

3105. Minimum Edge Reversals So Every Node Is Reachable

Difficulty : Hard

<https://leetcode.com/problems/minimum-edge-reversals-so-every-node-is-reachable>

There is a **simple directed graph** with n nodes labeled from 0 to $n - 1$. The graph would form a **tree** if its edges were bi-directional.

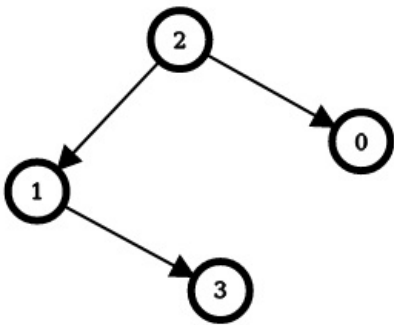
You are given an integer n and a **2D** integer array `edges`, where `edges[i] = [ui, vi]` represents a **directed edge** going from node u_i to node v_i .

An **edge reversal** changes the direction of an edge, i.e., a directed edge going from node u_i to node v_i becomes a directed edge going from node v_i to node u_i .

For every node i in the range $[0, n - 1]$, your task is to **independently** calculate the **minimum** number of **edge reversals** required so it is possible to reach any other node starting from node i through a **sequence** of **directed edges**.

Return an integer array `answer`, where `answer[i]` is the **minimum** number of **edge reversals** required so it is possible to reach any other node starting from node i through a **sequence** of **directed edges**.

Example 1:



Input: $n = 4$, `edges = [[2,0],[2,1],[1,3]]`

Output: `[1,1,0,2]`

Explanation: The image above shows the graph formed by the edges.

For node 0: after reversing the edge `[2,0]`, it is possible to reach any other node starting from node 0.

So, `answer[0] = 1`.

For node 1: after reversing the edge `[2,1]`, it is possible to reach any other node starting from node 1.

So, `answer[1] = 1`.

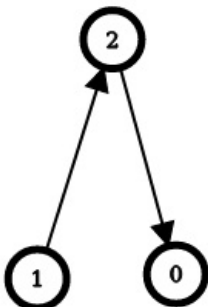
For node 2: it is already possible to reach any other node starting from node 2.

So, `answer[2] = 0`.

For node 3: after reversing the edges `[1,3]` and `[2,1]`, it is possible to reach any other node starting from node 3.

So, `answer[3] = 2`.

Example 2:



Input: $n = 3$, `edges = [[1,2],[2,0]]`

Output: `[2,0,1]`

Explanation: The image above shows the graph formed by the edges.

For node 0: after reversing the edges `[2,0]` and `[1,2]`, it is possible to reach any other node starting from node 0.

So, `answer[0] = 2`.

For node 1: it is already possible to reach any other node starting from node 1.

So, $\text{answer}[1] = 0$.

For node 2: after reversing the edge $[1, 2]$, it is possible to reach any other node starting from node 2.

So, $\text{answer}[2] = 1$.

Constraints:

- $2 \leq n \leq 10^5$
- $\text{edges.length} == n - 1$
- $\text{edges}[i].\text{length} == 2$
- $0 \leq u_i == \text{edges}[i][0] < n$
- $0 \leq v_i == \text{edges}[i][1] < n$
- $u_i \neq v_i$
- The input is generated such that if the edges were bi-directional, the graph would be a tree.