

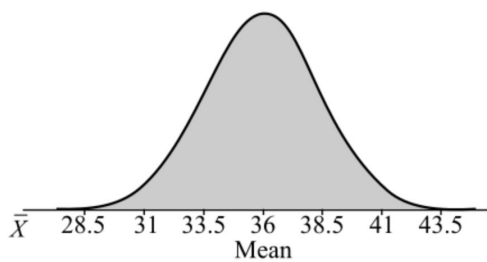
Homework #4:

67.

- a. True, they're approx. equal when the sample size is large.
- b. True, according to the central limit theorem, larger sample sizes make more normally distributed means.
- c. True, as sample size increases, the standard deviation of \bar{X} will be approximately the same as the standard deviation of X .

68.

- a. $N(36, 2.5)$



- b.
- c. 34.31

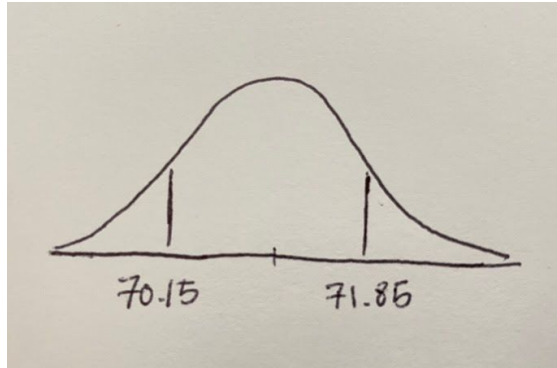
69.

- a. annual income of someone in third world country
- b. Avg salary from sample of 1000 in third world country
- c. $N(2000, 8000/\sqrt{1000})$
- d. Large differences between data values can have smaller averages than standard deviations
- e. The sample mean distribution will more likely be closer to the population mean.

71. B: $N(4.59, 0.10/\sqrt{16})$

95.

- a.
 - i. 71
 - ii. 3
 - iii. 48
- b. Height of male swedes, mean height of sample of 48 male swedes
- c. Normal, sample size > 30 , standard deviation is known
- d.
 - i. Confidence interval: (70.15, 71.84)



ii.

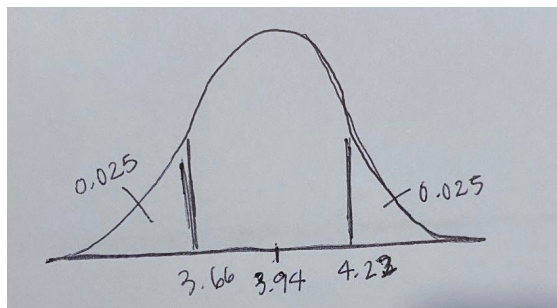
iii. Error bound: 0.8487

- e. Confidence interval will decrease when sample size is increased, so there's no need for as large an interval to represent the population mean.

96.

- a. \bar{X} is the mean length of 84 randomly selected conferences, X is the length of the conferences
- b. T-distribution with $n-1$ degrees of freedom b/c the population distribution is unknown
- c.

i. Confidence interval: (3.6622, 4.2178)

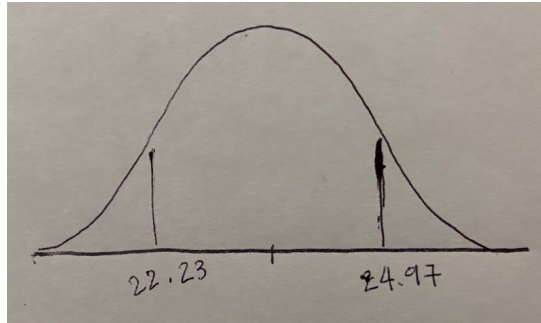


ii.

iii. Error bound: 0.2778

97.

- a.
- i. 23.6
- ii. 7
- iii. 100
- b. \bar{X} is mean time to complete tax forms in sample of 100, X is time needed to complete one tax form
- c. $N(23.6, 7/\sqrt{100})$
- d.
- i. (22.23, 24.97)



- ii.
- iii. Error bound: 1.372
- e. The sample size needs to change. Determine the confidence level then use the EB to find the sample size.
- f. The larger the interval, the larger the confidence level.
- g. If the confidence level is increased, the error bound or sample size should be increased as well.