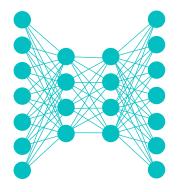
### Lecture Notes for

# Neural Networks and Machine Learning



Vision Transformers
Self-supervised Learning
Consistency Loss





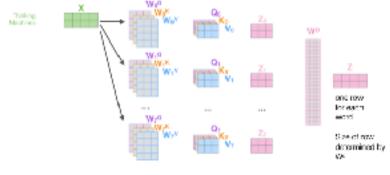
#### **Logistics and Agenda**

- Logistics
  - None!
- Agenda
  - Vision Transformers
  - Self Supervised Learning and Consistency Loss
- Next Time:
  - Paper Presentation: Language Models are Few Shot Learners
  - Multi-modal Learning
    - Techniques
    - Applications and domains
  - Multi-Task and Demo

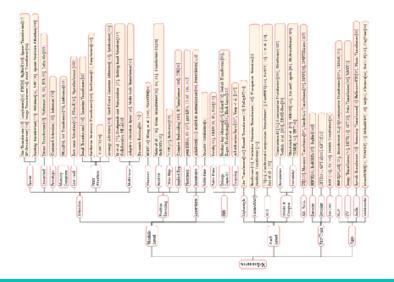


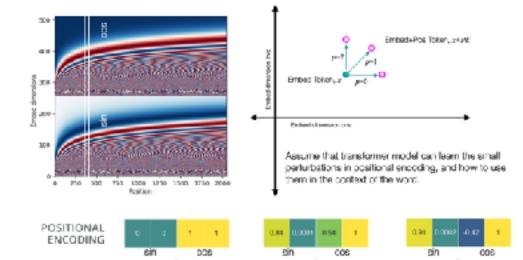
#### **Last Time: Transformers**

### Transformer: Multi-headed Attention

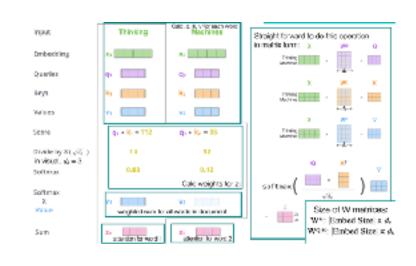








 $p=2, i \rightarrow$ 



EMBEDDINGS

 $p=1, i \rightarrow$ 



 $p=3, i \rightarrow$ 

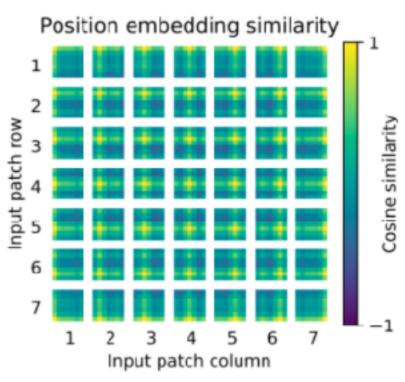
### Vision Transformers





#### Vision Transformers

- Divide image into patches
  - Treat each patch as something to encode separately
  - Flatten each patch
  - Put through dense layer
- Add positional encoding based on position of patch
  - for 7x7 patch, there are 49 positions
- Put into transformer. Same as text transformers ...
- But you need a lot of data
  - 14M or more images seems to be sweet spot



#### **Vision Transformers Video**





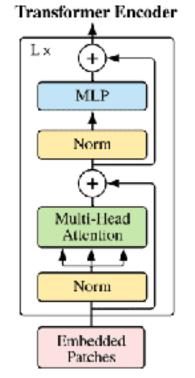
#### ViT Architectures

- D is size of patch embedding
- Uses skip connections (all size D)

- $\mathbf{z}_0 = [\mathbf{x}_{\text{class}}; \, \mathbf{x}_p^1 \mathbf{E}; \, \mathbf{x}_p^2 \mathbf{E}; \cdots; \, \mathbf{x}_p^N \mathbf{E}] + \mathbf{E}_{\text{pos}},$  $\mathbf{z}'_{\ell} = MSA(LN(\mathbf{z}_{\ell-1})) + \mathbf{z}_{\ell-1},$  $\mathbf{z}_{\ell} = \text{MLP}(\text{LN}(\mathbf{z}'_{\ell})) + \mathbf{z}'_{\ell},$  $\mathbf{y} = \mathrm{LN}(\mathbf{z}_L^0)$
- Multi-headed self attention (MSA) takes D input patch\_embed + pos\_embed
- Main difference in architectures
  - L blocks used (i.e., "layers")
  - H heads in each layer (i.e., "heads")
  - MLP head is final classifier

