# Introduction to Information Security

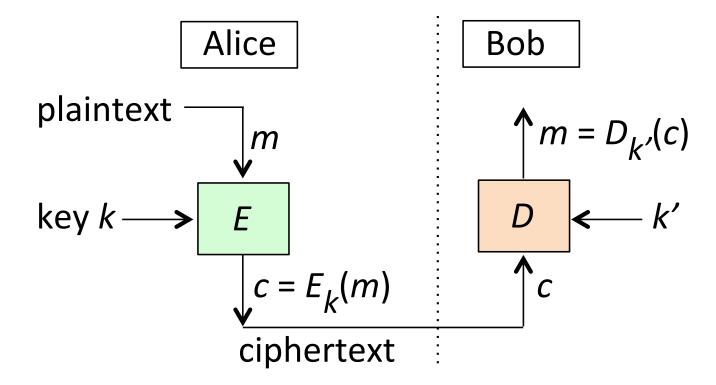
4. Symmetric-key Encryption

Kihong Heo



# Symmetric-key Encryption

- Symmetric: the encryption and decryption keys are the same
- Assume: plaintexts and ciphertexts are all bit vectors from now on (for simplicity)



### Perfectly Secret Encryption

- Ideal encryption scheme
- Secure against an adversary with unbounded computational power (e.g., infinite time & memory)
- Two equivalent definitions

An encryption scheme (Gen, Enc, Dec) with message space  $\mathcal{M}$  is perfectly secret if for every probability distribution over  $\mathcal{M}$ , every message  $m \in \mathcal{M}$ , and every ciphertext  $c \in \mathcal{C}$  for which  $\Pr[C = c] > 0$ :

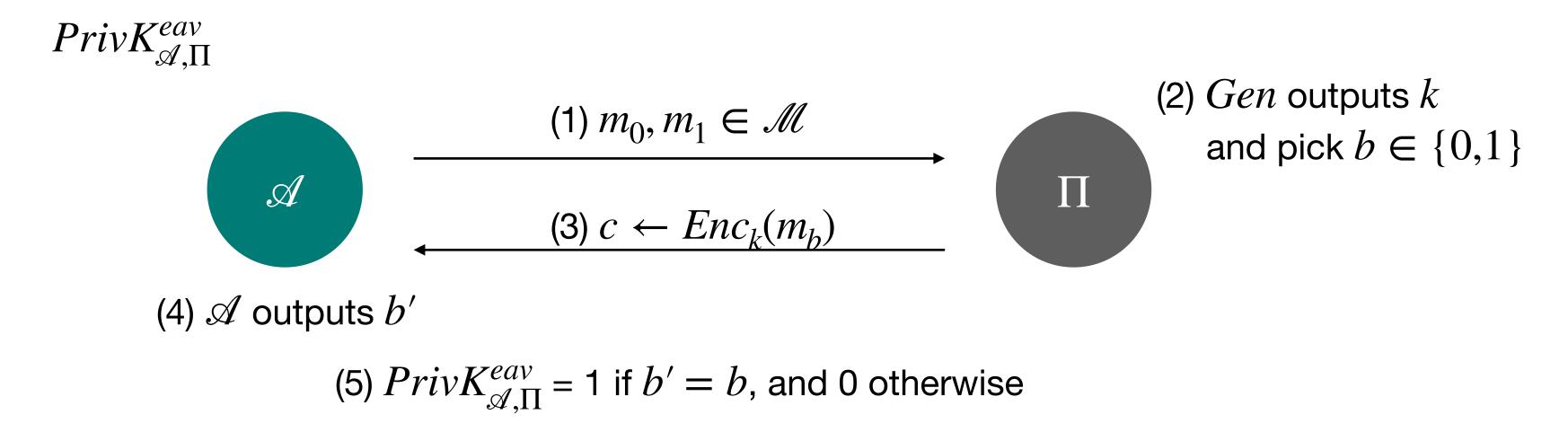
$$\Pr[M = m \mid C = c] = \Pr[M = m]$$

For every  $m, m' \in \mathcal{M}$ , and every  $c \in \mathcal{C}$ ,

$$\Pr[Enc_K(m) = c] = \Pr[Enc_K(m') = c]$$

# Perfect Indistinguishability

- Yet another equivalent definition
- Consider a game with an adversary  $\mathcal A$  and an encryption oracle  $\Pi=(Gen,Enc,Dec)$



ullet Encryption scheme  $\Pi$  with message space  ${\mathscr M}$  is perfectly indistinguishable if for every  ${\mathscr A}$ 

$$Pr[PrivK_{\mathcal{A},\Pi}^{eav} = 1] = 0.5$$

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### Vernam Cipher

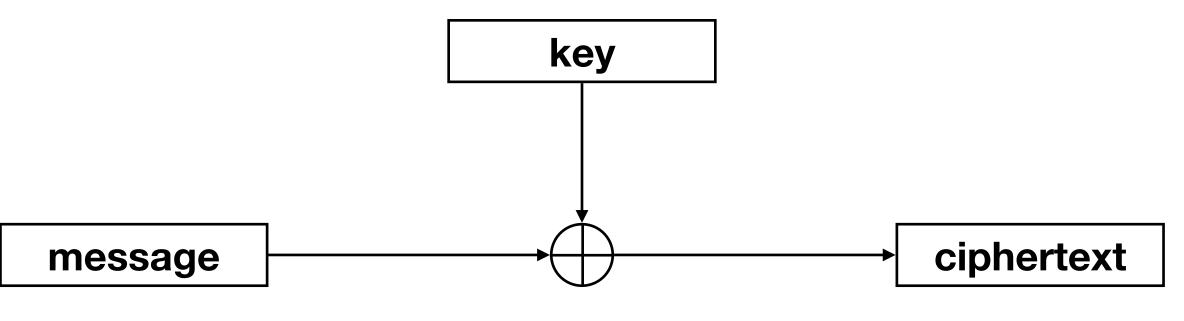
- AKA Vernam's one-time pad (Gilbert Verman, 1917)
- Fix an integer l > 0. The space of  $\mathcal{M}$ ,  $\mathcal{K}$ ,  $\mathcal{C}$  are  $\{0,1\}^l$
- Idea: encrypt plaintext one bit at a time using a random key
  - $m = m_1 m_2 ... m_l$  and  $k = k_1 k_2 ... k_l$
- Gen: choose a key from  ${\mathscr K}$  with uniform distribution
- $Enc: c_i = m_i \oplus k_i$
- $Dec: m_i = c_i \oplus k_i$
- ullet Key k is randomly chosen and never reused: one-time pad

### Proof of Perfect Secrecy

$$Pr[M = m \mid C = c] = \frac{Pr[C = c \mid M = m] \cdot Pr[M = m]}{Pr[C = c]}$$
$$= \frac{2^{-l} \cdot Pr[M = m]}{2^{-l}}$$
$$= Pr[M = m]$$

# Confidentiality of Vernam Cipher

- Unbreakable encryption scheme
  - An attacker without the key cannot recover plain text from ciphertext
  - Even given unlimited computing power and time
- So-called information-theoretically secure
  - The best thing the attacker can do is a random guess





#### Limitations of One-Time Pad

- The OTP should be truly random
- The OTP should be at least as long as the message
- Both copies of the OTPs are destroyed immediately after use





**DDR (East-Germany)** 

### Towards Practical Encryption Schemes

- Do not rely on a truly random number generator → pseudo-random number generator
- Do not have a key as large as the message → block cipher
- Do not have the same ciphertext even with the same key and plaintext  $\rightarrow$  prob. encryption

# Computationally Secure Encryption

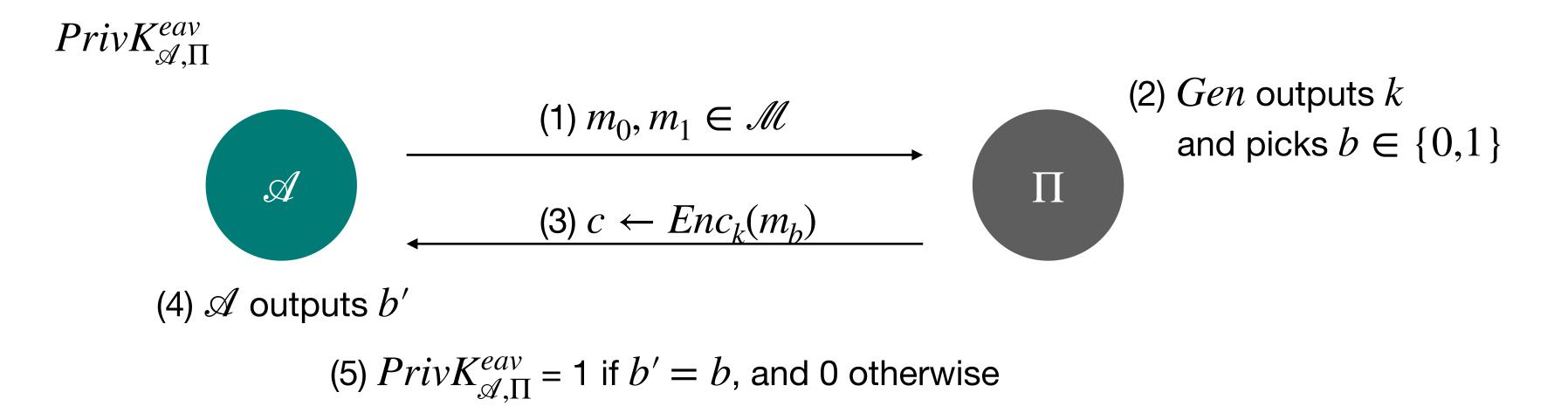
- Perfect secrecy: no information leaked to an adversary with unlimited computational power
  - Unnecessarily strong
- In practice, may be okay
  - leakage of a tiny amount of information
  - to an adversary with bounded computational power
- How to define
  - Tiny amount?
  - Bounded computational power?
  - Okay?

