DSP Qu	12 # 2
a) $x(t) = \sum_{n=1,3,5}^{\infty} \frac{q}{n\pi} s_{1}n(2\pi n f_{0}t)$	(8)c) The vesults are non-linear
non zero coeff for $n = 1, 3, 5, 7$	9
2) yes the gibbs effect is	note: not save if figure is

non zero coeff for n 2) yes the gibbs effect is note: not sure if figure is meant to look like that, but it is extremely neat representing a discontinuous

sum of continuous funcs. The overshoot hear the edges also visually the gibbs effect.

square wave using a finite

d) phase becomes a linearly decreasing function

e) G27.69 samples is what is showed but it should be 100 samples as what was

introduced t) noise distorts the phase especially where the magnitude is small making the slope & group delay estimation

Maccurate (4) d) yes, you can see

the harmonics at 100 kHz, 300 kHz £ 500 KHZ When the sine wave is clipped it

becomes more square like and like the fourier it has many odd harmonics.

The DFT also reveals additional harmonics

