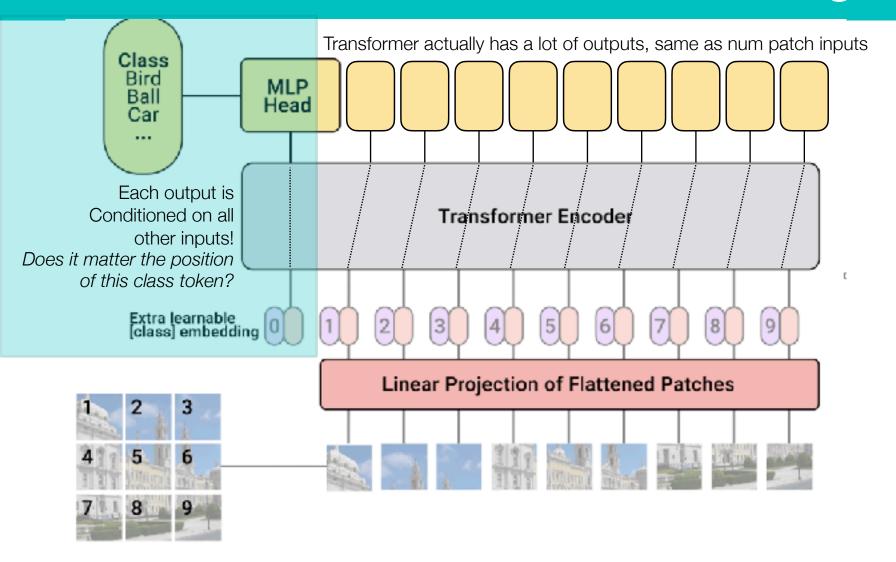
Model	Layers	Hidden size $D$	MLP size	Heads	Params
ViT-Base	12	768	3072	12	86M
ViT-Large	24	1024	4096	16	307M
ViT-Huge	32	1280	5120	16	632M

ResNet50: 23M



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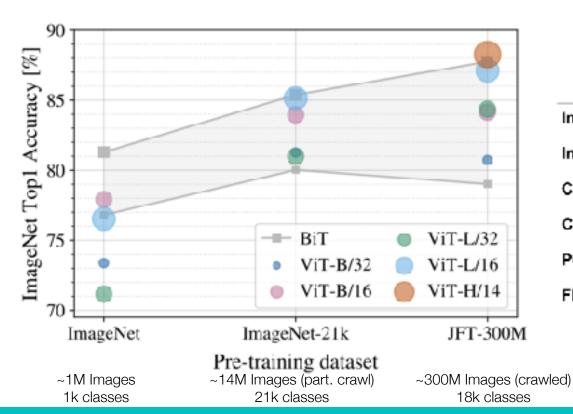
#### What is the learnable class embedding?





#### Do they work?

- Yes, but good luck getting weights for them or training them, even with the SuperPOD
- Less than 14M images for pre-training? Use ResNet.

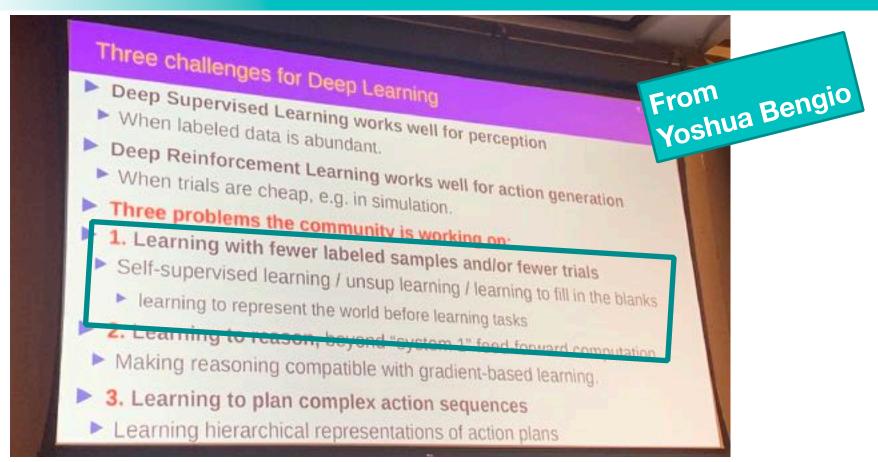


#### Transfer Learning From Huge ViT

	VIT-H	Previous SOTA
ImageNet	88.55	88.5
lmageNet-ReaL	90.72	90.55
Cifar-10	99.50	99.37
Cifar-100	94.55	93.51
Pets	97.56	96.62
Flowers	99.68	99.63
	ı	