### Example

- Consider a scheme with the guarantee that
  - no adversary running for at most 280 cycles can break the scheme
  - with a probability better than 2-60
- Is this secure?
  - Supercomputer: 280 keys/year
  - Sender/receiver both struck by lightning in a year: 2-60

### Recall: Perfect Indistinguishability

- Yet another equivalent definition
- Consider a game with an adversary  $\mathcal A$  and an encryption oracle  $\Pi=(Gen,Enc,Dec)$



• Encryption scheme  $\Pi$  with message space  $\mathscr{M}$  is perfectly indistinguishable if for every  $\mathscr{A}$ 

$$Pr[PrivK_{\mathcal{A},\Pi}^{eav} = 1] = 0.5$$

# Computational Indistinguishability: Concrete

- Introduce two concrete parameters
  - Bounded adversary capability: time t
  - Tiny probability of failure: probability  $\epsilon$
- Encryption scheme  $\Pi = (Gen, Enc, Dec)$  is  $(t, \epsilon)$ -indistinguishable if for every  $\mathscr{A}$  running time at most t,

$$\Pr[PrivK_{\mathcal{A},\Pi}^{eav} = 1] \le 0.5 + \epsilon$$

- Problems?
  - Complicated formulation and proof
  - Hard to change parameters (security level)

### Asymptotic Formalization

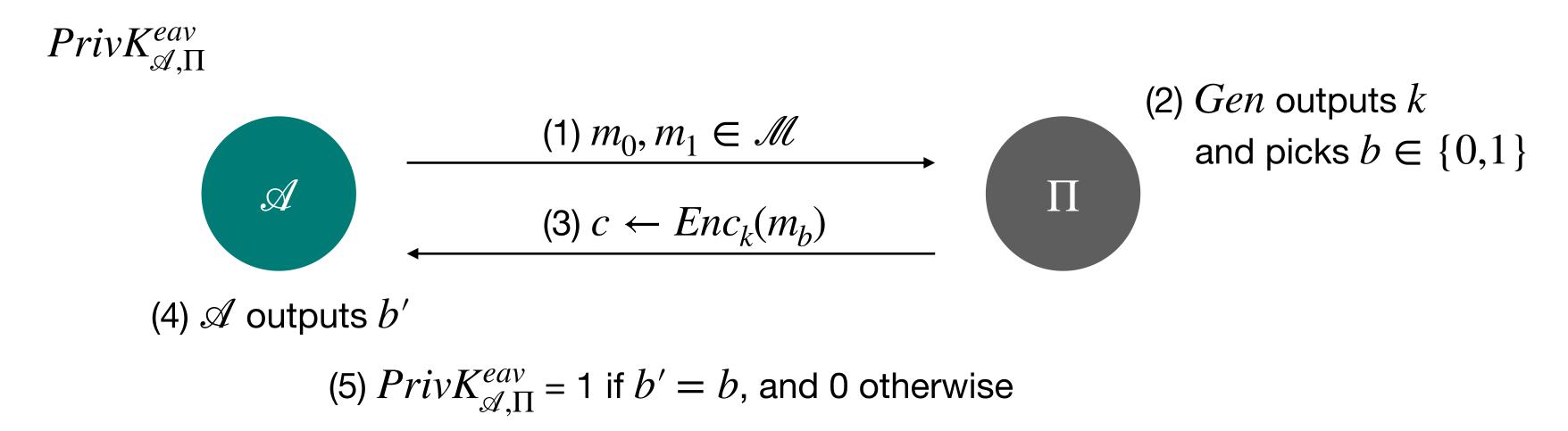
- Standard way for the estimation of the computational complexity of problems
  - Details will be covered in CS300 (Introduction to algorithms)
- Idea: describe the behavior of the algorithm based on the input size n
- Example: worst case time complexity
  - max : int list -> int
  - bubble\_sort : int list -> int list
  - Exhaustive password search (i.e., brute-force, 마구잡이)
  - Shortest route that visits each city exactly once and returns to the origin

### **Asymptotically Secure**

- Introduce an integer-valued security parameter *n* 
  - Typically a key length
  - Parameterize both the running time of the adversary and the attack success probability
- Asymptotically secure:
  - Any probabilistic polynomial-time (PPT) adversary succeeds in breaking the scheme with at most negligible probability
  - Probabilistic: access a random bit
  - Polynomial: efficient algorithm or running in polynomial time for given n
  - Negligible: asymptotically smaller than any inverse polynomial function

# Computational Indistinguishability

• Consider a game with a PPT adversary  $\mathcal{A}$  and an encryption oracle  $\Pi = (Gen, Enc, Dec)$ 



• Encryption scheme  $\Pi$  is computationally indistinguishable if for every PPT  $\mathscr{A}$ , there is a negligible function negl such that for all n,

$$\Pr[PrivK_{\mathcal{A},\Pi}^{eav}(n) = 1] \le 0.5 + negl(n)$$

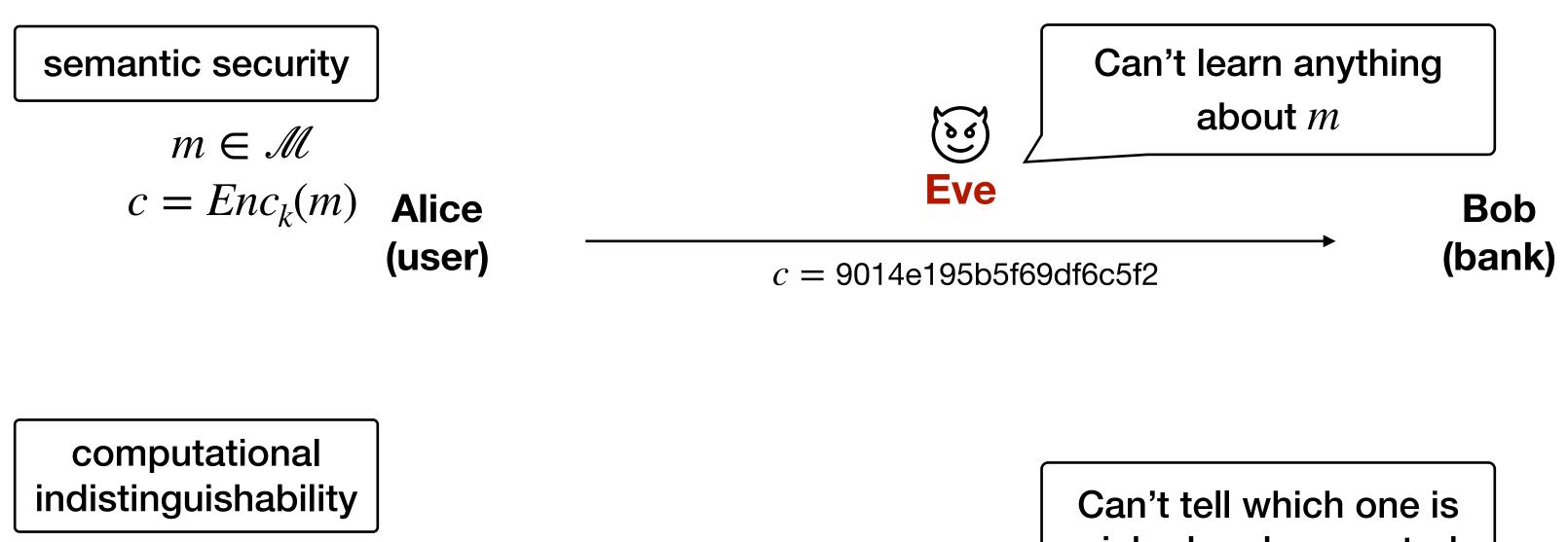
### Recall: Security Guarantees

- Example: What are the desired security guarantees for secure encryption?
- Impossible for an attacker
  - To recover the key? Enough?
  - To recover the entire plaintext from the ciphertext? Enough?
  - To recover any character of the plain text from the ciphertext? Enough?
  - To derive any meaningful information about the plaintext from the ciphertext? Enough?
  - To compute any function of the plaintext from the ciphertext (semantic security)

# Semantic Security

Semantically secure 

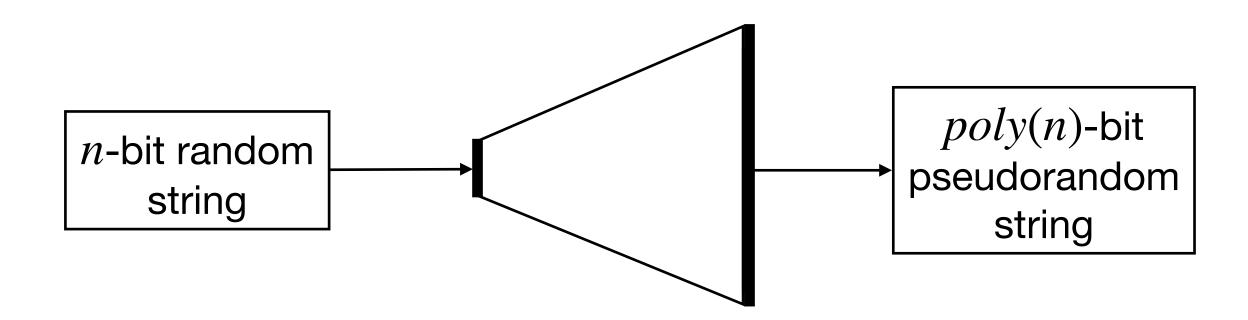
computationally indistinguishable



 $m_0, m_1 \in \mathcal{M}$   $c = Enc_k(m_b)$  Alice (user) c = 9014e195b5f69df6c5f2 Can't tell which one is picked and encrypted by picked and encrypted (bank)

# Pseudorandom Generators (PRGs)

- An efficient algorithm that transforms a short random string (seed) into a longer "randomlooking" output string
- "Random-looking"?
  - The output of PRG should look like a random string to any efficient observer
- Remember: "efficient" means "polynomial" in CS most of the time



#### Formal Definition of PRGs

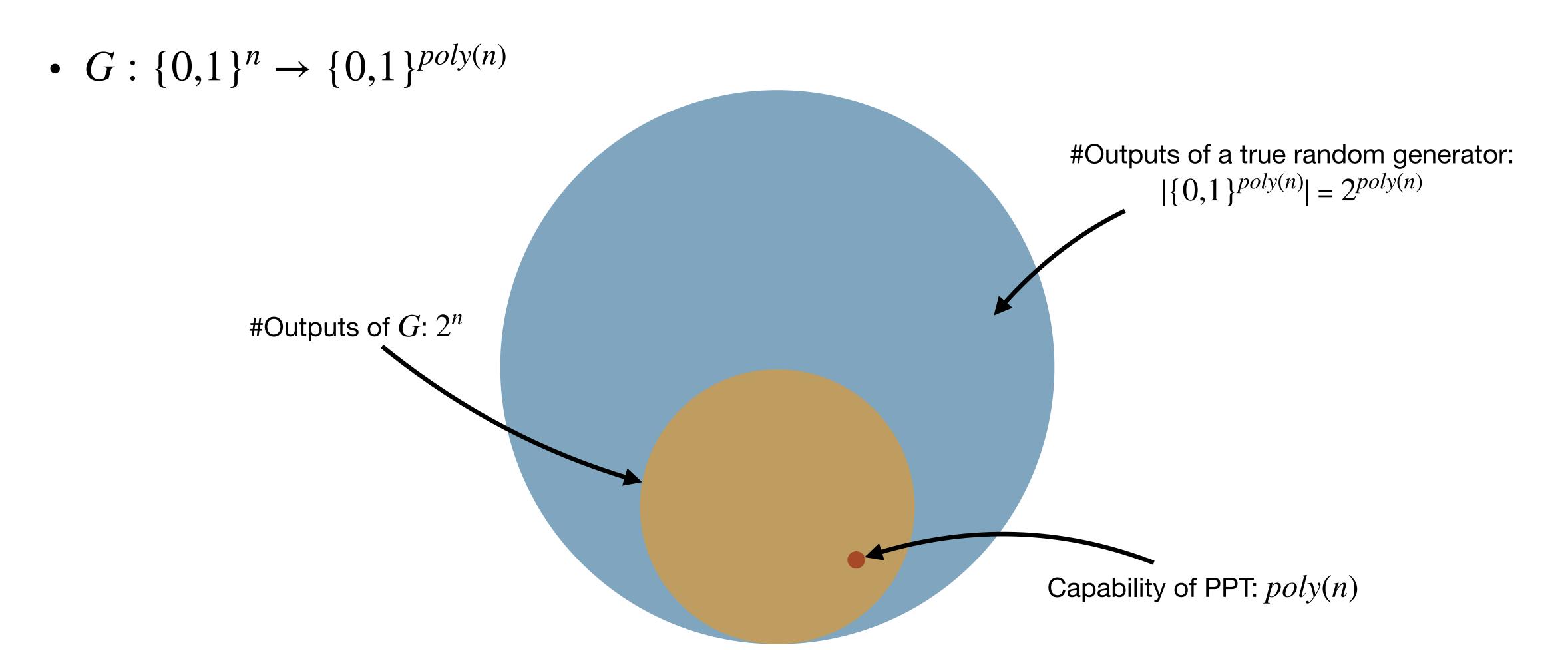
•  $G: \{0,1\}^n \to \{0,1\}^{poly(n)}$  is a pseudorandom generator if for any PPT algorithm D(distinguisher), there is a negligible function negl such that

