

Counting Sort 1

Comparison Sorting

Quicksort usually has a running time of $n \times \log(n)$, but is there an algorithm that can sort even faster? In general, this is not possible. Most sorting algorithms are *comparison sorts*, i.e. they sort a list just by comparing the elements to one another. A comparison sort algorithm cannot beat $n \times \log(n)$ (worst-case) running time, since $n \times \log(n)$ represents the minimum number of comparisons needed to know where to place each element. For more details, you can see [these notes](#) (PDF).

Alternative Sorting

Another sorting method, the *counting sort*, does not require comparison. Instead, you create an integer array whose index range covers the entire range of values in your array to sort. Each time a value occurs in the original array, you increment the counter at that index. At the end, run through your counting array, printing the value of each non-zero valued index that number of times.

Example

arr = [1, 1, 3, 2, 1]

All of the values are in the range [0 . . . 3], so create an array of zeros, **result** = [0, 0, 0, 0]. The results of each iteration follow:

i	arr[i]	result
0	1	[0, 1, 0, 0]
1	1	[0, 2, 0, 0]
2	3	[0, 2, 0, 1]
3	2	[0, 2, 1, 1]
4	1	[0, 3, 1, 1]

The frequency array is [0, 3, 1, 1]. These values can be used to create the sorted array as well: **sorted** = [1, 1, 1, 2, 3].

Note

For this exercise, always return a frequency array with 100 elements. The example above shows only the first 4 elements, the remainder being zeros.

Challenge

Given a list of integers, count and return the number of times each value appears as an array of integers.

Function Description

Complete the *countingSort* function in the editor below.

countingSort has the following parameter(s):

- **arr[n]**: an array of integers

Returns

- **int[100]**: a frequency array

Input Format

The first line contains an integer n , the number of items in arr .
Each of the next n lines contains an integer $arr[i]$ where $0 \leq i < n$.

Constraints

$$100 \leq n \leq 10^6$$
$$0 \leq arr[i] < 100$$

Sample Input

```
100
63 25 73 1 98 73 56 84 86 57 16 83 8 25 81 56 9 53 98 67 99 12 83 89 80 91 39 86 76 85 74 39 25 90 59 10 94
32 44 3 89 30 27 79 46 96 27 32 18 21 92 69 81 40 40 34 68 78 24 87 42 69 23 41 78 22 6 90 99 89 50 30 20 1
43 3 70 95 33 46 44 9 69 48 33 60 65 16 82 67 61 32 21 79 75 75 13 87 70 33
```

Sample Output

```
0 2 0 2 0 0 1 0 1 2 1 0 1 1 0 0 2 0 1 0 1 2 1 1 1 3 0 2 0 0 2 0 3 3 1 0 0 0 0 2 2 1 1 1 2 0 2 0 1 0 1 0 0 1 0
0 2 1 0 1 1 1 0 1 0 1 0 2 1 3 2 0 0 2 1 2 1 0 2 2 1 2 1 2 1 1 2 2 0 3 2 1 1 0 1 1 1 0 2 2
```

Explanation

Each of the resulting values $result[i]$ represents the number of times i appeared in arr .