

Task 2:

1° Draw the first three levels of the search tree starting from London.

Solution:

Level 1

London

Level 2

Birmingham

Level 3

Manchester

Bristol

London

2°

Solution:

1' Breadth-First Search:

(Dresden), (Leipzig, Berlin), (Magdeburg, Nuremberg)

level 1

level 2

level 3

2' Depth-First Search:

Dresden, Berlin, Hamburg, Luebeck, Bremen.

level 1

level 2

level 3

level 4

level 4

3' Iterative Deepening Search:

Limit=0 : Dresden

Limit=1 : Dresden, Leipzig, Berlin

Limit=2 : Dresden, Leipzig, Nuremberg, Magdeburg, Berlin.

Limit=3 : Dresden, Leipzig, Nuremberg, Munich, Stuttgart.

Limit=4 : Dresden, Leipzig, Nuremberg, Munich, Stuttgart.

4' Uniform-cost Search: city(cost)

Dresden(0), Leipzig(119), Berlin(204), Magdeburg($119+125=244$)

Nuremberg($119+263=382$)

Task 3:

1° Solution:

BFS (Breadth-First Search) and UCS (Uniform-cost Search) and IDS (Iterative deepening search). can guarantee finding the correct number required. Because those three methods are complete according to the textbook. In addition: UCS (Uniform cost search) is applicable as long as we consider the "cost" among the nodes are iterative steps.

2° Solution:

It depends on the levels of the search tree and the starting point.

- 1' If we have no limitation of the levels of tree, we can draw that tree because the graph is a connected graph
- 2' We can not draw a tree when
 - the levels of the search tree is 3
 - starting point is Mary or John. or Helen or Peter

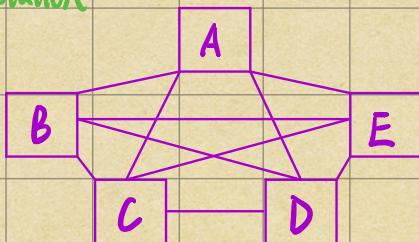
In other words, only Christine and George is available when the max level of search tree is set to 3.

3° Solution:



The degree of A and E is 4

4° Solution:



5° Solution:

We can just pop out the visited nodes that can form a loop to save memory.

Because the degrees in the sub-connected graph are fixed, so we can delete them safely.

Task 4:

$$h^*(A)=35 \quad h^*(B)=20 \quad h^*(C)=10 \quad h^*(D)=0 \quad h^*(E)=30 \quad h^*(F)=240$$

Overall, the h^* of each node is

$$h^*(A)=17, \quad h^*(B)=14, \quad h^*(C)=10, \quad h^*(D)=12,$$

$h^*(E)=7, \quad h^*(F)=4, \quad h^*(G)=0$, we need to make sure $h(n) \leq h^*(n)$, as a result

1° Heuristic 1:

Inadmissible, modify $h(A), h(B), h(F), h(G)$

$$h(A)=17, \quad h(B)=14, \quad h(F)=7, \quad h(G)=0$$

2° Heuristic 2:

Inadmissible, modify $h(A), h(B), h(C), h(D), h(E), h(F), h(G)$

$$h(A)=17, \quad h(B)=14, \quad h(C)=10, \quad h(D)=12, \quad h(E)=7, \quad h(F)=4, \quad h(G)=0$$

3° Heuristic 3:

Inadmissible, modify $h(G)$

$$h(G)=0$$

4° Heuristic 4:

Admissible

5° Heuristic 5:

Admissible

Task 5 : Solution

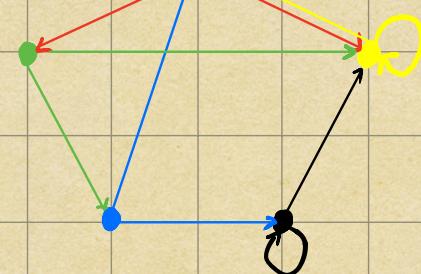
$$h(\text{red})=3$$

$$h(\text{green})=2$$

$$h(\text{blue})=1$$

$$h(\text{yellow})=4$$

$$h(\text{black})=0$$



Task 6 : Solution

(a) According to the problem, the lower bounds of the required memory is 100 KB
∴ No method can guarantee that never use more than 100 KB.

(b) Consider the space complexity of each algorithm:

Breadth-first search: keep every node in memory $O(b^{d+1})$

Uniform-cost search: keep nodes with $g \leq$ cost of optimal solution. $O(b^{\lceil C_{\text{opt}} \rceil})$

Depth-first Search: linear space $O(bm)$

Iterative deepening search: linear space $O(bd)$

b: maximum branching factor

d: depth of least-cost

m: maximum depth of state.

Because all initial states, the shortest solution is at most 208.

$$\therefore b=4, m = \log_4 208 = 4$$

We found that DFS and IDS

which have linear space complexity can be used.