





## <u>Desenvolvimento de</u> <u>Aplicações Distribuídas</u>

Coordination:
Mutual Exclusion, Leader Election



### Summary

#### Coordination/Consensus

- Problems in distributed systems
- Failure detection

#### Algorithms:

- Mutual Exclusion
  - centralized server, ring, Ricart and Agrawala, Maekawa
- Election
  - \* ring, bully



### Need for Coordination Algorithms

#### For a set of processes:

To coordinate their actions or to agree on one or more values

#### Examples:

- Several computers in an airplane, spaceship, other complex equipment and distributed systems in general
- Such coordination should be done even without a master-slave relation:
  - Such solution has a single point of failure
- Multicast is a useful communication paradigm:
  - Is basically a problem of agreement between processes
- These are hard problems:
  - they are even more dificult when considering failures



## Coordination Problems in Distributed Systems (1)

- asynchronous distributed systems:
  - no single process has a view of the current global system state
- need to coordinate the actions of the independent processes to achieve common goals:
  - failure detection: how do I know in an asynchronous network whether my peer is dead or alive?
  - mutual exclusion: no two process will ever get access to a shared resource in a critical section at the same time
  - election: in master-slave systems, how will the system elect a master (either at boot up time or when the master fails)?



## Coordination Problems in Distributed Systems (2)

- need to coordinate the actions of the independent processes to achieve common goals:
  - multicast: sending to a group of recipients
    - reliability of multicast (correct delivery, only once, etc.)
    - order preservation
  - consensus in the presence of faults:
    - \* how to know whether acknowledgement was received over an unreliable communication medium?
    - how to agree on whether a transaction that is manipulating data on a set of distributed databases can be globally committed:
      - all databases agree that the transaction has accessed valid data (isolation)
      - no database crashes during the process (atomicity)?



### Failure Detector

- service that possesses the capability to decide whether a particular process has crashed or not
- local failure detector in each object, collaborating with peers in other processes to detect failure:
  - distinguishes suspected and unsuspected peer processes
  - reliable failure detector:
    - unsuspected:
      - may have already crashed...
      - but eventually all faulty process have to be reported as faulty (completeness)
    - \* failed:
      - accurate determination that peer process has failed
        - no false positives:
        - no slow processes are ever reported as faulty

always accurate in detecting a process's failure



### Unreliable Failure Detector

#### unreliable failure detector:

- unsuspected:
  - may be incomplete
    - not suspect an already failed process
- <u>suspected</u>: only a hint on that peer process may have failed
  - \* e.g., because no message received in quite some time
  - \* may be inaccurate
    - e.g., peer process hasn't failed, but the communication link is down, or peer process is much slower than expected



## Implementation of Unreliable Failure Detector

- periodically, every T seconds each p sends "I'm alive" message to every other process
- if local failure detector at q does not receive "I'm alive" from p within T+D (D = est. max. transmission delay), then p is suspected
  - local failure detector at q will revise verdict if message is subsequently received

#### problem:

- how to calibrate D
- either, for small D, intermittent network performance downgrades will lead to suspected nodes, or
- for large D crashes will remain unobserved (crashed nodes will be fixed before timeout expires)

#### solution approaches:

variable D, based on observed network latencies

#### conclusion:

implementation of reliable failure detectors only possible in synchronous networks



## Distributed Mutual Exclusion

#### Algorithms:

- Centralized server,
- \* Ring,
- \* Ricart and Agrawala,
- \* Maekawa



## Distributed Mutual Exclusion Problems

- prominent problem in multitasking operating systems
  - access to shared memory
  - access to shared resources
  - access to shared data
  - various centralized algorithms to ensure mutual exclusion, e.g.
    - Dijkstra's Semaphores
    - \* Monitors

#### mutual exclusion in distributed systems

- no shared memory
- usually, no centralized instance like operating system kernel that would coordinate access
- based on a synchronous or asynchronous, usually failure-prone network infrastructure

#### examples

- consistent access to shared files (e.g., Network File Systems)
- coordination of access to an access point in an IEEE 802.11 WLAN