$$|\Pr[D(G(s)) = 1] - \Pr[D(r) = 1]| \le negl(n)$$

where 
$$D(w) = \begin{cases} 1 \text{ if } D \text{ concludes that } w = G(s), s \text{ is drawn from } \{0,1\}^n \\ 0 \text{ if } D \text{ concludes that } w \text{ is drawn from } \{0,1\}^{poly(n)} \end{cases}$$

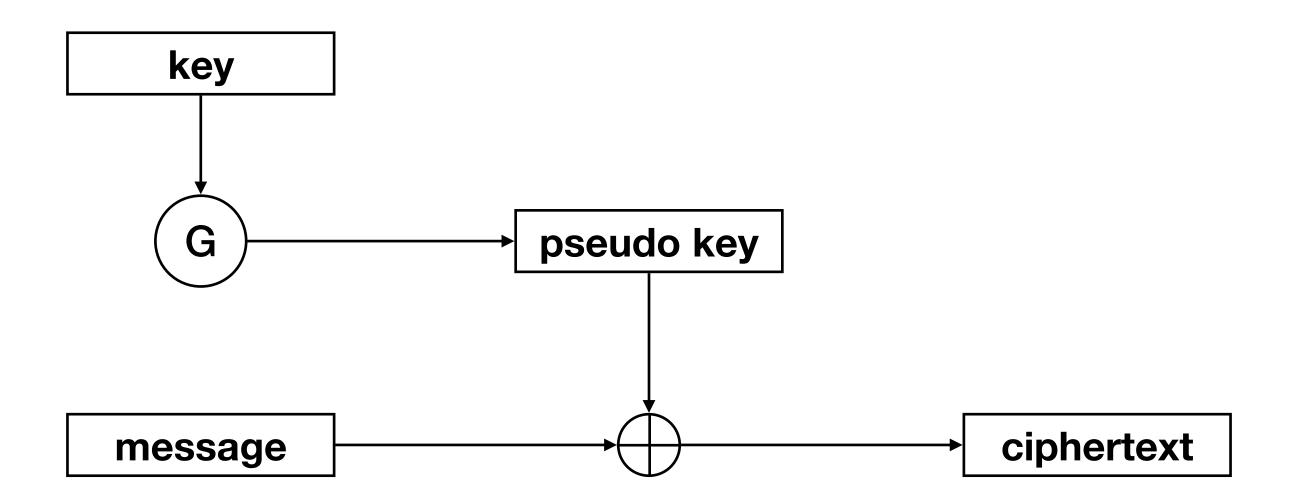
- Do such PRGs exist?
  - Don't know but YES if  $P \neq NP$  (i.e., if P = NP then, distinguishable by PPT)
  - Many practical PRGs in use every day (e.g., /dev/random)

# Indistinguishability



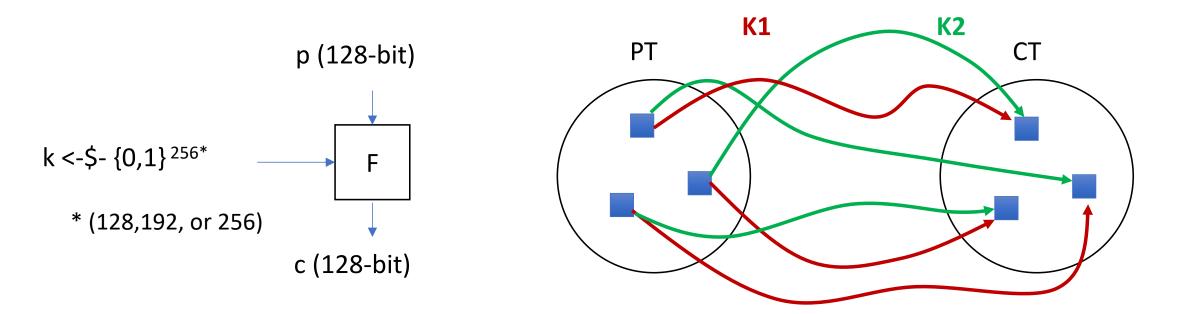
### Towards Practical Encryption Schemes

- Do not rely on a truly random number generator → pseudo-random number generator
- Do not have a key as large as the message  $\rightarrow$  block cipher
- Do not have the same cipher text even with the same key and plaintext  $\rightarrow$  prob. encryption



### Block Cipher

- Encrypt data in blocks of fixed lengths (e.g., 128-bits)
  - C.f., Stream cipher: encrypt 1 bit of data at a time (e.g., Vernam Cipher)
- Basic building block of many encryption schemes
- Idea: key = permutation
  - For a fixed key k, a block cipher with n-bit block length is a permutation
- Example: DES, AES (Advanced Encryption Standard)



### Pseudo-Random Permutation (PRP)

- Given a key length s and block length n
- Ideal block cipher
  - A collection  $E = \{\pi_1, ..., \pi_{2^n!}\}$  of random permutations  $\pi_i : \{0,1\}^n \to \{0,1\}^n$
- Practical block cipher using PRP  $\pi:\{0,1\}^s \times \{0,1\}^n \to \{0,1\}^n$ 
  - Encryption  $c=\pi_k(m)$  and decryption  $m=\pi_k^{-1}(c)$  where k is the key
  - For any  $k \in \{0,1\}^s$ ,  $\pi_k$  is a one-to-one function from  $\{0,1\}^n \to \{0,1\}^n$
  - For any  $k \in \{0,1\}^s$ , there is an "efficient" algorithm to evaluate  $\pi_k(x)$  and  $\pi_k^{-1}(x)$
  - For any  $k \in \{0,1\}^s$ ,  $\pi_k$  is indistinguishable from a random permutation

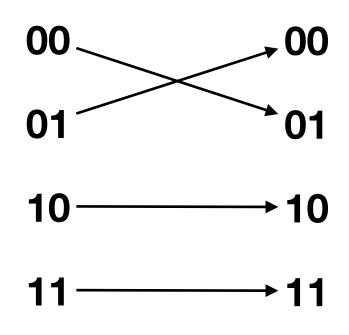
# Indistinguishability

- How many possible  $\pi$ ? (truly random permutation)
  - $(2^n)!$
  - If n = 3, then 30,320
  - If n = 7, then 2.856205 x  $10^{215}$
- How many possible  $\pi_k$  when the key length is s?
  - 2<sup>s</sup>
- For larger s,  $\pi_k$  is indistinguishable from a random permutation

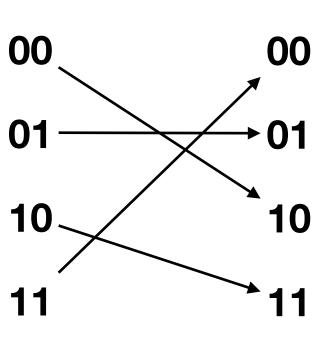
### Example

• Block length: 2 bits

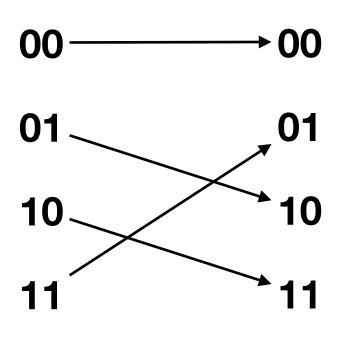
Key length: 2 bits



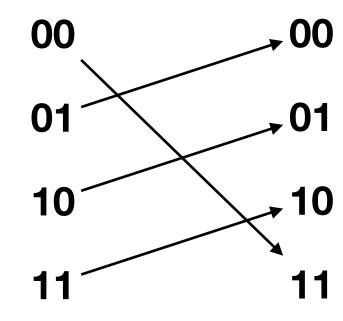
$$key = 00$$



$$key = 01$$



$$key = 10$$



$$key = 11$$

#### AES

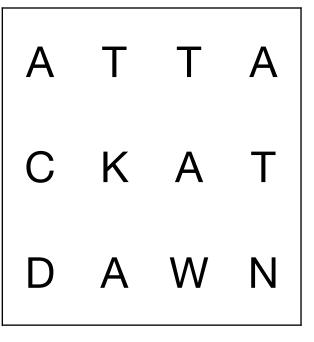
- Advanced Encryption Standard
  - Based on the Rijndael cipher developed by Rijmen and Daemen (2001)
- Symmetric key block cipher to replace DES (1977)
- Key length: 128, 192, and 256 bits
- 10 to 14 rounds of permutation
  - 10 rounds for 128-bit key, 12 for 192, 14 for 256
- 3 big ideas: confusion, diffusion, and key secrecy

#### Confusion

- Obscure the relationship between the plaintext and the ciphertext
- Example: Caesar cipher
  - Plaintext: attack at dawn
  - Ciphertext: DWWDFN DW GDZQ

#### Diffusion

- Spread out the message
- Example: column transposition
  - Plaintext: attack at dawn
  - Ciphertext: ACD TKA TAW ATN



