#### Task 1:

a Let KI=80, K2=20, K=KI+K2=100

b. Let K3=20, K4=15, KS=60, K6=5

$$\therefore \text{ Gain}_{A} = H(A) - \frac{5}{i} \frac{K_{i}}{K} \cdot H(A_{i}) = H(A) - \left[ \frac{K_{3} + K_{4}}{K} \cdot H(\frac{K_{5}}{K_{5} + K_{4}}, \frac{K_{4}}{K_{5} + K_{4}}) + \frac{K_{5} + K_{5}}{K} \cdot H(\frac{K_{5}}{K_{5} + K_{5}}, \frac{K_{6}}{K_{5} + K_{5}}) \right]$$

$$= 0.7 \times 19 - \left[ \frac{25}{100} \cdot H(\frac{20}{35}, \frac{15}{35}) + \frac{65}{100} \cdot H(\frac{60}{35}, \frac{5}{35}) \right]$$

= 0.749-[0.35-0.9832+0.65-0.3912]

= 0.1228

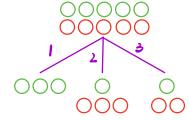
C. Node E is a duplicate nocle. And people in node E they all those will not eat. Came =  $H(E) - \sum_{i} \frac{K_i}{K} H(E_i) = 0 - [0 + 0] = 0$ 

 $d. A \rightarrow C \rightarrow F.$ 

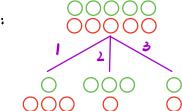
The fest case will end up in Node F and output: will wait.

### Task 2:

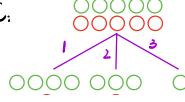
A:



B:



(.



·= |-[0+#6-4194-4194)+86(-3195-3193)]

= [-[=:(0.5+0.71(2)+=:(0.5283+0.3900)]

Caing = H(B) - 5 KiH(Bi)

= |-[= (0.5+0.3112)+= (0.5+0.3112)+= 1]

= 1-0.649 = 0.15104

Cainc = 
$$H(c) - \frac{K_i}{K}H(c_i)$$
  
=  $1 - \left[\frac{1}{2}(-\frac{1}{2}\log^{\frac{1}{2}} - \frac{1}{2}\log^{\frac{1}{2}}) + \frac{1}{2} \cdot 0.8112 + 0\right]$   
=  $1 - \left[\frac{1}{2} \cdot 0.7219 + \frac{1}{2} \cdot 0.8112\right] = 0.3148$ 

.. Attribute A acheives the highest information gain at the not

#### Task 3:

 $\bigcirc$ 

0

a. Lowest entropy value: 0, when all examples are from same class. (A: (000, B, 0, C:0, D:0, H= -1·log\_21-0-0-0=0) Highest entropy value when 4 classes have equal number (A:250, B:250, C:250, D:250) where  $H=-\pm \log \pm \cdot \pm = -\log \pm = 2$ 

b. Base on the answer of part a:  $Gain_{low} = 0 - 0 - 0 - 0 - 0 = 0$   $Gan_{high} = 2 - [ 7.4.0] = 2$ 

P(A2|B)= /J26-833 - exp (- X-13-33 / 16.46)

## Task 4:

Yes, reverse operation then we can obtain a 72% accuracy classifier. Task 5:

1. calculate means and variances:

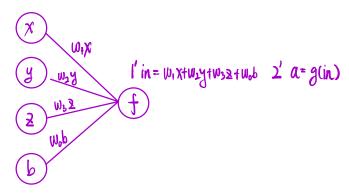
$$\frac{15+25}{2} = 20 \quad S_{A_1}^2 = \frac{1}{2-1} \left[ (15-20)^{\frac{1}{2}} (25-20)^{\frac{1}{2}} = 50 \right]$$

$$\frac{1}{2} = \frac{1}{2} \left[ (15-20)^{\frac{1}{2}} (25-20)^{\frac{1}{2}} (25-20)^{\frac{1}{2}} = 50 \right]$$

$$\frac{1}{2} = \frac{1}{2} \left[ (15-20)^{\frac{1}{2}} (25-20)^{\frac{1}{2}} (25-20)^{\frac{1}{2}} \right] = 50$$

$$\frac{1}{2} = \frac{1}{2} \left[ (15-20)^{\frac{1}{2}} (25-20)^{\frac{1}{2}} (25-25)^{\frac{1}{2}} (25-25)^{\frac{$$

# Task b:



- : 4X-7Y+28=6, and we want the neural network alway return 1.
- : We need to make sure 4X-7Y+2Z-6>0According to the question, the bias input is +1 and we use "ReLu" as activation function
  As a result, we can set  $w_1=4$ ,  $w_2=-7$ ,  $w_3=2$ ,  $w_6=7$ , to simulate 4X-7y+2Z+1, which is definitely larger than 0.