# Requirements for Distributed Mutual Exclusion Algorithms in MessagePassing Based Systems

#### Application level protocol to enter a critical section:

- enter() enter critical section, block if necessary
- resourceAccesses() access shared resources in critical section
- <u>exit()</u> leave critical section, other processes may now enter

#### ME1:

at most one process may execute in the critical section at any given point in time (safety)

#### **■ ME2:**

 requests to enter or exit the critical section will eventually succeed (liveness)

#### ME3:

if one request to enter the critical section <u>happened-before</u> another, then the entry to the critical section is granted in that order (fairness, ordering)



## Performance Criteria for Distributed Mutual Exclusion Algorithms

#### Bandwidth consumed:

proportional to the number of messages sent in each entry and exit operation

#### Client delay:

incurred by a process at each entry and exit operation

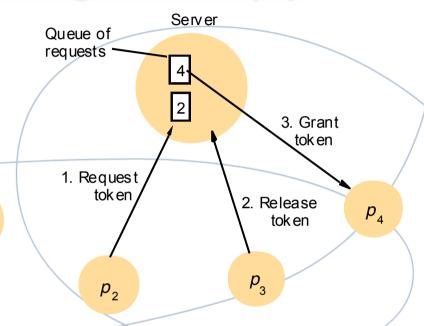
#### The algorithm's effect upon system throughput:

- rate at which the collection of processes as a whole can access the critical region, given that some communication is necessary between successive processes:
- measured in terms of the synchronization delay between one process exiting the critical section and the next process entering it



## <u>Distributed Mutual Exclusion:</u> Central Server-based Algorithm (1)

- central server receives access requests
  - if no process in critical section, request will be granted
  - if process in critical section, request will be queued
- process leaving critical section
  - grant access to next process in queue, or
  - wait for new requests if queue is empty

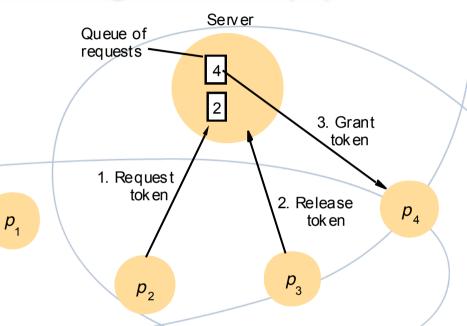




## <u>Distributed Mutual Exclusion:</u> <u>Central Server-based Algorithm (2)</u>

#### Properties

- satisfies ME1 and ME2, but not ME3 (network delays may reorder requests)
- entering the critical section takes two messages (delays the requesting process by a roundtrip)
- exiting the critical section takes one release message
- performance and availability of server are the bottlenecks
- synchronization delay is the time taken for a round-trip (release + grant)





## Distributed Mutual Exclusion: Ring Algorithm (1)

- logical, not necessarily physical link:
  - every process p<sub>i</sub> has connection to process p<sub>(i+1)</sub> mod N
- token passes in one direction through the ring
- token arrival
  - only process in possession of token may access critical region
  - if no request upon arrival of token, or when exiting critical region,
    - \* pass token on to neighbour



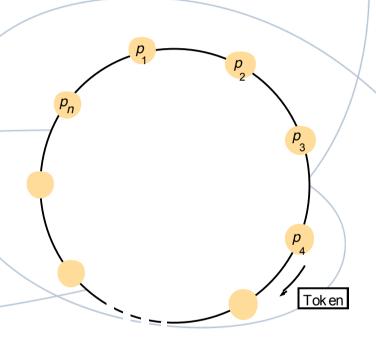
## Distributed Mutual Exclusion: Ring Algorithm (2)

#### Satisfies:

■ ME1 and ME2, but not ME3

#### performance:

- constant bandwidth consumption!!!!
- entry delay between 0 and N message transmission times (average N/2)
- synchronization delay (between one process's exit and the next process's entry) is anywhere from 1 to N message transmissions
- No ME3: token order <> request order.



processes may exchange application messages independently of the rotation of the token