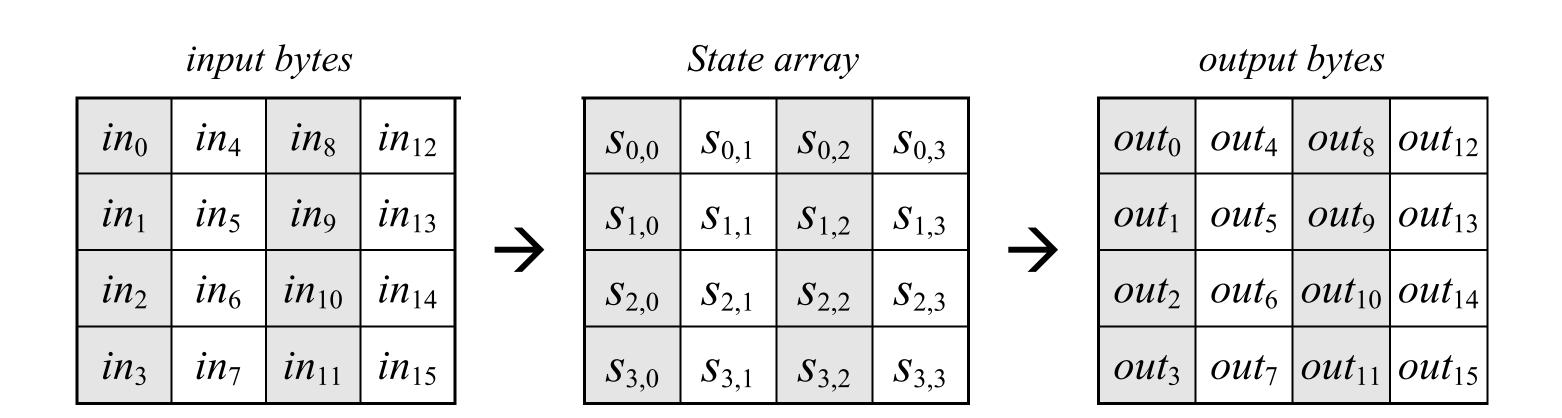
### Key Secrecy

- Kerckhoffs's principle (1883)
- A cryptosystem should be secure even if
  - Everything about the system is public (i.e., algorithm)
  - Except for the key
- Why?
  - Easier to keep small things secret than large things
  - |System design| >> |Key|

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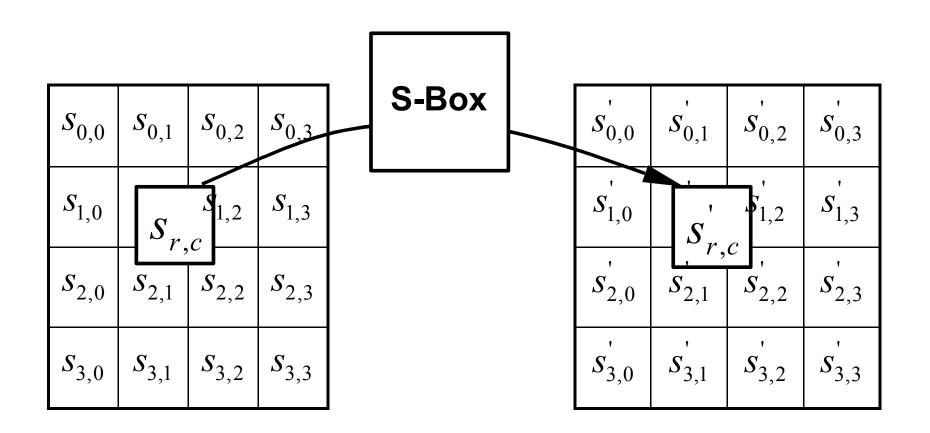
# AES in a Nutshell (1)

- Consider the minimum case of 128-bit key
- Input and output: 4 x 4 matrix of bytes
- (Intermediate) State: 4 x 4 matrix of bytes



# AES in a Nutshell (2): SubBytes

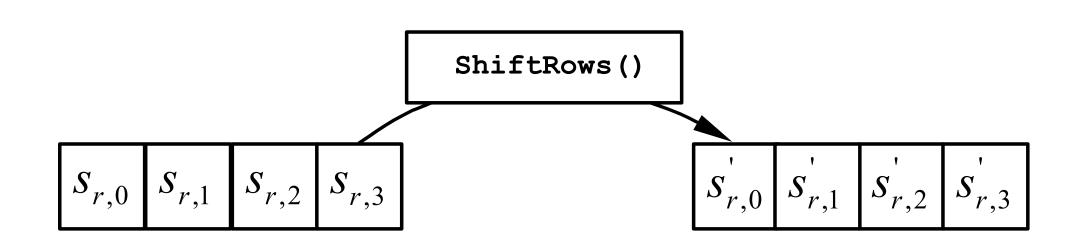
- Non-linear byte substitution for confusion
- Independent operation on each byte of the state using a substitution table (S-box)
- Example: if  $s_{1,1} = 53$  then  $s'_{1,1} = ed$

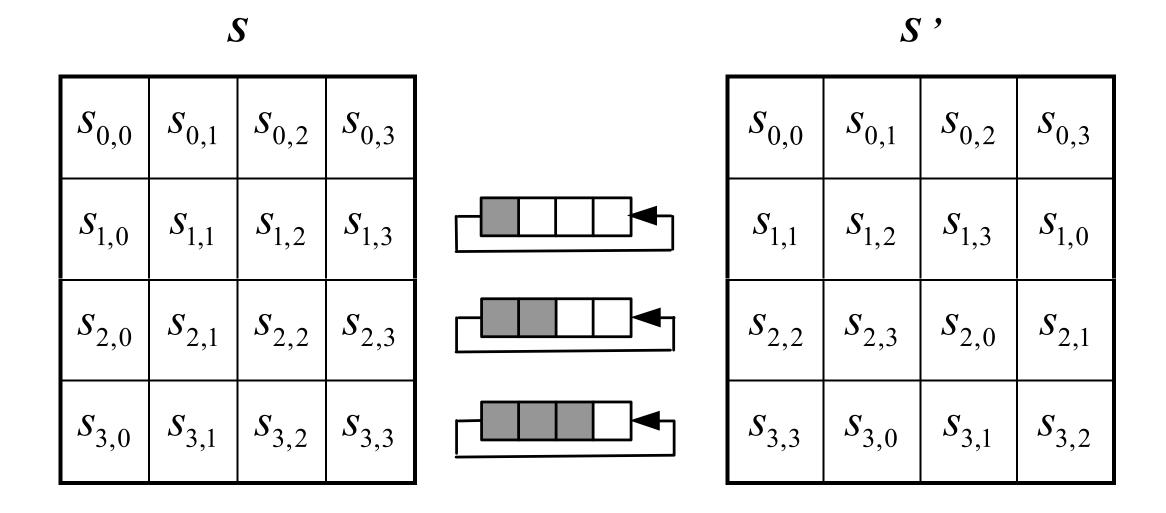


		Y															
		0	1	2	3	4	5	6	7	8	9	a	b	С	d	е	f
ж	0	63	7c	77	7b	f2	6b	6f	с5	30	01	67	2b	fe	d7	ab	76
	1	ca	82	с9	7d	fa	59	47	f0	ad	d4	a2	af	9c	a4	72	<b>c</b> 0
	2	b7	fd	93	26	36	3f	f7	CC	34	a5	<b>e</b> 5	f1	71	d8	31	15
	3	04	<b>c</b> 7	23	с3	18	96	05	9a	07	12	80	e2	eb	27	b2	75
	4	09	83	2c	1a	1b	6e	5a	a0	52	3b	d6	b3	29	<b>e</b> 3	2f	84
	5	53	d1	00	ed	20	fc	b1	5b	6a	cb	be	39	4a	4c	58	cf
	6	d0	ef	aa	fb	43	4d	33	85	45	f9	02	7f	50	3с	9f	a8
	7	51	a3	40	8f	92	9d	38	f5	bc	b6	da	21	10	ff	f3	d2
	8	cd	0c	13	ec	5f	97	44	17	c4	a7	7e	3d	64	5d	19	73
	9	60	81	4f	dc	22	2a	90	88	46	ee	b8	14	de	5e	0b	db
	a	e0	32	3a	0a	49	06	24	5c	c2	d3	ac	62	91	95	e4	79
	b	<b>e</b> 7	c8	37	6d	8d	d5	4e	<b>a</b> 9	6c	56	f4	ea	65	7a	ae	08
	С	ba	78	25	2e	1c	a6	<b>b4</b>	с6	e8	dd	74	1f	4b	bd	8b	8a
	d	70	3e	<b>b</b> 5	66	48	03	f6	0e	61	35	57	b9	86	c1	1d	9e
	е	e1	f8	98	11	69	d9	8e	94	9b	1e	87	<b>e</b> 9	ce	55	28	df
	f	8c	a1	89	0d	bf	<b>e</b> 6	42	68	41	99	2d	0f	b0	54	bb	16

# AES in a Nutshell (3): ShiftRows

- Cyclic shift over different numbers of bytes for diffusion
  - i-th row: i-byte shift
- Example: if  $s_2 = 0a23$  then  $s_2' = 230a$





# AES in a Nutshell (4): MixColumns

- Matrix multiplication on each column for diffusion
  - Multiplied by a fixed array

$$\begin{bmatrix} s'_{0,c} \\ s'_{1,c} \\ s'_{2,c} \\ s'_{3,c} \end{bmatrix} = \begin{bmatrix} 02 & 03 & 01 & 01 \\ 01 & 02 & 03 & 01 \\ 01 & 01 & 02 & 03 \\ 03 & 01 & 01 & 02 \end{bmatrix} \begin{bmatrix} s_{0,c} \\ s_{1,c} \\ s_{2,c} \\ s_{3,c} \end{bmatrix}$$

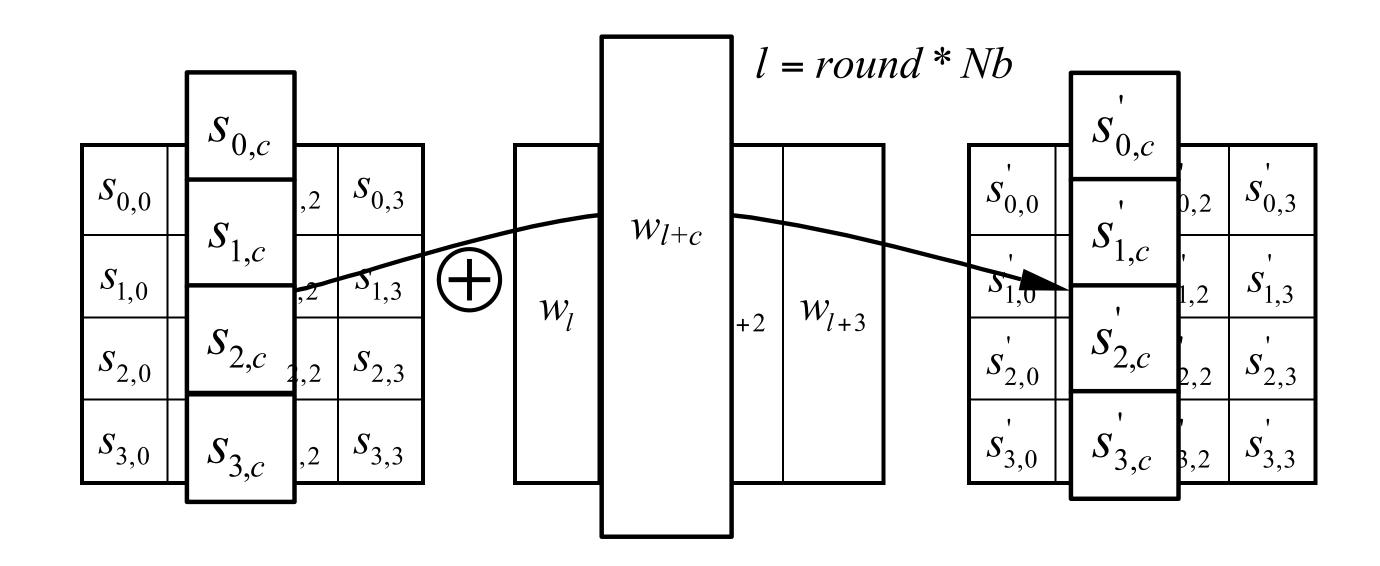
$$\begin{bmatrix} s_{0,c}' \\ s_{1,c}' \\ s_{3,c}' \end{bmatrix} = \begin{bmatrix} 02 & 03 & 01 & 01 \\ 01 & 02 & 03 & 01 \\ 01 & 01 & 02 & 03 \\ 03 & 01 & 01 & 02 \end{bmatrix} \begin{bmatrix} s_{0,c} \\ s_{1,c} \\ s_{3,c} \end{bmatrix}$$