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### Self-Supervised Learning



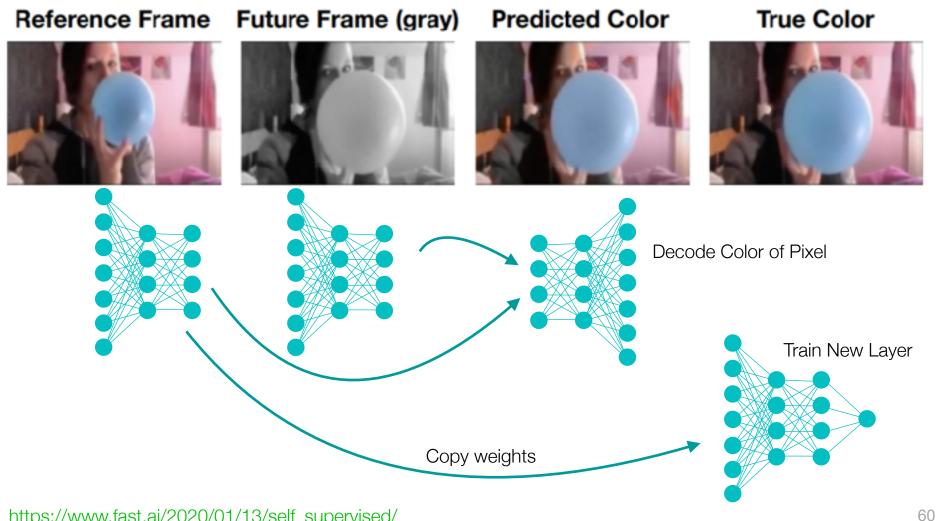


#### Self-supervised Learning

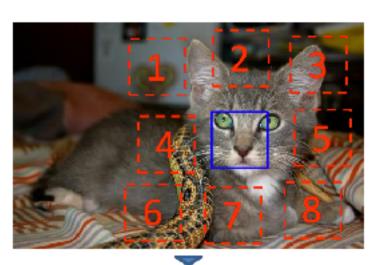
- Problem: deep learning is not sample efficient
- Idea: learn about the world before learning the task
- New Problem: how do we learn about the world?
- Solution: transfer learning on toy problem
  - 1. train on auxiliary task that is easy to label
  - 2. throw away anything specific to auxiliary task
  - 3. train new network with task of interest, transferring knowledge (downstream task)
  - 4. profit



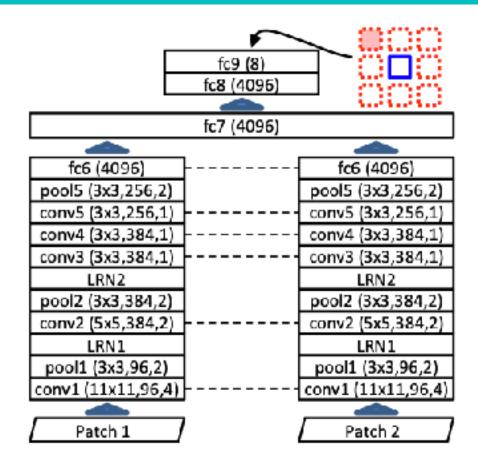
#### **Examples of Self Supervised Learning**



