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Title:ControlSystemsecondorder:negative fb with different parameter values

```
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%Date:10/04/2021
%Version:1.4
```

This Document has equation for DC motor system

```
%Equation1:vi=IR+L(di/dt)+kw
%Equation2:J(dw/dt)+bw=kI
```

Math Analysis

Independent variables: T Dependent Variables:w,I Constants:L,K,R

```
Roots: -(((RJ+bL)/JL)+-(2((R^2*J^2+b^2*L^2+2JbL)/J^2*L^2)-4((bR+k^2)/J^2*L^2))
JL))^1/2)/2
J = 0.01;
b = 0.1;
K = 1;
R = 1;
L = 0.5;
TF=tf([K/(J*L)],[1,((b/J)+(R/L)),(((K*K)+(R*b))/(L*J))]);
CF=10
sys = CF*TF
NCTF=feedback(sys,1)
subplot(4,2,1)
step(NCTF)
title("Step 1")
subplot(4,2,2)
impulse(NCTF)
title("impulse1")
S = stepinfo(NCTF)
[wn,zeta]=damp(NCTF)
J = 0.1;
b = 1;
K = 0.1;
```

```
R = 10;
L = 5;
TF=tf([K/(J*L)],[1,((b/J)+(R/L)),(((K*K)+(R*b))/(L*J))]);
sys = CF*TF
NCTF1=feedback(sys,1)
subplot(4,2,3)
step(NCTF1)
title("Step 2")
subplot(4,2,4)
impulse(NCTF1)
title("impulse 2")
S = stepinfo(NCTF1)
[wn,zeta]=damp(NCTF1)
J = 0.01;
b = 0.01;
K = 0.1;
R = 0.1;
L = 0.05;
TF=tf([K/(J*L)],[1,((b/J)+(R/L)),(((K*K)+(R*b))/(L*J))]);
CF=10
sys = CF*TF
NCTF2=feedback(sys,1)
subplot(4,2,5)
step(NCTF2)
title("Step 3")
subplot(4,2,6)
impulse(NCTF2)
title("impulse 3")
S = stepinfo(NCTF2)
[wn,zeta]=damp(NCTF2)
J = -0.01;
b = -0.01;
K = -0.1;
R = -0.1;
L = -0.05;
TF=tf([K/(J*L)],[1,((b/J)+(R/L)),(((K*K)+(R*b))/(L*J))]);
CF=10
sys = CF*TF
NCTF3=feedback(sys,1)
subplot(4,2,7)
step(NCTF3)
title("Step 3")
subplot(4,2,8)
impulse(NCTF3)
title("impulse 3")
S = stepinfo(NCTF3)
[wn,zeta]=damp(NCTF3)
```

CF =

10

sys =

2000 $s^2 + 12 s + 220$

Continuous-time transfer function.

NCTF =

2000 _____ s^2 + 12 s + 2220

Continuous-time transfer function.

S =

struct with fields:

RiseTime: 0.0245 SettlingTime: 0.6206 SettlingMin: 0.4993 SettlingMax: 1.5026 Overshoot: 66.7860 Undershoot: 0

Peak: 1.5026 PeakTime: 0.0667

wn =

47.1169 47.1169

zeta =

0.1273 0.1273

CF =

10

sys = 2 $s^2 + 12 s + 20.02$ Continuous-time transfer function. NCTF1 =2 s^2 + 12 s + 22.02 Continuous-time transfer function. S = struct with fields: RiseTime: 1.0161 SettlingTime: 1.8471 SettlingMin: 0.0819 SettlingMax: 0.0907 Overshoot: 0 Undershoot: 0 Peak: 0.0907 PeakTime: 3.0168 wn = 2.2610 9.7390 zeta = 1 1 CF =10 sys = 2000

 $s^2 + 3 s + 22$

Continuous-time transfer function. NCTF2 = 2000 $s^2 + 3 s + 2022$ Continuous-time transfer function. S = struct with fields: RiseTime: 0.0238 SettlingTime: 2.5921 SettlingMin: 0.1871 SettlingMax: 1.8798 Overshoot: 90.0453 Undershoot: 0 Peak: 1.8798 PeakTime: 0.0699 wn = 44.9667 44.9667 zeta = 0.0334 0.0334 CF =10 sys = -2000

Continuous-time transfer function.

NCTF3 =

 $s^2 + 3 s + 22$

-2000 ----s^2 + 3 s - 1978

Continuous-time transfer function.

S =

struct with fields:

RiseTime: NaN
SettlingTime: NaN
SettlingMin: NaN
SettlingMax: NaN
Overshoot: NaN
Undershoot: NaN
Peak: Inf
PeakTime: Inf

wn =

43

46

zeta =

-1

1

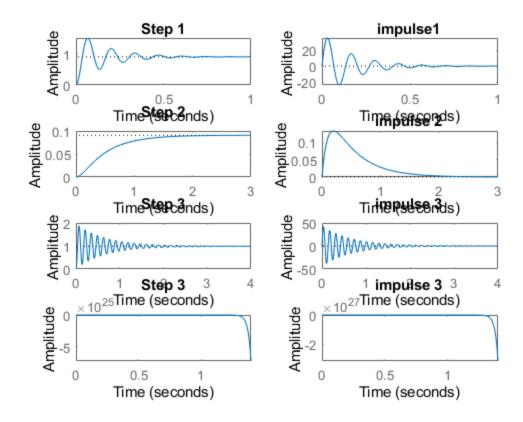
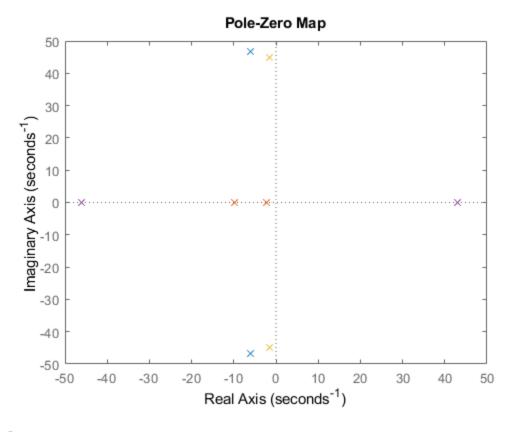


figure
hold on
pzmap(NCTF)
pzmap(NCTF1)
pzmap(NCTF2)
pzmap(NCTF3)



Analysis:

- %1. For negative variables the root of a system becomes positive so the syste
- %m is unstable.
- %2. Rise time of negative feedback closed loop system is less when compared
- % to open loop system of the same second order.
- %3. Zeros & Poles locations got changed when we added a negative feed back.
- %4. System becomes under damped
- %5. Overshoot is high when compared to open loop system.
- %6. For the 3rd negative variables risetime, passtime every other parametrs
- %becomes inf.

Published with MATLAB® R2021a