$$= \begin{bmatrix} 02 & 03 & 01 & 01 \\ 01 & 02 & 03 & 01 \\ 03 & 01 & 01 & 02 \end{bmatrix} \begin{bmatrix} s_{0,c} \\ s_{1,c} \\ s_{2,c} \\ s_{3,c} \end{bmatrix}$$

$$s'_{1,c} = s_{0,c} \oplus (\{02\} \bullet s_{1,c}) \oplus (\{03\} \bullet s_{2,c}) \oplus s_{3,c} \\ s'_{2,c} = s_{0,c} \oplus s_{1,c} \oplus (\{02\} \bullet s_{2,c}) \oplus (\{03\} \bullet s_{3,c}) \\ s'_{2,c} = s_{0,c} \oplus s_{1,c} \oplus (\{02\} \bullet s_{2,c}) \oplus (\{03\} \bullet s_{3,c}) \\ s'_{3,c} = (\{03\} \bullet s_{0,c}) \oplus s_{1,c} \oplus s_{2,c} \oplus (\{02\} \bullet s_{3,c}) \\ s'_{3,c} = (\{03\} \bullet s_{0,c}) \oplus s_{1,c} \oplus s_{2,c} \oplus (\{02\} \bullet s_{3,c}) \\ s'_{3,c} = (\{03\} \bullet s_{0,c}) \oplus s_{1,c} \oplus s_{2,c} \oplus (\{02\} \bullet s_{3,c}) \\ s'_{3,c} = (\{03\} \bullet s_{0,c}) \oplus s_{1,c} \oplus s_{2,c} \oplus (\{02\} \bullet s_{3,c}) \\ s'_{3,c} = (\{03\} \bullet s_{0,c}) \oplus s_{1,c} \oplus s_{2,c} \oplus s_{2,c} \oplus s_{3,c} \\ s'_{3,c} = (\{03\} \bullet s_{0,c}) \oplus s_{1,c} \oplus s_{2,c} \oplus s_{2,c} \oplus s_{3,c} \\ s'_{3,c} = (\{03\} \bullet s_{0,c}) \oplus s_{1,c} \oplus s_{2,c} \oplus s_{2,c} \oplus s_{3,c} \\ s'_{3,c} = (\{03\} \bullet s_{0,c}) \oplus s_{1,c} \oplus s_{2,c} \oplus s_{2,c} \oplus s_{3,c} \\ s'_{3,c} = (\{03\} \bullet s_{0,c}) \oplus s_{1,c} \oplus s_{2,c} \oplus s_{2,c} \oplus s_{3,c} \\ s'_{3,c} = (\{03\} \bullet s_{0,c}) \oplus s_{1,c} \oplus s_{2,c} \oplus s_{2,c} \oplus s_{3,c} \\ s'_{3,c} = (\{03\} \bullet s_{0,c}) \oplus s_{1,c} \oplus s_{2,c} \oplus s_{2,c} \oplus s_{3,c} \\ s'_{3,c} = (\{03\} \bullet s_{0,c}) \oplus s_{1,c} \oplus s_{2,c} \oplus s_{2,c} \oplus s_{3,c} \\ s'_{3,c} = (\{03\} \bullet s_{0,c}) \oplus s_{1,c} \oplus s_{2,c} \oplus s_{2,c} \oplus s_{3,c} \\ s'_{3,c} = (\{03\} \bullet s_{0,c}) \oplus s_{1,c} \oplus s_{2,c} \oplus s_{2,c} \oplus s_{3,c} \\ s'_{3,c} = (\{03\} \bullet s_{0,c}) \oplus s_{1,c} \oplus s_{2,c} \oplus s_{2,c} \oplus s_{3,c} \\ s'_{3,c} = (\{03\} \bullet s_{0,c}) \oplus s_{1,c} \oplus s_{2,c} \oplus s_{2,c} \oplus s_{3,c} \\ s'_{3,c} = (\{03\} \bullet s_{0,c}) \oplus s_{1,c} \oplus s_{2,c} \oplus s_{2,c} \oplus s_{3,c} \\ s'_{3,c} = (\{03\} \bullet s_{0,c}) \oplus s_{1,c} \oplus s_{2,c} \oplus s_{2,c} \oplus s_{2,c} \oplus s_{3,c} \oplus s_{2,c} \oplus$$

# AES in a Nutshell (5): AddRoundKey

- A round key is added to the state by a simple bitwise XOR for secrecy
- The round key is determined by the key schedule algorithm



# AES in a Nutshell (6): Put it All Together

- Encryption
  - For each round: AddRoundKey MixColumns ShiftRows SubBytes
- Decryption: the inverse of the encryption
  - For each round: SubBytes-1 ShiftRows-1 MixColumns-1 AddRoundKey-1

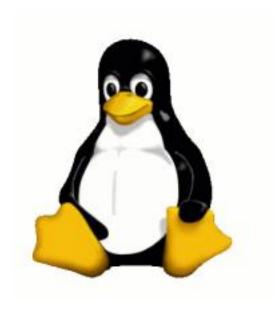
# Practical Use of Block Cipher

- If |plaintext| = block length?
  - Encrypt the plaintext using  $\pi_k$
- If the last plaintext block < block length?
  - Padding with "filler" characters
- Then, the encryption algorithm is as follows:
  - 1. Pad the plaintext with filler characters
  - 2. Split the padded plaintext into equal-size blocks
  - 3. Apply  $\pi_k$  for each block and concatenate them

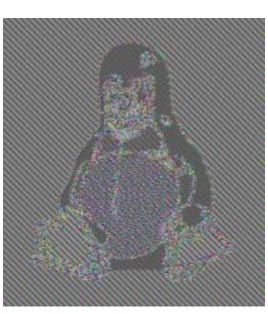


#### Problem

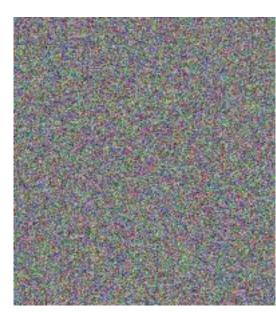
Identical plaintext blocks → identical cipher text blocks



**Plaintext** 



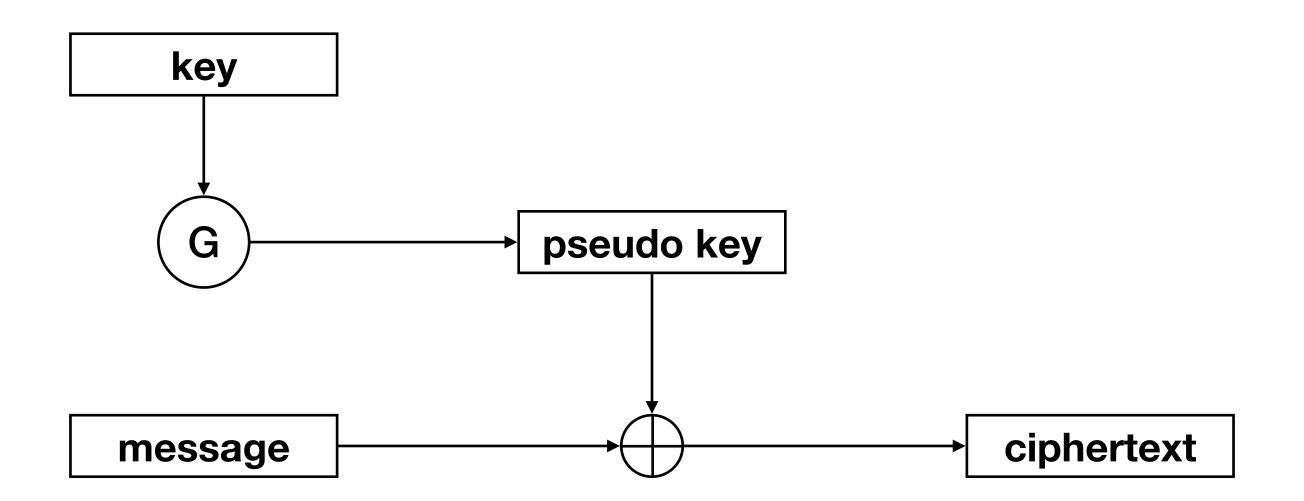
**Ciphertext of the Naive block cipher** 



Ciphertext we want!

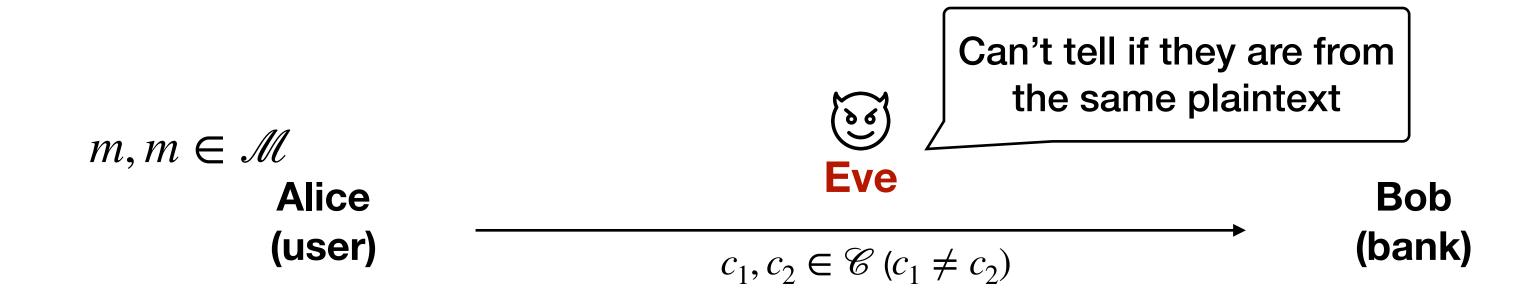
#### Towards Practical Encryption Schemes

- Do not rely on a truly random number generator → pseudo-random number generator
- Do not have a key as large as the message → block cipher
- Do not have the same cipher text even with the same key and plaintext  $\rightarrow$  prob. encryption



