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9/9/2021
PHYS 306-HW1
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Below is the code of the homework for the first six problems. Below all the code are the results.

```
#==== 2-2, #6 =============================
print('Problem 2-2, #6')
def BinaryConversion(n):
  return int(n,2)
if name == '_main__':
  print(BinaryConversion('100001'))
  print(BinaryConversion('100111'))
  print(BinaryConversion('101010'))
  print(BinaryConversion('111001'))
  print(BinaryConversion('1100000'))
  print(BinaryConversion('11111101'))
  print(BinaryConversion('11110010'))
  print(BinaryConversion('11111111'))
  #print(BinaryConversion('15'))
print(20*'-')
#===== 2-2. #8 ======================
print('Problem 2-2, #8')
def MaxDecimalNumber(n):
  return (2**n)-1
print(MaxDecimalNumber(2))
print(MaxDecimalNumber(3))
print(MaxDecimalNumber(4))
print(MaxDecimalNumber(5))
print(MaxDecimalNumber(6))
print(MaxDecimalNumber(7))
print(MaxDecimalNumber(8))
```

```
print(MaxDecimalNumber(9))
print(MaxDecimalNumber(10))
print(MaxDecimalNumber(11))
print(20*'-')
#===== 2-2, #10 =====================
print('Problem 2-2, #10')
def generatePrintBinary(m,n):
 from queue import Queue
 q = Queue()
 q.put(str(m))#q.put("1")
 while(n > 0):
   n -= 1
   s1 = q.get()
   print(s1)
   s2 = s1
   q.put(s1+"0")
   q.put(s2+"1")
m = input('start of the sequence:')
n = int(input('end of sequence:'))
print('=>')
generatePrintBinary(m,n)
print(20*'-')
#===== 2-3, #13 =====================
print('Problem 2-3, #13')
def RepeatDivision(n):
 ans = "
 while n != 0:
   r = n \% 2
   n = n //2
   ans = str(r) + ans
 print(ans)
RepeatDivision(13)
RepeatDivision(17)
```

```
RepeatDivision(23)
RepeatDivision(30)
RepeatDivision(35)
RepeatDivision(40)
RepeatDivision(49)
RepeatDivision(60)
print(20*'-')
print('Problem 2-4, #15')
def AddBinary(m,n):
 return ((int(m,2)) + (int(n,2)))
if name == ' main ':
 print(AddBinary('10','10'))
 print(AddBinary('10','11'))
 print(AddBinary('100','11'))
 print(AddBinary('111','101'))
 print(AddBinary('1111','111'))
 print(AddBinary('1111','1111'))
print(20*'-')
print('Problem 2-5, #19')
print('2 ways of representing ones complement is by 00000000 and
11111111. ')
print(20*'-')
a) 10011001
2^{0} + 2^{3} + 2^{4} = 1 + 8 + 16 = 25 = -25 because there's a 1 on the
leftmost.
```

b) 01110100

$$2^2 + 2^4 + 2^5 + 2^6 = 4 + 16 + 32 + 64 = 116$$

c) 10111111

$$2^{0} + 2^{1} + 2^{2} + 2^{3} + 2^{4} + 2^{5} = 1 + 2 + 4 + 8 + 16 + 32 = 63 \Rightarrow -63$$

- a) 0111110000101011
 - => 0.111110000101010 * 2^15
 - => 15 => Binary Conversion by code above => 00001111
 - => 0 is MSB
 - => SPF: 0000011111111110000101011
- b) 100110000011000
 - => 1.00110000011000 * 2^14
 - => 14 => Binary Conversion by code above => 00001110
 - => 1 is MSB
 - => SPF: 100001110001100000110000

Below are my results from the code until problems 2-6, #28 and #29, which I worked out by hand and typed.

```
In [2]: runcell(0, 'C:/Users/cedc3/.spyder-py3/temp.py')
Problem 2-2, #6
33
39
42
57
96
253
242
Problem 2-2, #8
7
15
31
63
127
255
511
1023
2047
Problem 2-2, #10
start of the sequence:0
end of sequence:7
=>
0
00
01
000
001
010
011
Problem 2-3, #13
1101
10001
10111
11110
100011
101000
110001
111100
```

```
Problem 2-4, #15
4
5
7
12
22
30
Problem 2-5, #19
2 ways of representing ones complement is by 00000000 and 11111111.
```