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Title:Control System-Second Order System:varying zeta value open system

```
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%Date:10/04/2021
%Version:1.0
```

This Document has equation for Second Order System

```
%w=1
jeta=1;
TF=tf([1],[1,(2*jeta),1])
sys = tf([1],[1,(2*jeta),1])
figure
subplot(2,3,1)
S = stepinfo(sys)
[z,p,k] = tf2zp([1],[1,(2*jeta),1])
zplane(z,p)
jeta=0.7;
TF=tf([1],[1,(2*jeta),1])
sys = tf([1],[1,(2*jeta),1])
%hold on
subplot(2,3,2)
S = stepinfo(sys)
[z,p,k] = tf2zp([1],[1,(2*jeta),1])
zplane(z,p)
jeta=1.5;
TF=tf([1],[1,(2*jeta),1])
sys = tf([1],[1,(2*jeta),1])
subplot(2,3,3)
S = stepinfo(sys)
[z,p,k] = tf2zp([1],[1,(2*jeta),1])
zplane(z,p)
jeta=-1;
TF=tf([1],[1,(2*jeta),1])
sys = tf([1],[1,(2*jeta),1])
subplot(2,3,4)
```

```
S = stepinfo(sys)
[z,p,k] = tf2zp([1],[1,(2*jeta),1])
zplane(z,p)
jeta=-0.5;
TF=tf([1],[1,(2*jeta),1])
sys = tf([1],[1,(2*jeta),1])
subplot(2,3,5)
S = stepinfo(sys)
[z,p,k] = tf2zp([1],[1,(2*jeta),1])
zplane(z,p)
jeta=-1.5;
TF=tf([1],[1,(2*jeta),1])
sys = tf([1],[1,(2*jeta),1])
subplot(2,3,6)
S = stepinfo(sys)
[z,p,k] = tf2zp([1],[1,(2*jeta),1])
zplane(z,p)
figure
jeta=0;
TF=tf([1],[1,(2*jeta),1])
sys = tf([1],[1,(2*jeta),1])
S = stepinfo(sys)
[z,p,k] = tf2zp([1],[1,(2*jeta),1])
zplane(z,p)
TF =
        1
  s^2 + 2 s + 1
Continuous-time transfer function.
sys =
        7
  s^2 + 2 s + 1
Continuous-time transfer function.
S =
  struct with fields:
        RiseTime: 3.3579
    SettlingTime: 5.8339
```

SettlingMax: 0.9994 Overshoot: 0 Undershoot: 0 Peak: 0.9994 PeakTime: 9.7900 z = 0×1 empty double column vector p =-1 -1 k =1 TF =1 $s^2 + 1.4 s + 1$ Continuous-time transfer function. sys = 1 _____ s^2 + 1.4 s + 1 Continuous-time transfer function. S = struct with fields: RiseTime: 2.1268 SettlingTime: 5.9789 SettlingMin: 0.9001 SettlingMax: 1.0460

Overshoot: 4.5986

Peak: 1.0460 PeakTime: 4.4078

Undershoot: 0

SettlingMin: 0.9000

z =0×1 empty double column vector p = -0.7000 + 0.7141i-0.7000 - 0.7141i k =1 TF =1 $s^2 + 3 s + 1$ Continuous-time transfer function. sys = $s^2 + 3 s + 1$ Continuous-time transfer function. S = struct with fields: RiseTime: 5.8584

RiseTime: 5.8584
SettlingTime: 10.6547
SettlingMin: 0.9012
SettlingMax: 0.9999
Overshoot: 0
Undershoot: 0

Peak: 0.9999
PeakTime: 25.9983

z =

0×1 empty double column vector

p =-2.6180 -0.3820 k =1 TF =1 $s^2 - 2s + 1$ Continuous-time transfer function. sys = 1 $s^2 - 2s + 1$ Continuous-time transfer function. S = struct with fields: RiseTime: NaN SettlingTime: NaN SettlingMin: NaN SettlingMax: NaN Overshoot: NaN Undershoot: NaN Peak: Inf PeakTime: Inf z = 0×1 empty double column vector p = 1

1

```
k =
```

1

TF =

1 ----s^2 - s + 1

Continuous-time transfer function.

sys =

1 ----s^2 - s + 1

Continuous-time transfer function.

S =

struct with fields:

RiseTime: NaN
SettlingTime: NaN
SettlingMin: NaN
SettlingMax: NaN
Overshoot: NaN
Undershoot: NaN
Peak: Inf
PeakTime: Inf

z =

0×1 empty double column vector

p =

0.5000 + 0.8660i 0.5000 - 0.8660i

k =

1

TF =1 $s^2 - 3s + 1$ Continuous-time transfer function. sys = 1 $s^2 - 3s + 1$ Continuous-time transfer function. S = struct with fields: RiseTime: NaN SettlingTime: NaN SettlingMin: NaN SettlingMax: NaN Overshoot: NaN Undershoot: NaN Peak: Inf PeakTime: Inf z =0×1 empty double column vector p =2.6180 0.3820 k =1 TF =1

s^2 + 1

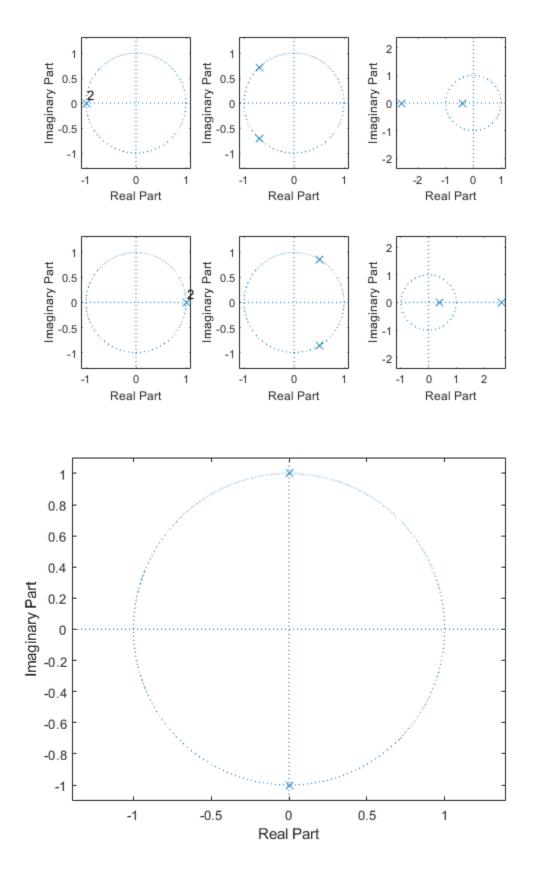
Continuous-time transfer function. sys = 1 s^2 + 1 Continuous-time transfer function. S = struct with fields: RiseTime: NaN SettlingTime: NaN SettlingMin: NaN SettlingMax: NaN Overshoot: NaN Undershoot: NaN Peak: Inf PeakTime: Inf z =0×1 empty double column vector

k =

p =

1

0.0000 + 1.0000i 0.0000 - 1.0000i



Analysis based on zeta

1. If zeta>0 we may get the roots on the left side of the imaginary axis. 2. If zeta<0 we may get the roots on the right side of the imaginary axis. 3. If zeta lies in the range of [0-1] we get complex conjugate roots. 4. If zeta ranges greater than 1 we get real roots and distinct. 5. If zeta is equal to 1 we get real roots. 6. If zeta is zero poles lies on the imaginary axis like complex conjugate roots system is undamped.

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