# Probabilistic Encryption

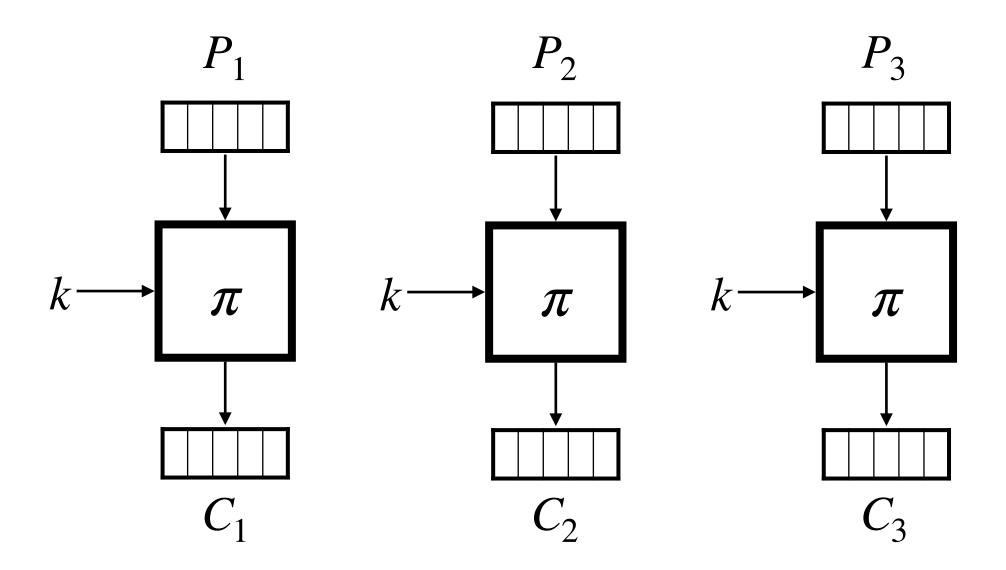
- Probabilistic encryption: different cipher texts for the same plaintext
  - All state-of-the-art encryption schemes are probabilistic
- How to generate different  $c_i$  for the same m?
- How to obtain the same m from different  $c_i$ ?



# Block Cipher Mode of Operation

- Determine how to repeatedly apply a single-block operation to a sequence of blocks
- Pseudo-random permutation only guarantees the confidentiality of a single block
- Different modes of operations
  - ECB: Electronic Code Book
  - CBC: Cipher Block Chaining
  - CFB: Cipher FeedBack
  - OFB: Output FeedBack
  - CTR: CounTeR mode

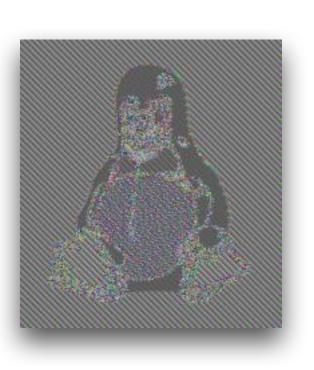
# Electronic Code Book Mode (ECB)



$$C_i = \pi_k(P_i)$$

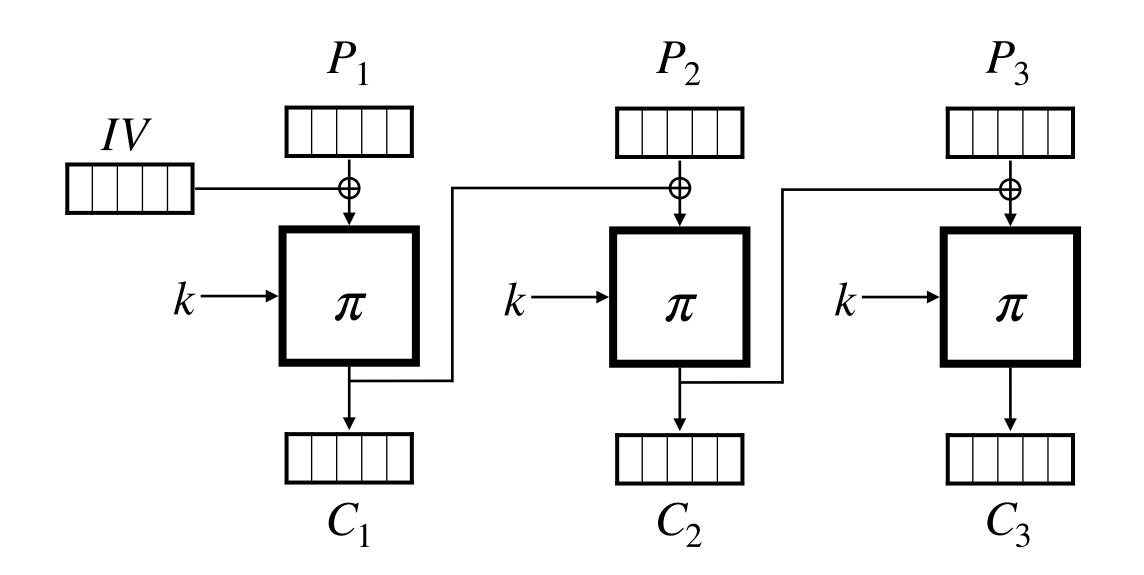
$$P_i = \pi_k^{-1}(C_i)$$

- Advantages
  - Simple and efficient (i.e., parallelizable) to compute
- Disadvantages
  - Same plaintext always corresponds to same cipher text



# Cipher Block Chaining Mode (CBC)

Introduction to Information Security

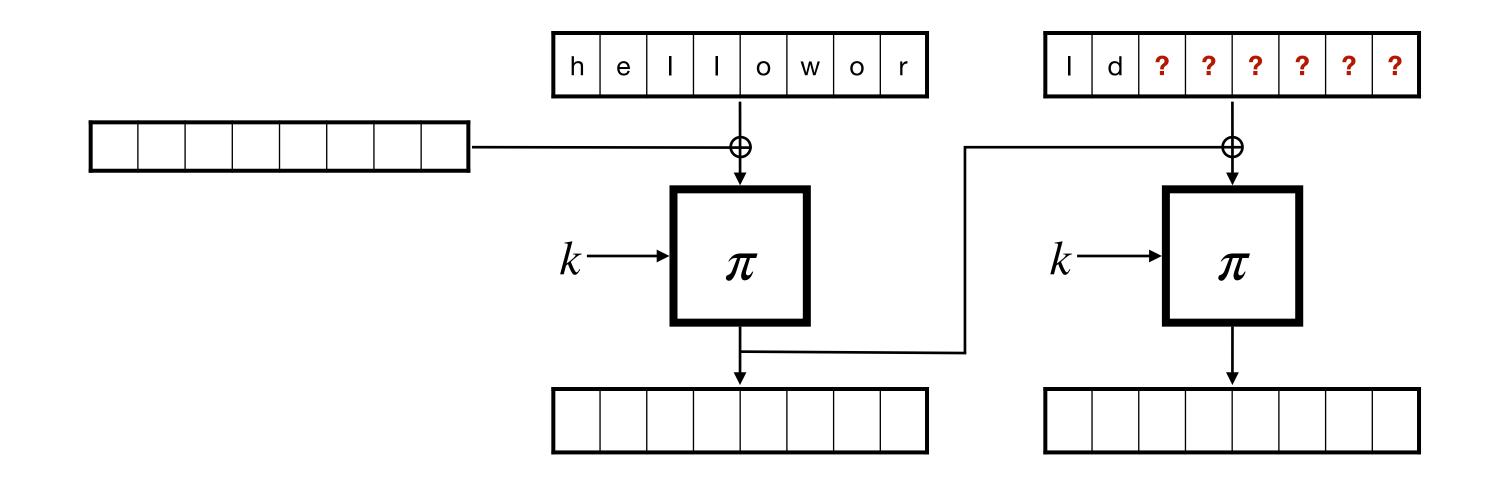


$$\begin{split} C_i &= \pi_k(P_i \oplus C_{i-1}) \\ P_i &= \pi_k^{-1}(C_i) \oplus C_{i-1} \\ C_0 &= IV \quad \text{(Initialization Vector)} \end{split}$$

- Advantages
  - Semantic security
- Disadvantages
  - Cannot be parallelized

### Padding

- Block cipher: a fixed block size
- What if the message size is not a multiplication of the block size?
- Example: 64-bit block (8 bytes)



#### Padding Schemes

- What kind of padding scheme can you imagine?
- Zero padding: padded with zero
  - | 00 11 22 33 44 55 66 77 | 88 99 00 00 00 00 00 |
  - Not reversible
- PKCS#5 (and PKCS#7): padded with the number of bytes that are added
  - | 00 11 22 33 44 55 66 77 | 88 99 **05 05 05 05 05**
  - Most commonly used
- Many others

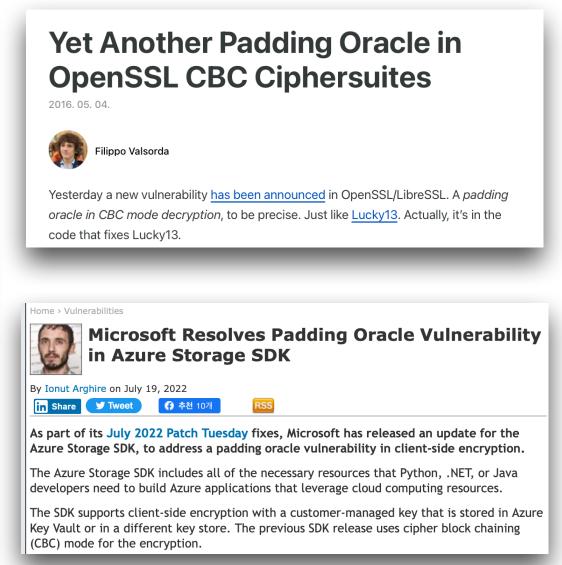
# Padding Oracle

- A service that checks whether the plaintext is correctly padded or not
- Usually for providing detailed error messages
  - E.g., Invalid data, Invalid padding, etc Is this service secure? **OK / Invalid PW / Invalid Padding**

