Comp. Logic HW 1

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Problems 6, 8, 10, 13, 15

converter.py

```
def dec_to_bin(decimal):
    binary = 0
    weight = 0
    while decimal > 0:
        bit = (decimal % 2) *10**weight
        binary += bit
        weight += 1
        decimal = decimal // 2
   return binary
def bin_to_dec(binary):
   weight = 0
    decimal = 0
   remainder = binary % 10
   while binary > 0:
        binary = binary // 10
        decimal += remainder*(2**weight)
        remainder = binary % 10
        weight += 1
   return decimal
def print_largest_dec(digits):
    print(2**digits - 1)
def make_bin_sequence(minimum, maximum):
    for decimal in range(minimum, maximum + 1):
        print(f"Decimal: {decimal}", end=" ")
        print(f"Binary: {dec_to_bin(decimal)}")
```

```
def bin_addition(a, b):
    sum = bin_to_dec(a) + bin_to_dec(b)
   return dec_to_bin(sum)
solutions.py
import converter
#problem 6
print("2-2 #6")
bins = [1110, 1010, 111000, 10000, 10101, 11101, 10111, 11111]
for binary in bins:
   print(f"Binary: {binary}", end=" ")
   print(f"Decimal: {converter.bin_to_dec(binary)}")
print("\n")
#problem 8
print("2-2 #8")
for digit in range(2, 12):
    converter.print_largest_dec(digit)
print("\n")
#problem 10
print("2-2 #10")
converter.make_bin_sequence(0,7)
converter.make_bin_sequence(8,15)
converter.make_bin_sequence(16,31)
converter.make_bin_sequence(32,63)
converter.make_bin_sequence(64,75)
print("\n")
#problem 13
print("2-3 #13")
decs = [15, 21, 28, 34, 40, 59, 65, 73]
for decimal in decs:
   print(f"Decimal: {decimal}")
   print(f"Binary: {converter.dec_to_bin(decimal)}")
print("\n")
#problem 15
```

```
print("2-4 #15")
print(converter.bin_addition(11, 1))
print(converter.bin_addition(10, 10))
print(converter.bin_addition(101, 11))
print(converter.bin_addition(111, 110))
print(converter.bin_addition(1001, 101))
print(converter.bin_addition(1101, 1011))
print("\n")
2-5
19
1111, 1111 1111
2-6
28
a.
start: 1001 1001
invert: 0110 0110
add 1: 0110 0111
b.
start: 0111 0100
invert: 1000 1011
add 1: 1000 1100
c.
start: 1011 1111
invert: 0100 0000
add 1: 0100 0001
29
a.
                           01111110000101011
```

 $01.11110000101011 \times 2^{14}$

14 + 127 = 141

0	1000 1101	1111 0000 1010 1100 0000 000
S	Exponent	Mantissa

b.

100110000011000

$1.10000011000\times 2^{11}$

$$11 + 127 = 138$$

1	1000 1010	1000 0011 0000 0000 0000 000
S	Exponent	Mantissa