Question 1:

I had a hard time finding the answer without the focal length and pixel width, so I will attempt to answer the question with the following assumptions (unfortunately I spent majority of my time on this in class):

$$A = \pi r^2$$

$$\frac{focal\ length}{distance} = \frac{D_{camera}}{D_{actual}}$$

```
f = 85e-3:
                % focal length is 85mm
p = 280e-6;
               % pixel width is 280 um/pixel
% 3300 pixels are detected as the sphere on the camera and a 2D image of
% the sphere is a circle. The 3300 pixels can be thought of as the area
% and from there the diameter and radius of the circle can be calculated:
                % area of the sphere in camera in pixels
disp('Radius of the sphere in camera view in pixels:')
rc = sqrt(3300 / pi)
disp('Diameter of the sphere in camera view in pixels:')
Dc = 2 * rc
% The area of the sphere in real life with 1m Diameter would be:
Dr = 1
rr = Dr / 2
disp('Area of the sphere in meters:')
Ar = pi * rr^2
% Given the fact that each pixel is 280 um and that the ratio of
% real/camera diameter should be equal to the ratio of the distance/focal
% length then one can calculate the distance as:
disp('Calculated distance to the center of the sphere in meters:')
d = f * (Dr / (Dc * p))
% However, the question is asking about "closest" point to the sphere which
% would be 1 radius closer than the calculated distance above:
disp('Closest distance to the sphere in meters:')
real_d = d - rr
```

```
Radius of the sphere in camera view in pixels:
rc =
  32. 4102
Diameter of the sphere in camera view in pixels:
Dc =
 64. 8204
Dr =
   1
rr =
  0.5000
Area of the sphere in meters:
Ar =
   0.7854
Calculated distance to the center of the sphere in meters:
d =
   4. 6833
Closest distance to the sphere in meters:
real_d =
   4. 1833
```

Question 2:

With the given focal length, baseline and pixel size the disparity and distance can be calculated:

$$dist = \frac{focal\ length \times base}{disparity\ \times pixel\ width}$$

```
 f = 85e-3; \hspace{1cm} \% \hspace{1cm} \text{focal length is } 85mm \\ p = 280e-6; \hspace{1cm} \% \hspace{1cm} \text{pixel width is } 280 \hspace{1cm} \text{um/pixel} 
b = 0.4;
                  % baseline in m
disp('Object pixel coordinate in right camera:')
Xr = [138, 73]
disp('Object pixel coordinate in left camera:')
Xl = [160, 71]
disp('Disparity of object detected in two cameras:')
d = i nt16(pdi st2(Xr, Xl, 'euclidean'))
disp('Depth or distance in meters is calculated as:')
dist = (f * b) / (d * p)
Object pixel coordinate in right camera:
Xr =
 138 73
Object pixel coordinate in left camera:
Xl =
   160 71
Disparity of object detected in two cameras:
d =
      22
Depth or distance in meters is calculated as:
```

dist = 32767