Justin Huckins COSC 366 Quiz I 1. Z=4+4j = VI6+16=V3Z=4VZe4 vey add 90° to each phase number 4 45,45,90 no triangle

X1=271++ P1 X2=29++ 1 V(+)= a1ex+a2ex V(+)= a, cos(x) + ajsin(x) + a cos(x)+jasins W) = (a, cos(211++0) + 02 cos(211++0)+ J(a, sin(217++ + + + + + azsin(217+++ + + + +)) V(+)=(a,cos(201+10,)+accos(201++0))-J(a,sin(ztff+4)+azsin(ztff+4)) ((a, sin (2114+0))+ az sin (2114+32))2 $|V|^2 = \frac{\alpha_1^2 \cos^2(2\pi f + 4\pi)}{\cos(2\pi f + 4\pi)} + \frac{2\alpha_1 \alpha_2 \cos(2\pi f + 4\pi)}{\cos(2\pi f + 4\pi)} + \frac{2\alpha_2 \cos(2\pi f + 4\pi)}{\cos(2\pi f + 4\pi)}$ $+ \frac{\alpha_1^2 \sin^2(2\pi f + 4\pi)}{\sin(2\pi f + 4\pi)} + \frac{2\alpha_1 \alpha_2 \sin(2\pi f + 4\pi)}{\sin(2\pi f + 4\pi)}$ $+ \frac{\alpha_2^2 \sin^2(2\pi f + 4\pi)}{\sin^2(2\pi f + 4\pi)}$

中2-里+T 里=里丁 V(+)=(a1cos(211+1+12-11)+a2cos(211+1+14+17)) J(a, sin(271ft+12-11)+ az sin (211ft +3/+11)) V(+)=(0,005(2T+++)+0,000(2T++++1)+ J (a sin (ETH++ + + + az sin (ETH+ + E)) $\overline{QV} = tan^{1} \left(\frac{\alpha_{1}sin(2\pi f + t\overline{Q}) + \alpha_{2}sin(2\pi f f + t\overline{Q})}{\alpha_{1}cos(2\pi f f + t\overline{Q}) + \alpha_{2}cos(2\pi f f + t\overline{Q})} \right)$ 西V=+の「 () SIN(2TIF++ 1) + の2 SIN(2TIF++ 1) + の2 COS(211++ 年 17) DV= tan-1 (a1sin(211f++事)+の2sin(211f++事)

() + 02cos(211f++事) + 02cos(211f++事)

● 8, L=0 Z2=0 T=RC ZR=R+Oj Zc=0 to K2 = 1 - [w]2 h(W)= 1 Rjuc+1 Vin-52 - Vout