### Padding Oracle Attack

- An attacker can obtain the plaintext using the oracle
- Discovered in 2002

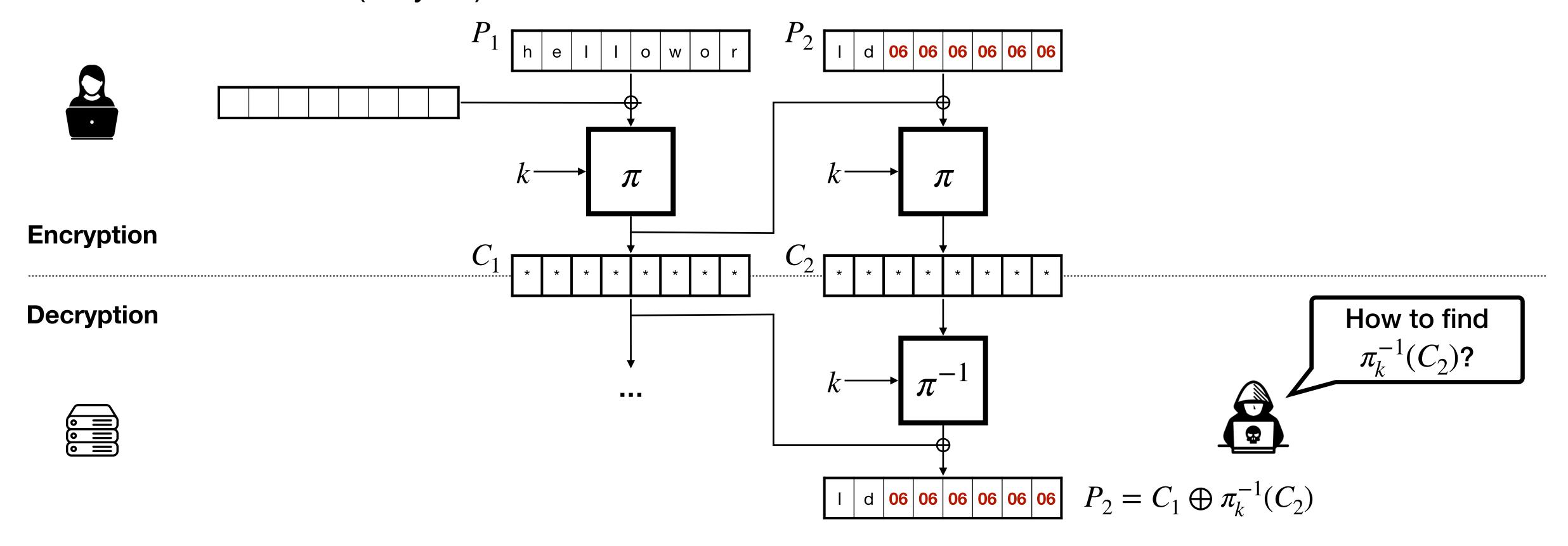




\*Serge Vaudenay, Security Flaws Induced by CBC Padding Applications to SSL, IPSEC, WTLS..., Eurocrypt 2022

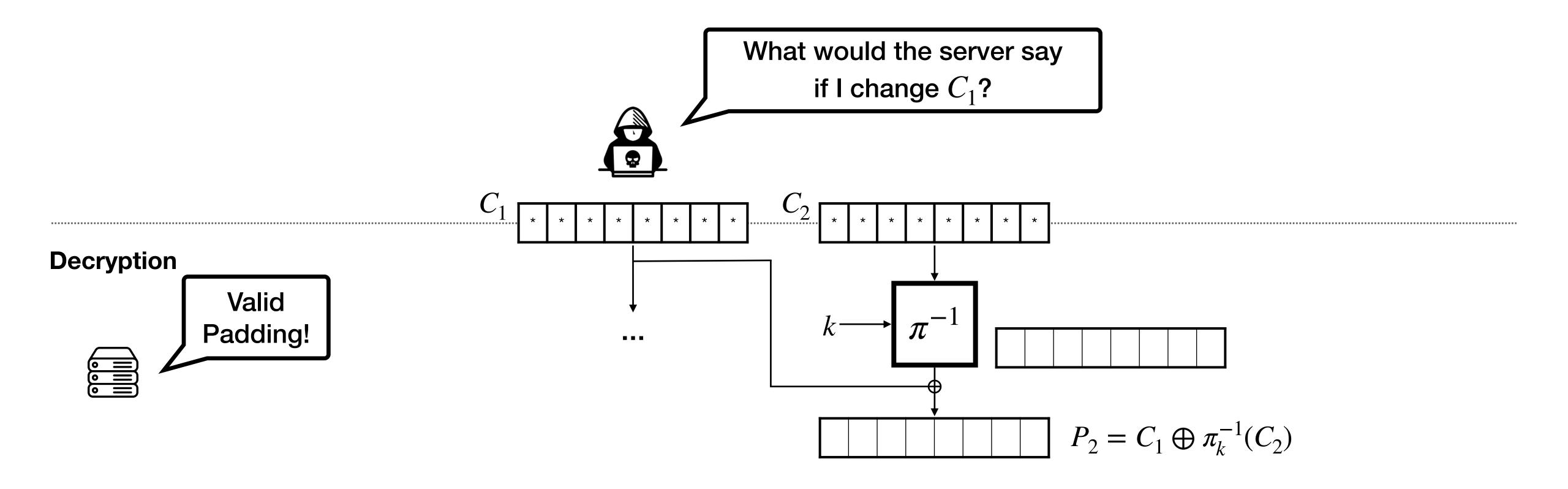
# Example (1)

Assume 64-bit (8 bytes) block size



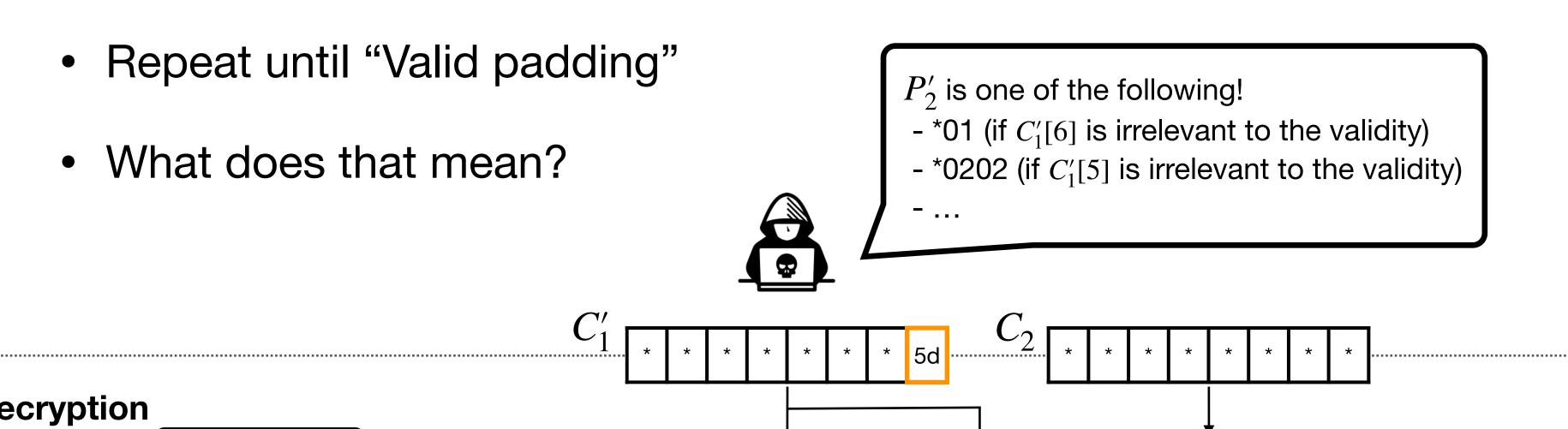
### Example (2)

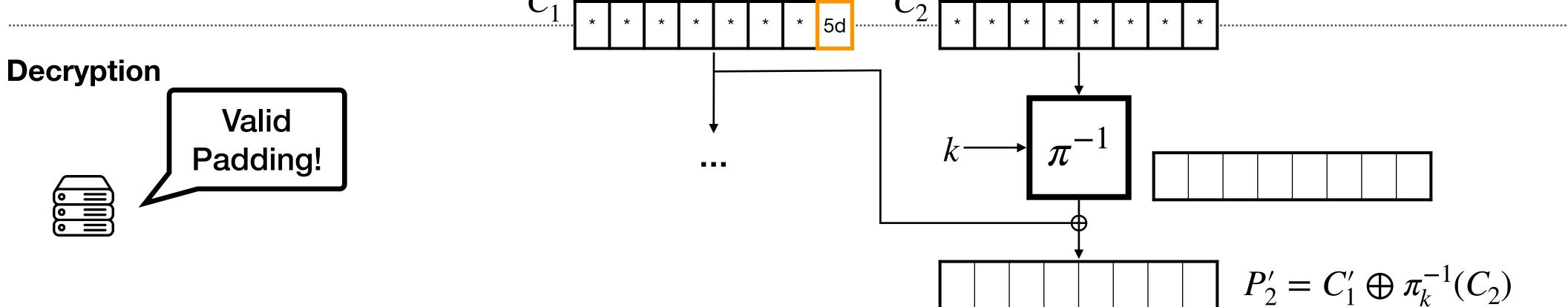
Assume 64-bit (8 bytes) block size



# Example (3)

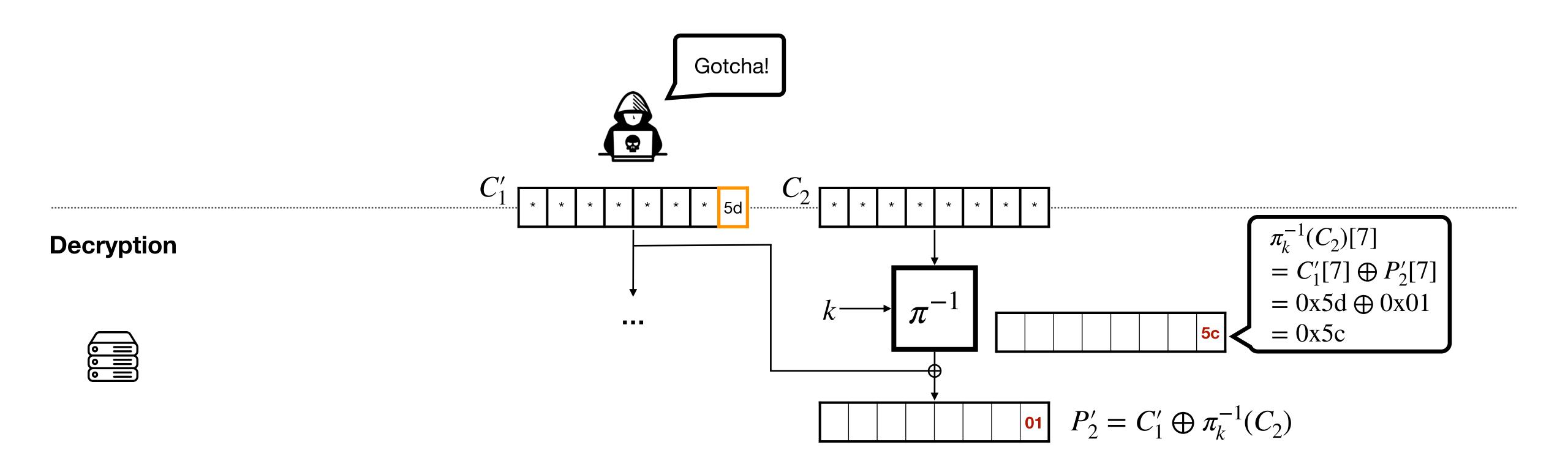
• Construct  $C_1'$  by randomly changing the last byte of  $C_1$  and send  $C_1' \mid \mid C_2$  to the oracle





