

## Indian Institute of Information Technology Sri City (IIITS)

Name of the Exam: DSMA

Duration: 1.5 hrs

Max. Marks: 15

### Instructions:

1. Clearly write your **Roll Number** and **Name** in **capital letters** on the **top right corner** of every page of the answer sheets. It is mandatory.
2. **All questions are mandatory.**
3. Marks are indicated in [ ] after each question.
4. Rough Work should be done separately, not in the answer sheet.
5. **Answers should be reasoned and derived clearly, not a single word answer.**
6. You are required to write the answers in **A4 sheets**.
7. Preferably use a **ballpoint pen**. The writing should be **readable after scanning**. (This is very important)
8. This is a proctored exam. You need to keep your **video on** throughout the exam.
9. After finishing the writing part, you are expected to **submit the scanned copy of the hand written answer sheets in one consolidated PDF format to the link provided**. The link will be provided to upload the pdf.
10. Copying in any form will be dealt with strictly. Both "copied to" and "copied from" will be penalized.

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1. Find whether the following statement is a tautology or not, by using truth tables. Show the truth table. [2]

$$[(p \rightarrow r) \wedge (r \rightarrow q)] \rightarrow (p \rightarrow q)$$

2. Let  $L(p, q)$  means that student  $p$  likes movie  $q$ , where the domain for  $p$  consists of all students at your college and the domain for  $q$  consists of all movies in India. Express the following statement by a simple English sentence. [2]

$$\forall p \forall z \exists q (L(p, q) \leftrightarrow L(z, q))$$

3. Verify whether the given argument is valid or not and explain why? [3]

No UG1 or UG2 student enrolled in a physical education class. Mary enrolled in physical education class. Therefore Mary is not a UG1 student.

4. Write the converse, inverse and contrapositive of the following statement: [3]

If today is Sunday, then it is a holiday.

5. Prove or disprove. For all  $x \in \mathbb{R}$ , If  $x > 0$ , then  $x^2 + 4 > 0$ . [1]

6. Determine whether  $f$  is a bijective function from  $\mathbb{R}$  to  $\mathbb{R}$  if  $f(x) = 2x^4 - 8$ . [2]

7. Let  $A$  and  $B$  be two sets. Prove that  $A - B = A \cap B^c$ . (without venn diagram) [1]

8. Suppose  $A = \{\text{Red, Blue}\}$ ,  $B = (0, 2] \cap \mathbb{Z}$  and  $C = B \cup \{100\}$ , where  $\mathbb{Z}$  is the set of all integers. Find  $C \times A$ . [1]