## Distributed Mutual Exclusion: Fairness and Decentralization

#### Questions:

- How to ensure ME3:
  - \* fairness, ordering, comply with happened-before relation
- How to avoid single point of failure

### Approach:

- use multicast
- use logical clocks

#### TÉCNICO LISBOA

## Distributed Mutual Exclusion: Ricart and Agrawala Algorithm (1)

```
On initialization
   state := RELEASED;
To enter the section
   state := WANTED:
                                             processing of incoming requests
   Multicast request to all processes;
                                             deferred just here
   T := request's timestamp;
   Wait until (number of replies received = (N - 1));
   state := HELD;
On receipt of a request \langle T_i, p_i \rangle at p_i (i \neq j)
   if (state = HELD or (state = WANTED and (T, p_i) < (T_i, p_i))
    then
       queue request from p, without replying;
    else
       reply immediately to p_i;
    end if
To exit the critical section
   state := RELEASED;
   reply to any queued requests;
                                                          C Addison - Wesley Publishers 2000
```

#### based on multicast

- process requesting access multicasts request to <u>all</u> other processes
- process may only enter critical section if <u>all</u> other processes return positive acknowledgement messages

#### assumptions:

- all processes have communication channels to all other processes
- all processes have distinct numeric ID and maintain logical (Lamport) clocks with process IDs

#### TÉCNICO LISBOA

## Distributed Mutual Exclusion: Ricart and Agrawala Algorithm (2)

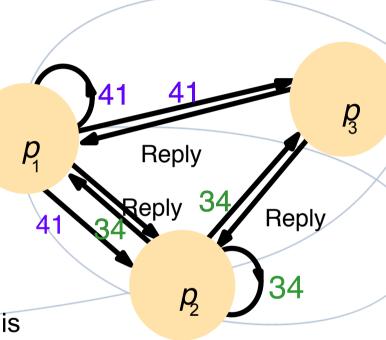
```
On initialization
    state := RELEASED:
To enter the section
    state := WANTED:
                                             processing of incoming requests
    Multicast request to all processes;
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    T := request's timestamp;
    Wait until (number of replies received = (N - 1));
    state := HELD;
On receipt of a request \langle T_i, p_i \rangle at p_i (i \neq j)
    if (state = HELD or (state = WANTED and (T, p_i) < (T_i, p_i))
    then
        queue request from p, without replying;
    else.
        reply immediately to p_i;
    end if
To exit the critical section
    state := RELEASED;
    reply to any queued requests;
                                                                 C Addison-Wesley Publishers 2000
```

- if request is broadcast and state of all other processes is RELEASED, then all processes will reply immediately and requester will obtain entry
- if at least one process is in state HELD, that process will not reply until it left critical section
- if two or more processes request at the same time, whichever process 'request bears lower timestamp will be the first to get N-1 replies (respects happens-before order logical clock)
- in case of equal timestamps, process with lower ID wins



## <u>Distributed Mutual Exclusion:</u> Ricart and Agrawala Algorithm (3)

- p<sub>3</sub> not attempting to enter, p<sub>1</sub> and p<sub>2</sub> request entry simultaneously
- p<sub>3</sub> replies immediately
- p<sub>2</sub> receives request from p<sub>1</sub>, timestamp(p<sub>2</sub>) < timestamp(p<sub>1</sub>),i.e.
   34<41, therefore p<sub>2</sub> does not reply
- p<sub>1</sub> sees its timestamp to be larger than that of the request from p<sub>2</sub>, hence it replies immediately and p<sub>2</sub> is granted access
- p<sub>2</sub> will reply to p<sub>1</sub>'s request after exiting the critical section





## Distributed Mutual Exclusion: Ricart and Agrawala Algorithm (4)

#### algorithm satisfies ME1

- two processes p<sub>i</sub> and p<sub>j</sub> can only access critical section at the same time in case they would have replied to each other
- ♣ since pairs <T<sub>i</sub>, p<sub>i</sub>> are totally ordered, this cannot happen