#### **Examples of Self Supervised Learning**



$$X = (W, W); Y = 3$$



#### Unsupervised Visual Representation Learning by Context Prediction

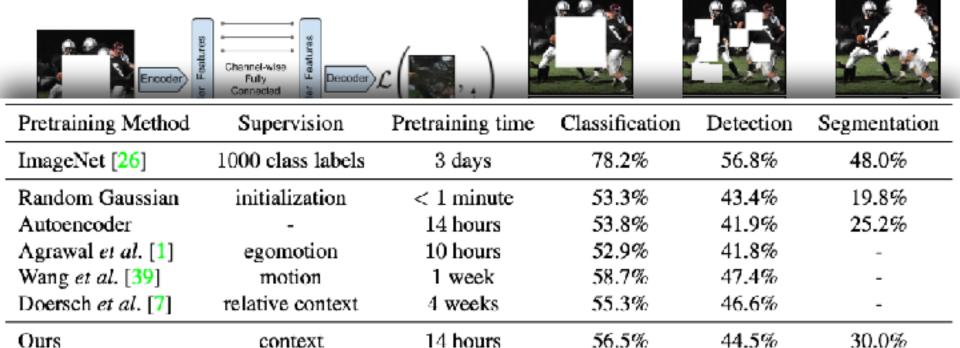
Carl Doersch<sup>1,2</sup> Abhinav Gupta<sup>1</sup> Alexei A. Efros<sup>2</sup>

<sup>&</sup>lt;sup>2</sup> Dept. of Electrical Engiseering and Computer Science University of California, Berkeley



<sup>&</sup>lt;sup>1</sup> School of Computer Science Carnegie Mellon University

#### **Examples of Self Supervised Learning**













Doesn't always work to increase performance...

Context Encoders: Feature Learning by Inpainting

Deepak Pathak

Philipp Krähenbühl Univers

henbühl Jeff Donahue Tre University of California, Berkeley

Trevor Darrell

Alexei A. Efros 62

# Consistency Loss

I'm from Canada, but live in the States now.

It took me a while to get used to writing boolean variables with an "Is" prefix, instead of the "Eh" suffix that Canadians use when programming.

For example:

MyObj.IsVisible

MyObj.VisibleEh



#### **Unsupervised Consistency Loss**

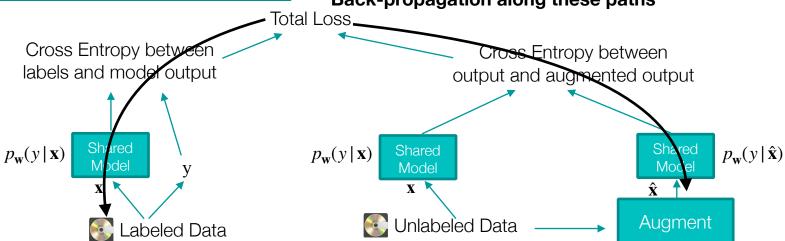
$$\min_{\mathbf{w}} \underbrace{\mathbf{E}_{\mathbf{x},y \in L}[-\log p_{\mathbf{w}}(y \,|\, \mathbf{x})]}_{\mathbf{w}} + \lambda \underbrace{\mathbf{\mathcal{D}}_{\mathit{KL}}\left(p_{\mathbf{w}}(y \,|\, \mathbf{x}) \,|\, |p_{\mathbf{w}}(y \,|\, \hat{\mathbf{x}})\right)}_{\mathsf{no} \; \mathsf{back} \; \mathsf{prop}}$$

Neural Network approximates  $p(y|\mathbf{x})$  by  $\mathbf{w}$  Use labeled data to minimize network

Sample new  $\mathbf{x}$  from unlabeled pool with function q function q is augmentation procedure Minimize cross entropy of two models

### Get accustomed to this notation

Update Model with Back-propagation along these paths



Unsupervised Data Augmentation (UDA) for Consistency Training, Xie et al., Neurlps 2019



#### **Unsupervised Consistency Loss**

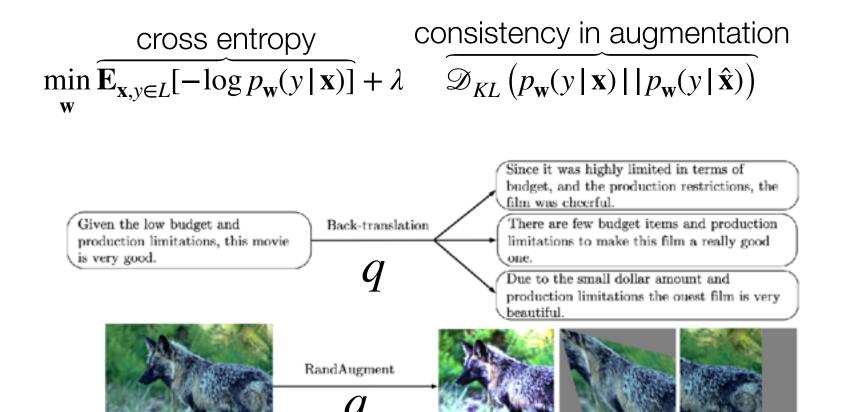


Figure 2: Augmented examples using back-translation and RandAugment.



