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Homework #3
Math 080

Chapter 3: 67, 82, 84, 85, 86

67. a) Given the probability of rain on a Saturday and Sunday ($P(\text{Saturday})=0.6$, $P(\text{Sunday})=0.7$) the probability of the chance of rain on the weekend can be determined by $P(\text{Sat. AND Sun.}) = P(\text{Sat.}) * P(\text{Sun.}) = 0.42$, with $P(\text{Sat. THEN Sun.}) = P(\text{Sat.}) + P(\text{Sun.}) - P(\text{Sat. AND Sun.}) = 0.6 + 0.7 - 0.42 = 0.88$. The probability it will rain on that weekend is 88%. The incorrect statement above states a 130% chance of rain on the weekend and thus statistically impossible as you cannot have a probability greater than 100%.

b) A successful hit includes a hit resulting in a home run, thus you will have at least as many successful hits as you do home runs as a home run is classified as a successful hit.

82. a) Sample Space: $S = \{0,00,1,2,3,4,5,6,7,8,9,10,11,12,13,14,15,16,17,18,19,20,21,22,23,24,25,26,27,28,28,29,30,31,32,33,34,35,36.\}$

b) $P(\text{red}) = 18/38 = \mathbf{0.47}$

c) $P(\text{-1st 12-}) = 12/38 = \mathbf{0.32}$

d) $P(\text{even}) = 18/38 = \mathbf{0.47}$

e) No, you have (0) and (00) plus 1-36 within the same sample space.

f) Mutually exclusive event: **Black/Red**

g) They are **not independent** as the probability of events even and 1st dozen is equal to 0.5 while the probability of an even event is equal to 0.47. $0.5 \neq 0.47$.

84. a) $P(\text{red}) = P(\text{black}) = 18/38 = 0.47$; thus, $P(\text{red OR black}) = 36/38 = \mathbf{0.95}$

b) $P(\text{one of a dozen groups}) = 12/38 = \mathbf{0.32}$

c) $P(\text{betting on the large range of number from 1 to 18}) = 18/38 = \mathbf{0.47}$

d) $P(\text{betting on the range of numbers 19-36}) = 18/38 = \mathbf{0.47}$

e) $P(\text{column bet}) = 12/38 = \mathbf{0.32}$

f) $P(\text{even}) = P(\text{odd}) = 18/38 = 0.47$; thus, $P(\text{even OR odd}) = 36/38 = \mathbf{0.95}$

85. a) Sample space: **{Green₁, Green₂, Green₃, Green₄, Green₅, Yellow₁, Yellow₂, Yellow₃}**

b) $P(G) = 5/8 = \mathbf{0.63}$

c) $P(G | E) = 2/3 = \mathbf{0.67}$

d) $P(G \text{ AND } E) = 2/8 = \mathbf{0.25}$

e) $P(G \text{ OR } E) = 6/8 = \mathbf{0.75}$

f) Green and Yellow are **not mutually exclusive** because $P(G \text{ AND } E) \neq 0$.

86. a) Sample space: of two dice (Dice A, Dice B) **S = {(1,1), (1,2), (1,3), (1,4), (1,5), (1,6), (2,1), (2,2), (2,3), ..., (6,5), (6,6)}**

b) $P(A) = \frac{\text{number of outcomes where either 3 or 4 is rolled first}}{\text{Total number of outcomes}} = 6/36 = \mathbf{0.17}$

c) $P(B) = \frac{\text{number of outcomes where the sum of the two dices is at most 7}}{\text{Total number of outcomes}} = 21/36 = \mathbf{0.58}$

d) $P(A|B)$ is when either a 3 or 4 is rolled on the first roll, then an even number is rolled on the second roll, such that the sum of the two rolls equals at most 7.

$$P(A|B) = \frac{P(A \text{ AND } B)}{P(B)} = \frac{3/36}{21/36} = \mathbf{0.14}$$

e) Event A and B are **not mutually exclusive**. Two events are mutually exclusive when the $P(A \text{ AND } B)$ equal zero as they are events that do not occur simultaneously. $P(A \text{ AND } B)$ for this problem was calculated to be 0.083 and thus not mutually exclusive.

f) Event A and B are **not independent events**. In problem (d) above, $P(A|B)$ was calculated to equal 0.14 and for two events to be independent, $P(A|B) = P(A)$. In this problem, $P(A) = 0.17$ which does not equal the calculated $P(A|B)$ of 0.14.