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Title:Control System-First Order System: Analysis by poles and parameters

```
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%Date:10/04/2021
%Version:1.7
```

This Document has equation for motion differential system

```
%Equation:mdv/dt+bv=u
```

Math analysis

```
%dependent variables:v
%independent variables:t,u
%constant:m,b
%Root:-b/m
```

IVT

```
%for impulse is 1/m=0.002
%for step is 0
%%FVT
%for impulse is 0;
%for step is 1/b=0.00028

m1=500;
b1=3500;
Tau=m1/b1;
TF=tf([0,1/b1],[Tau,1])
T_R=4*Tau
subplot(3,3,1),plot(impulse(TF))
```

```
title("Impulse response 1")
subplot(3,3,2),plot(step(TF))
title("Step response 1")
S = stepinfo(TF)
```

```
TF =
```

```
    0.0002857
-----
    0.1429 s + 1
```

Continuous-time transfer function.

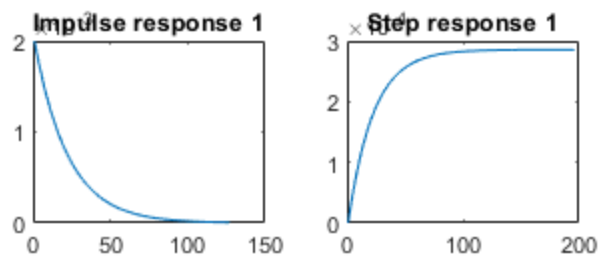
```
T_R =
```

```
    0.5714
```

```
S =
```

```
struct with fields:
```

```
    RiseTime: 0.3139
    SettlingTime: 0.5589
    SettlingMin: 2.5843e-04
    SettlingMax: 2.8571e-04
    Overshoot: 0
    Undershoot: 0
           Peak: 2.8571e-04
    PeakTime: 1.5065
```



IVT

```
%for impulse is 1/m=0.00166
%for step is 0
%%FVT
%for impulse is 0;
%for step is 1/b=0.001111

m2=600;
b2=900;
Tau=m2/b2;
T_R=4*Tau
TF=tf([0,1/b2],[Tau,1])
subplot(3,3,3),plot(impz(TF))
title("Impulse response 2")
subplot(3,3,4),plot(step(TF))
title("Step response 2")
S = stepinfo(TF)

T_R =

    2.6667

TF =
```

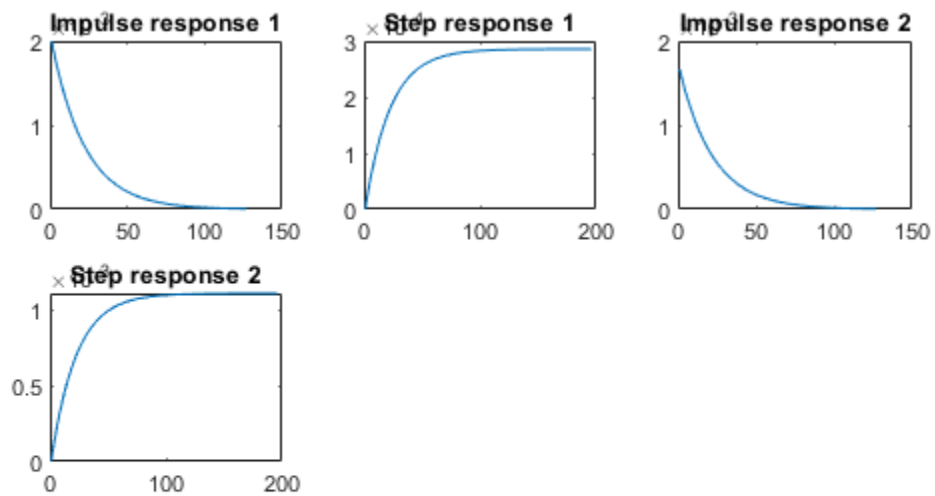
$$\frac{0.001111}{0.6667 s + 1}$$

Continuous-time transfer function.

$S =$

struct with fields:

```
RiseTime: 1.4647
SettlingTime: 2.6080
SettlingMin: 0.0010
SettlingMax: 0.0011
Overshoot: 0
Undershoot: 0
Peak: 0.0011
PeakTime: 7.0306
```