#### algorithm also satisfies ME2 and ME3

#### Performance:

- getting access requires 2(N-1) messages per request: N-1 for multicast (can be optimized as single multicast), and N-1 for replies
- synchronization delay: just one message transmission time (previous algorithms: from round-trip up to N)

#### protocol improvements:

repeated entry of same process without executing protocol



## Distributed Mutual Exclusion: Maekawa's Algorithm (1)

#### Observation:

- to get access, not all processes have to agree
- suffices to split set of processes up into subsets ("voting sets") that overlap
- suffices that there is consensus within every subset

#### Model:

- processes p<sub>1</sub>, .., p<sub>N</sub>
- associate a voting set V<sub>i</sub> with each process
- voting sets V₁, .., V<sub>N</sub> chosen s.t. ∀ i,k and for some integer M:
  - ∗ p<sub>i</sub> € V<sub>i</sub>
  - \*  $V_i \cap V_k \neq \emptyset$  (there is at least one common member of any two voting sets)
  - \* | V<sub>i</sub> | = K (fairness: each process has a voting set of the same size)
  - each process p<sub>i</sub>, is contained in M of the voting sets V<sub>i</sub>



## Distributed Mutual Exclusion: Maekawa's Algorithm (2)

- to obtain entry to critical section:
  - p<sub>i</sub> sends request messages to all K members of voting set V<sub>i</sub> including itself
- p<sub>i</sub> cannot enter until it has received all K replies
- when receiving request
  - if state = HELD or already replied (voted) since last request
    - then queue request (in the order of its arrival)
  - else immediately send reply
- when leaving critical section:
  - send release to all members of V<sub>i</sub>
- when receiving release
  - remove request at head of queue and sends a reply message (a vote) in response to it (ordering but not necessarily HB)



## Distributed Mutual Exclusion: Maekawa's Algorithm (3)

```
On initialization
   state := RELEASED; voted := FALSE;
For p, to enter the critical section
   state := WANTED;
   Multicast request to all processes in V.
   Wait until (number of replies received = (K ));
   state := HELD;
On receipt of a request from p, at p,
   if (state = HELD or voted = TRUE)
   then
       queue request from p, without replying;
   e1se
      send reply to p;;
       voted := TRUE;
   end if
For p, to exit the critical section
   state := RELEASED;
   Multicast release to all processes in V_i ;
On receipt of a release from p, at p,
   if (queue of requests is non-empty)
   then
       remove head of queue - from p_{k}, say;
       send reply to p;
       voted := TRUE;
   else
       voted := FALSE;

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   end if
```

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## Distributed Mutual Exclusion: Maekawa's Algorithm (4)

#### The algorithm respects ME1:

- If it were possible for two processes  $p_i$  and  $p_j$  to enter the critical section at the same time, then the processes in  $V_i \cap V_i \neq \emptyset$  would have to have voted for both
- But the algorithm allows a process to make at most one vote between successive receipts of a release message
- So, such situation is impossible
- However, the algorithm is deadlock-prone (ME2 not ensured):
  - Consider p<sub>1</sub>, p<sub>2</sub>, p<sub>3</sub>
  - $\lor$   $V_1 = \{p_1, p_2\}; V_2 = \{p_2, p_3\}; V_3 = \{p_3, p_1\}$
  - If the three processes requests entry to the critical section, it is possible that:
    - ⋆ p₁ replies to itself and holds off p2
    - p<sub>2</sub> replies to itself and holds off p3
    - \* p<sub>3</sub> replies to itself and holds off p1
  - Each process has received one out of two replies, and none can proceed
  - algorithm can be modified to ensure absence of deadlocks using logical clocks – ensures ME2 and ME3 (HB)



## Distributed Mutual Exclusion: Maekawa's Algorithm (5)

#### Performance:

- Bandwidth consumption:
  - \* Entry: 2 \* SQRT (N), plus
    - ~quorum size: 1 request and 1 reply per each member
  - \* Exit: SQRT (N)
    - 1 release per each quorum member
- Client delay: ~ 1 round-trip
- Synchronization delay:
  - \* 1 round-trip
    - instead of single message in Ricart and Agrawala
  - ★ Why?:
    - 1 release message to (all) quorum of exiting node
    - that triggers on reception
    - 1 reply message from (at least one) node of quorum of waiting node.



