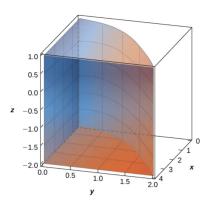
# 17 10-28-2025

### 17.1 Section 5.4, Exercise 212

Evaluate the triple integral over the bounded region  $E = \{(x, y, z) : (x, y) \in D, u_1(x, y) \le z \le u_2(x, y)\}$ , where D is the projection of E onto the xy-plane.

E is the solid bounded by  $y = \sqrt{x}$ , x = 4, y = 0, z = -2, and z = 1 (see figure below).



Evaluate  $\iiint_E xyz\ dV$  (use  $dx\ dy\ dz$ ).

#### 17.2 Section 5.5, Checkpoints 5.28

Consider the region E inside the right circular cylinder with equation  $r = 2\sin\theta$ , bounded below by the  $r\theta$ -plane and bounded above by z = 4 - y. Set up a triple integral with a function  $f(r, \theta, z)$  in cylindrical coordinates.

#### 17.3 Section 5.5, Checkpoints 5.31

Set up a triple integral for the volume of the solid region bounded above by the sphere  $\rho=2$  and bounded below by the cone  $\phi=\frac{\pi}{3}$ .

# 17.4 Section 5.5, Example 5.50

the book does not draw a picture, but you should Convert the following rectangle into cylindrical coordinates:

$$\int_{y=-1}^{1} \int_{x=0}^{\sqrt{1-y^2}} \int_{z=x^2+y^2}^{\sqrt{x^2+y^2}} xyz \ dz \ dx \ dy$$

# 17.5 Section 5.5, Checkpoint 5.32

cyl. and sph. only Use cylindrical and spherical coordinates to set up triple integrals for finding the volume of the region inside the sphere  $x^2 + y^2 + z^2 = 4$  but outside the cylinder  $x^2 + y^2 = 1$ .