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#### **Unsupervised Consistency Loss (review)**

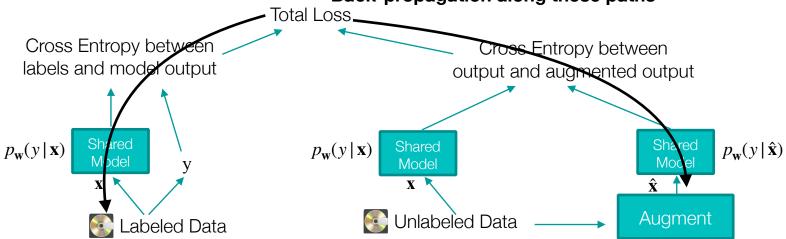
$$\min_{\mathbf{w}} \underbrace{\mathbf{E}_{\mathbf{x},y \in L}[-\log p_{\mathbf{w}}(y \,|\, \mathbf{x})]}_{\mathbf{w}} + \lambda \underbrace{\mathbf{E}_{\mathbf{x},y \in L}[-\log p_{\mathbf{w}}(y \,|\, \mathbf{x})]}_{\mathbf{no} \text{ back prop}} + \lambda \underbrace{\mathbf{E}_{\mathbf{x},y \in L}[-\log p_{\mathbf{w}}(y \,|\, \mathbf{x})]}_{\mathbf{no} \text{ back prop}} + \lambda \underbrace{\mathbf{E}_{\mathbf{x},y \in L}[-\log p_{\mathbf{w}}(y \,|\, \mathbf{x})]}_{\mathbf{no} \text{ back prop}} + \lambda \underbrace{\mathbf{E}_{\mathbf{x},y \in L}[-\log p_{\mathbf{w}}(y \,|\, \mathbf{x})]}_{\mathbf{no} \text{ back prop}} + \lambda \underbrace{\mathbf{E}_{\mathbf{x},y \in L}[-\log p_{\mathbf{w}}(y \,|\, \mathbf{x})]}_{\mathbf{no} \text{ back prop}} + \lambda \underbrace{\mathbf{E}_{\mathbf{x},y \in L}[-\log p_{\mathbf{w}}(y \,|\, \mathbf{x})]}_{\mathbf{no} \text{ back prop}} + \lambda \underbrace{\mathbf{E}_{\mathbf{x},y \in L}[-\log p_{\mathbf{w}}(y \,|\, \mathbf{x})]}_{\mathbf{no} \text{ back prop}} + \lambda \underbrace{\mathbf{E}_{\mathbf{x},y \in L}[-\log p_{\mathbf{w}}(y \,|\, \mathbf{x})]}_{\mathbf{no} \text{ back prop}} + \lambda \underbrace{\mathbf{E}_{\mathbf{x},y \in L}[-\log p_{\mathbf{w}}(y \,|\, \mathbf{x})]}_{\mathbf{no} \text{ back prop}} + \lambda \underbrace{\mathbf{E}_{\mathbf{x},y \in L}[-\log p_{\mathbf{w}}(y \,|\, \mathbf{x})]}_{\mathbf{no} \text{ back prop}} + \lambda \underbrace{\mathbf{E}_{\mathbf{x},y \in L}[-\log p_{\mathbf{w}}(y \,|\, \mathbf{x})]}_{\mathbf{no} \text{ back prop}} + \lambda \underbrace{\mathbf{E}_{\mathbf{x},y \in L}[-\log p_{\mathbf{w}}(y \,|\, \mathbf{x})]}_{\mathbf{no} \text{ back prop}} + \lambda \underbrace{\mathbf{E}_{\mathbf{x},y \in L}[-\log p_{\mathbf{w}}(y \,|\, \mathbf{x})]}_{\mathbf{no} \text{ back prop}} + \lambda \underbrace{\mathbf{E}_{\mathbf{x},y \in L}[-\log p_{\mathbf{w}}(y \,|\, \mathbf{x})]}_{\mathbf{no} \text{ back prop}} + \lambda \underbrace{\mathbf{E}_{\mathbf{x},y \in L}[-\log p_{\mathbf{w}}(y \,|\, \mathbf{x})]}_{\mathbf{no} \text{ back prop}} + \lambda \underbrace{\mathbf{E}_{\mathbf{x},y \in L}[-\log p_{\mathbf{w}}(y \,|\, \mathbf{x})]}_{\mathbf{no} \text{ back prop}} + \lambda \underbrace{\mathbf{E}_{\mathbf{x},y \in L}[-\log p_{\mathbf{w}}(y \,|\, \mathbf{x})]}_{\mathbf{no} \text{ back prop}} + \lambda \underbrace{\mathbf{E}_{\mathbf{x},y \in L}[-\log p_{\mathbf{w}}(y \,|\, \mathbf{x})]}_{\mathbf{no} \text{ back prop}} + \lambda \underbrace{\mathbf{E}_{\mathbf{x},y \in L}[-\log p_{\mathbf{w}}(y \,|\, \mathbf{x})]}_{\mathbf{no} \text{ back prop}} + \lambda \underbrace{\mathbf{E}_{\mathbf{x},y \in L}[-\log p_{\mathbf{w}}(y \,|\, \mathbf{x})]}_{\mathbf{no} \text{ back prop}} + \lambda \underbrace{\mathbf{E}_{\mathbf{x},y \in L}[-\log p_{\mathbf{w}}(y \,|\, \mathbf{x})]}_{\mathbf{no} \text{ back prop}} + \lambda \underbrace{\mathbf{E}_{\mathbf{x},y \in L}[-\log p_{\mathbf{w}}(y \,|\, \mathbf{x})]}_{\mathbf{no} \text{ back prop}} + \lambda \underbrace{\mathbf{E}_{\mathbf{x},y \in L}[-\log p_{\mathbf{w}}(y \,|\, \mathbf{x})]}_{\mathbf{no} \text{ back prop}} + \lambda \underbrace{\mathbf{E}_{\mathbf{x},y \in L}[-\log p_{\mathbf{w}}(y \,|\, \mathbf{x})]}_{\mathbf{no} \text{ back prop}} + \lambda \underbrace{\mathbf{E}_{\mathbf{x},y \in L}[-\log p_{\mathbf{w}}(y \,|\, \mathbf{x})]}_{\mathbf{no} \text{ back prop}} + \lambda \underbrace{\mathbf{E}_{\mathbf{x},y \in L}[-\log p_{\mathbf{w}}(y \,|\, \mathbf{x})]}_{\mathbf{no} \text{ back prop}} + \lambda \underbrace{\mathbf{E}_{\mathbf{x},y \in L}[-\log p_{\mathbf{w}}(y \,|\, \mathbf{x})]}_{\mathbf{no} \text{ back prop}} + \lambda \underbrace{\mathbf{E}_{\mathbf{x},y \in L}[-\log p_{\mathbf{w}}(y$$

