, p-value: 3.815e-07

```
MSres <- 0.4897^2
```

```
SSres <- 0.4771^2*(59-6)
```

```
calculatecp <- SSres/MSres + 2*6-59
```

```
calculatecp
```

d) They did not arrive at the same model. To be specific, from part a), we obtain the model $\log(\text{COMP}) \sim \text{EDUCATN} + \log(\text{VAL}) + \log(\text{PCNTOWN})$, whose response variable is the log transformation of CEO compensation in thousands of dollars and explanatory variables include the CEO's education level, the log transformation of market value of the CEO's stock, and the log transformation of Percentage of firm's market value owned by the CEO. On the contrary, from part b), we obtain the model $\log(\text{COMP}) \sim \text{EDUCATN} + \log(\text{SALES}) + \log(\text{VAL}) + \log(\text{PCNTOWN}) + \log(\text{PROF})$, whose response variable is the log transformation of CEO compensation in thousands of dollars and explanatory variables include the CEO's education level, the log transformation of sales revenue in millions of dollars, the log transformation of market value of the CEO's stock, the log transformation of Percentage of firm's market value owned by the CEO, and the log transformation of profits of the firm before taxes in millions of dollars.

e) The null hypothesis is the model obtained in b) is preferred to the full model. The alternative hypothesis is the model obtained in b) is not preferred to the full model. Because p-value is 0.8913, which is larger than 0.05, we do not reject null hypothesis and so the model obtained in b) is preferred to the full model.

```
# e)
```

```
anova(cmodel,refmagain)
```

Analysis of Variance Table

Model 1: $\log(\text{COMP}) \sim \text{EDUCATN} + \log(\text{SALES}) + \log(\text{VAL}) + \log(\text{PCNTOWN}) + \log(\text{PROF})$

Model 2: $\log(\text{COMP}) \sim \text{AGE} + \text{EDUCATN} + \text{bg} + \text{TENURE} + \text{EXPER} + \log(\text{SALES}) + \log(\text{VAL}) + \log(\text{PCNTOWN}) + \log(\text{PROF})$

	Res.Df	RSS	Df	Sum of Sq	F	Pr(>F)
1	53	12.066				
2	46	11.358	7	0.70827	0.4098	0.8913

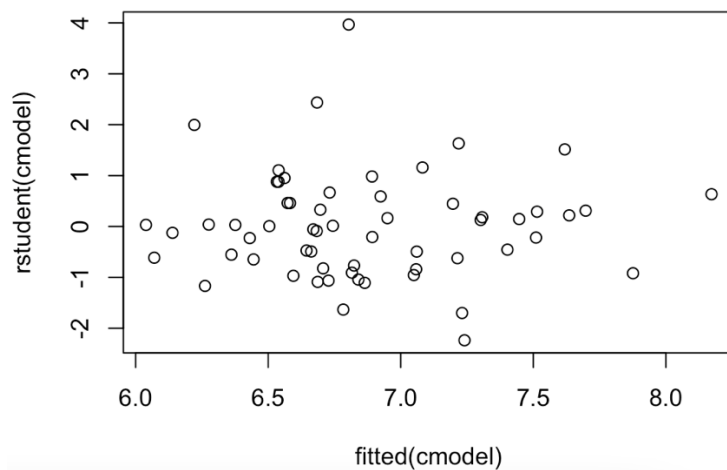
f) By observing the residuals vs the fitted values plot, we find that there is no observable pattern and the variance of the errors seems constant.

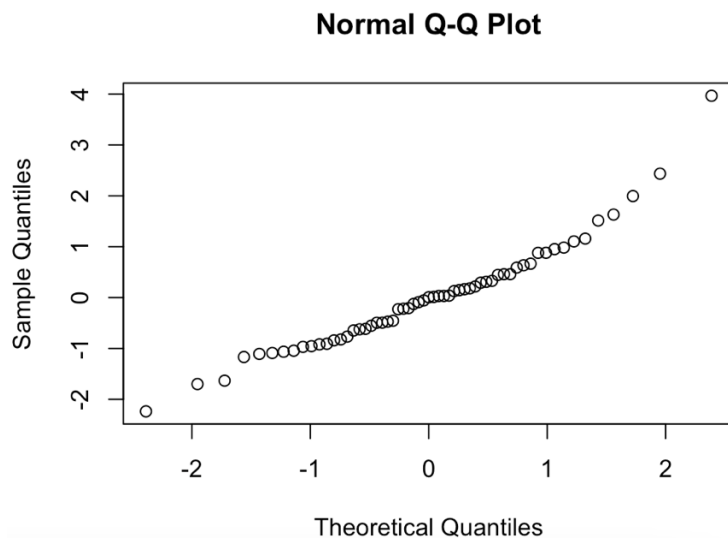
When observing the QQ plot, we find that there seems exist linear relationship and so it satisfies the assumption of Normality of the Errors.

f)

```
plot(fitted(cmodel), rstudent(cmodel))
```

```
qqnorm(rstudent(cmodel))
```





g) The prediction interval from R code is (204412.1, 1685750). The predicted compensation for this CEO is more precise since the difference between the upper bound and lower bound of this prediction interval is 1481338, which is smaller than $2390641 - 0 = 2390641$, which is what we obtained from Assignment #2, 2f). This is because we remove insignificant explanatory variables when constructing the preferred model. Also, we take log transformation for several explanatory variables, which helps us improve the preciseness of our model.

```
# g)
newdata <- data.frame(AGE=65,EDUCATN=1,bg="2",TENURE=22,EXPER=8,SALES=3250,
                      VAL=8.2,PCNTOWN=2,PROF=112)

predict(cmodel,newdata,interval='prediction',level=.95)
lwb <- exp(5.320138)
upb <- exp(7.429966)
lwb
upb

> # g)
> newdata <- data.frame(AGE=65,EDUCATN=1,bg="2",TENURE=22,EXPER=8,SALES=3250,
+                       VAL=8.2,PCNTOWN=2,PROF=112)
> predict(cmodel,newdata,interval='prediction',level=.95)
      fit      lwr      upr
1 6.375052 5.320138 7.429966
> lwb <- exp(5.320138)
> upb <- exp(7.429966)
> lwb
[1] 204.4121
> upb
[1] 1685.75
```