3179. Maximum Points After Collecting Coins From All Nodes

Difficulty: Hard

https://leetcode.com/problems/maximum-points-after-collecting-coins-from-all-nodes

There exists an undirected tree rooted at node 0 with n nodes labeled from 0 to n - 1. You are given a 2D **integer** array edges of length n - 1, where edges[i] = [a_i, b_i] indicates that there is an edge between nodes a_i and b_i in the tree. You are also given a **0-indexed** array coins of size n where coins[i] indicates the number of coins in the vertex i, and an integer k.

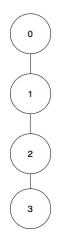
Starting from the root, you have to collect all the coins such that the coins at a node can only be collected if the coins of its ancestors have been already collected.

Coins at node; can be collected in one of the following ways:

- Collect all the coins, but you will get coins[i] k points. If coins[i] k is negative then you will lose abs(coins[i] k) points.
- Collect all the coins, but you will get floor(coins[i] / 2) points. If this way is used, then for all the node_j present in the subtree of node_i, coins[j] will get reduced to floor(coins[j] / 2).

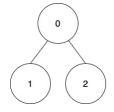
Return the maximum points you can get after collecting the coins from all the tree nodes.

Example 1:



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Input: edges = [[0,1],[1,2],[2,3]], coins = [10,10,3,3], k = 5
Output: 11
Explanation:
Collect all the coins from node 0 using the first way. Total points = 10 - 5 = 5.
Collect all the coins from node 1 using the first way. Total points = 5 + (10 - 5) = 10.
Collect all the coins from node 2 using the second way so coins left at node 3 will be floor(3 / 2) = 1. Total points = 10 + floor(3 / 2) = 11.
Collect all the coins from node 3 using the second way. Total points = 11 + floor(1 / 2) = 11.
It can be shown that the maximum points we can get after collecting coins from all the nodes is 11.
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Example 2:



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Input: edges = [[0,1],[0,2]], coins = [8,4,4], k = 0
Output: 16
Explanation:
Coins will be collected from all the nodes using the first way. Therefore, total points = (8 - 0) + (4 - 0) + (4 - 0) = 16.
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Constraints:

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• n == coins.length
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- 2 <= n <= 10^5
- $\emptyset \leq \operatorname{coins}[i] \leq 10^4$
- edges.length == n 1
- 0 <= edges[i][0], edges[i][1] < n
- 0 <= k <= 10⁴