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Unsupervised Data Augmentation (UDA) for Consistency Training, Xie et al., Neurlps 2019



$$\min \underbrace{\overline{\mathbf{E}_{\mathbf{x},y \in L}[-\log p_{\mathbf{w}}(y \,|\, \mathbf{x})]}}_{\text{Cross entropy}} + \lambda \underbrace{\qquad \qquad \qquad }_{KL} \left( p_{\mathbf{w}}(y \,|\, \mathbf{x}) \,|\, |p_{\mathbf{w}}(y \,|\, \hat{\mathbf{x}}) \right)}$$

$$E[g] = \sum p(g) \cdot g$$
 definition of expected value

$$E[-\log p_{\mathbf{w}}(y\,|\,\mathbf{x})] = -\sum p(y) \cdot \log p_{\mathbf{w}}(y\,|\,\mathbf{x})$$
 insert -log probability, log likelihood

$$NLL(y, p_{\mathbf{w}}(y \mid \mathbf{x})) = -\sum_{c} p(y = c) \cdot \log p_{\mathbf{w}}(y = c \mid \mathbf{x})$$
 negative log likelihood

$$CE(f,g) = -\sum f(x) \cdot \log g(x)$$
 cross entropy of two functions

$$CE(y, p_{\mathbf{w}}(y \mid \mathbf{x})) = -\sum_{c} (y = c) \cdot \log p_{\mathbf{w}}(y = c \mid \mathbf{x})$$
 if  $y = c$  is a probability, these are same equation

cce = tf.keras.losses.CategoricalCrossentropy()
cce(y\_true, y\_pred)