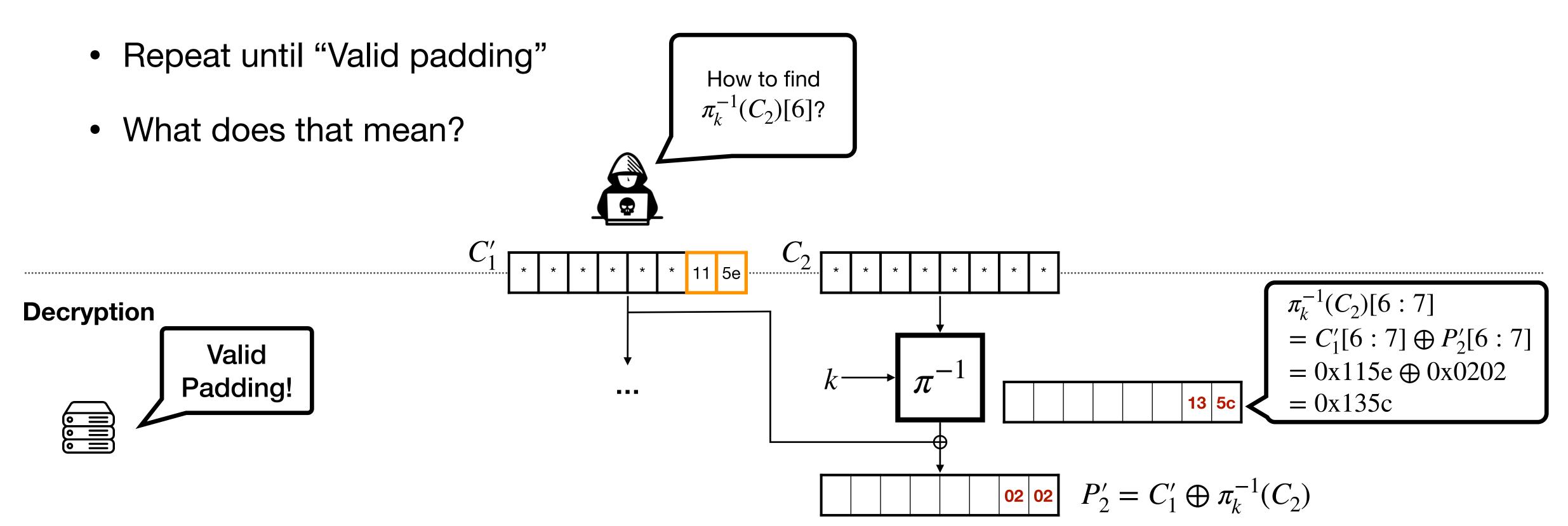
### Example (4)

• Suppose we are sure that  $P_2'[7] = 0x01$ 



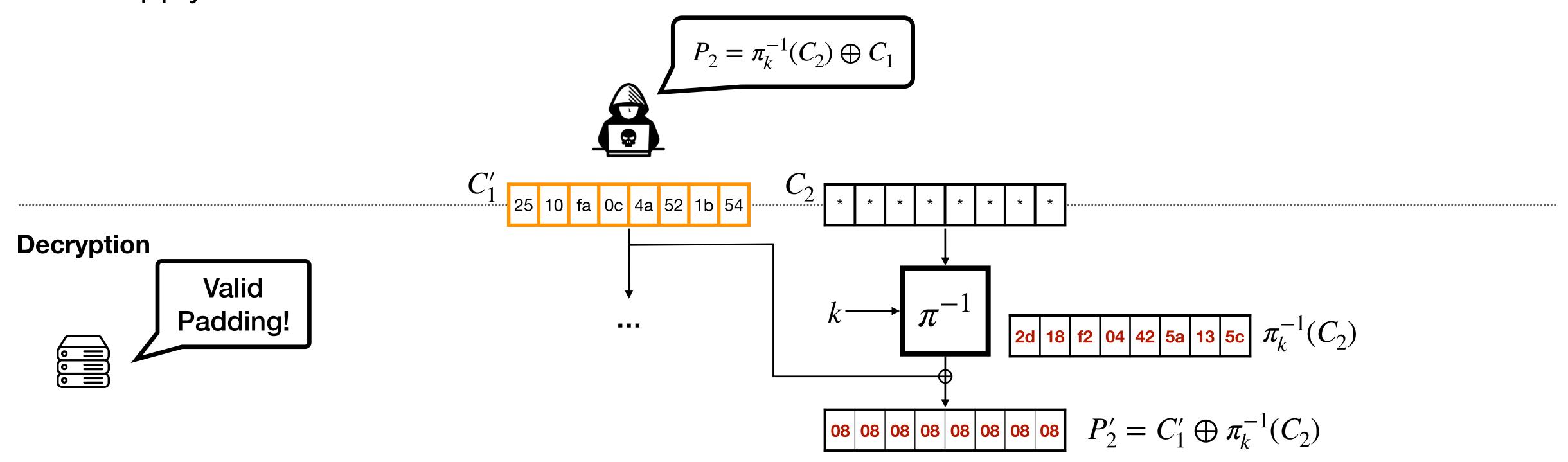
# Example (5)

• Construct  $C_1'$  by randomly changing the last two bytes of  $C_1$  and send  $C_1' \mid \mid C_2$  to the oracle



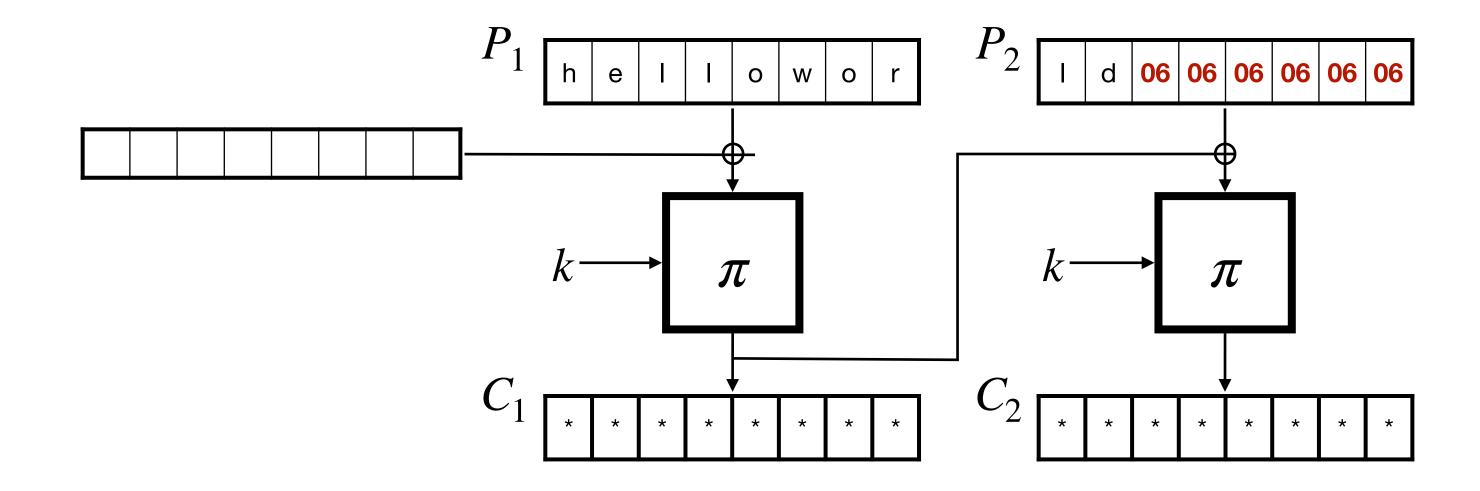
# Example (6)

- Finally,  $\pi_k^{-1}(C_2)$  will be discovered by the attacker
- Apply the same attack for all the other blocks

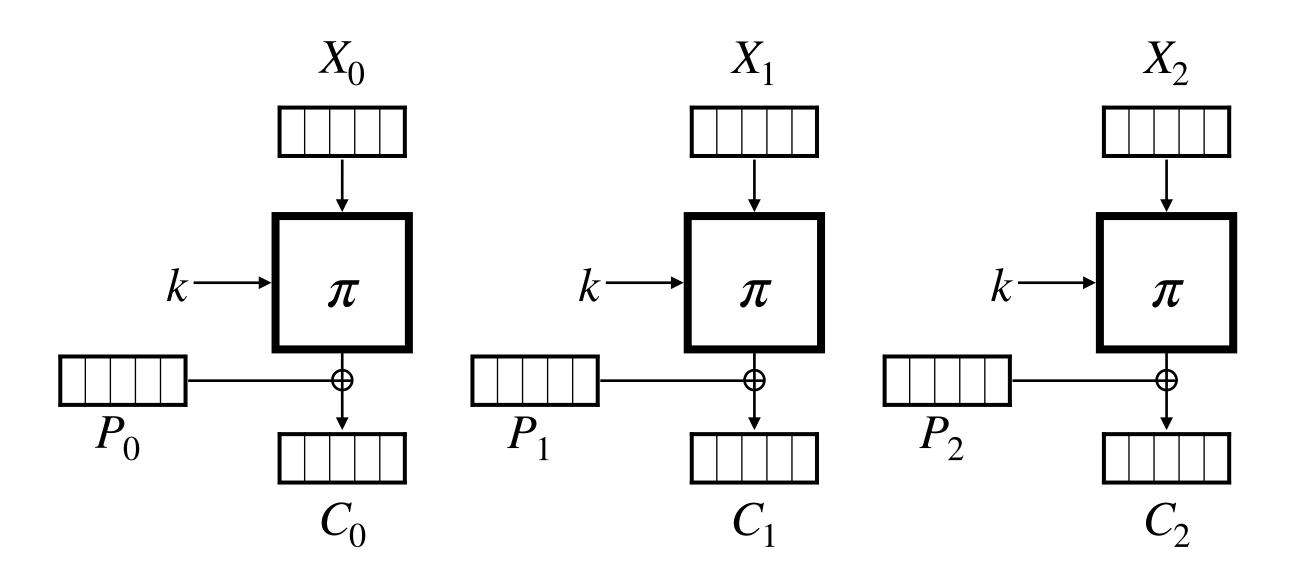


#### Lessons Learned

- Be careful when you design a secure service based on cryptography
- What if we do not allow such an oracle?
  - Security vs usability
- "Chaining" is not a good idea



# Counter Mode (CTR)



$$X_0 = IV$$

$$X_i = X_0 + i$$

$$C_i = \pi_k(X_i) \oplus P_i$$

$$P_i = \pi_k(X_i) \oplus C_i$$

- Advantages
  - Semantic security and parallelization
- Disadvantages
  - Maintenance of synchronous counters

#### Summary

- Symmetric-key cryptography: the same key for encryption and decryption
- Vernam cipher (one-time pad): unbreakable but impractical
- Block cipher: basic building block of many schemes using pseudo-random permutation
- Block cipher mode of operations

	Advantages	Disadvantages
ECB	Simple Parallelizable enc / dec	Pattern leackage
CBC	Semantic security	Only dec parallelizable Padding oracle attack
CTR	Semantic security Parallelable enc / dec	Counter maintenance