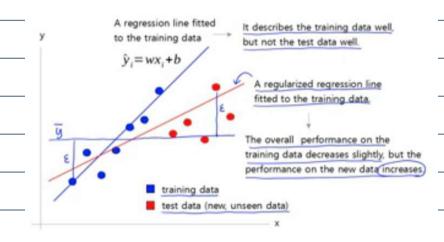
-> Regularization is a key technique that prevents overliting by adding

a penalty term to the model's loss function

-> The penalty term prevents the loss from becoming too small.



- This produces a regression line that is slightly insensitive to x and not too sensitive.
- Regularization: Lasso and Ridge

$$\hat{y}_{i} = \underbrace{w_{i}}_{j} \underbrace{x_{1,i}}_{1} + w_{2} x_{2,i} + \dots + \underbrace{w_{i}}_{j} \underbrace{x_{k,i}}_{k} + \underbrace{b \cdot v_{0}}_{j} \underbrace{x_{k,i}}_{k} + \underbrace{b \cdot v_{0}}_{j} \underbrace{x_{0,i}}_{k} + \underbrace{w_{1}}_{j} \underbrace{x_{1,i}}_{k} + w_{2} x_{2,i} + \dots + w_{k} x_{k,i} \underbrace{k}_{k} \underbrace{k}_{i} \underbrace{$$

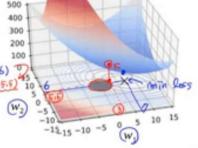
 $\frac{\partial L}{\partial (w)} = 0$, $\frac{\partial L}{\partial (x)} = 0 \rightarrow w^*$, λ^*

· L1 regularization (LASSO)

$$loss(L_1) = \sum_{i=1}^{n} (y_i - \sum_{j=0}^{k} w_j x_{j,i})^2 + \lambda \sum_{j=0}^{k} |w_j|$$
subject to $\sum_{j=0}^{k} |w_j| \le 1$

Assuming λ is a constant, λC is also

a constant, and we get the following equation. λ is the regularization ω*= (2, 6) constant and a hyper-parameter. W-(3,5.5) subject to SIWI < Co } Elastic-Net



L2 regularization (Ridge)

$$loss(L_2) = \sum_{i=1}^{n} (y_i - \sum_{j=0}^{k} w_j x_{j,i})^2 + \underbrace{\lambda}_{k} \sum_{j=0}^{k} w_j^2$$

Regularization term