### Notes on Fault Tolerance

- none of these algorithms tolerates message loss
- ring-algorithms cannot tolerate single crash failure
- Maekawa's algorithm can tolerate some crash failures:
  - if a crashed process is not in a voting set that is required, its failure does not affect the rest of the system

#### Central-Server:

- tolerates crash failure of node that has neither requested access nor is currently in the critical section
- Ricart and Agrawala algorithm can be modified to tolerate crash failures by the assumption that a failed process grants all requests immediately:
  - requires reliable failure detector



## **Election Algorithms**

### Algorithms

- Ring
- Bully



### Election Algorithms

#### Algorithms designed to:

- designate one unique process out of a set of processes with similar capabilities to take over certain functions in a distributed system
- central server for mutual exclusion
- ring master in token ring networks
- bus master

#### necessary when

- system is booted
- server fails
- server retires



## Election Algorithms (2)

- Properties: to be valid during any particular run of the system
  - E1: a process p<sub>i</sub> has elected<sub>i</sub> = ⊥ (undefined) or elected<sub>i</sub> = P for some non-crashed process P that will be chosen at the end of the run with the largest identifier (safety)
    - e.g., identifiers: process IDs, CPU or memory availability, etc., any unique ordered value
  - **E2**: all processes p<sub>i</sub> will eventually set elected<sub>i</sub> ≠ ⊥ (liveness)

#### Performance

- network bandwidth utilization (proportional to total number of messages sent)
- turnaround time: number of serialized message transmission times between initiation and termination of a single run



## Ring-based Algorithm (1)

#### Assumptions:

- all nodes communicate on uni-directional ring structure
- all processes have unique integer id
- asynchronous, reliable system

#### Initially:

all processes marked "non-participant"

#### To begin election:

process places election message with <u>own</u> identifier on ring and marks itself "participant"



## Ring-based Algorithm (2)

#### Upon receipt of election message:

- compare received identifier with own
- if received id greater than own id, forward message to neighbor
- if received id smaller than own id,
  - \* if own status is "non-participant", then substitute own id in election message and forward on ring
  - otherwise, do not forward message (already "participant")
- if received id is identical to own id
  - \* this process's id must be greatest and it becomes elected
  - marks own status as "non-participant"
  - \* sends out "elected" message



### Ring-based Algorithm (3)

- Upon any forwarding:
  - mark own state as "participant"
- When receiving "elected" message
  - mark own status as "non-participant"
  - set elected; appropriately and forward elected message



### Ring-based Algorithm (4)

#### Properties:

- E1: a process p<sub>i</sub> has elected<sub>i</sub> = ⊥ (undefined) or elected<sub>i</sub> = P for some non-crashed process P that will be chosen at the end of the run with the largest identifier (safety)
- E2: all processes p<sub>i</sub> will eventually set elected<sub>i</sub> ≠ ⊥ (liveness)
- E1 satisfied, since all identifiers are compared
- E2 follows from reliable communication property

#### Failures:

- tolerates no failures
- failed process causes broken ring and algorithm stops.

#### Performance:

- <u>bandwidth</u>: up to 3N-1 messages:
  - anti-clockwise neighbour has the highest identifier
- <u>turnaround time</u>: up to 3N-1, sequential, messages



### **Bully Algorithm (1)**

#### works for synchronous networks

nodes can crash, and crashes will be detected reliably

#### assumptions

- each node knows identifiers of all other nodes
- every node can communicate with every other node

#### message types

- election: announce an election
- answer: reply to an election message
- **coordinator**: announce identity of elected process



### Bully Algorithm (2)

#### Initiation of algorithm: reliable failure detection

a peer process failed if no answer to request within

$$*$$
 T = 2T<sub>trans</sub> + T<sub>process</sub>

#### process can decide whether:

- to <u>become coordinator</u> by comparing own id with all other ids (highest wins)
- announce by sending coordinator message to all other nodes with lower id

