

# Implementation of Eight

## Queens Problems

Date: 5/3/25

Exp No: 1

Aim: To develop a python program that solves the 8-Queens problem using the Backtracking algorithm. The program should ensure that no two queens should attack each other and display valid chessboard configurations.

### Case Scenario.

A chessboard consists of  $8 \times 8$  squares, and your task is to place 8 queens on the board such that no two queens attack each other. Queens can attack in horizontal, vertical, and diagonal directions.

### Task Requirements

1. Problem Representation.  
Represent the 8 queen problem as a constraint satisfaction problem.
2. Algorithm Implementation.  
Implement a solution using Backtracking.



Code

N=8

def print\_solution(board):

for row in board:

print(" ".join("Q" if cell else "." for cell in row))

print("\n")

def is\_safe(board, row, col):

for i in range(row):

if board[i][col] == 1:

return False

for i, j in zip(range(row, -1, -1), range(col, -1, -1)):

if board[i][j] == 1:

return False

for i, j in zip(range(row, -1, -1), range(col, N)):

if board[i][j] == 1:

return False

return True

def solve\_n\_queens(board, row):

if row == N:

print\_solution(board)

return True



### 3. Output Requirement.

Display a valid  $8 \times 8$  chessboard with queens (Q) placed in a correct manner.

### 4. Performance Analysis

Compare execution time for different board sizes.

### Procedure

1. Start
2. Initialise  $N \times N$  chessboard with all empty positions (0).
3. Define a position is-safe(board, row, col, N);
4. Define a recursive function - solve-n-queen(board, row,
  - if row  $\geq N$  Print the Board (solution found)
  - Try placing queen in each column.
  - if is-safe() == true, place the queen and recurse for the next row.
  - if placing a queen leads to failure, Backtrack.
5. Call solve-n-queens() for the first row (row=0)  
If a solution is found - print the board



for col in range(N):

if is-safe(board, row, col):

Board[row][col] = 1

if solve\_n\_queens(board, row+1):

return True

Board[row][col] = 0

return False

def solve():

board = [[0]\*N for \_ in range(N)]

if not solve\_n\_queens(board, 0):

print("No Solution Exists")

solve()

Output

Q . . . . .  
 . . . . . Q  
 . . . . . Q  
 . . . . . Q  
 . . . . . Q  
 . . . . . Q  
 . . . . . Q  
 . . . . . Q



6) if a solution is found, print the board;  
else, print "No solution exists".

7) End