IVT

```
%for impulse is 1/m=0.00125
%for step is 0
```

```

%%FVT
%for impulse is 0;
%for step is 1/b=0.025

m3=800;
b3=40;
Tau=m3/b3;
T_R=4*Tau
TF=tf([0,1/b3],[Tau,1])
subplot(3,3,5),plot(impz(TF))
title("Impulse response 3")
subplot(3,3,6),plot(step(TF))
title("Step response 3")
S = stepinfo(TF)

T_R =

    80

TF =

    0.025
-----
    20 s + 1

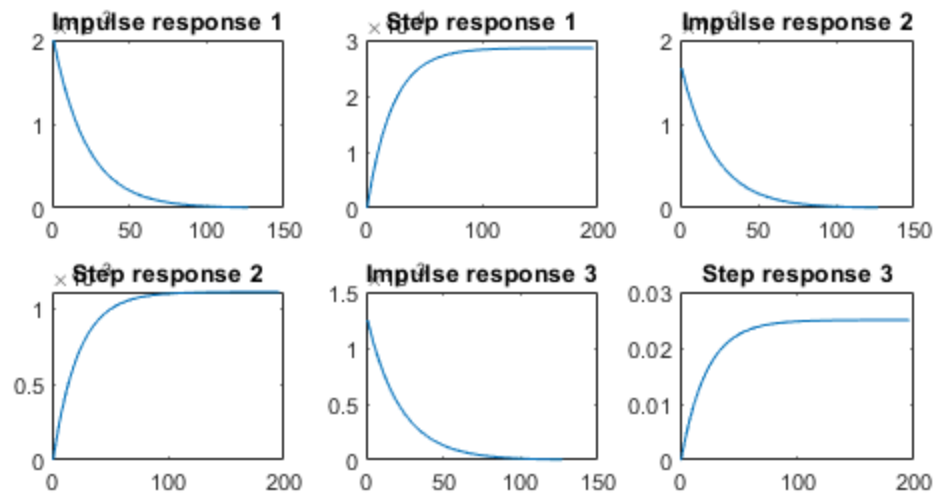
Continuous-time transfer function.

S =

struct with fields:

    RiseTime: 43.9401
    SettlingTime: 78.2415
    SettlingMin: 0.0226
    SettlingMax: 0.0250
    Overshoot: 0
    Undershoot: 0
    Peak: 0.0250
    PeakTime: 210.9168

```



Poles plotting

```
hold on

subplot(3,3,7)
[z1,p1,k1]= tf2zp([0,1/b1],[m1/b1,1])
zplane(z1,p1)

hold on

subplot(3,3,7)
[z2,p2,k2]= tf2zp([0,1/b2],[m2/b2,1])
zplane(z2,p2)

hold on
subplot(3,3,7)
[z3,p3,k3]= tf2zp([0,1/b3],[m3/b3,1])
zplane(z3,p3)

z1 =

    0×1 empty double column vector

p1 =
```

-7

$k_1 =$

0.0020

$z_2 =$

0×1 empty double column vector

$p_2 =$

-1.5000

$k_2 =$

0.0017

$z_3 =$

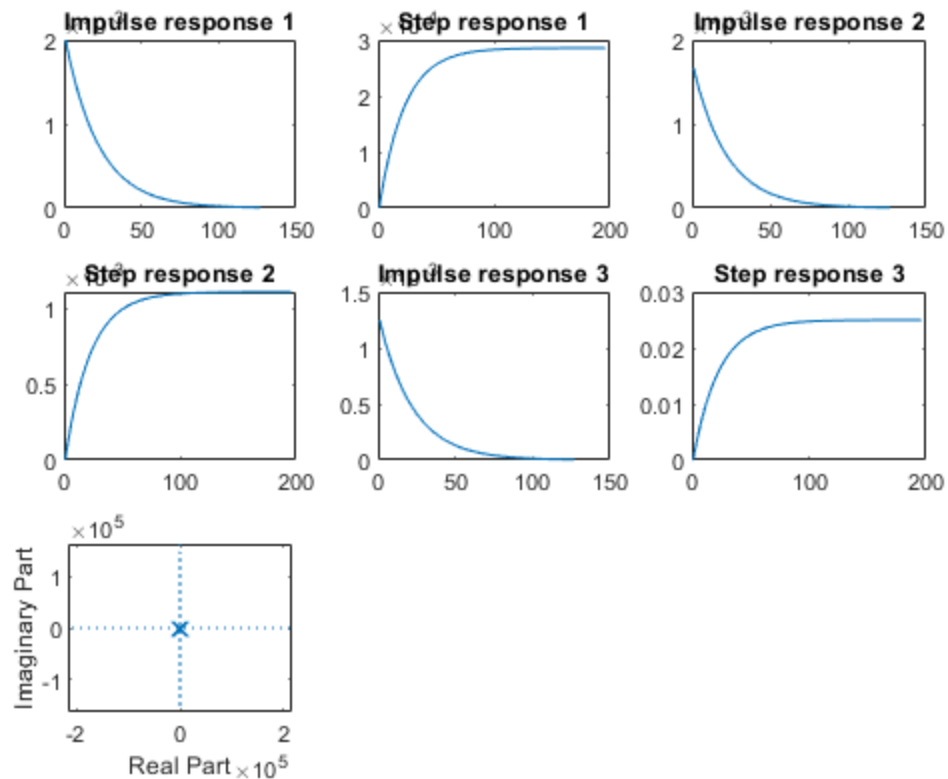
0×1 empty double column vector

$p_3 =$

-0.0500

$k_3 =$

0.0013



Response analysis (SAS)

Rise time

```
%T1=0.3139
%T2=1.4647
%T3=43.9401
%System 1 has the least rise time so the speed of system is greatest
%System 3 has the greatest rise time so the speed of system is least
```

% Settling time

```
%S1=0.5589
%S2=2.6080
%S3=78.2415
%System 1 is taking least time to get settled so the system is accurate
%System 3 is taking most time to get settled so the system is least accurate
```

% Pole position

```
%P1=-7.0
%P2=-1.5000
%P3=-0.0500
% system 1 pole is farthest away from pole:best stability among 3
% system 1 pole is farthest away from pole:worst stability among 3
```

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