#### process with lower id can:

- bid to become coordinator by sending election message to all processes with higher ID
- if no response within T, considers itself elected coordinator, sends coordinator message to all processes with lower id
- otherwise, wait for another T' time units for a <u>coordinator</u> message to arrive from new coordinator
  - \* if no response, then begin another election process



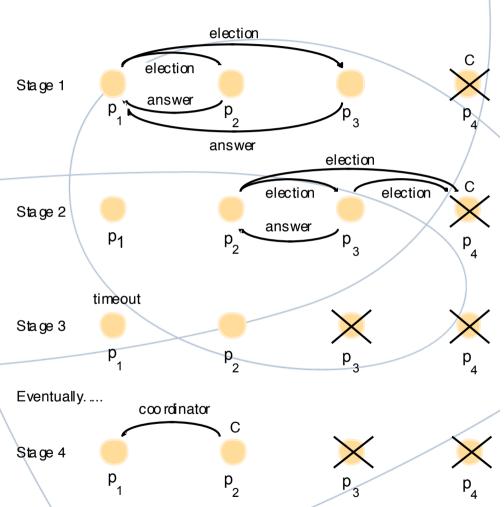
## Bully Algorithm (3)

- When process receives <u>election</u> message:
  - sends back an <u>answer</u> message and
  - begins another election unless one was already initiated
- When process receives <u>coordinator</u> message:
  - sets variable election, equal to:
    - \* the id of the coordinator received in the election message
- New process replacing crashed process:
  - if highest id, will immediately send coordinator message and "bully" current coordinator to resign



### Bully Algorithm (4)

- Assumes that the system is synchronous
- Uses timeouts to detect process failures
- p<sub>1</sub> detects the failure of the coordinator p4 and announces an election (stage 1)
- On receiving an election message from p<sub>1</sub>,
   p<sub>2</sub> and p<sub>3</sub> send answer messages to p<sub>1</sub> and begin their own elections
- p<sub>3</sub> sends an answer message to p<sub>2</sub>, but p<sub>3</sub> receives no message from p<sub>4</sub> (stage 2)
- p<sub>3</sub> decides that it is the coordinator; but before sending out the coordinator message, it fails too (stage 3)
- When p<sub>1</sub> timeout T' expires (we assume before p<sub>2</sub> timeout expires), p<sub>1</sub> deduces the absence of a coordinator message and starts another election
- Eventually, p<sub>2</sub> is elected coordinator (stage 4)





### Bully Algorithm (5)

#### Properties:

- E1: a process  $p_i$  has elected<sub>i</sub> =  $\perp$  (undefined) or elected<sub>i</sub> = P for some non-crashed process P that will be chosen at the end of the run with the largest identifier (safety)
- E2: all processes p<sub>i</sub> will eventually set elected<sub>i</sub> ≠ ⊥ (liveness)
- E1 satisfied (if no process replaced and timeout T estimate accurate)
- E2 satisfied (synchronous network, reliable transmission)
- E1 not satisfied if crashed process replaced at the same time while another process has announced that it is the new coordinator
  - or if timeout values are innacurate (unreliable failure detection)



## Bully Algorithm (6)

#### Performance:

- <u>bandwidth</u>:
  - **★** from N-2...
    - process with highest ID detects failure, triggering election
  - \* ...up to N<sup>2</sup>
    - process with lowest ID detects failure, triggering elections
- <u>turnaround time</u>:
  - \* from 1...
    - process with highest ID detects failure, triggering election
  - \* ...up to to 2N
    - process with lowest ID detects failure, triggering elections



### Bully Algorithm (7)

#### Algorithm complexity

- due to using same algorithm to address:
  - \* coordination/election issues
  - fault detection of nodes

#### Assuming reliable failure detector available:

- simpler implementation and election
  - \* every process knows other correct (un-failed) processes
  - every process knows process with highest ID
- drawback: fault detection implies sending messages to/from all nodes
- advantage: bully checks only failures from processes with higher IDs
  - fewer messages required